



Course File Check List

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2020-21 Odd Sem

Tentative Academic Calendar of VTU, Belagavi for ODD Semester of 2020-2021

	I Sem B. E. / B. Tech. / B. Arch./B.Plan	I sem M.Tech./MBA /MCA/M.Arch.	III, V & VII Sem B. E. /B. Tech./B.Plan/ B.Arch & IX Sem B. Arch.	III & V Sem MCA	III Sem MBA	III Sem M, Tech.	III Sem M.Arch.
Commencement of ODD Semester			01.09.2020	01.09.2020	01.09.2020	01.09.2020	01.09.2020
Last Working day of ODD Semester			17.12.2020	17.12.2020	17.12.2020	17.12.2020	17.12.2020
Practical Examinations			21.12.2020 To 31.12.2020	21.12.2020 To 31.12.2020	21.12.2020 To 31.12.2020	21.12.2020 To 31.12.2020	21.12.2020 To 31.12.2020
Theory Examinations			04.01.2021 To 23.01.2021	04.01.2021 To 23.01.2021	04.01.2021 To 23.01.2021	04.01.2021 To 23.01.2021	04.01.2021 To 23.01.2021
Internship Viva-Voce						25.01.2021 To 08.02.2021	
Professional training / Organization study Commencement of EVEN Semester			08.02.2021	08.02.2021	08.02.2021	22.02.2021	08.02.2021

Will be announced later

Will be announced later

NOTE

- VII Semester B. E / B. Tech students shall have to undergo INTERNSHIP as per circular of University VTU/Aca/2019-20/85, dated 12.05.2020.
- I Semester B. E/ B. Tech / B. Arch Students shall compulsorily undergo Induction Program for a period of 3 Weeks as per the schedule given by VTU Belagavi
- The classroom sessions for all the higher semesters would be commencing from 01.09.2020(Tentative) in ONLINE mode until further orders.
- The Institute needs to function for six days a week with additional hours.
- The faculty/staff shall be available to undertake any work assigned by the university.
- If any of the above date is declared to be a holiday then the corresponding event will come into effect on the next working day.
- Notification regarding Calendar of Events relating to the conduct of University Examinations will be issued by the Registrar (Evaluation) from time to time.
- Academic Calendar may be modified based on guidelines/directions issued in future by MHRD/UGC/AICTE/State Government.


 REGISTRAR

Bapuji Institute of Engineering and Technology, Davangere-577004
CALENDER OF EVENTS - ODD SEMESTER: SEPTEMBER-JANUARY-2020-21 (Tentative)

PARTICULARS	I sem BE/B Tech	III, V BE/B Tech	VII sem BE/B Tech	III & V sem MCA	III sem MBA	III sem M.Tech
Commencement of ODD Sem	14-12-2020	01-09-2020	01-09-2020	01-09-2020	01-09-2020	01-09-2020
Last Working Day	25-03-2021	16-01-2021	16-01-2021	16-01-2021	16-01-2021	16-01-2021
1 st CIE Series	-----	19-10-2020 To 24-10-2020	19-10-2020 To 24-10-2020	19-10-2020 To 24-10-2020	15-10-2020 To 17-10-2020	19-10-2020 To 24-10-2020
2 nd CIE Series	-----	07-12-2020 To 09-12-2020	07-12-2020 To 09-12-2020	07-12-2020 To 09-12-2020	26-11-2020 To 28-11-2020	07-12-2020 To 09-12-2020
3 rd CIE Series	-----	11-01-2021 To 13-01-2021	11-01-2021 To 13-01-2021	11-01-2021 To 13-01-2021	7-01-2021 To 9-01-2021	11-01-2021 To 13-01-2021
Practical Examination	29-03-2021 Onwards #	21-01-2021 Onwards #	21-01-2021 Onwards #	08-02-2021 Onwards #	-----	21-01-2021 Onwards #
Theory Examination	12-04-2021 To 30-04-2021	08-02-2021 To 27-03-2021	08-02-2021 To 27-03-2021	21-01-2021 To 06-02-2021	21-01-2021 To 19-02-2021	28-01-2021 To 13-02-2021
Internship	-----	-----	29-03-2021 To 10-04-2021	-----	-----	-----
Internship Viva-Voce	-----	-----	-----	-----	-----	15-02-2021 To 22-02-2021
Professional Training/Organization Study	-----	-----	-----	-----	22-02-2021 To 03-04-2021	-----
Commencement of Even Semester	03-05-2021	29-03-2021	12-04-2021	15-02-2021	05-04-2021	23-02-2021

Notification regarding the calendar of events relating to the conduct of University Examination will be issued by the Registrar (Evaluation) from time to time.

Dean Academic

Principal



Vision of BIET

To be a center of excellence recognized nationally and internationally, in distinctive areas of engineering education and research, based on a culture of innovation and invention.

Mission of BIET

BIET contributes to the growth and development of its students by imparting a broad based engineering education and empowering them to be successful in their chosen field by inculcating in them positive approach, leadership qualities and ethical values



VISION OF THE DEPARTMENT

To train the students to become Civil Engineers with leadership qualities, having ability to take up professional assignments and research with a focus on innovative approaches to cater to the needs of the society.

MISSION OF THE DEPARTMENT

1. To provide quality education through updated curriculum and conducive teaching learning environment for the students to excel in higher studies, competitive examinations and professional career.
2. To impart soft skills, leadership qualities and professional ethics among the graduates to handle the projects independently with confidence.
3. To deal with the contemporary issues and to cater to the socio-economic needs.
4. To build industry-institute interaction and to establish good rapport with alumni.

PROGRAM EDUCATIONAL OBJECTIVES (PEOs)

PEO 1: Core Competence: Graduates will be able to plan, analyse, design and construct sustainable Civil Engineering Infrastructure.

PEO 2: Professional Skills: Graduates will be professional engineers with a sense of ethics, creativity, leadership, self-confidence and independent thinking to cater to the needs of the society.

PEO 3: Societal Needs: Graduates will be able to contribute effectively for the development of industry and professional bodies.

PEO 4: Cognitive Intelligence: Graduates will be able to take up competitive examinations, higher studies and involve in research and entrepreneurship activities.

PROGRAM SPECIFIC OUTCOMES (PSOs)

Students after the completion of the Program will be able to

1. Apply the fundamental concepts, software and codal provisions in the analysis, design and construction of sustainable civil engineering infrastructure.
2. Inculcate professional and leadership qualities, sense of ethics and confidence related to civil engineering.

Faculty will be able to

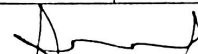
3. Contribute to the overall development of civil engineering community through the professional bodies and offer services to the society.
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3D - CV301
3B - CV305

Name of the Faculty : MER							
Time / Day	8 - 9	9 - 10	10.30 - 11.30	11.30 - 12.30	2 - 3	3 - 4	4 - 5
Mon	18CV32 - A				18CV35 - B		18CVL57 - T (B)
Tue		18CV32 - A					
Wed	18CV35 - B			18CV32 - A	18CVL57 - A3 (MER + SH)		
Thu		18CV35 - B	18CV32 - A		18CVL57 - B1 (MER + GNS)		
Fri		18CVL38 - A1 (MER + CPA)					
Sat		18CV32 - A					


Time Table Coordinator


HOD


Principal

2020

Period : From ... September To February - 2021 Semester : Odd/Even

Name of the Teacher : Raghu. M.E

Designation : Assistant Professor

Department : Civil Department

Sl. No.	Sem. / Sec. / Branch	Subject Name	Subject Code
1	II nd A Civil	Strength of materials	18CV32
2	III B Civil	Basic surveying	18CV35
3	III A A ₁ Civil	Basic material testing lab	18CV38
4			
5			
6			
7			

	Reviews at the end of the				End of Semester
	1st Month	2nd Month	3rd Month	4th Month	
Signature of Staff	 30.9.2021	 30.10.2021	 30.12.2021	 28.2.2021	 21/3/2021
Signature of the Head of Department	 30/9/21	 3/10/21	 30/12/21	 21/2/21	 26/3/21
Signature of the Principal	<div style="display: flex; justify-content: space-around; font-weight: bold; font-size: small;"> PRINCIPAL Japuji Institute of Engineering & Technology DAYANGERE. PRINCIPAL Japuji Institute of Engineering & Technology DAYANGERE. PRINCIPAL Japuji Institute of Engineering & Technology DAYANGERE. </div>				

Class : III - B Section

Subject Code : 18CV35

Subject : Basic Surveying

Total No. of Classes : 28

Sl No.	USN	NAME	DATE	10/09/20	11/09/20	12/09/20	13/09/20	14/09/20	15/09/20	16/09/20	17/09/20	18/09/20	19/09/20	20/09/20	21/09/20	22/09/20	23/09/20	24/09/20	25/09/20	26/09/20	No. of Days Present	Test Marks			Average	Remarks																		
																						I	II	III																				
1	UBD19CV002	Abhinav K Chittayagar	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																	
2	UBD19CV004	Ajay A Sajuni	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
3	UBD19CV008	AKshay B M.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
4	UBD19CV010	AJ's Akbar	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
5	UBD19CV012	Anurha S.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
6	UBD19CV014	B Sayed Sameer Zahid	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
7	UBD19CV016	Bharghavanada K.N.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
8	UBD19CV018	Chandan B.V	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
9	UBD19CV021	Deeda P.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
10	UBD19CV024	Harish K.T.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
11	UBD19CV028	Karthik D Venkatar	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
12	UBD19CV030	Lakshmi. B.S	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
13	UBD19CV032	MAHAKANJUN. T.M.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
14	UBD19CV034	Manoj suamy K.M.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
15	UBD19CV036	Mohammed Ameykhan	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
16	UBD19CV038	Mohit B V	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
17	UBD19CV040	Narmaths P Ram	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
18	UBD19CV042	Nandini K.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
19	UBD19CV044	P.N. Mohammed Salauddin	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
20	UBD19CV046	Pooja. M.P.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
21	UBD19CV048	Pradeep K.B	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
22	UBD19CV050	Profujal G.T. Matad	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
23	UBD19CV052	Prerana V.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
24	UBD19CV054	Raghu. Doddamani	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
25	UBD19CV056	Rulerar Banu. A.K.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
26	UBD19CV058	Sanjay. G.A.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
27	UBD19CV060	Shashis Kiran. E.R.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
28	UBD19CV062	Siree Ahmed Y.B.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
29	UBD19CV064	Sunil N Baktud.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
30	UBD19CV066	Tegawani. M.	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A																
																						Initials of Teacher																						
																						Initials of H.O.D.																						
																						Initial of Principal																						

Class : TI B Section

Subject Code : 18CV35

Subject : Basic Surveying

Total No. of Classes : 56

Sl No.	USN	NAME	DATE	Days																															No. of Days Present	%	Test Marks			Average	Remarks																	
				1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31			I	II	III																			
31	UBD19CV066	Vaithnavi	25	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32														
32	UBD19CV070	Veeresh S	26	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32											
33	UBD19CV072	Veman M E	27	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32									
34	UBD19CV074	Vikar D	28	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32							
35	UBD19CV074	Vivek A P	29	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32						
36	UBD19CV078	Yashakumini	30	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32						
37	UBD19CV080	Zaiba Anji	31	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32					
38	UBD19CV090	Tejas R. B	01	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32					
39	UBD19CV065	Pavan K. C	02	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32				
40	UBD19CV024	Elanesh B C	03	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32			
41	UBD19CV073	Mohan A. D	04	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32			
42	UBD19CV078	Siddarth Gowd	05	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32			
43	UBD19CV022	Uday K. H	06	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32			
44	UBD19CV025	Dishanth	07	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32			
45	UBD19CV002	Adarsh N. G	08	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32			
46	UBD19CV031	Shreyas P. P	09	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32		
47	UBD19CV031	Shravan N.	10	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32		
48	UBD19CV031	Mohan Kumar	11	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32		
49	UBD19CV031	Sharath K. R	12	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32		
50	UBD19CV031	Chetan C.	13	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32		
51	UBD19CV031	Chirudip. J	14	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32		
52	UBD19CV031	Vinay K. X	15	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32	
53	UBD19CV031	Hyla Kesavay	16	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32	
54	UBD19CV031	Ratnan. R. P	17	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32	
55	UBD19CV031	Hemant. H	18	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32	
56	UBD19CV031	Prayosi Redu	19	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32
57	UBD19CV031	Solman	20	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32
58	UBD19CV031	Rishi Kumar	21	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32
59	UBD19CV031	Nivay D. V	22	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32
60	UBD19CV031	Devastan. D. H	23	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32
61	UBD19CV031	Dakshay D.	24	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	31	10	27	26	13	22	32

Initials of Teacher, Initials of H.O.D., Initials of Principal

Principal, DAVANGERE

Class : 11 B Subject Code : 18CV35

Sl No.	USN	NAME	DATE	10/10	11/11	12/12	13/13	14/14	15/15	16/16	17/17	18/18	19/19	20/20	21/21	22/22	23/23	24/24	25/25	26/26	27/27	28/28	29/29	30/30	
61		Maheshwari, B. D. S. S. S. S. S. S.	10/10	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A
62		Saravalli, K. S. S. S. S. S.	11/11	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A
63		Abhishek, H. S. S. S. S.	12/12	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A
64		Vinay, H. D. S. S. S.	13/13	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A
65		Chidambara, H. S. S. S.	14/14	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A
66		Kallent, M. M. S. S.	15/15	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A
67		Bhavana, M. S. S.	16/16	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A
68		Pavan, L. S. S.	17/17	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A
69		Muralidharan, S. S. S.	18/18	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A
70		Mysun, Chavan, S. S.	19/19	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A
71		Mohammed, S. S. S.	20/20	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A
72		Mohammed, S. S. S.	21/21	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A	A

Initials of Teacher : R. D. S. S. S.
 Initials of H.O.D. : R. D. S. S. S.
 Initial of Principal : R. D. S. S. S.

Class : 11 B

Sl No.	USN	NAME	No. of Days Present	%	Test Marks			Average	Remarks
					I	II	III		
61			16	30	23	12	22	32	
62			19	21	30	16	23	33	
63			16	24	30	30	28	35	
64			16	28	26	8	21	31	
65			16	30	23	18	24	34	
66			16	25	12	14	15	29	
67			16	26	26	12	23	35	
68			16	26	30	16	21	32	
69			20	24	29	26	25	35	
70			21	30	26	16	22	32	
71			21	26	26	20	24	34	
72			23	30	26	14	23	33	

Total No. of Classes : 56

Initials of Teacher : R. D. S. S. S.
 Initials of H.O.D. : R. D. S. S. S.
 Initial of Principal : R. D. S. S. S.

R. D. S. S. S.
 PRINCIPAL
 DAVANGERE.

Class : III A

Subject Code : 18CVL38

Subject : Basic Mathematics Texting part

Total No. of Classes : 10

Sl No.	USN	NAME	DATE	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
1	UBD19CV001	Aman Sharif	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
2	UBD19CV003	Ajmal Noor Sahnavar	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
3	UBD19CV005	Akashdeep E Anandanur	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
4	UBD19CV006	Akhil C Akula	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
5	UBD19CV007	Akhil C Akula	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
6	UBD19CV009	Akhil C Akula	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
7	UBD19CV011	Amit K. M.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
8	UBD19CV013	Amit K. M.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
9	UBD19CV015	Balvarej S Patil	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
10	UBD19CV017	Bhumea P.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
11	UBD19CV019	Chinnayee. K.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
12	UBD19CV021	Darshan V. N.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
13	UBD19CV023	Eanesh U Shirgereg	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
14	UBD19CV025	Hemanth Kumar. D. V.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
15	UBD19CV029	Vinay Kumar. M. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
16	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
17	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
18	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
19	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
20	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
21	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
22	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
23	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
24	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T
25	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T

Sl No.	USN	NAME	DATE	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	No. of Days Present	%	Test Marks			Average	Remarks
																										I	II	III		
1	UBD19CV001	Aman Sharif	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	20	100	20	10	10	30	30
2	UBD19CV003	Ajmal Noor Sahnavar	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	22	100	22	14	14	39	36
3	UBD19CV005	Akashdeep E Anandanur	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	23	100	23	15	15	38	38
4	UBD19CV006	Akhil C Akula	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	24	100	24	15	15	39	39
5	UBD19CV007	Akhil C Akula	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	24	100	24	15	15	40	40
6	UBD19CV009	Akhil C Akula	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	22	100	22	13	13	35	35
7	UBD19CV011	Amit K. M.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	22	100	22	13	13	35	35
8	UBD19CV013	Amit K. M.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	24	100	24	15	15	39	39
9	UBD19CV015	Balvarej S Patil	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	19	100	19	10	10	29	29
10	UBD19CV017	Bhumea P.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	23	100	23	15	15	38	38
11	UBD19CV019	Chinnayee. K.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	24	100	24	15	15	39	39
12	UBD19CV021	Darshan V. N.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	20	100	20	14	14	34	34
13	UBD19CV023	Eanesh U Shirgereg	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	24	100	24	14	14	38	38
14	UBD19CV025	Hemanth Kumar. D. V.	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	23	100	23	14	14	34	34
15	UBD19CV029	Vinay Kumar. M. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	16	100	16	13	13	23	23
16	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	21	100	21	13	13	34	34
17	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	22	100	22	14	14	36	36
18	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	18	100	18	14	14	31	31
19	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	19	100	19	11	11	33	33
20	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	20	100	20	11	11	33	33
21	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	21	100	21	15	15	37	37
22	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	22	100	22	15	15	39	39
23	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	23	100	23	14	14	37	37
24	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	24	100	24	14	14	37	37
25	UBD18CV027	Harshith N. ?	1/10/24	A	B	C	D	E	F	G	H	I	J	K	L	M	N	O	P	Q	R	S	T	25	100	25	14	14	37	37

Principal
 Initials of Teacher
 Initials of H.O.D.
 Initial of Principal

Class : 3 A Subject Code : 18CV32

Subject : Structures - I
 Total No. of Classes : 94

Sl No.	USN	NAME	DATE	Attendance																															No. of Days Present	%	Test Marks			Average	Remarks																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																															
				1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	I			II	III																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																																		
1	4801SCV001		23/08/20	A	S	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50	51	52	53	54	55	56	57	58	59	60	61	62	63	64	65	66	67	68	69	70	71	72	73	74	75	76	77	78	79	80	81	82	83	84	85	86	87	88	89	90	91	92	93	94	95	96	97	98	99	100	101	102	103	104	105	106	107	108	109	110	111	112	113	114	115	116	117	118	119	120	121	122	123	124	125	126	127	128	129	130	131	132	133	134	135	136	137	138	139	140	141	142	143	144	145	146	147	148	149	150	151	152	153	154	155	156	157	158	159	160	161	162	163	164	165	166	167	168	169	170	171	172	173	174	175	176	177	178	179	180	181	182	183	184	185	186	187	188	189	190	191	192	193	194	195	196	197	198	199	200	201	202	203	204	205	206	207	208	209	210	211	212	213	214	215	216	217	218	219	220	221	222	223	224	225	226	227	228	229	230	231	232	233	234	235	236	237	238	239	240	241	242	243	244	245	246	247	248	249	250	251	252	253	254	255	256	257	258	259	260	261	262	263	264	265	266	267	268	269	270	271	272	273	274	275	276	277	278	279	280	281	282	283	284	285	286	287	288	289	290	291	292	293	294	295	296	297	298	299	300	301	302	303	304	305	306	307	308	309	310	311	312	313	314	315	316	317	318	319	320	321	322	323	324	325	326	327	328	329	330	331	332	333	334	335	336	337	338	339	340	341	342	343	344	345	346	347	348	349	350	351	352	353	354	355	356	357	358	359	360	361	362	363	364	365	366	367	368	369	370	371	372	373	374	375	376	377	378	379	380	381	382	383	384	385	386	387	388	389	390	391	392	393	394	395	396	397	398	399	400	401	402	403	404	405	406	407	408	409	410	411	412	413	414	415	416	417	418	419	420	421	422	423	424	425	426	427	428	429	430	431	432	433	434	435	436	437	438	439	440	441	442	443	444	445	446	447	448	449	450	451	452	453	454	455	456	457	458	459	460	461	462	463	464	465	466	467	468	469	470	471	472	473	474	475	476	477	478	479	480	481	482	483	484	485	486	487	488	489	490	491	492	493	494	495	496	497	498	499	500	501	502	503	504	505	506	507	508	509	510	511	512	513	514	515	516	517	518	519	520	521	522	523	524	525	526	527	528	529	530	531	532	533	534	535	536	537	538	539	540	541	542	543	544	545	546	547	548	549	550	551	552	553	554	555	556	557	558	559	560	561	562	563	564	565	566	567	568	569	570	571	572	573	574	575	576	577	578	579	580	581	582	583	584	585	586	587	588	589	590	591	592	593	594	595	596	597	598	599	600	601	602	603	604	605	606	607	608	609	610	611	612	613	614	615	616	617	618	619	620	621	622	623	624	625	626	627	628	629	630	631	632	633	634	635	636	637	638	639	640	641	642	643	644	645	646	647	648	649	650	651	652	653	654	655	656	657	658	659	660	661	662	663	664	665	666	667	668	669	670	671	672	673	674	675	676	677	678	679	680	681	682	683	684	685	686	687	688	689	690	691	692	693	694	695	696	697	698	699	700	701	702	703	704	705	706	707	708	709	710	711	712	713	714	715	716	717	718	719	720	721	722	723	724	725	726	727	728	729	730	731	732	733	734	735	736	737	738	739	740	741	742	743	744	745	746	747	748	749	750	751	752	753	754	755	756	757	758	759	760	761	762	763	764	765	766	767	768	769	770	771	772	773	774	775	776	777	778	779	780	781	782	783	784	785	786	787	788	789	790	791	792	793	794	795	796	797	798	799	800	801	802	803	804	805	806	807	808	809	810	811	812	813	814	815	816	817	818	819	820	821	822	823	824	825	826	827	828	829	830	831	832	833	834	835	836	837	838	839	840	841	842	843	844	845	846	847	848	849	850	851	852	853	854	855	856	857	858	859	860	861	862	863	864	865	866	867	868	869	870	871	872	873	874	875	876	877	878	879	880	881	882	883	884	885	886	887	888	889	890	891	892	893	894	895	896	897	898	899	900	901	902	903	904	905	906	907	908	909	910	911	912	913	914	915	916	917	918	919	920	921	922	923	924	925	926	927	928	929	930	931	932	933	934	935	936	937	938	939	940	941	942	943	944	945	946	947	948	949	950	951	952	953	954	955	956	957	958	959	960	961	962	963	964	965	966	967	968	969	970	971	972	973	974	975	976	977	978	979	980	981	982	983	984	985	986	987	988	989	990	991	992	993	994	995	996	997	998	999	1000

Class :

3A

Subject Code :

18 CV 32

Subject : Strength of Materials

Total No. of Classes :

94

Sl No.	USN	NAME	DATE	Attendance																															No. of Days Present	%	Test Marks			Average	Remarks																																						
				1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31			I	II	III																																								
31	UG019RV021			18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31
32	63			18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
33	65			18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
34	69			18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
35	91			18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
36	93			18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
37	95			18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
38	99			18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
39	99			18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
40	99			18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
41	UG018CV099	Vinny Kumar M.		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
42	UG017CV052	Mohammed Aghar Baqith		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
43		Treptti. C. E.		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
44	UG018CV039	Hovakith. N.		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
45		Chanunn. H. Pskl		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
46	UG018CV076	Shivareel. C. H.		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
47		Bharrth Daddu N		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
48		Mohammed Ishaqiy		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
49		Abhi. Babu. S. V		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
50		Dhanureth. P.		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
51		Surabhi S. Bharadwaj		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
52		Chetnan Kotrao dth.		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
53		Vinod Kumar Gudikhil		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
54		Nandana M. Muthud.		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
55	UG018CV058	Santosh S. Bapoor		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
56		Sujata. P.		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
57		Bohith. A.		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
58	UG018CV073	Vairam. M. M		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
59		Surya. K. Dastidar.		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
60		Murughareshandry. V. V		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															
61		Shree Hanu. J. E.		18	19	20	21	22	23	24	25	26	27	28	29	30	31	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31																															

Initials of Teacher

Initials of H.O.D.

Initial of Principal

Principal
APJKT Institute of Engineering & Technology
Dhanu. S.

Subject Code: 19CV32

Subject: Strength of Materials

Total No. of Classes: 9

99

Sl No.	USN	NAME	DATE										No. of Days Present	%	Test Marks			Average	Remarks																																		
				1	2	3	4	5	6	7	8	9			I	II	III																																				
61		Sandhu, A. N.	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
62		Shankar Rao Kulkarni, C.	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
63		Amhika, H. J.	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
64		Triveni, G.	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
65		Pillai, D.	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
66		Harika, S. B.	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
67		Veena B Bharanngoudar, P.	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
68		Harika, C. N.	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
69		Harika, G. S.	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
70		Trupti S Srikar	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
71		Deka, L	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50
72		Priyanka Anjum, H.	12/23	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24	25	26	27	28	29	30	31	32	33	34	35	36	37	38	39	40	41	42	43	44	45	46	47	48	49	50

Class: 19 CV 32

Initials of Teacher: P

Initials of H.O.D.: P

Initial of Principal: P

Principal: P

DAVANGERE

LESSON PLAN

Subject :

Subject Code :

Class :

Period	Date	Topics Planned	Date	Topics Covered	Remarks
35	03-11-2020	Rankine Gordon's formulae questions problems.	03-11-2020	Rankine Gordon's formulae questions problems	covered
36	09-11-2020	problems of Euler's Gordon's etc.	09-11-2020	problems of Euler's Gordon's etc.	covered
37	11-11-2020	Module: 2 Compound stress. Introduction	11-11-2020	Module: 2 Compound stress Introduction	covered
38	12-11-2020	General two dimensional stress system Principal stress & planes	12-11-2020	General two dimensional stress system Principal stress & planes	covered
39	13-11-2020	Problems on principal stress & planes	13-11-2020	Problems on principal stress & planes	covered
40	16-11-2020	Problems on principal stress & planes	16-11-2020	Problems on principal stress & planes	covered
41	15-11-2020	Module: 3 Shear force & Bending Moment Introduction	15-11-2020	Module: 3 Shear force & Bending moment : Introduction	covered
42	21-11-2020	Types of Beams, loading supports,	21-11-2020	Types of Beam, loading supports	covered
43	23-11-2020	Simply supported beam with point load & eccentric loading with problems	23-11-2020	Simply supported beam with point load & eccentric loading with problems	covered
44	24-11-2020	Simply supported beam with UDL with problems	24-11-2020	Simply supported beam with UDL with problems	covered
45	25-11-2020	Simply supported beam with problems	25-11-2020	Simply supported beam	covered
46	26-11-2020	Problems on simply supported beam with different loading condition	26-11-2020	Problems on simply supported beam	covered
47	28-11-2020	Problems ..	28-11-2020	Problems	covered
48	30-11-2020	Overhanging beam Derivation for with different loading	30-11-2020	Overhanging beam with different loading condition	covered
49	11/12/2020	Problems	11/12/2020	Problems	covered
50	21/12/20	Problems	21/12/20	Problems	covered
51	19/12/20	Continuous beam with different loading conditions	19/12/20	Continuous beam with different loading conditions	covered

LESSON PLAN

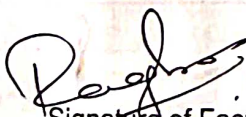
Period	Date	Topics Planned	Date	Topics Covered	Remarks
52	14/12/20	problems	14/12/20	problems	covered
53	15/12/20	Module 4 Bending stress Introduction	15/12/20	Bending stress ^{moderately} Introduction	covered
54	16/12/20	Derivation an equation for bending stress $m = \frac{E}{r} = \frac{b}{y}$	16/12/20	Derivation an equation for bending stress $m = \frac{E}{r} = \frac{b}{y}$	covered
55	21/12/20	Problem on Bending stress	21/12/20	Problem on Bending stress	covered
56	22/12/20	Problem on Bending stress	22/12/20	Problem on Bending stress	covered
57	23/12/20	Problem on Bending stress	23/12/20	Problem on Bending stress	covered
58	26/12/20	Deflection of Beams Module 5	26/12/20	Deflection of Beams	covered
59	29/12/20	Derivation of Beams. simply supported Beams with point.	29/12/20	Derivation of Beams simply supported Beams with point	covered
60	29/12/20	UOL UDV Problem	29/12/20	UOL, UDV problem	covered

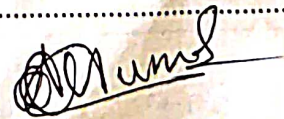
Text Books :

1. B. S. Badavarejaiah, P. Mahalingappa. Strength of materials in SI units University of PUNE (India).
2. R. Subramanian. Strength of materials latest edition.

Reference Books :


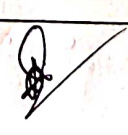

1. R. K. Bansal, A Text book of Strength of materials. 4th edition Laxmi Publication, 2010.
2. D. H. Young. S.P. Timoshenko. "elements of Strength of materials".
3. S. Ramamurtham. Strength of materials.
4. S.S. Bhavikatti. by Strength of materials.
5.


Signature of Faculty


HOD

TUTORIAL CLASSES

Date	Topics Discussed	Remarks
61	Problems on reflection	covered
62	Problem on deflection	covered
63	Problem on reflection	covered
64	Problems on reflection	covered
65	Problem on deflection	covered
66	Problem on deflection	covered
67	Module 2 (For Diploma) Thick & Thin cylinders Derivation of hoop stress & longitudinal stress	covered
68	Problem on same	covered
69	Problem on Thick cylinders	covered
70	Thick cylinders Derivations	covered
71	Problems on Thick cylinders	covered
72	Problems on thick cylinders	

Test	Date	Class Strength	No. of Students Appeared	No. of Students Scored < 15	Signature of the HOD
T1	24/10/20	70	70	0	
T2	07.12.2020	70	70	0	
T3	22.02.2024	70	67	50	

LESSON PLAN

Subject: Basic surveying Subject Code: L8CV35 Class: Bnd B

Period	Date	Topics Planned	Date	Topics Covered	Remarks
1	10/9/20	Module 1. Definition of surveying objectives & Importance	10/9/20	Module 1. Definition of surveying objectives & importance	covered
2	14/9/20	Classification of surveying.	14/9/20	Classification of surveying	covered
3	15/9/20	Principles of surveying	15/9/20	Principles of surveying	covered
4	16/9/20	Applications of surveying unit & measurement	16/9/20	Applications of surveying unit & measurement	covered
5	21/9/20	Surveying measurement errors, types of errors precision	21/9/20	Surveying measurement errors, types of errors, precision	covered
6	23/9/20	Accuracy, classification of maps, map & numbering	23/9/20	Accuracy, classification of maps, map & numbering	covered
7	28/9/20	Measurement of horizontal distances, measuring tape & types, measurement using tapes, Taping on	28/9/20	Measurement of horizontal distances, measuring tape measurement using tapes,	covered
8	30/9/20	Level ground. + Direct ranging - Indirect ranging	30/9/20	Level ground. + Direct ranging + Indirect ranging.	covered
9	1/10/20	Sloping ground Direct & Indirect ranging	1/10/20	Sloping ground by direct & indirect ranging	covered
10	05/10/20	EDM, basic principles of use of tape survey work	05/10/20	EDM, basic principles of use of tape survey work	covered
11	07/10/20	conventional symbols, obstacles in tape surveying	07/10/20	conventional symbols, obstacles in tape surveying	covered
12	08/10/20	Problems	08/10/20	Problems	covered
13	12/10/20	Module 4 Plane table surveying accessories	12/10/20	module 4 Plane table surveying accessories	covered
14	14/10/20	Setting up the plane table surveying	14/10/20	Setting up the plane table surveying	covered
15	15/10/20	Methods of plane table surveying Resection	15/10/20	Methods of plane table surveying Resection	covered
16	21/10/20	Intersection method. Traversing Advantages & Disadvantages of plane table surveying	21/10/20	Intersection method Traversing Advantages & Disadvantages of plane table surveying	covered
17	22/10/20	Resection two point Problem, three point Problem	22/10/20	Resection - two point Problem & Three point Problem	covered

LESSON PLAN

Subject: Basic surveying Subject Code: 18CV35 Class: 3rd B

Period	Date	Topics Planned	Date	Topics Covered	Remarks
18	28.10.20	Three Point Problem	28.10.20	Three Point Problem	Covered
19	29.10.20	Module 1.5: Area & Volume Different methods of area calculation	29.10.20	Module 1.5: Area & volume. Introduction	Covered
20	30.10.20	Object of Regular intervals	30.10.20	Object of Regular Intervals	Covered
21	01.11.20	Area from co-ordinates with problems	01.11.20	Area from co-ordinates with problems	Covered
22	02.11.20	Problem on Area by Different methods	02.11.20	Problem on Area by Different methods	Covered
23	03.11.20	Volume: Different methods Problem on volume	03.11.20	Volume: Different methods & Problem on volume	Covered
24	04.11.20	Problem on volume	04.11.20	Problem on volume	Covered
25	05.11.20	Module 2 Compass surveying Introduction	05.11.20	Module 2 Compass surveying Introduction	Covered
26	06.11.20	Definition of Azimuth, Back Sighting, WCB, AB problems	06.11.20	Definition of Azimuth, Back Sighting, WCB, AB problems	Covered
27	07.11.20	Magnetic Dip & Declination with problems Prismatic compass, Surveyor compass with corrections	07.11.20	Magnetic Dip & Declination with problems, Prismatic compass, Surveyor compass with corrections	Covered
28	08.11.20	Problem on Interior angles	08.11.20	Problem on Interior angles (Included angle)	Covered
29	09.11.20	Local attraction Problem	09.11.20	Local attraction problems	Covered
30	10.11.20	Problem on local attraction	10.11.20	Problem on local attraction	Covered
31	11.11.20	Privacy: computation Introduction	11.11.20	Privacy computation	Covered
32	12.11.20	1. Dependent co-ordinates 2. Independent co-ordinates 3. closing error with problems	12.11.20	1. Dependent co-ordinates 2. Independent co-ordinates 3. closing error with problems	Covered
33	13.11.20	1. Bowditch rule 2. Transit rule with problems	13.11.20	Problems	Covered
34	14.11.20	Omitted measurements Problem	14.11.20	Omitted measurements with problems	Covered

LESSON PLAN

Subject: Basic Surveying Subject Code: 18CV35 Class: 2nd B

Period	Date	Topics Planned	Date	Topics Covered	Remarks
35	30-12-20	Module: 3 Leveling: Basic definitions methods of leveling.	30-12-20	Module: 3 Leveling: Basic definitions methods of leveling	covered
36	31-12-20	Dumpy level, Auto level, digital leveling & laser leveling	31-12-20	Dumpy level, Auto level, digital leveling & laser leveling	covered
37	4-1-21	Curvature and refraction corrections,	4-1-21	Curvature & refraction corrections	covered
38	5-1-21	Errors & reduction of levels.	5-1-21	Errors & reduction of levels & Problems	covered
39	7-1-21	Problems on leveling	7-1-21	Problems on leveling	covered
40	13-1-21	Problems on leveling Differential leveling	13-1-21	Problems on differential leveling	covered
41	13-1-21	Problems on differential leveling	17-1-21	Problems on differential leveling	covered
42	21-1-21	Profile leveling with problems	21-1-21	Profile leveling with problems	covered
43	01-2-21	fly leveling with problems	01-2-21	fly leveling with problems.	covered
44	3-2-2021	Reciprocal leveling	3-2-2021	Reciprocal leveling	covered
45	4-2-2021	Problems on reciprocal leveling	4-2-2021	Problems on reciprocal leveling	covered
46	10-2-2021	Module: 4 Plane table surveying accessories, setting up plane surveying	10-2-2021	Module: 4 Plane table surveying accessories setting up plane table surveying	covered
47	11-2-2021	Methods of plane table surveying	11-2-2021	Methods of plane table surveying	covered
48	15-2-2021	Advantages & Disadvantages of plane table surveying Resection of two-point Problem, three-point Problem	15-2-2021	Advantages & Disadvantages of plane table surveying Resection of two-point three point Problem	covered
49	17-2-2021	Three point Problem	17-2-2021	Three point Problem	covered
50	17-2-2021	Module: 5 Area & Volume Area - Methods of Area Calculation, offset at regular intervals.	17-2-2021	Module: 5 Area & Volume Area - methods of area calculation, offset at regular intervals	covered
51	18-2-2021	Area from co-ordinates with problems, by different method, Volume: Different method	18-2-2021	Area from co-ordinates with problems, by different method, Volume: Different method.	covered

TIME TABLE

Day	Time	1	2	SHORT BREAK		3	4	LUNCH BREAK		5	6	7
		8:00-9:00	9:00-10:00	10:00-10:30	10:30-11:30	11:30-12:30	12:30-2:00	2:00-3:00	3:00-4:00	4:00-5:00		
MONDAY		18CV32-A								18CV35-B		18CV33-T (B)
TUESDAY			18CV32-A									
WEDNESDAY		18CV35-B					18CV32-B			18CV35-B	18CV37 - B1 (MEET STAFF)	
THURSDAY			18CV35-B			18CV32-A				18CV35-B	18CV37 - B1 (MEET STAFF)	
FRIDAY			18CV35-B			18CV38-A1 (M ENT L00A)						
SATURDAY			18CV32-A									


 Sign. of the Staff


 Sign. of the HOD


PRINCIPAL
 Anna Institute of Engineering & Technology
 DAVANGERE.

3rd A - Section
 = Strength of Materials
 3rd A - Section
 = Basic Surveying
 18CV37-T (B)
 = Surveying Practice
 18CV37-B1 & A3
 - Surveying Practice.
 18CV38-A1
 Building materials Lab

B. E. CIVIL ENGINEERING			
Choice Based Credit System (CBCS) and Outcome Based Education (OBE)			
SEMESTER – III			
BASIC SURVEYING			
Course Code	18CV35	CIE Marks	40
Teaching Hours/Week(L:T:P)	(3:0:0)	SEE Marks	60
Credits	03	Exam Hours	03
<p>Course Learning Objectives: This course will enable students to;</p> <ol style="list-style-type: none"> 1. Understand the basic principles of Surveying 2. Learn Linear and Angular measurements to arrive at solutions to basic surveying problems. 3. Employ conventional surveying data capturing techniques and process the data for computations. 4. Analyze the obtained spatial data to compute areas and volumes and draw contours to represent 3D data on plane figures. 			
Module-1			
<p>Introduction: Definition of surveying, Objectives and importance of surveying. Classification of surveys. Principles of surveying. Units of measurements, Surveying measurements and errors, types of errors, precision and accuracy. Classification of maps, map scale, conventional symbols, topographic maps, map layout, Survey of India Map numbering systems.</p> <p>Measurement of Horizontal Distances: Measuring tape and types. Measurement using tapes, Taping on level ground and sloping ground. Errors and corrections in tape measurements, ranging of lines, direct and indirect methods of ranging, Electronic distance measurement, basic principle. Booking of tape survey work, Field book, entries, Conventional symbols, Obstacles in tape survey, Numerical problems.</p>			
Module-2			
<p>Measurement of Directions and Angles: Compass survey: Basic definitions; meridians, bearings, magnetic and True bearings. Prismatic and surveyor's compasses, temporary adjustments, declination. Quadrantal bearings, whole circle bearings, local attraction and related problems</p> <p>Traversing: Traverse Survey and Computations: Latitudes and departures, rectangular coordinates, Traverse adjustments, Bowditch rule and transit rule, Numerical Problems.</p>			
Module-3			
<p>Leveling: Basic terms and definitions, Methods of leveling, Dumpy level, auto level, digital and laser levels. Curvature and refraction corrections. Booking and reduction of levels. Differential leveling, profile leveling, fly leveling, check leveling, reciprocal leveling.</p>			
Module-4			
<p>Plane Table Surveying: Plane table and accessories, Advantages and limitations of plane table survey, Orientation and methods of orientation, Methods of plotting – Radiation, Intersection, Traversing, Resection method, Two point and three point problems, Solution to two point problem by graphical method, Solution to three point problem Bessel's graphical method, Errors in plane table survey.</p>			
Module-5			
<p>Areas and Volumes: Measurement of area by dividing the area into geometrical figures, area from offsets, mid ordinate rule, trapezoidal and Simpson's one third rule, area from co-ordinates, introduction to planimeter, digital planimeter. Measurement of volumes- trapezoidal and prismoidal formula.</p> <p>Contouring: Contours, Methods of contouring, Interpolation of contours, contour gradient, characteristics of contours and uses.</p>			

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HIS DES

Course outcomes: After a successful completion of the course, the student will be able to:

1. Posses a sound knowledge of fundamental principles Geodetics
2. Measurement of vertical and horizontal plane, linear and angular dimensions to arrive at solutions to basic surveying problems.
3. Capture geodetic data to process and perform analysis for survey problems]
4. Analyse the obtained spatial data and compute areas and volumes. Represent 3D data on plane figures as contours

Question paper pattern:

- The question paper will have ten full questions carrying equal marks.
- Each full question will be for 20 marks.
- There will be two full questions (with a maximum of four sub- questions) from each module.
- Each full question will have sub- question covering all the topics under a module.
- The students will have to answer five full questions, selecting one full question from each module.

Textbooks:

1. B.C. Punmia, "Surveying Vol.1", Laxmi Publications pvt. Ltd., New Delhi –2009.
2. Kanetkar T P and S V Kulkarni , Surveying and Leveling Part I, Pune VidvarthiGrihaPrakashan.1988

Reference Books:

1. S.K. Duggal, "Surveying Vol.1", Tata McGraw Hill Publishing Co. Ltd. New Delhi.2009.
2. K.R. Arora, "Surveying Vol. 1" Standard Book House, New Delhi. –2010
3. R Subramanian, Surveying and Leveling, Second edition, Oxford University Press, NewDelhi
4. A. Bannister, S. Raymond , R. Baker, "Surveying", Pearson, 7th ed., NewDelhi

Course Title	Basic Surveying (18CV35)
CO	Statement
18CV35.1	Explain the fundamental concepts of surveying
18CV35.2	Apply the conventional and advanced methods for measuring horizontal distance
18CV35.3	Apply the concept of latitude and departure for the adjustment of compass closed traverse
18CV35.4	Predict the topography of the ground profile using the concepts of levelling and contours
18CV35.5	Solve two and three point problems in plane table surveying
18CV35.6	Compute areas and volumes for civil engineering projects

Course Title		Basic Surveying										
CO	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PO8	PO9	PO10	PO11	PO12
18CV35.1	2	2	-	1	-	-	-	-	-	-	-	2
18CV35.2	2	2	-	1	-	-	-	-	-	-	-	2
18CV35.3	2	2	-	1	-	-	-	-	-	-	-	2
18CV35.4	2	2	-	1	-	-	-	-	-	-	-	2
18CV35.5	2	2	-	1	-	-	-	-	-	-	-	2
18CV35.6	2	2	-	1	-	-	-	-	-	-	-	2
Average	2	2		1								2

CO	PSO1	PSO2
18CV35.1	2	2
18CV35.2	2	2
18CV35.3	2	2
18CV35.4	2	2
18CV35.5	2	2
18CV35.6	2	2
Average	2	2

Bapuji Educational Association @
Bapuji Institute of Engineering and Technology, Davangere-577 004
Department of Civil Engineering

Result Analysis Academic Year: 2020-21 ODD SEM

Name of the Faculty		Raghu M E		Academic Year : 2020-21 ODD SEM	
Sl. No.	Subject Title	Subject Code	Total No. of students appeared for the exam	No. of Students passed	Pass Percentage
1	Basic Surveying	18CV35	67	42	63

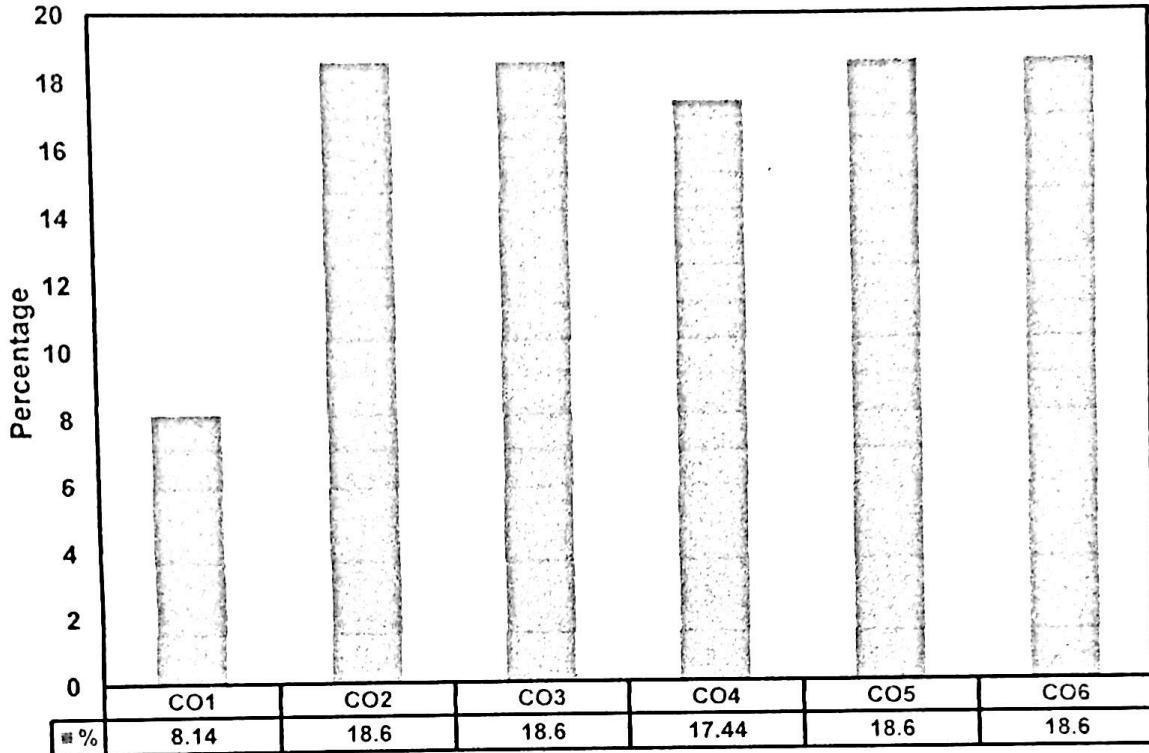

Staff in Charge


HOD Civil

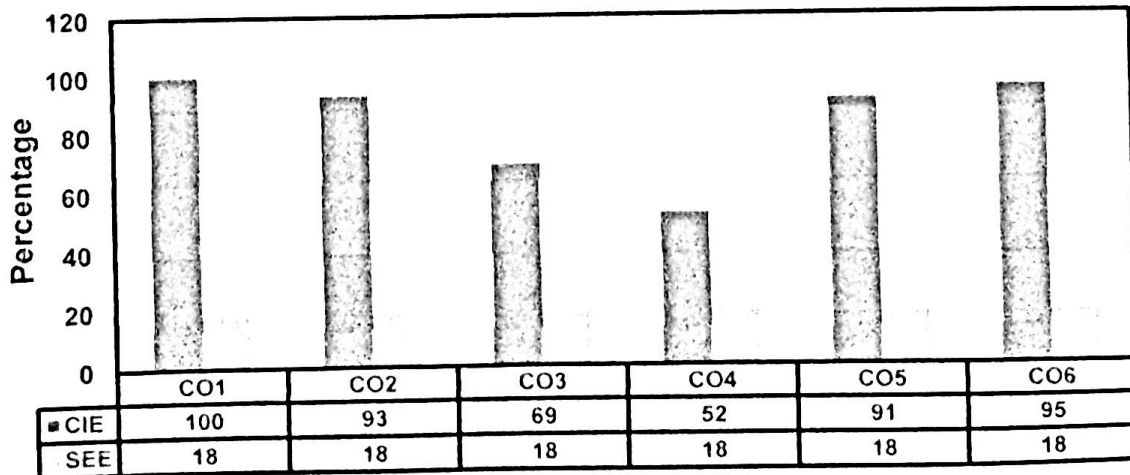
Attainment

Basic Surveying 18CV35 ODD SEM 2020-2021

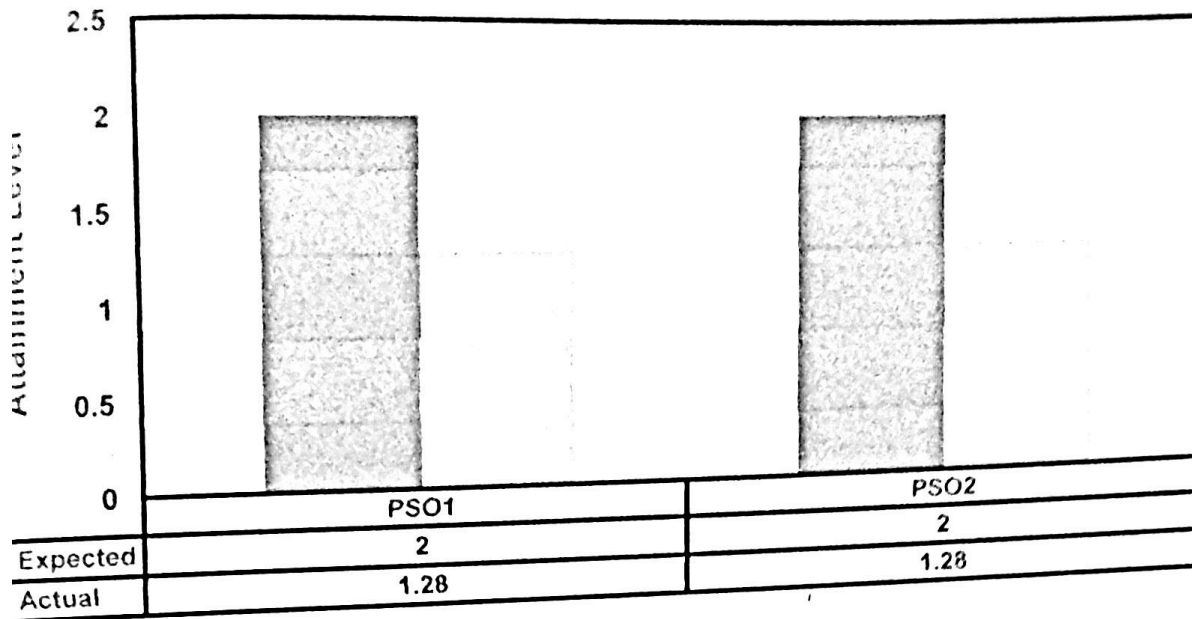
% CO marks distribution in CIE



% of Students reaching more than the target



PSO Attainment





Assignment

Date | 25 | 10 | 20

Assignment No.	01	Maximum Marks	10
Course/Subject Title	Basic Surveying	Course/Subject Code	18CV35
Semester	III	Scheme	CBCS - 18

Course Outcome Statements : After the successful completion of the course, the students will be able to Outcome Statements	
18CV35.1	Explain the fundamental concepts of surveying
18CV35.2	Apply the conventional and advanced methods for measuring horizontal distance
18CV35.3	Apply the concept of latitude and departure for the adjustment of compass closed traverse
18CV35.4	Predict the topography of the ground profile using the concepts of levelling and contours
18CV35.5	Solve two and three point problems in plane table surveying
18CV35.6	Compute areas and volumes for civil engineering projects

Last date for submission | 30 | 11 | 2020

Note :

Q. No.	Question	Marks	RBT Level	CO
Module -1				
1	Define Surveying. Explain the basic principles of surveying? Mention the classification of surveying.		L1&L2	CO1
2	What is meant by tape correction and Explain the different types of tape correction.		L1&L2	CO1
3	With neat sketches show conventional symbols used in surveying.		L1&L2	CO1
4	Mention the different types of obstacles in surveying. A steel tape is 30m long at 18° c. when laid horizontally on the ground. Its sectional area is 2mm ² . Its weight is 12.36N and co-efficient of expansion is 35×10 ⁻⁷ /°c. The tape is stretched over three supports at the same level and at equal intervals. Calculate the actual length. When the temperature and pull applied during measurement are 25°c and 400 N. Assume E = 1.77×10 ⁵ N/mm ²		L2&L3	CO2
5	Define Ranging. Explain indirect or Reciprocal Ranging with Sketch. Two Stations P and Q on the main Survey line were taken on the opposite sides of a pond on the right of PQ a line PR=210m long was laid down and another line PS=260m long was laid down on the left of PQ. The points R, Q and S were on the same Straight line. The measured lengths of RS and QS were 85m and 75m respectively. Find the length of PQ.		L2&L3	CO2
Module -4				
6	Define plane table surveying. Explain the accessories of a plane table survey.		L2	CO5
7	What are the different methods of plane table survey? Explain the intersection method of plane table surveying.		L2	CO5
8	List the advantages and disadvantages of plane table surveying. Mention the errors in plane table survey.		L2	CO5
9	State three point problem in plane table survey. Explain Bessel's graphical solution for the three point problem.		L2	CO5
10	State and Explain two point problem in plane table survey.		L2	CO5

RBT (Revised Bloom's Taxonomy) Levels : Cognitive Domain

L1 : Remembering	L2 : Understanding	L3 : Applying
L4 : Analysing	L5 : Evaluating	L6 : Creating

Course Coordinator

ASSISTANT PROFESSOR
Civil Engineering Department
B.I.E.T., Davanagere.

Coordinator for
DQAC

Program Coordinator
(HOD, Civil)



Assignment -02

Date	25	11	20
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Assignment No.	02	Maximum Marks	10
Course/Subject Title	Basic Surveying	Course/Subject Code	18CV35
Semester	III	Scheme	CBCS - 18

Course Outcome Statements : After the successful completion of the course, the students will be able to Outcome Statements	
18CV35.1	Explain the fundamental concepts of surveying
18CV35.2	Apply the conventional and advanced methods for measuring horizontal distance
18CV35.3	Apply the concept of latitude and departure for the adjustment of compass closed traverse
18CV35.4	Predict the topography of the ground profile using the concepts of levelling and contours
18CV35.5	Solve two and three point problems in plane table surveying
18CV35.6	Compute areas and volumes for civil engineering projects

Note :																														
Q. No.	Question					Marks	RBT Level	CO																						
Module -5																														
1	Explain the general methods of Determining area						L2	6																						
2	A series of offsets were taken from a chain line to a curved boundary line at intervals of 15m in the following order 0, 2.65, 3.8, 3.75, 4.65, 3.6, 4.95, 5.85m. Compute the area between the chain lines. The curved boundary and the end offset by 1) Average ordinate rule 2) Trapezoidal rule 3) Simpsons rule						L3	6																						
3	The following perpendicular offsets were taken from a chain line to hedge. <table border="1" style="width: 100%; border-collapse: collapse;"> <tr> <td>Chain age (M)</td> <td>0</td> <td>15</td> <td>30</td> <td>45</td> <td>60</td> <td>70</td> <td>80</td> <td>100</td> <td>120</td> <td>140</td> </tr> <tr> <td>Offsets (M)</td> <td>7.6</td> <td>8.5</td> <td>10.7</td> <td>12.8</td> <td>10.6</td> <td>9.5</td> <td>8.3</td> <td>7.9</td> <td>6.4</td> <td>4.4</td> </tr> </table> Calculate the area between survey line, the hedge and end offsets by 1)Trapezoidal rule 2) Simpson's rule					Chain age (M)	0	15	30	45	60	70	80	100	120	140	Offsets (M)	7.6	8.5	10.7	12.8	10.6	9.5	8.3	7.9	6.4	4.4		L3	6
Chain age (M)	0	15	30	45	60	70	80	100	120	140																				
Offsets (M)	7.6	8.5	10.7	12.8	10.6	9.5	8.3	7.9	6.4	4.4																				
4	The latitudes and departures of the lines of a closed traverse ABCDA are given. Compute the area by independent co-ordinates method. <table border="1" style="width: 100%; border-collapse: collapse;"> <tr> <td>Line</td> <td>Latitude</td> <td>Departure</td> </tr> <tr> <td>AB</td> <td>-164.50</td> <td>+162.10</td> </tr> <tr> <td>BC</td> <td>+217.80</td> <td>+59.80</td> </tr> <tr> <td>CD</td> <td>+168.10</td> <td>-105.60</td> </tr> <tr> <td>DA</td> <td>-221.40</td> <td>-116.30</td> </tr> </table>					Line	Latitude	Departure	AB	-164.50	+162.10	BC	+217.80	+59.80	CD	+168.10	-105.60	DA	-221.40	-116.30		L3	6							
Line	Latitude	Departure																												
AB	-164.50	+162.10																												
BC	+217.80	+59.80																												
CD	+168.10	-105.60																												
DA	-221.40	-116.30																												
5	A Railway embankment 400 m long is 12m wide at the formation level and has side slope of 2 to 1. The ground levels at every 100 m along the centre line are as under <table border="1" style="width: 100%; border-collapse: collapse;"> <tr> <td>Distance</td> <td>0</td> <td>100</td> <td>200</td> <td>300</td> <td>400</td> </tr> <tr> <td>RL</td> <td>204.8</td> <td>206.2</td> <td>207.5</td> <td>207.2</td> <td>208.3</td> </tr> </table> The formation level at zero chainage is 207.00 and the embankment has a rising gradient of 1 in 100. The ground is level across the centre line. Calculate the volume of earthwork.					Distance	0	100	200	300	400	RL	204.8	206.2	207.5	207.2	208.3		L3	6										
Distance	0	100	200	300	400																									
RL	204.8	206.2	207.5	207.2	208.3																									
6	Define Contouring. Explain the Different Characteristics of contours.						L2	6																						
7.	Explain the different methods of contouring.						L2	6																						
8.	Explain briefly planimeter with uses.						L2	6																						
Module -2																														



Assignment -02

Date 25 11 20

Note :		Marks	RBT Level	Co																								
Q. No.	Question																											
9	Distinguish between a) True meridian and true bearing b) Magnetic meridian and magnetic bearing c) Whole circle bearing and quadrantal bearing d) Fore bearing and back bearing. e) Find the back bearing of the following lines given that the fore bearing of line. 1) 60°45' 2) 210° 40' 3) S30°30'E 4) N45°30'W f) Convert the whole circle bearing to quadrantal bearings 22°30' 2) 170°12' 3) 211°54' 4) 327°24'		L2 & L3	3																								
10	Differentiate between Prismatic compass and surveyor compass.		L2	3																								
11	The following are the bearings of a closed traverse using a prismatic compass. Compute the included angles. Is there any error in the measurement of bearings?		L3	3																								
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Bearings	37°30'	92°	151°30'	221°15'	283°	330°15'																						
12	Define Magnetic Declination and Dip of the magnetic needle.		L2	3																								
13	On an old map, a line was drawn to magnetic bearing of 320°30', when the declination was 3°30' W. Find the present bearing of the line, if the declination is 4°15' E.		L3	3																								
14.	Following are the observed magnetic bearings of a closed traverse.		L3	3																								
	<table border="1"> <thead> <tr> <th>Line</th> <th>PQ</th> <th>QR</th> <th>RS</th> <th>SP</th> </tr> </thead> <tbody> <tr> <td>Fore bearings</td> <td>124°30'</td> <td>68°15'</td> <td>310°30'</td> <td>200°15'</td> </tr> <tr> <td>Back Bearings</td> <td>304°30'</td> <td>246°00'</td> <td>135°15'</td> <td>17°45'</td> </tr> </tbody> </table>	Line			PQ	QR	RS	SP	Fore bearings	124°30'	68°15'	310°30'	200°15'	Back Bearings	304°30'	246°00'	135°15'	17°45'										
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15.	Define the following a) Latitude and Departure b) Dependent Co-ordinates and In Dependent Co-ordinates. c) Closing error		L3	3																								
16.	The following observations were taken in a closed traverse. Calculate a) The Dependent Co-ordinates b) The and In Dependent Co-ordinates of B, C and D, if the coordinates of A are 200,200.		L3	3																								
	<table border="1"> <thead> <tr> <th>Line</th> <th>AB</th> <th>BC</th> <th>CD</th> <th>DA</th> </tr> </thead> <tbody> <tr> <td>Length, M</td> <td>156.2</td> <td>318.9</td> <td>88.4</td> <td>304.0</td> </tr> <tr> <td>Bearings</td> <td>140°12'</td> <td>41°12'</td> <td>312°42'</td> <td>233°42'</td> </tr> </tbody> </table>	Line			AB	BC	CD	DA	Length, M	156.2	318.9	88.4	304.0	Bearings	140°12'	41°12'	312°42'	233°42'										
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17.	Explain the following a) Bowditch's method b) Transit Method		L3	3																								
18.	The following Data pertains to a closed traverse. Adjust it by Bowditch's method and Transit Method.		L3	3																								
	<table border="1"> <thead> <tr> <th>Line</th> <th>Length, M</th> <th>Latitude</th> <th>Departure</th> </tr> </thead> <tbody> <tr> <td>AB</td> <td>70</td> <td>21.500</td> <td>-65.450</td> </tr> <tr> <td>BC</td> <td>80</td> <td>-80.755</td> <td>-5.250</td> </tr> <tr> <td>CD</td> <td>43</td> <td>-41.000</td> <td>+13.550</td> </tr> <tr> <td>DE</td> <td>38</td> <td>-14.250</td> <td>+35.150</td> </tr> <tr> <td>EA</td> <td>115</td> <td>+114.150</td> <td>+22.3015</td> </tr> </tbody> </table>	Line			Length, M	Latitude	Departure	AB	70	21.500	-65.450	BC	80	-80.755	-5.250	CD	43	-41.000	+13.550	DE	38	-14.250	+35.150	EA	115	+114.150	+22.3015	
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19.	Explain Omitted measurement																											
20.	The table below gives the length and bearings of the lines of a closed traverse ABCDE, the length and bearing of BC having been omitted. Calculate the length and bearing of BC.		L3	3																								



Assignment -02

Date	25	11	20
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Note :				Marks	RBT Level	CO
Q. No.	Question					
	Line	Length , M	Bearings			
	AB	204	87°30'			
	BC	?	?			
	CD	187	280°			
	DE	192	210°30'			
	EA	87.85	180°28'			

Last date for submission	30	12	2020
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RBT (Revised Bloom's Taxonomy) Levels : Cognitive Domain		
L1 : Remembering	L2 : Understanding	L3 : Applying
L4 : Analysing	L5 : Evaluating	L6 : Creating

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Program Coordinator
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Bapuji Institute of Engineering and Technology, Davangere-577 004
Department of Civil Engineering

USN										
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Course/Subject Title	Basic Surveying	Course/Subject Code	18CV35
Semester	III B	Scheme	CBCS - 18
Date	23/10/2020	CIE No.	IA - 1
Time	2:00-3:00 PM	Max. Marks	30

Course Outcome Statements : After the successful completion of the course, the students will be able to	
18CV35.1	Explain the fundamental concepts of surveying
18CV35.2	Apply the conventional and advanced methods for measuring horizontal distance
18CV35.3	Apply the concept of latitude and departure for the adjustment of compass closed traverse
18CV35.4	Predict the topography of the ground profile using the concepts of levelling and contours
18CV35.5	Solve two and three point problems in plane table surveying
18CV35.6	Compute areas and volumes for civil engineering projects

Note: ANSWER ANY ONE QUESTION FROM PART A AND FOUR QUESTIONS FROM PART B.

Q. No.	Questions	Marks	RBT Level	C O
Part -A				
1	Define Surveying. Explain the basic principles of surveying?	6	L1&L2	1
2	Explain briefly the classification of surveying.	6	L1&L2	1
Part -B				
3	What is meant by tape correction and Explain the different types of tape correction.	6	L1&L2	2
4	Mention the different types of obstacles in surveying.	6	L2&L3	2
5	Define Ranging. Explain indirect Method of ranging and method of measuring horizontal distance on sloping ground.	6	L2&L3	2
6.	A 20m steel tape was standardised on flat ground at a temperature of 20°C and under a pull of 150N. The tape was used as catenary at a temperature of 30°C and under a pull of 100N. The cross sectional area of tape is 2mm ² and its total weight is 4N. The young's modulus and coefficient of linear expansion of steel are 210GPa and 11*10 ⁻⁶ /°C. Find the correct horizontal distance.	6	L3	2
7	Two Stations P and Q on the main Survey line were taken on the opposite sides of a pond on the right of PQ, a line PR=210m long was laid down and another line PS=260m long was laid down on the left of PQ. The points R, Q and S were on the same Straight line. The measured lengths of RQ and QS were 85m and 75m respectively. Find the length of PQ.	6	L2&L3	2

RBT (Revised Bloom's Taxonomy) Levels		
L1 : Remembering	L2 : Understanding	L3 : Applying
L4 : Analysing	L5 : Evaluating	L6 : Creating

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 (Faculty in charge)
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 DQAC
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 Program Coordinator
 (HOD, Civil)
 23/10/2020



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Department of Civil Engineering

USN									
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Course/Subject Title	Basic Surveying	Course/Subject Code	18CV35
Semester	III B	Scheme	CBCS - 18
Date	09/12/2020	CIE No.	IA -II
Time	9:00-10:00 AM	Max. Marks	30


Course Outcome Statements : After the successful completion of the course, the students will be able to	
18CV35.1	Explain the fundamental concepts of surveying
18CV35.2	Apply the conventional and advanced methods for measuring horizontal distance
18CV35.3	Apply the concept of latitude and departure for the adjustment of compass closed traverse
18CV35.4	Predict the topography of the ground profile using the concepts of levelling and contours
18CV35.5	Solve two and three point problems in plane table surveying
18CV35.6	Compute areas and volumes for civil engineering projects

Note: ANSWER ANY ONE FULL QUESTION FROM EACH PART.

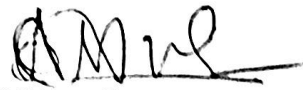
Q. No.	Questions	Marks	RBT Level	CO																						
Part -A																										
1a)	What are the different methods of plane table survey? Explain the intersection method of plane table surveying.	8	L2	5																						
1b)	List the advantages and disadvantages of plane table surveying. Mention the errors in plane table survey.	7	L2	5																						
OR																										
2a)	State three point problem in plane table survey. Explain Bessel's graphical solution for the three point problem.	8	L2	5																						
2b)	Define plane table surveying. Explain the accessories of a plane table survey.	7	L2	5																						
Part -B																										
3a)	Explain the general methods of Determining area	7	L2	6																						
3b)	<p>The following perpendicular offsets were taken from a chain line to hedge.</p> <table border="1" style="width: 100%; border-collapse: collapse; margin-bottom: 5px;"> <tr> <td style="width: 10%;">Chain age (M)</td> <td style="width: 5%;">0</td> <td style="width: 5%;">15</td> <td style="width: 5%;">30</td> <td style="width: 5%;">45</td> <td style="width: 5%;">60</td> <td style="width: 5%;">70</td> <td style="width: 5%;">80</td> <td style="width: 5%;">100</td> <td style="width: 5%;">120</td> <td style="width: 5%;">140</td> </tr> <tr> <td>Offsets (M)</td> <td>7.</td> <td>8.</td> <td>10.7</td> <td>12.8</td> <td>10.6</td> <td>9.5</td> <td>8.3</td> <td>7.9</td> <td>6.4</td> <td>4.4</td> </tr> </table> <p>Calculate the area between survey line, the hedge and end offsets by</p> <p>1) Trapezoidal rule</p> <p>2) Simpson's rule</p>	Chain age (M)	0	15	30	45	60	70	80	100	120	140	Offsets (M)	7.	8.	10.7	12.8	10.6	9.5	8.3	7.9	6.4	4.4	8	L3	6
Chain age (M)	0	15	30	45	60	70	80	100	120	140																
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OR																										
4a)	Explain the Different Characteristics of contours.	7	L2	6																						
4b)	<p>A Railway embankment 400 m long is 12m wide at the formation level and has side slope of 2 to 1. The ground levels at every 100 m along the centre line are as under</p> <table border="1" style="width: 100%; border-collapse: collapse; margin-bottom: 5px;"> <tr> <td style="width: 15%;">Distance</td> <td style="width: 15%;">0</td> <td style="width: 15%;">100</td> <td style="width: 15%;">200</td> <td style="width: 15%;">300</td> <td style="width: 15%;">400</td> </tr> <tr> <td>RL</td> <td>204.8</td> <td>206.2</td> <td>207.5</td> <td>207.2</td> <td>208.3</td> </tr> </table> <p>The formation level at zero chainage is 207.00 and the embankment has a rising gradient of 1 in 100. The ground is level across the centre line. Calculate the volume of earthwork.</p>	Distance	0	100	200	300	400	RL	204.8	206.2	207.5	207.2	208.3	8	L3	6										
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RBT (Revised Bloom's Taxonomy) Levels		
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CRAHU. M. E


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(HOD, Civil)

 Coordinator



Scheme of Valuation

Course/Subject Title	Basic surveying	Course/Subject Code	18CV35
Semester	III rd B.	CIE No.	02
Date	09/12/2020	Max. Marks	36

Q.	Solution	Marks
1(a)	<p>Part: A.</p> <p>Answer any one question from each part.</p> <p>Four methods of plane table surveying.</p> <ol style="list-style-type: none"> 1. Radiation method. 2. Intersection method. 3. Two point problem. 4. Three point problem. <p>Explanation with fig of Intersection method. fig - 7m Procedure - 5m</p>	8m
1(b)	<p>Advantages and Disadvantages.</p> <p><u>Advantages.</u></p> <ol style="list-style-type: none"> 1. Suitable for plotting small scale maps. 2. Since plotting is done in the field, field book is not required. 3. As the surveyor has full view of the details while plotting, the omission of any detail is avoided. 4. Instruments are simple and not much skill is required. 5. Plane table survey is generally more precise and less costly. 6. Plane table survey can be adopted even in mathematically distributed area where compass survey is not possible. 7. errors in measurement & plotting can be easily detected. <p><u>Disadvantages.</u></p> <ol style="list-style-type: none"> 1. Not very accurate. 2. Equipment is quite heavy. Surveyor has to carry several accessories. 3. Difficult to plot the plan to a different scale in field as details are not taken. 4. Plane table surveys are suitable for open country. 5. Sufficient practice is required to obtain an accurate plot. 6. Plane table survey is not possible in wet climates & high winds. 	3-5m

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Scheme of Valuation

Q.	Solution	Marks
25	<p>Three point Problem</p> <p>Statement: location of plane table station on temporary by means of observations to three well defined points, whose positions have been already plotted.</p> <p>h₁ with explanation</p> <p>Stationing 2m h₂ - 2m expansion 1m</p>	8m
26	<p>Plane table Surveying - definitions - 1m</p> <ol style="list-style-type: none"> 1. Alidade. 2. Plumbing Fork. 3. Level tube. 4. Trough compass. 5. Plane table with stand. with explanation <p>6m</p>	7m
27	<p>Part - B</p> <p>(a) By computations based directly on field measurements</p> <p>(b) By computation based on measured scaled from map</p> <p>(c) By mechanical method - planimeter</p> <p>(d) Simpson's rule $A = 1236.3 m^2$ $n = \frac{d(0 + 4a_1 + 2a_2 + \dots + 4a_{n-1} + a_n)}{3}$ (1m)</p> <p>(e) Trapezoidal rule $A = a_1 + a_2 + a_3 = 1219 m^2$ (1m)</p> <p>$A = (0 + 0 + 0 + \dots + 0 + n-1)d$</p> <p>Characteristics of contour</p> <p>Any \neq characteristics of contour with h₁ & h₂ = intersection, unity of contour, representation of hill, v-shape, 1 to 10 to line of steepest slope, U-shape.</p>	3m 3m 3m 1m 1m
28	<p>Trapezoidal rule</p> <p>$V = \frac{d}{3} (A_1 + A_n + 2(A_2 + A_3 + \dots + A_{n-1}))$</p> <p>$V = 14.137 m^3$ - 3m</p> <p>3m</p>	3m
29	<p>Volume of prismoidal rule</p> <p>$V = \frac{d}{3} [A_1 + A_n + 4(A_2 + A_4 + \dots + A_{n-1}) + 2(A_3 + A_5 + \dots + A_{n-2})]$</p> <p>$V = 14.581 m^3$ - 3m</p>	3m



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Department of Civil Engineering

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Course/Subject Title	Basic Surveying	Course/Subject Code	18CV35
Semester	III B	Scheme	CBCS - 18
Date	23/02/2021	CIE No.	IA - III
Time	9:00-10:00 AM	Max. Marks	30

Course Outcome Statements : After the successful completion of the course, the students will be able to	
18CV35.1	Explain the fundamental concepts of surveying
18CV35.2	Apply the conventional and advanced methods for measuring horizontal distance
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18CV35.6	Compute areas and volumes for civil engineering projects

Note: ANSWER ANY ONE FULL QUESTION FROM EACH PART.

Q. No.	Questions	Mar ks	RBT Level	CO																								
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2b)	Differentiate between Prismatic compass and surveyor compass.	7	L2	3																								
Part -B																												
3a)	Define the following terms a) Bench Mark b) Line of Collimation c) Back Sight c) Reduced Level	8	L2	4																								
3b)	The following readings were observed successively with a level, the instrument having been moved after third, sixth and eight reading. Enter the readings and calculate RL of points by Rise and Fall method. If first	7	L3	4																								




Note: ANSWER ANY ONE FULL QUESTION FROM EACH PART.


Q. No.	Questions	Marks	RBT Level	CO														
	readings was taken with a staff held on BM = 432.384m. Staff Readings 2.228, 1.606, 0.988, 2.090, 2.864, 1.262, 0.602, 1.982, 1.044 and 2.684																	
	OR																	
4a)	The following notes refer to reciprocal levelling taken with one level. <table border="1"><thead><tr><th rowspan="2">Instrument at</th><th colspan="2">Staff Reading on</th><th rowspan="2">Remarks</th></tr><tr><th>A</th><th>B</th></tr></thead><tbody><tr><td>A</td><td>1.824</td><td>2.748</td><td>Distance AB= 1010m</td></tr><tr><td>B</td><td>0.928</td><td>1.606</td><td>RL of A = 126.386m</td></tr></tbody></table>	Instrument at	Staff Reading on		Remarks	A	B	A	1.824	2.748	Distance AB= 1010m	B	0.928	1.606	RL of A = 126.386m	8	L3	4
Instrument at	Staff Reading on		Remarks															
	A	B																
A	1.824	2.748	Distance AB= 1010m															
B	0.928	1.606	RL of A = 126.386m															
4b)	Explain the effect of Curvature and refraction in levelling	7	L3	4														

RBT (Revised Bloom's Taxonomy) Levels

L1 : Remembering	L2 : Understanding	L3 : Applying
L4 : Analysing	L5 : Evaluating	L6 : Creating


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Scheme of Valuation

Course/Subject Title	Basic Surveying	Course/Subject Code	18CV35
Semester	III rd B	CIE No.	03
Date	23-02-2021	Max. Marks	30

Note: Answer any one full question from each part.

1
a

Ⓐ True meridian - The line passing through the geographical North pole, South pole and any point on the earth's surface is known as "True meridian".

01

True Bearing: The angle b/w true meridian and line is known as True Bearing.

01

Ⓑ Magnetic meridian: When a magnetic needle is suspended freely and balanced properly unobstructed by magnetic substances, it indicates "North-south direction", which is known as magnetic meridian.

01

Magnetic bearing: The angle b/w magnetic meridian and a line is called magnetic bearing.

01

Ⓒ Whole circle bearing The magnetic bearing of a line is measured clockwise from the north towards the line. Such a bearing may have any value b/w 0 to 360. It is measured by the instrument known as Prismatic compass.

01

Reduced bearing Ⓓ Quadrantal bearing: The magnetic bearing of a line is measured from clockwise Ⓔ anticlockwise from North Ⓕ South, which ever is nearer the line towards east Ⓖ west.

01

Ⓔ Pole bearing: The bearing of a line measured in the direction of progress of survey.

01

Back bearing: In the opposite direction to the progress of survey.

01

08 M

02

Angle $\hat{B} = 125^{\circ}30'$

$\hat{C} = 120^{\circ}30'$

$\hat{D} = 110^{\circ}15'$

$\hat{E} = 118^{\circ}15'$

$\hat{F} = 132^{\circ}45'$

$\hat{A} = 112^{\circ}45'$

Fig: 1

calculation = correct

7 M



Scheme of Valuation

29

Line	Length	Latitude	Departure	Collection to		Corrected	
				Latitude	Departure	Lat	Dep
AB	70	+21.50	-65.450	+0.032	-0.064	+21.57	-65.514
BC	80	-80.755	-5.250	+0.082	-0.073	-80.673	-5.323
CD	43	-41.00	+13.550	+0.044	-0.035	-40.956	+13.515
DE	38	-14.40	+38.180	+0.039	-0.027	-14.361	+38.153
EA	115	+114.150	+22.315	+0.118	-0.105	+114.268	+22.410
ΣL = 346		-0.355	+0.315	+0.355	-0.315	0	0

2b

Difference in prismatic compass and surveyor compass

∴ difference

7m

Part D

35

Each deflection corner 2m x 4 = 8m

8m

36

Station	BS	IS	FS	Rise	Fall	RL	Remarks
1	2.228			0		437.369	
2		1.606		0.622		433.406	
3	2.050		0.988	0.618		433.624	
4		2.864			0.774	432.850	
5	0.602		1.262	1.602		434.452	
6	1.044		1.982		1.380	433.072	
7			2.684		1.640	431.432	

$$\Sigma BS - \Sigma FS = \Sigma Rise - \Sigma Fall = \Sigma Lat + RL - Final RL$$

$$0.952 = 0.952 = 0.952$$

49

True Difference $h = \frac{(c_1 - b_1) + (c_2 - b_2)}{2} = -0.901m$

RL of B = RL of A + h = 426.386 + (-0.901) = 425.485m



Scheme of Valuation

Course/Subject Title		Course/Subject Code	
Semester		CIE No.	
Date		Max. Marks	

$$CCR = 0.067302 = 0.0673 \times \left(\frac{1010}{1000} \right)^2 = \underline{\underline{0.069m}}$$

error in collimation

$$c = e_L + e_C$$

$$e = - \left\{ \frac{a_1 - b_1 - (a_2 - b_2)}{2} \right\}$$

$$c = +0.123$$

$$0.123 + e_L + 0.069$$

$$e_L = +0.054m$$

Since +ve line of sight is inclined upwards.

$$\text{Angular error} = d = \tan^{-1} \left\{ \frac{e_L}{D} \right\}$$

$$\tan^{-1} \left\{ \frac{0.054}{1010} \right\} = 11''$$

Q5

curvature correction.

$$h^2 - 2m$$


$$CC = -0.078502$$

$$\text{Refraction correction } CR = 0.011202$$

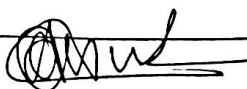
Combined curvature & refraction (CCR)

$$CCR = 0.078502 - 0.011202$$

$$\boxed{CCR = 0.067302}$$


PROFESSOR
Course Coordinator
(Faculty in Charge)
D.I.E.T., Davangere.


Coordinator
DQAC


Program Coordinator
(HOD, Civil)

CBCS SCHEME

USN

4BD20CV410

18CV35

Third Semester B.E. Degree Examination, Jan./Feb. 2021 Basic Surveying

Time: 3 hrs.

Max. Marks: 100

Note: Answer any FIVE full questions, choosing ONE full question from each module.

Module-1

- 1 a. Define surveying. Discuss the classification of surveying. (10 Marks)
b. What is ranging? Explain the indirect method for ranging with neat sketch. (08 Marks)
c. What is well conditioned triangle? (02 Marks)

OR

- 2 a. Write short notes on optical square and prism square. (06 Marks)
b. A big pond obstructs the chain line such that P and T are on the opposite sides of a pond and line PQ and PR were selected on the left hand side and Right hand side respectively. So that point Q, T and R were in straight line. Find length PT. Take PQ 150m, PR = 230m, QT = 75m, RT = 100m. (08 Marks)
c. Explain briefly chains on slopping ground by stepping method. (06 Marks)

Module-2

- 3 a. Differentiate between :
i) True meridian and magnetic meridian ii) Dip and declination iii) Agonic and isogonic lines. (06 Marks)
b. The following bearings were observed with compass. Calculate the interior angles and draw rough diagram.

Line	AB	BC	CD	DE	EA
Bearing	60°30'	122°0'	46°0'	205°30'	300°

- c. What is local attraction? How it is detected and eliminated? Also give the reason for it. (08 Marks)
(06 Marks)

OR

- 4 a. What is traversing? What are the different types of traversing? (04 Marks)
b. What is closing error? Explain the Bowditch rule of graphical adjustment with sketch. (08 Marks)
c. Following are the observed length and bearings of the lines of a closed traverse ABCDEA. The length and bearing of line EA emitted, calculate it.

Line	Length (m)	Bearings
AB	204	87°30'
BC	226	20°20'
CD	187	280°0'
DE	192	210°30'
EA	?	?

(08 Marks)

Important Note : 1. On completing your answers, compulsorily draw diagonal cross lines on the remaining blank pages.
2. Any revealing of identification, appeal to evaluator and /or equations written eg. 42+8 = 50, will be treated as malpractice.

Module-3

- 5 a. Explain the following terms. i) Elevation ii) Benchmark iii) Datum iv) Mean sea level. (04 Marks)
- b. What do you understand by balancing of sight? With figure explain how the errors are eliminated. (06 Marks)
- c. The following is the page of a level book. Find out the missing reading(X) and complete the level book. Apply usual arithmetical check.

Sl.No.	BS	IS	FS	HI	RL	Remark
1	4.000			X	X	
2		X			195.935	
3	2.150		3.995	X	X	
4		2.415			195.240	BM
5		1.665			X	
6		X			200.770	
7	3.610		X	X	X	
8			1.715		196.985	

(10 Marks)

OR

- 6 a. Write short notes on : i) Curvature and Refraction error ii) Barometric leveling and fly leveling iii) Collimation error and hypsometry. (06 Marks)
- b. Describe the procedure for reciprocal leveling with neat sketch. (06 Marks)
- c. The following observations were taken in reciprocal leveling. Determine the R.L of B if that of A is 100.150m. Also calculate the collimation error if $AB = 1000m$.

Inst. Station	Staff reading	
	A	B
A	1.625	2.545
B	0.725	1.405

(08 Marks)

Module-4

- 7 a. Describe briefly radiation method and intersection method of plane tabling. (10 Marks)
- b. Define two point problem. Explain the graphical method of solution of two point problem with figure. (10 Marks)

OR

- 8 a. Write short notes on : i) Orientation of plane table ii) Triangle of error iii) Alidade. (06 Marks)
- b. Discuss the temporary adjustments of plane table. (06 Marks)
- c. What are the advantages and disadvantages of plane table? (08 Marks)

Module-5

- 9 a. What is contour? What are the uses of contour lines? (08 Marks)
- b. A road embankment is 11m wide at the formation level and has side slope 1 : 2(V : H). The ground level at every 80m along centre line are shown in table. The formation level at zero chainage is 123.0 and embankment having a rising gradient 1 : 100 calculate the volume of earthwork by trapezoidal and primordial rule.

Dist.	0	80	160	240	320
RL	120.8	122.5	123.4	123.8	124.5

(12 Marks)

OR

- 10 a. Define the following terms : i) Contour interval ii) Interpolation of contour iii) Horizontal equivalent v) Contour gradient. (04 Marks)
- b. What is planimeter? Explain the polar planimeter along with essential parts. (12 Marks)
- c. Determine the area of plan from following data. Needle point out side plan. Zero of dial passed index mark once in clockwise direction : Initial reading = 8.364
Final reading = 4.234. (04 Marks)

CBCS SCHEME

USN

HBDOOCVA03

18CV35

Third Semester B.E. Degree Examination, Jan./Feb. 2021

Basic Surveying

Time: 3 hrs.

Max. Marks: 100

Note: Answer any FIVE full questions, choosing ONE full question from each module.

Module-1

- 1 a. Define surveying. Discuss the classification of surveying. (10 Marks)
b. What is ranging? Explain the indirect method for ranging with neat sketch. (08 Marks)
c. What is well conditioned triangle? (02 Marks)

OR

- 2 a. Write short notes on optical square and prism square. (06 Marks)
b. A big pond obstructs the chain line such that P and T are on the opposite sides of a pond and line PQ and PR were selected on the left hand side and Right hand side respectively. So that point Q, T and R were in straight line. Find length PT. Take PQ 150m, PR = 230m, QT = 75m, RT = 100m. (08 Marks)
c. Explain briefly chains on sloping ground by stepping method. (06 Marks)

Module-2

- 3 a. Differentiate between :
i) True meridian and magnetic meridian ii) Dip and declination iii) Agonic and isogonic lines. (06 Marks)
b. The following bearings were observed with compass. Calculate the interior angles and draw rough diagram.

Line	AB	BC	CD	DE	EA
Bearing	60°30'	122°0'	46°0'	205°30'	300°

- c. What is local attraction? How it is detected and eliminated? Also give the reason for it. (08 Marks)
(06 Marks)

OR

- 4 a. What is traversing? What are the different types of traversing? (04 Marks)
b. What is closing error? Explain the Bowditch rule of graphical adjustment with sketch. (08 Marks)
c. Following are the observed length and bearings of the lines of a closed traverse ABCDEA. The length and bearing of line EA emitted, calculate it.

Line	Length (m)	Bearings
AB	204	87°30'
BC	226	20°20'
CD	187	280°0'
DE	192	210°30'
EA	?	?

(08 Marks)

Important Note : 1. On completing your answers, compulsorily draw diagonal cross lines on the remaining blank pages.
2. Any revealing of identification, appeal to evaluator and/or equations written eg. 42+8 = 50, will be treated as malpractice.

Module-3

- 5 a. Explain the following terms. i) Elevation ii) Benchmark iii) Datum iv) Mean sea level. (04 Marks)
- b. What do you understand by balancing of sight? With figure explain how the errors are eliminated. (06 Marks)
- c. The following is the page of a level book. Find out the missing reading(X) and complete the level book. Apply usual arithmetical check.

Sl.No.	BS	IS	FS	HI	RL	Remark
1	4.000			X	X	
2		X			195.935	
3	2.150		3.995	X	X	
4		2.415			195.240	BM
5		1.665			X	
6		X			200.770	
7	3.610		X	X	X	
8			1.715		196.985	

(10 Marks)

OR

- 6 a. Write short notes on : i) Curvature and Refraction error ii) Barometric leveling and fly leveling iii) Collimation error and hypsometry. (06 Marks)
- b. Describe the procedure for reciprocal leveling with neat sketch. (06 Marks)
- c. The following observations were taken in reciprocal leveling. Determine the R.L of B if that of A is 100.150m. Also calculate the collimation error if $AB = 1000m$.

Inst. Station	Staff reading	
	A	B
A	1.625	2.545
B	0.725	1.405

(08 Marks)

Module-4

- 7 a. Describe briefly radiation method and intersection method of plane tabling. (10 Marks)
- b. Define two point problem. Explain the graphical method of solution of two point problem with figure. (10 Marks)

OR

- 8 a. Write short notes on i) Orientation of plane table ii) Triangle of error iii) Alidade. (06 Marks)
- b. Discuss the temporary adjustments of plane table. (06 Marks)
- c. What are the advantages and disadvantages of plane table? (08 Marks)

Module-5

- 9 a. What is contour? What are the uses of contour lines? (08 Marks)
- b. A road embankment is 11m wide at the formation level and has side slope 1 : 2(V : H). The ground level at every 80m along centre line are shown in table. The formation level at zero chainage is 123.0 and embankment having a rising gradient 1 : 100 calculate the volume of earthwork by trapezoidal and primordial rule.

Dist.	0	80	160	240	320
RL	120.8	122.5	123.4	123.8	124.5

(12 Marks)

OR

- 10 a. Define the following terms : i) Contour interval ii) Interpolation of contour iii) Horizontal equivalent v) Contour gradient. (04 Marks)
- b. What is planimeter? Explain the polar planimeter along with essential parts. (12 Marks)
- c. Determine the area of plan from following data. Needle point out side plan. Zero of dial passed index mark once in clockwise direction : Initial reading = 8.364
Final reading = 4.234. (04 Marks)

18

CBCS SCHEME

USN

LB 019 CV 006

18CV35

Third Semester B.E. Degree Examination, Jan./Feb. 2021 Basic Surveying

Time: 3 hrs.

Max. Marks: 100

Note: Answer any FIVE full questions, choosing ONE full question from each module.

Module-1

- 1 a. Define surveying. Discuss the classification of surveying. (10 Marks)
 b. What is ranging? Explain the indirect method for ranging with neat sketch. (08 Marks)
 c. What is well conditioned triangle? (02 Marks)

OR

- 2 a. Write short notes on optical square and prism square. (06 Marks)
 b. A big pond obstructs the chain line such that P and T are on the opposite sides of a pond and line PQ and PR were selected on the left hand side and Right hand side respectively. So that point Q, T and R were in straight line. Find length PT. Take PQ 150m. PR = 230m. QT = 75m. RT = 100m. (08 Marks)
 c. Explain briefly chains on slopping ground by stepping method. (06 Marks)

Module-2

- 3 a. Differentiate between :
 i) True meridian and magnetic meridian ii) Dip and declination iii) Agonic and isogonic lines. (06 Marks)
 b. The following bearings were observed with compass. Calculate the interior angles and draw rough diagram.

Line	AB	BC	CD	DE	EA
Bearing	60°30'	122°0'	46°0'	205°30'	300°

- c. What is local attraction? How it is detected and eliminated? Also give the reason for it. (08 Marks)
 (06 Marks)

OR

- 4 a. What is traversing? What are the different types of traversing? (04 Marks)
 b. What is closing error? Explain the Bowditch rule of graphical adjustment with sketch. (08 Marks)
 c. Following are the observed length and bearings of the lines of a closed traverse ABCDEA. The length and bearing of line EA emitted, calculate it.

Line	Length (m)	Bearings
AB	204	87°30'
BC	226	20°20'
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DE	192	210°30'
EA	?	?

(08 Marks)

Important Note : 1. On completing your answers, compulsorily draw diagonal cross lines on the remaining blank pages.
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Module-3

- 5 a. Explain the following terms. i) Elevation ii) Benchmark iii) Datum iv) Mean sea level. (04 Marks)
- b. What do you understand by balancing of sight? With figure explain how the errors are eliminated. (06 Marks)
- c. The following is the page of a level book. Find out the missing reading(X) and complete the level book. Apply usual arithmetical check.

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2		X			195.935	
3	2.150		3.995	X	X	
4		2.415			195.240	BM
5		1.665			X	
6		X			200.770	
7	3.610		X	X	X	
8			1.715		196.985	

(10 Marks)

OR

- 6 a. Write short notes on : i) Curvature and Refraction error ii) Barometric leveling and fly leveling iii) Collimation error and hypsometry. (06 Marks)
- b. Describe the procedure for reciprocal leveling with neat sketch. (06 Marks)
- c. The following observations were taken in reciprocal leveling. Determine the R.L of B if that of A is 100.150m. Also calculate the collimation error if AB = 1000m.

Inst. Station	Staff reading	
	A	B
A	1.625	2.545
B	0.725	1.405

(08 Marks)

Module-4

- 7 a. Describe briefly radiation method and intersection method of plane tabling. (10 Marks)
- b. Define two point problem. Explain the graphical method of solution of two point problem with figure. (10 Marks)

OR

- 8 a. Write short notes on : i) Orientation of plane table ii) Triangle of error iii) Alidade. (06 Marks)
- b. Discuss the temporary adjustments of plane table. (06 Marks)
- c. What are the advantages and disadvantages of plane table? (08 Marks)

Module-5

- 9 a. What is contour? What are the uses of contour lines? (08 Marks)
- b. A road embankment is 11m wide at the formation level and has side slope 1 : 2(V : H). The ground level at every 80m along centre line are shown in table. The formation level at zero chainage is 123.0 and embankment having a rising gradient 1 : 100 calculate the volume of earthwork by trapezoidal and primordial rule.

Dist.	0	80	160	240	320
RL	120.8	122.5	123.4	123.8	124.5

(12 Marks)

OR

- 10 a. Define the following terms : i) Contour interval ii) Interpolation of contour iii) Horizontal equivalent v) Contour gradient. (04 Marks)
- b. What is planimeter? Explain the polar planimeter along with essential parts. (12 Marks)
- c. Determine the area of plan from following data. Needle point out side plan. Zero of dial passed index mark once in clockwise direction : Initial reading = 8.364
Final reading = 4.234. (04 Marks)

Modified

GBCS SCHEME

USN

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18CV35

Third Semester B.E. Degree Examination, Dec.2019/Jan.2020 Basic Surveying

Time: 3 hrs.

Max. Marks: 100

Note: Answer any FIVE full questions, choosing ONE full question from each module.

Module-1

- 1 a. Define and explain plane and Geodetic surveying. (08 Marks)
b. Name and Explain important sources of Errors in surveying. (06 Marks)
c. Explain the terms Plans and Maps. Mention their application. (06 Marks)

OR

- 2 a. A field tape, standardized at 20°C measured 100.0056m. Determine the temperature at which it will be exactly of the nominal length of 100m. Take $\alpha = 11.2 \times 10^{-6}$ per °C. (06 Marks)
b. Name and explain the various instruments for chaining in surveying. (14 Marks)

Module-2

- 3 a. Distinguish between prismatic and surveyor's compass. (08 Marks)
b. Name and briefly explain temporary adjustments for prismatic compass. (06 Marks)
c. Define local attraction and explain the Elimination of local attraction in compass surveying. (06 Marks)

OR

- 4 a. Explain with sketches an open traverse and closed traverse. (06 Marks)
b. Determine the correct magnetic bearings of the liner. The following bearings were observed in running a closed traverse:

Line	F.B	B.B
AB	71° 05'	250° 20'
BC	110° 20'	292° 35'
CD	161° 35'	341° 45'
DE	220° 50'	40° 05'
EA	300° 50'	121° 10'

(14 Marks)

Module-3

- 5 a. Define leveling and explain it. (04 Marks)
b. Describe with neat sketch parts of dumpy level. (16 Marks)

OR

- 6 a. Explain the terms mentioning their purpose:
i) Station
ii) Back sight
iii) Turning point
iv) Height of Instruments.

(08 Marks)

- b. A level is set up on an extended line BA in a position 70m from A and 100m from B, reads 1.684m on a staff held at A and 2.122m on a staff held at B, the bubble having been carefully brought to the centre of its run before each reading. It is known that the reduced levels of the tops of the pegs at A and B are 89.62m and 89.222m respectively. Find:
- The Collimation error.
 - The Reading that would have been obtained had there been no Collimation error.
- (12 Marks)

Module-4

- 7 a. Explain the working operations of plane table. (06 Marks)
 b. Explain Radiation and Traversing methods of plane table surveying with sketches. (08 Marks)
 c. Describe with sketches two-point problem in plane table surveying. (06 Marks)

OR

- 8 a. Explain briefly Intersection and Resection Methods of plane table surveying with sketches. (10 Marks)
 b. Describe the different Errors in plane table surveying. (10 Marks)

Module-5

- 9 a. What are the General methods of determining Areas? (04 Marks)
 b. A series of offsets were taken from a Chain line to a curved boundary line at Intervals of 15 meters in the following order 0, 2.65, 3.8, 3.75, 4.65, 3.6, 4.95, 5.85m. Compute the area between the chain line, the curved boundary and the end offsets by
- Average ordinate rule
 - Trapezoidal rule
 - Simpson's rule.
- (16 Marks)

OR

- 10 a. Explain with sketch planimeter. (07 Marks)
 b. What are the methods of locating Contours in Surveying? (08 Marks)
 c. Explain the calculation of the volume of the capacity of a reservoir with any one relationship. (05 Marks)

* * * * *

Modified

GBGS SCHEME

18CV35

USN

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Third Semester B.E. Degree Examination, Dec.2019/Jan.2020 Basic Surveying

Time: 3 hrs.

Max. Marks: 100

Note: Answer any FIVE full questions, choosing ONE full question from each module.

Module-1

- 1 a. Define and explain plane and Geodetic surveying. (08 Marks)
- b. Name and Explain important sources of Errors in surveying. (06 Marks)
- c. Explain the terms Plans and Maps. Mention their application. (06 Marks)

OR

- 2 a. A field tape, standardized at 20°C measured 100.0056m. Determine the temperature at which it will be exactly of the nominal length of 100m. Take $\alpha = 11.2 \times 10^{-6}$ per °C. (06 Marks)
- b. Name and explain the various instruments for chaining in surveying. (14 Marks)

Module-2

- 3 a. Distinguish between prismatic and surveyor's compass. (08 Marks)
- b. Name and briefly explain temporary adjustments for prismatic compass. (06 Marks)
- c. Define local attraction and explain the Elimination of local attraction in compass surveying. (06 Marks)

OR

- 4 a. Explain with sketches an open traverse and closed traverse. (06 Marks)
- b. Determine the correct magnetic bearings of the liner. The following bearings were observed in running a closed traverse:

Line	F.B	B.B
AB	71° 05'	250° 20'
BC	110° 20'	292° 35'
CD	161° 35'	341° 45'
DE	220° 50'	40° 05'
EA	300° 50'	121° 10'

(14 Marks)

Module-3

- 5 a. Define leveling and explain it. (04 Marks)
- b. Describe with neat sketch parts of dumpy level. (16 Marks)

OR

- 6 a. Explain the terms mentioning their purpose:
 - i) Station
 - ii) Back sight
 - iii) Turning point
 - iv) Height of Instruments.

(08 Marks)

Important Note: 1. On completing your answers, upload your answers on the portal. 2. Any use of calculator and equations written on the remaining blank pages will be treated as malpractice.

- b. A level is set up on an extended line BA in a position 70m from A and 100m from B, reads 1.684m on a staff held at A and 2.122m on a staff held at B, the bubble having been carefully brought to the centre of its run before each reading. It is known that the reduced levels of the tops of the pegs at A and B are 89.62m and 89.222m respectively. Find:
- The Collimation error.
 - The Reading that would have been obtained had there been no Collimation error.
- (12 Marks)

Module-4

- 7 a. Explain the working operations of plane table. (06 Marks)
 b. Explain Radiation and Traversing methods of plane table surveying with sketches. (08 Marks)
 c. Describe with sketches two-point problem in plane table surveying. (06 Marks)

OR

- 8 a. Explain briefly Intersection and Resection Methods of plane table surveying with sketches. (10 Marks)
 b. Describe the different Errors in plane table surveying. (10 Marks)

Module-5

- 9 a. What are the General methods of determining Areas? (04 Marks)
 b. A series of offsets were taken from a Chain line to a curved boundary line at Intervals of 15 meters in the following order 0, 2.65, 3.8, 3.75, 4.65, 3.6, 4.95, 5.85m. Computer the area between the chain line, the curved boundary and the end offsets by
- Average ordinate rule
 - Trapezoidal rule
 - Simpson's rule.
- (16 Marks)

OR

- 10 a. Explain with sketch planimeter. (07 Marks)
 b. What are the methods of locating Contours in Surveying? (08 Marks)
 c. Explain the calculation of the volume of the capacity of a reservoir with any one relationship. (05 Marks)

* * * * *

RNS INSTITUTE OF TECHNOLOGY

(AICTE Approved, VTU Affiliated and NAAC 'A' Accredited)
U.G programs - CSE, ECE, ISE, EIE and EEE have been Accredited by NBA
for the Academic Years 2018-19, 2019-20 and 2020-21)
Channarayana, Dr. Vishnuvardhan Road, Bengaluru - 560 098
DEPARTMENT OF CIVIL ENGINEERING

From,
Chairman
BoE-CV/TR/EV 2019
VTU, Belagavi

Dated:09-01-2020

It is hereby informed that the Question Paper, Scheme and Solutions in the following subjects are found to be in order with a note on minor incorporations

SI No	Subject Code	Name of the Subject	Remarks
1	17CV561	Traffic Engineering	Question paper and Scheme is Found correct with a following note.: <i>All the answers shall be evaluated as per revised marks distribution shown in the scheme- totaling maximum of 20 marks per each module questions</i>
2	17CV_CT563	Remote Sensing and GIS	Question paper and Scheme Found Correct
3	18CV35	Basic Surveying	Question Paper and Scheme Found Correct with a following note: <i>All the answers shall be evaluated as per revised marks distribution shown in the scheme- totaling maximum of 20 marks per each module questions</i>

Thanking you


Dr. M T PRATHAP KUMAR
CHAIRMAN-2019-20
BOE-CV/CT/EV/(COMPOSITE)BOARD
Channarayana Technological University,
Belagavi-590 018.
Phone: 9741440958/9448667042

APPROVED


9/1/2020

Registrar (Evaluation)
Channarayana Technological University,
BELAGAVI-590 018

RNS INSTITUTE OF TECHNOLOGY

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3	18CV35	Basic Surveying	Question Paper and Scheme Found Correct with a following note: <i>All the answers shall be evaluated as per revised marks distribution shown in the scheme- totaling maximum of 20 marks per each module questions</i>

Thanking you


Dr. M T PRATHAP KUMAR
CHAIRMAN - 2019-20
BOE-CV/CT/EV/COMPOSITE BOARD
Vasvesvaraya Technological University,
Belagavi-590 018.
Phone: 9741440958/9446687042

APPROVED


9/1/2020

Registrar (Evaluation)

Vasvesvaraya Technological University
BELAGAVI - 18



Scheme & Solution

K.P. Nagaraj
Signature of Scrutinizer

Subject Title: Basic Surveying

Subject Code: 18CV35

Question Number	Solution	Marks Allocated
1.	<p style="text-align: center;"><u>module - 1</u></p> <p>a. Definition of plane Surveying - (2) (1) (2) Explanation (2) (3) (5) Definition of Geodetic Surveying - (2) (1) (3) Explanation - (2) (3) (5)</p> <p>b. a) Instrumental - } b) Personal - } Explanation c) Natural - } 2 marks each (6)</p> <p>c. Plans Explanation - (3) (2) (5) maps Explanation - (3) (2) (5) Application - (1) (1) (2) <div style="border: 1px solid black; display: inline-block; padding: 2px;">OR</div></p>	<p style="text-align: center; border: 1px solid black; width: 40px; margin: auto;">8</p> <p style="text-align: center; border: 1px solid black; width: 40px; margin: auto;">6</p> <p style="text-align: center; border: 1px solid black; width: 40px; margin: auto;">6</p>
2.	<p>a. Given $\delta l = 0.0056m$ $T_0 = 20^\circ C$.</p> <p>Std temp $T_0^\circ = T_0 \pm \frac{\delta l}{1d}$ → (2)</p> <p style="text-align: center;">$= 20 - \frac{0.0056}{100 \times 11.2 \times 10^{-6}}$</p> <p style="text-align: center;">$= 20 - 5^\circ = 15^\circ C$ (4)</p> <p>b.</p> <ol style="list-style-type: none"> 1. Chain or tape (5) 2. Arrows (5) offset rods 3. pegs (6) plastered lams and whites 4. Ranging rods (7) plumb bob exp each (2) 	<p style="text-align: center; border: 1px solid black; width: 40px; margin: auto;">6</p> <p style="text-align: center; border: 1px solid black; width: 40px; margin: auto;">14</p>

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[Signature]

Registrar (Evaluation)
Visvesvaraya Technological University
BELAGAVI - 590018

Subject Title :

Subject Code :

Question Number	Solution	Marks Allocated
3.	<p style="text-align: center;"><u>module - 2</u></p> <p>a. Any ⁶ differences $\times \frac{1}{2}$ ² marks each (8)</p> <p>b. Centring levelling Focusing the prism } $\times 2$ marks (6)</p> <p>c. Definition of local attraction - (2) First method \rightarrow (2) (6) Second method \rightarrow (2) (6)</p> <p style="text-align: center;">6R</p>	
4.	<p>a. errors may be classified as ^{open traverse - (3)} ^{closed traverse - (3)} (1) instrumental (2) personal (3) natural (6)</p> <p>b. By inspection CD differ $+18'$ (2) Corrected F.B of LD = $161^\circ 40'$ Corrected B.B of CD = $341^\circ 40'$ (2) Sum = $541^\circ 15'$ Diff $18^\circ 0'$ (2) (14)</p> <p>$\angle ABC = 139^\circ 45'$ $\angle BCD = 138^\circ 45'$ $\angle CDE = 120^\circ 40'$ (8) $\angle DEA = 99^\circ 00'$ $\angle EAB = 49^\circ 50'$</p> <p style="text-align: right;">Corrected for Catch angle = $-15'$ (2)</p> <p style="text-align: right;">Tabular Column showing corrected bearings of each line \rightarrow (8)</p> <p>Sum $540^\circ 00'$ check - (4)</p>	

Question Number	Solution	Marks Allocated
5	<p style="text-align: center;"><u>Module - 3</u></p> <p>a) Definition — (2) Explain — (2)</p> <p>b) Describe with neat Sketch of dumpy level Sketch — (6) marks Parts — (10) marks.</p> <p style="text-align: center;"><u>OR</u></p>	<p>(1)</p> <p>(16)</p>
6	<p>a. Station Back Sight Tiding point Height of Instrument</p> <p style="text-align: right;">} A x 2 purpose & Explanation</p> <p>b. Exact diff in elevation in B & A $= 89.62 - 89.222 = 0.398 \text{ m}$ (2)</p> <p>As per observations, difference in elevation $= 2.122 - 1.684 = 0.438 \text{ m}$ (2)</p> <p>$\alpha = 4'34''$ upwards (1)</p> <p>Exact heading no collimation error</p> <p>At A = 1.591 m (1) At B = 1.989 m (1)</p> <p>So that the true difference in elevation = $1.989 - 1.591 = 0.398 \text{ m}$ (2)</p>	<p>(8)</p> <p>(2)</p> <p>(12)</p>

b) a) By average ordinate rule

$$\Delta = \frac{L}{h+1} \{O\} = \underline{383.91 \text{ m}^2} \quad (5)$$

b) By trapezoidal rule

$$\Delta = \left(\frac{O_0 + O_n}{2} + O_1 + O_2 + \dots + O_{n-1} \right) d$$

$$\Delta = \underline{394.87 \text{ m}^2} \quad (6)$$

c) By Simpson's rule

$$\Delta = d/3 \left[(O_0 + O_n) + 4(O_1 + O_3 + \dots + O_{n-1}) + 2(O_2 + O_4 + \dots + O_{n-2}) \right]$$

$$\Delta = \underline{390.25 \text{ m}^2} \quad (5)$$

OR

10. a.

plainimeter with sketch - (4)

Explanation. - (3)

b. 1) Direct method. → (4)

2) Indirect method → (4)

c) Explain the calculation of the

Volume of the capacity of a reservoir with any one relationship with any one trapezoidal formula

Sketch + formula (5)

OR
prismoidal rule with strip

Module - 9

COMPASS SURVEYING

Meridians and Bearings.

A meridian & a fixed line of reference, from which the angles of lines are measured. The angle made by the line with reference to a meridian & called the "bearing" of the line. There are three types of meridians and bearings. They are

1. True meridian and True bearing
2. Magnetic meridian and magnetic bearing
3. Arbitrary meridian and arbitrary bearing.

The line passing through the geographical North pole, South pole and any point on the earth's surface is known as "True meridian", which is constant at a station. True meridians through different points on the earth's surface converge towards the poles. The angle between true meridian and a line is known as "True bearing" or "Azimuth".

When a magnetic needle is suspended freely and balanced properly, unaffected by magnetic substances, it indicates "North-South" direction, which is known as "magnetic meridian". The angle between magnetic meridian and a line is called "magnetic bearing".

Some times, a convenient direction is selected as a meridian for the survey of a small area. This arbitrarily selected direction is known as the "Arbitrary meridian". The angle between the arbitrary meridian and a line is known as "arbitrary bearing".

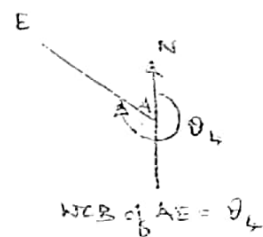
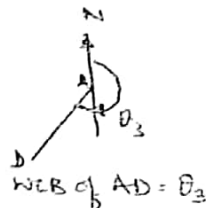
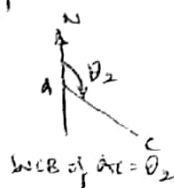
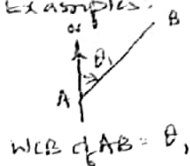
Designation of magnetic bearing:

The magnetic bearings are designated by the following two systems.

1. Whole Circle Bearing (WCB) system.
- and 2. Quadrantal Bearing (QB) system

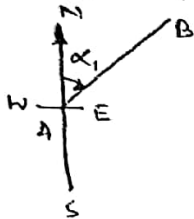
1. WCB System: In this system, the magnetic bearing of a line is "measured for north clockwise from the north towards the line". Such a bearing may have any value between 0° and 360° . It is measured by the instrument known as "Prismatic Compass".

Examples:

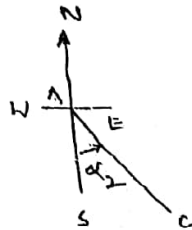


2. QB System. In this the magnetic bearing of a line is "measured clockwise or counterclockwise from North or South which ever is nearer the line towards East or West". The four quadrants adopted in this system are North-East (NE), South-East (SE), South-West (SW) and North-West (NW). The value of a quadrantal bearing lies between 0° and 90° , but the quadrant should always be specified. Quadrantal bearings are measured with "Surveyors Compass".

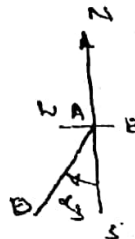
Examples:



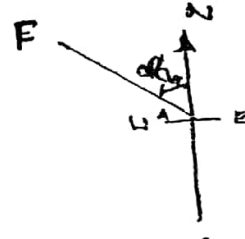
Q.B of AB = $N\alpha_1 E$



Q.B of AC = $S\alpha_2 E$



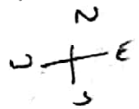
Q.B of AB = $S\alpha_3 W$



Q.B of AF = $N\alpha_4 W$

Note: 1. The following table is useful to convert QB to WCB:

QB	WCB
$N\alpha_1 E$	$\theta_1 = \alpha_1$
$S\alpha_2 E$	$\theta_2 = 180 - \alpha_2$
$S\alpha_3 W$	$\theta_3 = 180 + \alpha_3$
$N\alpha_4 W$	$\theta_4 = 360 - \alpha_4$



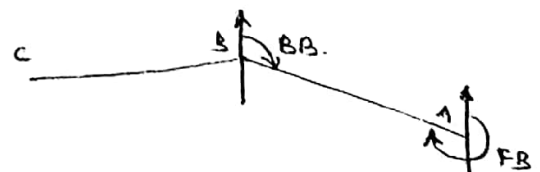
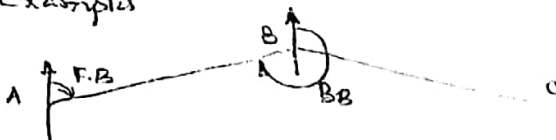
2. The above table is also helpful to convert WCB to QB.

The WCB when converted to QB is also known as "Reduced Bearing" (RB)

Fore Bearing and Back Bearing:

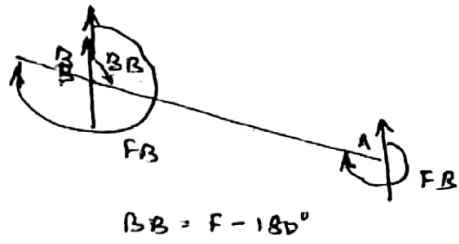
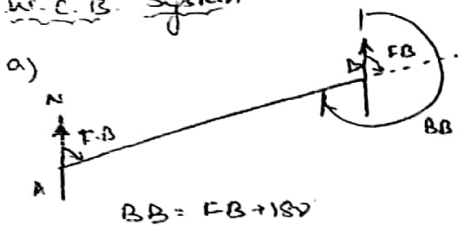
The bearing of a line measured in the direction of progress of survey is called "Fore Bearing" (FB) of the line. When the bearing of a line is measured in the ~~direction~~ direction, opposite to the progress of survey, it is called "Back Bearing" (BB) of the line.

Examples



Relationship between FB and BB

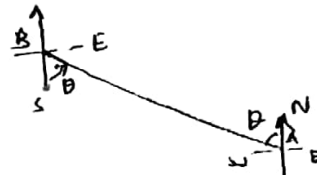
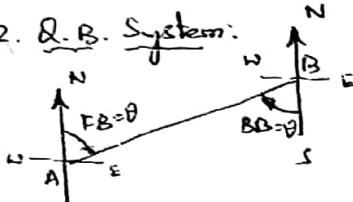
1. W.C.B. System



$$BB = FB \pm 180^\circ$$

Use + When $FB < 180^\circ$ and
- When $FB > 180^\circ$

2. Q.B. System:



FB of AB = NAE
BB of AB = SBE
(Change to diagonally opposite segment)

FB of AB = NAW
BB of AB = SBE
(Change to diagonally opposite segment)

Magnitude of angle is same but quadrant changes

Examples:

1. Convert the following QB of line to W.C.B.

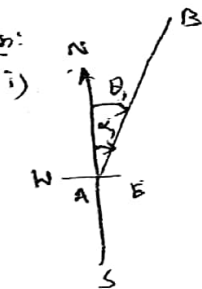
i) $AB = N26^\circ 45' E$

ii) $BC = S43^\circ 30' E$

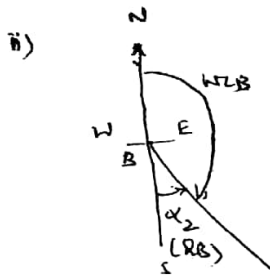
iii) $CD = S36^\circ 30' W$

iv) $DE = N40^\circ 15' W$

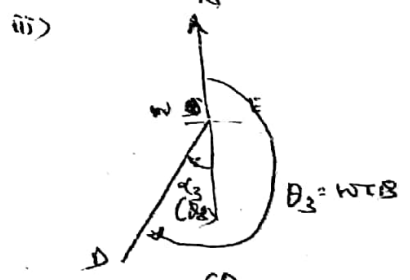
Soln:



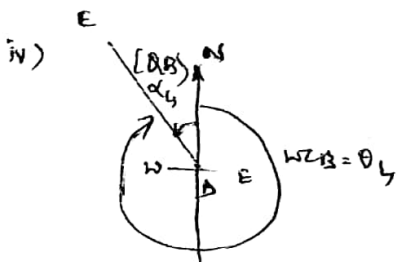
WCB of AB = QB of AB
 $= 26^\circ 45'$



WCB of BC = $180 - \alpha_2$
 $= 180 - 43^\circ 30'$
 $= 136^\circ 30'$



WCB of CD = $180 + \alpha_3$
 $= 180 + 36^\circ 30'$
 $= 216^\circ 30'$

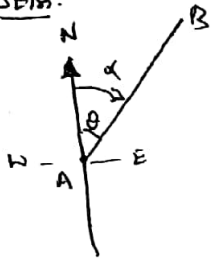


WCB of DE = $360 - \alpha_4$
 $= 360 - 40^\circ 15'$
 $= 319^\circ 45'$

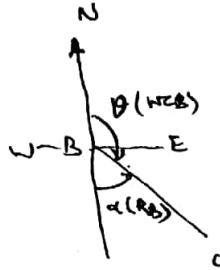
2. Convert the following NCB to RB (or RB)

- i) $AB = 45^\circ 30'$ ii) $BC = 125^\circ 45'$ iii) $CD = 222^\circ 15'$ and iv) $DE = 320^\circ 30'$

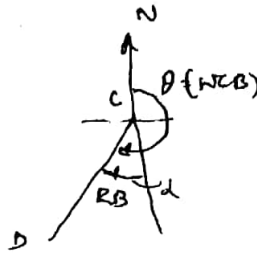
Soln:



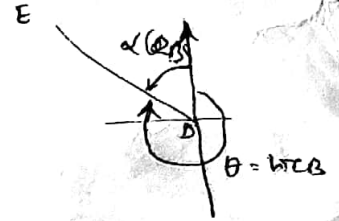
$$\text{RB of } AB = N \theta E \\ = N 45^\circ 30' E$$



$$\text{RB of } BC = S(180 - \theta)E \\ = S 54^\circ 15' E$$



$$\text{RB of } CD = S(\theta - 180)W \\ = S 42^\circ 15' W$$



$$\text{RB of } DE = (360 - \theta)W \\ = N 39^\circ 30' W$$

3. Find the back bearing of the following lines given that the fore bearing of

- i) $AB = 60^\circ 45'$ ii) $BC = 145^\circ 15'$ iii) $CD = 210^\circ 30'$ and $DE = 310^\circ 30'$

Soln: ~~BB of a line~~ = FB of that line ± 180 + taken FB < 180 and
- when FB > 180

(i) BB of $AB = 60^\circ 45' + 180 = 240^\circ 45'$

(ii) BB of $BC = 145^\circ 15' + 180 = 325^\circ 15'$

(iii) BB of $CD = 210^\circ 30' - 180 = 30^\circ 30'$

(iv) BB of $DE = 310^\circ 30' - 180 = 130^\circ 30'$

4. Find the Back Bearing of the following lines given that the fore bearing of

- i) $AB = N 45^\circ 30' E$ ii) $BC = S 30^\circ 30' E$ iii) $CD = S 60^\circ 15' W$ iv) $DE = N 40^\circ 30' W$

Soln: In RB System, the magnitude of BB is equal to the magnitude of FB
But N is replaced with S and Vice Versa
E is replaced with W and Vice Versa.

BB of $AB = S 45^\circ 30' W$

BB of $BC = N 30^\circ 30' W$

BB of $CD = N 60^\circ 15' E$

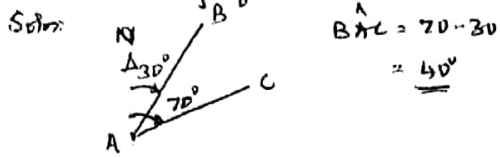
BB of $DE = S 40^\circ 30' E$

CALCULATION OF ANGLES FROM BEARINGS:

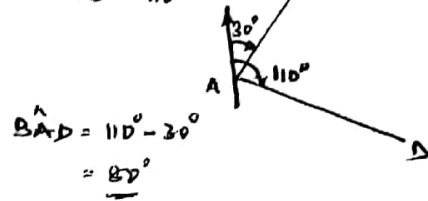
(Analysis is based on the sketches drawn with concept of definition)

1. Compute the angles for the following cases.

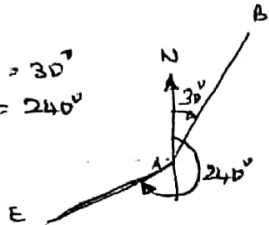
Case (i) Bearing of AB = 30°
Bearing of AC = 70°



Case (ii) AB = 30°
AD = 110°

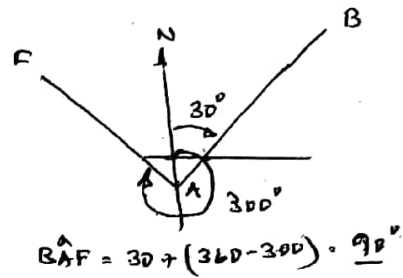


(iii) AB = 30°
AE = 240°

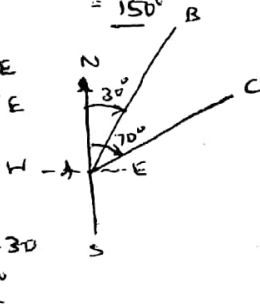


If included angle is required
 $\hat{BAE} = 360 - 210$
 $= 150^\circ$

(iv) AB = 30°
AF = 300°

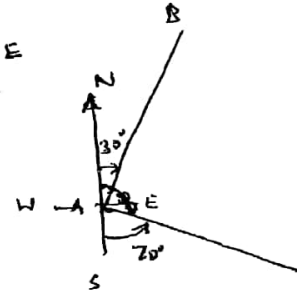


(v) AB = $N 30^\circ E$
AC = $N 70^\circ E$

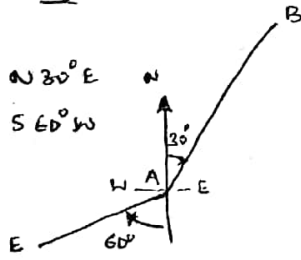


(vi) AB = $30^\circ N 30^\circ E$
AD = $S 70^\circ E$

$\hat{BAD} = 180 - 30 - 70$
 $= 80^\circ$

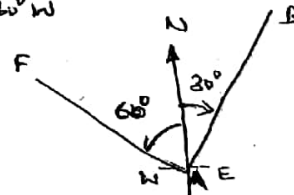


(vii) AB = $N 30^\circ E$
AE = $S 60^\circ W$



\hat{BAE} (Int) = $360 - 210 = 150^\circ$

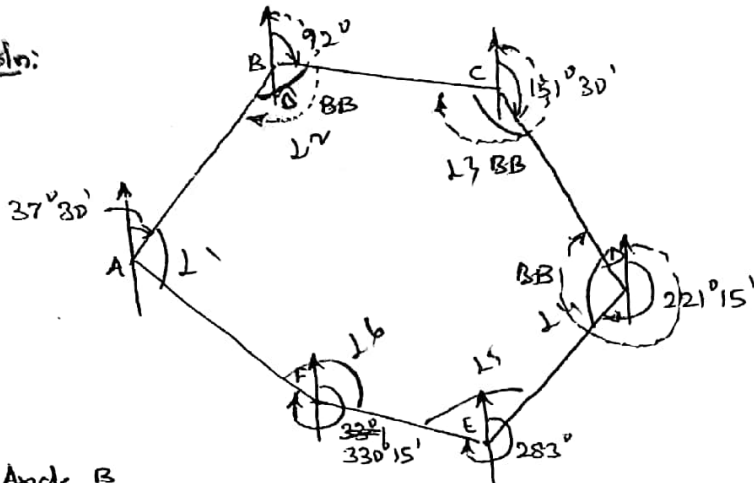
(viii) AB = $N 30^\circ E$
AF = $N 60^\circ W$



2. The following are the bearings of a closed traverse using a prismatic compass. Compute the included angles. Is there any error in the measurement of bearings.

Line	AB	BC	CD	DE	EF	FA
Bearings	$37^\circ 30'$	92°	$151^\circ 30'$	$221^\circ 15'$	283°	$330^\circ 15'$

Soln:



Angle B

Line AB : FB = $37^\circ 30'$; BB = $37^\circ 30' + 180 = 217^\circ 30'$
 BC : FB = 92°

Previous
(Preceding line)
(Next line)

$\therefore \hat{B} = \text{BB of AB} - \text{FB of BC} = 217^\circ 30' - 92^\circ = \underline{125^\circ 30'}$

Angle C

Line BC : FB = 92° ; BB = $92 + 180 = 272^\circ$

CD : FB = $151^\circ 30'$

$\therefore \hat{C} = \text{BB of BC} - \text{FB of CD} = 272^\circ - 151^\circ 30' = \underline{120^\circ 30'}$

Angle D

Line CD : FB = $151^\circ 30'$; BB = $151^\circ 30' + 180 = 331^\circ 30'$

DE : FB = $221^\circ 15'$

$\therefore \hat{D} = 331^\circ 30' - 221^\circ 15' = \underline{110^\circ 15'}$

Angle E

Line DE : FB = $221^\circ 15'$; BB = $221^\circ 15' - 180 = 41^\circ 15'$

EF : FB = 283°

$\hat{E} = 41^\circ 15' - 283^\circ = -241^\circ 45'$ (Incorrectly determined)

$\therefore \text{Interior angle } \hat{E} = -241^\circ 45' + 360 = \underline{118^\circ 15'}$

Angle F

Line EF : FB = 283° ; BB = $283 - 180 = 103^\circ$

FA : FB = $330^\circ 15'$

$\therefore \hat{F} = 103^\circ - 330^\circ 15' = -227^\circ 15'$ (Error)

$\therefore \hat{F} = 360 - 227^\circ 15' + 360 = \underline{132^\circ 45'}$

Angle A

Line FA : FB = $330^\circ 15'$; BB = $330^\circ 15' - 180 = 150^\circ 15'$

AB : FB = $37^\circ 30'$

$\therefore \hat{A} = 150^\circ 15' - 37^\circ 30' = \underline{112^\circ 45'}$

Rule to calculate angles in clockwise traverse:

Angle = BB of Preceding line - FB of following or next line

of negative add 360°

If there is no error, in the observation of bearings, the sum of included angles must be equal to $[(2n-4) \times 90]$ where n = no. of sides.

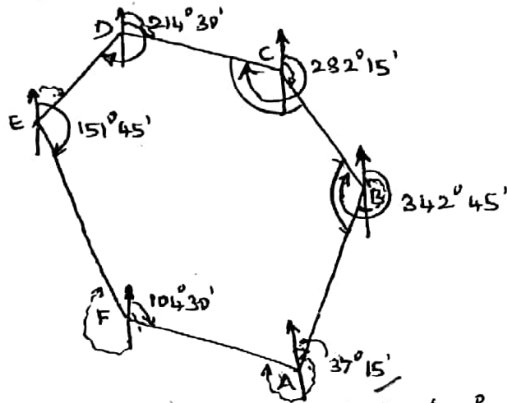
Here $\text{Sum} = \hat{A} + \hat{B} + \hat{C} + \hat{D} + \hat{E} + \hat{F} = 720^\circ$

$(2n-4) \times 90 = (2 \times 6 - 4) \times 90 = 720^\circ \therefore \text{O.K. \& no error in bearing observation.}$

3). The following are the bearings of a closed traverse. Compute the included angles and the sum of interior angles. If there is any error, correct the interior angles assuming the error to be equal in all the angles.

Line	AB	BC	CD	DE	EF	FA
Bearings	37°15'	342°45'	282°15'	214°30'	151°45'	104°30'

Soln:



$$\hat{B} = \text{FB of BC} - \text{BB of AB} = 342^\circ 45' - (37^\circ 15' + 180^\circ) = \underline{125^\circ 30'}$$

$$\hat{C} = \text{FB of CD} - \text{BB of BC} = 282^\circ 15' - (342^\circ 45' - 180^\circ) = \underline{119^\circ 30'}$$

$$\hat{D} = \text{FB of DE} - \text{BB of CD} = 214^\circ 30' - (282^\circ 15' - 180^\circ) = \underline{112^\circ 15'}$$

$$\hat{E} = \text{FB of EF} - \text{BB of DE} = 151^\circ 45' - (214^\circ 30' - 180^\circ) = \underline{117^\circ 15'}$$

$$\begin{aligned} \hat{F} &= \text{FB of FA} - \text{BB of EF} = 104^\circ 30' - (151^\circ 45' + 180^\circ) = \\ &= -227^\circ 15' \text{ (Set)} \\ &= -227^\circ 15' + 360^\circ = \underline{132^\circ 45'} \end{aligned}$$

$$\begin{aligned} \hat{A} &= \text{FB of AB} - \text{BB of FA} = 37^\circ 15' - (104^\circ 30' + 180^\circ) = \\ &= -247^\circ 15' \text{ (Set)} \\ &= -247^\circ 15' + 360^\circ = \underline{112^\circ 45'} \end{aligned}$$

$$\text{Sum of all the interior angles} = \hat{A} + \hat{B} + \hat{C} + \hat{D} + \hat{E} + \hat{F}$$

$$= 720^\circ$$

$$(2n-4) \times 90 = (2 \times 6 - 4) \times 90 = 720^\circ \therefore \text{OK (No error)}$$

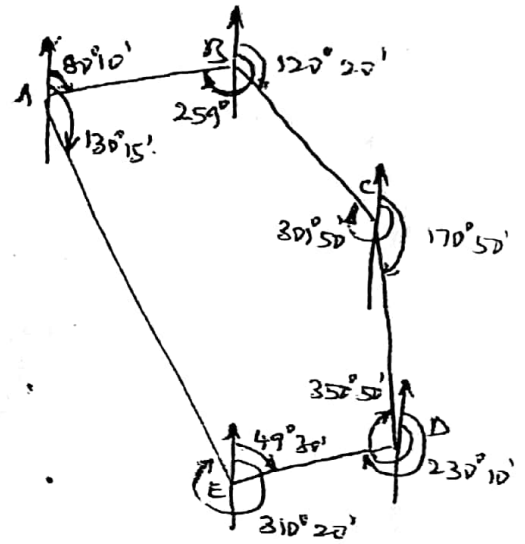
Rule for calculating angles in counterclockwise traverse

$$\text{Angle} = \text{F.B of next line} - \text{B.B of previous line}$$

If negative add 360°

4) The following are the bearings taken in a closed traverse. Compute the interior angles. Find the sum of the interior angles and correct for observational errors assuming the error to be equal in all the angles.

Line	F.B.	B.B.	Soln:
AB	$80^{\circ}10'$	$259^{\circ}00'$	
BC	$120^{\circ}20'$	$301^{\circ}50'$	
CD	$170^{\circ}50'$	$350^{\circ}50'$	
DE	$230^{\circ}10'$	$49^{\circ}30'$	
EA	$310^{\circ}20'$	$130^{\circ}15'$	



$$120^{\circ}20' - (259^{\circ} - 180^{\circ})$$

$$\hat{B} = 259^{\circ}00' - 120^{\circ}20' = 138^{\circ}40'$$

$$\hat{C} = 301^{\circ}50' - 170^{\circ}50' = 131^{\circ}00'$$

$$\hat{D} = 350^{\circ}50' - 230^{\circ}10' = 120^{\circ}40'$$

$$\hat{E} = (49^{\circ}30' - 310^{\circ}20') + 360^{\circ} = 99^{\circ}10'$$

$$\hat{A} = 130^{\circ}15' - 80^{\circ}10' = 50^{\circ}05'$$

$$\text{Sum} = 539^{\circ}35'$$

F.B. AB = $80^{\circ}10'$
B.B. EA

For pentagon the sum should be $(2 \times 5 - 4) \times 90 = 540^{\circ}$

\therefore Error = Observed Value - Actual Value

$$= 539^{\circ}35' - 540^{\circ}00'$$

$$= -25'$$

\therefore Correction = $+25'$

This is divided equally among all the FIVE angles.

\therefore Correction per angle = $+\left(\frac{25}{5}\right) = +5'$

\therefore Corrected angles are

$$\hat{B} = 138^{\circ}40' + 5 = 138^{\circ}45'$$

$$\hat{C} = 131^{\circ}00' + 5 = 131^{\circ}05'$$

$$\hat{D} = 120^{\circ}40' + 5 = 120^{\circ}45'$$

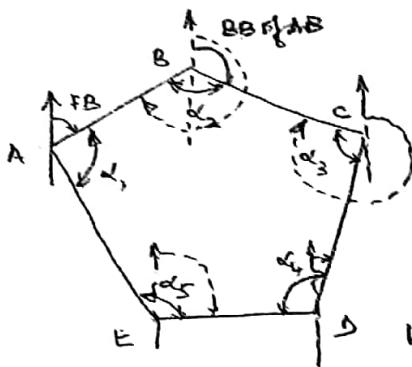
$$\hat{E} = 99^{\circ}10' + 5 = 99^{\circ}15'$$

$$\hat{A} = 50^{\circ}05' + 5 = 50^{\circ}10'$$

$$\Sigma = 540^{\circ} \therefore \text{ok.}$$

Computation of bearings of lines of a closed traverse, given the bearing of one of the lines

Case 1 Clockwise traverse:



Given: FB of AB

Angles $\alpha_1, \alpha_2, \alpha_3, \alpha_4$ and α_5

Reqd: F.B of
 i) BC
 ii) CD
 iii) DE
 iv) EA

FB of BC = BB of AB - α_2

ii) FB of CD = BB of BC - α_3

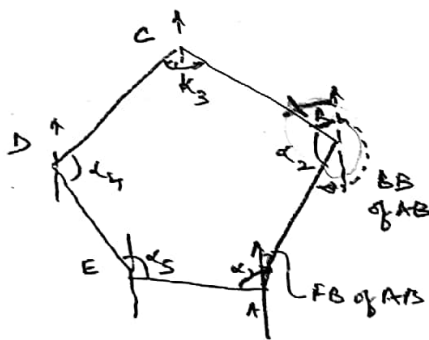
FB of DE = BB of CD - α_4
 = -ve Hence Add 360°

FB of EA = BB of DE - α_5
 = -ve Hence add 360°

Check: FB of AB = BB of EA - α_1

Rule: F.B of next line = B.B of previous line - Included angle
 if -ve, add 360°

Case 2 Counter Clockwise traverse:



Given: FB of AB

Angles $\alpha_1, \alpha_2, \alpha_3, \alpha_4$ and α_5

Reqd: FB of
 i) BC
 ii) CD
 iii) DE
 iv) EA

FB of BC = BB of AB + α_2

ii) FB of CD = BB of BC + α_3

FB of DE = BB of CD + α_4

FB of EA = BB of DE + α_5

Check: FB of AB = BB of EA + α_1

> 360° ∴ Subtract 360°

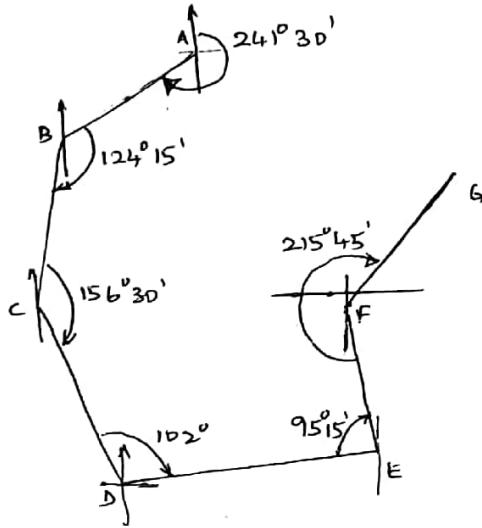
> 360° ∴ Subtract 360°

Rule: FB of next line = BB of Previous line + Included angle
 if more than 360°, Subtract 360°

Ex. 1: The following angles were observed in the ^{Anti} clockwise direction in an open traverse.

$\angle ABC = 124^\circ 15'$; $\angle BCD = 156^\circ 30'$; $\angle CDE = 102^\circ$; $\angle DEF = 95^\circ 15'$; $\angle EFG = 215^\circ 45'$
 The magnetic bearing of the line AB was $241^\circ 30'$. Find the bearing of the other lines.

Soln:



Angle = FB of next line - BB of previous line
 B.B of next line = Angle + BB of previous line

Soln: Traverse is ^{anti} clockwise

\therefore FB of next line = BB of Previous line + Angle if more than 360°
 Subtract 360° :

$$\text{FB of BC} = (\text{BB of AB} + \text{Angle}) - 360^\circ = (241^\circ 30' - 180^\circ) + 124^\circ 15' = \underline{185^\circ 45'}$$

$$\text{FB of CD} = \text{BB of BC} + \text{Angle} = (185^\circ 45' - 180^\circ) + 156^\circ 30' = \underline{162^\circ 15'}$$

$$\text{FB of DE} = \text{BB of CD} + \text{Angle} = [(162^\circ 15' + 180^\circ) + 102^\circ] - 360^\circ = \underline{84^\circ 15'}$$

$$\text{FB of EF} = \text{BB of DE} + \text{Angle} = (84^\circ 15' + 180^\circ) + 95^\circ 15' = \underline{359^\circ 30'} \quad 35^\circ 30'$$

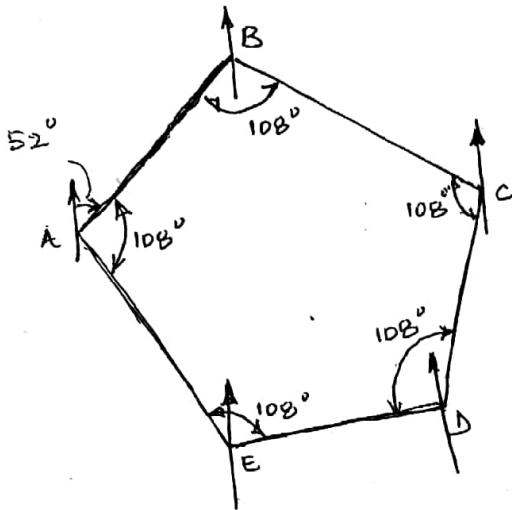
$$\text{FB of FG} = \text{BB of EF} + \text{Angle} = [(359^\circ 30' - 180^\circ) + 215^\circ 45'] - 360^\circ = \underline{34^\circ 45'} \quad 35^\circ 15'$$

Ex: 2: Find the bearings of the lines of a regular pentagon in clockwise direction, if the bearing of the first line is 52° .

Soln: Let ABCDE be the pentagon in clockwise direction (Ref. fig)

The interior angle of pentagon is

$$= \frac{(2n-4) \times 90}{n} = \frac{(2 \times 5 - 4) \times 90}{5} = \underline{108^\circ}$$



$$\begin{aligned} \text{FB of BC} &= \text{BB of AB} - \text{Angle} \\ &= (52^\circ + 180^\circ) - 108^\circ = 124^\circ \end{aligned}$$

$$\begin{aligned} \text{FB of CD} &= \text{BB of BC} - \text{Angle} \\ &= (124^\circ + 180^\circ) - 108^\circ = 196^\circ \end{aligned}$$

$$\begin{aligned} \text{FB of DE} &= \text{BB of CD} - \text{Angle} \\ &= [(196^\circ - 180^\circ) - 108^\circ] + 360^\circ = 268^\circ \end{aligned}$$

$$\begin{aligned} \text{FB of EA} &= \text{BB of DE} - \text{Angle} \\ &= [(268^\circ - 180^\circ) - 108^\circ] + 360^\circ = 340^\circ \end{aligned}$$

$$\begin{aligned} \text{Check: FB of AB} &= \text{BB of EA} - \text{Angle} \\ &= (340^\circ - 180^\circ) - 108^\circ = 52^\circ \quad \therefore \text{OK} \end{aligned}$$

3) Compute the bearings of a regular hexagon ABCDEF in anticlockwise direction, given the bearing of AB = 50° .

$$\text{Soln: Interior angle} = \frac{(2 \times 6 - 4) \times 90}{6} = 120^\circ$$

$$\text{Bearing of BC} = (50 + 180) + 120 = 350^\circ$$

$$\text{Bearing of CD} = (350 - 180) + 120 = 290^\circ$$

$$\text{Bearing of DE} = (290 - 180) + 120 = 230^\circ$$

$$\text{Bearing of EF} = (230 - 180) + 120 = 170^\circ$$

$$\text{Bearing of FA} = [(170 + 180) + 120] - 360 = 110^\circ$$

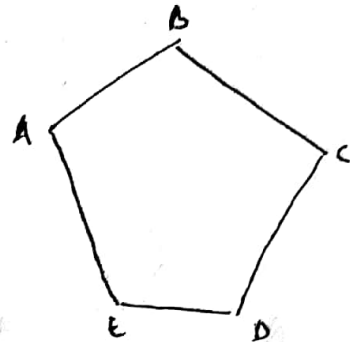
$$\text{Check: Bearing of AB} = [(110^\circ + 180^\circ) + 120] - 360 = 50^\circ \quad \therefore \text{OK}$$

TRAVERSE:

Traverse means, determining the length and ^{direction} ~~direction~~ of consecutive lines. In ^{comparative} ~~comparative~~ surveying, traverse, the linear measurements are made with a chain or tape and the directions are made with a compass. There are two types of traverses. They are 1) Closed traverse.

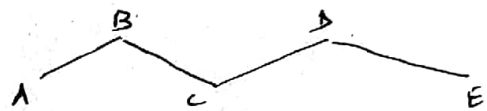
and 2) Open traverse.

1) Closed traverse: A traverse, when returned to the starting point is known as 'closed traverse'. This is commonly used for locating boundary of an area or determining the area of the boundary, or mapping of an area etc.



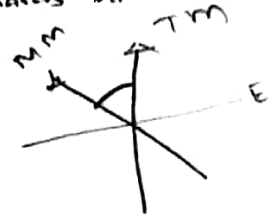
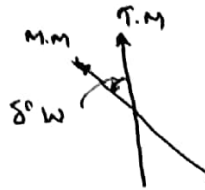
A closed traverse can be checked and adjusted.

2) Open traverse: When a traverse does not return to its starting point, it is known as "open traverse". This type is used for surveying long narrow strips like the paths of highway, railway etc.



An open traverse cannot be checked.

Magnetic Declination: Magnetic declination is the horizontal angle between the true meridian and the magnetic meridian. If magnetic meridian is towards the East of true meridian, it is "Eastern declination" and if towards the West of true meridian, it is "Western declination".



T.M.: True Meridian ; M.M.: Magnetic Meridian

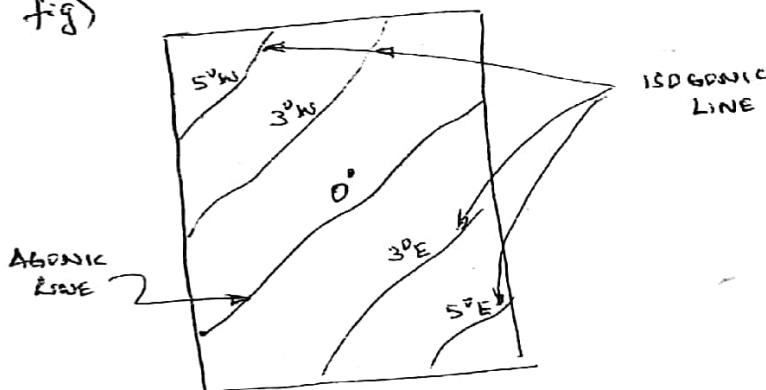
δ = Declination, E = East ; W = West.

The magnetic declination at a place is not constant. It varies due to

- i) rotation of earth along its elliptical path (1'-2')
- ii) rotation of earth about its own axis (3'-12')

The survey department of India has prepared a map showing "ISOGONIC" line and "AGONIC" line. Isogonic line is the line passing through points of equal declination. Agonic line is an isogonic line corresponding to zero declination. (Ref)

fig)

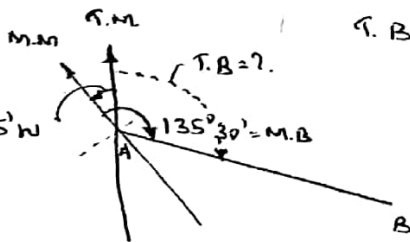


Examples on magnetic declination:

(Draw the sketch and analyze)

- 1) The magnetic bearing of a line AB is $135^{\circ} 30'$. What will be its true bearing if the declination is $5^{\circ} 15' W$.

Soln:



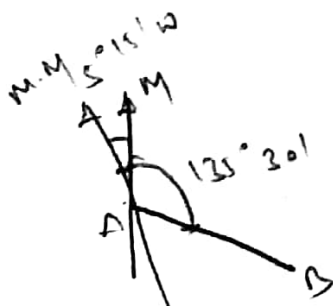
$$T.B = M.B - \delta = 135^{\circ} 30' - 5^{\circ} 15' = 130^{\circ} 15' \text{ Ans.}$$

$$M.B = 135^{\circ} 30'$$

$$\delta = 5^{\circ} 15' W$$

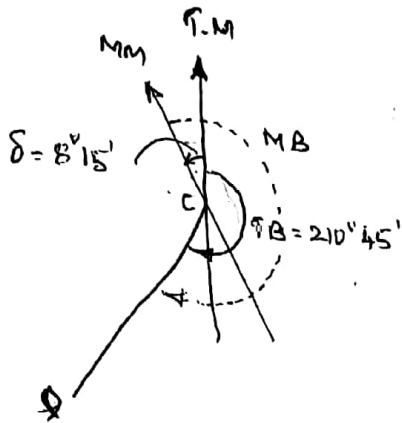
$$T.B = M.B - \delta$$

$$T.B = 135^{\circ} 30' - 5^{\circ} 15'$$



2) The true bearing of a line CD is $210^{\circ} 45'$. What will be the magnetic bearing if the declination is $8^{\circ} 15' W$

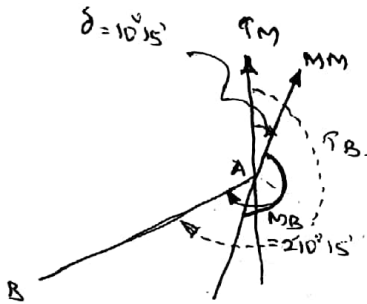
Soln:



$$M.B = T.B + \delta = 210^{\circ} 45' + 8^{\circ} 15' = \underline{219^{\circ}}$$

3) The magnetic bearing of a line AB is $S 30^{\circ} 15' W$. Find its true bearing if the declination is $10^{\circ} 15' E$.

Soln: WCB of AB = $180 + 30^{\circ} 15' = 210^{\circ} 15'$

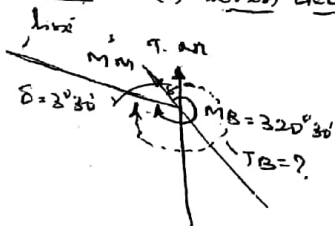


$$T.B = M.B + \delta = 210^{\circ} 15' + 10^{\circ} 15' = \underline{220^{\circ} 30'}$$

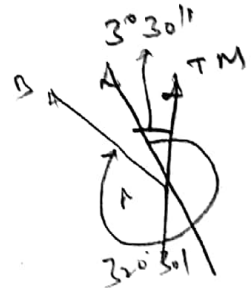
\therefore T.B of AB in Q.B. System = $S 40^{\circ} 30' W$

4) On an old map, a line was drawn to a magnetic bearing of $320^{\circ} 30'$, when the declination was $3^{\circ} 30' W$. Find the present bearing of the line, if the declination is $4^{\circ} 15' E$.

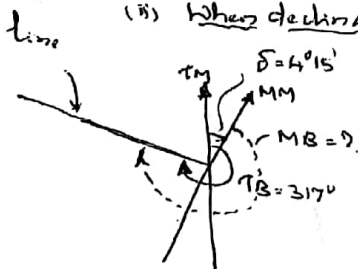
Soln: (i) When declination was $3^{\circ} 30' W$



$$T.B = M.B - \delta = 320^{\circ} 30' - 3^{\circ} 30' = \underline{317^{\circ}}$$



(ii) When declination is $4^{\circ} 15' E$

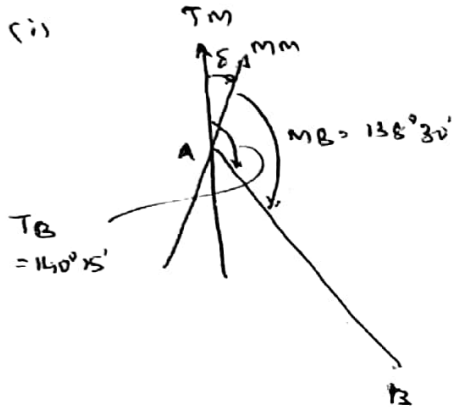


$$M.B = T.B + \delta = 317^{\circ} + 4^{\circ} 15' = \underline{321^{\circ} 15'}$$

Find the declination for the following two cases.

Case	Line	True Bearing	Magnetic Bearing	
(i)	AB	$140^{\circ} 15'$	$138^{\circ} 30'$	$\delta = \tau_B - M_B$
(ii)	CD	$230^{\circ} 15'$	$232^{\circ} 15'$	$\delta = + E$ $\delta = - W$

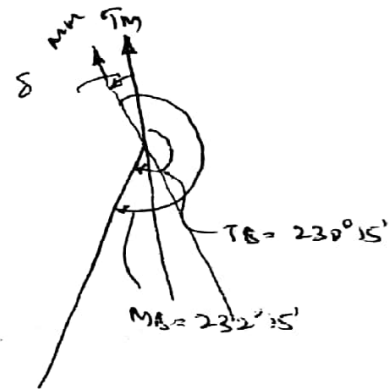
Soln: (i)



$$\begin{aligned} \delta^{\circ} E &= (\tau_B - M_B) E \\ &= (140^{\circ} 15' - 138^{\circ} 30') E \\ &= \underline{1^{\circ} 45' E} \end{aligned}$$

ii)

$$\begin{aligned} \delta &= \tau_B - M_B \\ &= 230^{\circ} 15' - 232^{\circ} 15' \\ &= -2^{\circ} \quad (-ve) \\ \therefore \text{Declination is Westward.} \\ \therefore \delta &= \underline{2^{\circ} W} \end{aligned}$$



Dip of the magnetic needle:

If a needle is perfectly balanced before magnetisation, it does not remain horizontal after it is magnetised. This is due to magnetic influence of the earth. The needle is found to be inclined towards the pole. The inclination of the needle with the horizontal is called "Dip of the magnetic needle".

It is found that the North end of the needle is deflected downwards in the northern hemisphere. Similarly the South end of the needle is deflected downwards in the southern hemisphere. The needle is just horizontal at the equator.

To balance the dip of the needle, a "rider" (Brass or silver coil) is provided with the needle.

Prismatic Compass:

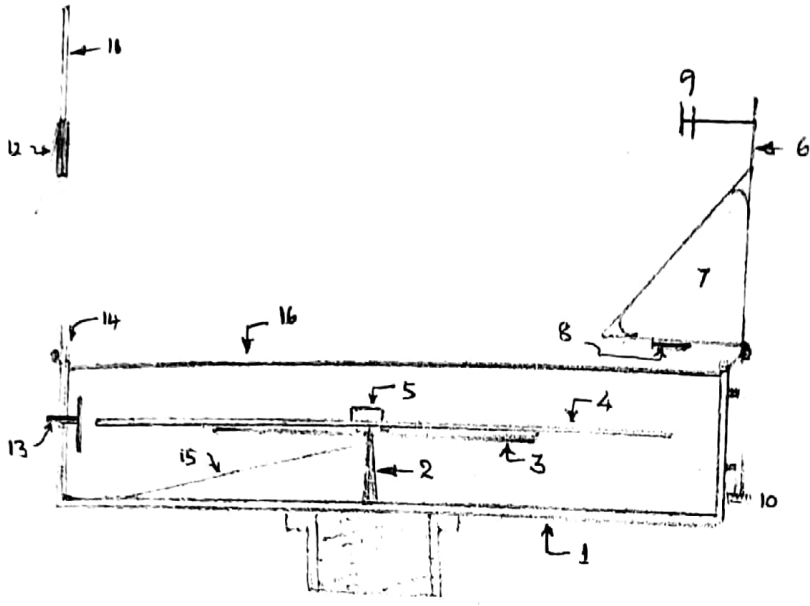


Fig. Prismatic Compass which gives bearings in WCB system

A prismatic compass consists of the following parts. (Ref. fig)

1. A circular box of about 100 mm diameter
2. A pivot of hard steel at the centre of the box.
3. A broad magnetic needle resting balanced on this pivot.
4. A Graduated ring attached to the magnetic needle.
This is graduated to degrees and half degrees from 0° to 360°. The zero (ie 360°) is marked at the 'SOUTH' end of the needle and increasing in the clockwise direction. The numbers (indicating the angle) on the graduated ring are engraved and inverted as they are viewed through the prism.
5. Agate Cap, which helps in balancing of magnetic needle.
6. Eye Vane for brightly ^{objects} and taking readings. This is hinged to the circular box.
7. A prism in the eye vane. The faces of the prism are made convex to make it as magnifier. The vertical face of the prism is provided with a vertical slit.
8. A prism cap to cover the prism, when not in use.
9. Sun glasses, (two numbers) to sight bright objects.
10. Focussing screw or stud to raise or lower prism so that the graduations on the ring are seen clearly.
11. Object vane consisting of a frame with a vertical hair. This is hinged to the circular box and placed diametrically opposite to the eye vane. The hinged mirror hinged to a slider, which slides on the frame to the mirror is useful to sight objects which are higher or lower than L.L. horizontal line of sight.
13. Brake pin to reduce the oscillations of the graduated ring.
- 14, 15. Lifting pin and lifting lever, which lift the needle off the pivot and prevent undue wear of the pivot point.
16. Glass covers to prevent the entry of dust into the circular box.

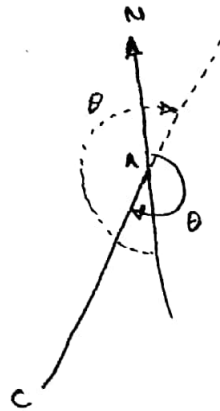
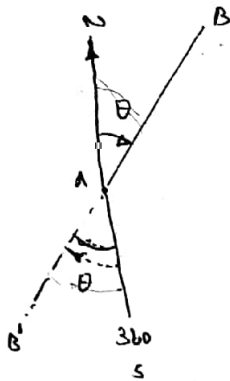
17. Tripod, which has a 'ball and socket' arrangement for levelling the compass.
 18. A lid to cover the box, when not in use.

Terms: 1. Line of Sight: Line joining the vertical slit in the prism ^{of eye van.} and the vertical hair of object van.

2. Centering: This is the process of keeping the compass in such a way that "the center of compass is right above the station". This can be achieved by dropping a small piece of stone, so that it falls on the top of the peg.

3. Leveling: This is the process of keeping the circular box or magnetic needle in horizontal plane. This can be achieved by eye judgement by means of "Ball and Socket" arrangement so the graduated ring brought freely.

NOTE: Since the reading is taken through the prism, which is at the "South" end of the needle, 360° (or zero) is marked at the South end. Also the angle or bearing from South of the line from South end in clockwise is equal to the bearing of the same line from North end in clockwise direction. (Ref. fig)



Surveyor's Compass:

A Surveyor's Compass, which gives bearing of the lines in R.B. system, consists of the following parts (Refer fig)

1. A circular box of about 125 mm diameter.
2. A circular graduated ring fixed to the inside cover of the box. The ring is graduated in quadrantal bearing system with 0° at "NORTH and SOUTH" ends and 90° at "EAST and WEST" ends, the EAST and WEST ends being interchanged.
3. A pivot of hard steel at the centre of the box.
4. An edge bar type of magnetic needle, balanced on the pivot with the help of an "agate cap".
5. An agate cap, which balances the magnetic needle.
6. An eye vane in the form of frame with a vertical slit, attached to the box.
7. An object vane, consisting of a frame with a vertical hair. This is placed diametrically opposite to the eye vane.
8. A glass cover to prevent of entry of dust into the box.
9. Tripod.

Comparison between P.C and S.C

Item.	P.C	S.C
1. Magnetic needle.	Broad type & does not act as index.	Edge bar type & acts like as an index.
2. Graduated ring.	<ul style="list-style-type: none"> * Attached to the needle. * Does not rotate with line of sight. * Graduations are in W.B. zero at South, 90° at West, 180° at North & 270° at East. * Graduations are in numbers are engraved inverted. 	<ul style="list-style-type: none"> * Attached to the box. * Rotates with the line of sight. * Graduations are in R.B. zero at North & South, and 90° at East & West. * Graduations in numbers are engraved erect.
3. Eye Vane.	Even with a slit.	Simple frame with slit.
4. Reading.	Taken with the help of prism.	Taken directly by looking through the top of glass cover.
5. Tripod.	may or may not be required.	Required.

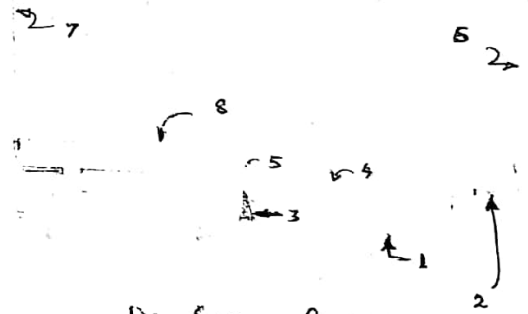


Fig. Surveyor's Compass

B. E. CIVIL ENGINEERING
Choice Based Credit System (CBCS) and Outcome Based Education (OBE)
SEMESTER – III
BASIC SURVEYING

Course Code	18CV35	CIE Marks	40
Teaching Hours/Week(L:T:P)	(3:0:0)	SEE Marks	60
Credits	03	Exam Hours	03

Course Learning Objectives: This course will enable students to;

1. Understand the basic principles of Surveying
2. Learn Linear and Angular measurements to arrive at solutions to basic surveying problems.
3. Employ conventional surveying data capturing techniques and process the data for computations.
4. Analyze the obtained spatial data to compute areas and volumes and draw contours to represent 3D data on plane figures.

Module-1

Introduction: Definition of surveying, Objectives and importance of surveying. Classification of surveys. Principles of surveying. Units of measurements, Surveying measurements and errors, types of errors, precision and accuracy. Classification of maps, map scale, conventional symbols, topographic maps, map layout, Survey of India Map numbering systems.

Measurement of Horizontal Distances: Measuring tape and types. Measurement using tapes, Taping on level ground and sloping ground. Errors and corrections in tape measurements, ranging of lines, direct and indirect methods of ranging, Electronic distance measurement, basic principle. Booking of tape survey work, Field book, entries, Conventional symbols, Obstacles in tape survey, Numerical problems.

Module-2

Measurement of Directions and Angles: Compass survey: Basic definitions; meridians, bearings, magnetic and True bearings. Prismatic and surveyor's compasses, temporary adjustments, declination. Quadrantal bearings, whole circle bearings, local attraction and related problems

Traversing: Traverse Survey and Computations: Latitudes and departures, rectangular coordinates, Traverse adjustments, Bowditch rule and transit rule, Numerical Problems.

Module-3

Leveling: Basic terms and definitions, Methods of leveling, Dumpy level, auto level, digital and laser levels. Curvature and refraction corrections. Booking and reduction of levels. Differential leveling, profile leveling, fly leveling, check leveling, reciprocal leveling.

Module-4

Plane Table Surveying: Plane table and accessories, Advantages and limitations of plane table survey, Orientation and methods of orientation, Methods of plotting – Radiation, Intersection, Traversing, Resection method, Two point and three point problems, Solution to two point problem by graphical method, Solution to three point problem Bessel's graphical method, Errors in plane table survey.

Module-5

Areas and Volumes: Measurement of area by dividing the area into geometrical figures, area from offsets, mid ordinate rule, trapezoidal and Simpson's one third rule, area from co-ordinates, introduction to planimeter, digital planimeter. Measurement of volumes- trapezoidal and prismoidal formula.

Contouring: Contours, Methods of contouring, Interpolation of contours, contour gradient, characteristics of contours and uses.

Course outcomes: After a successful completion of the course, the student will be able to:

1. Posses a sound knowledge of fundamental principles Geodetics
2. Measurement of vertical and horizontal plane, linear and angular dimensions to arrive at solutions to basic surveying problems.
3. Capture geodetic data to process and perform analysis for survey problems]
4. Analyse the obtained spatial data and compute areas and volumes. Represent 3D data on plane figures as contours

Question paper pattern:

- The question paper will have ten full questions carrying equal marks.
- Each full question will be for 20 marks.
- There will be two full questions (with a maximum of four sub- questions) from each module.
- Each full question will have sub- question covering all the topics under a module.
- The students will have to answer five full questions, selecting one full question from each module.

Textbooks:

1. B.C. Punmia, "Surveying Vol.1", Laxmi Publications pvt. Ltd., New Delhi –2009.
2. Kanetkar T P and S V Kulkarni , Surveying and Leveling Part I, Pune VidvarthiGrihaPrakashan.1988

Reference Books:

1. S.K. Duggal, "Surveying Vol.1", Tata McGraw Hill Publishing Co. Ltd. New Delhi.2009.
2. K.R. Arora, "Surveying Vol. 1" Standard Book House, New Delhi. –2010
3. R Subramanian, Surveying and Leveling, Second edition, Oxford University Press, NewDelhi
4. A. Bannister, S. Raymond , R. Baker, "Surveying", Pearson, 7th ed., NewDelhi

Raghu. M.E
 Assistant Professor
 Civil Department
 BIET Davanagere
 mobile no: 9741646266

Module : 1

Introduction : Definition of Surveying, objectives and importance of surveying, classification of surveys, Principles and errors, types of errors, surveying measurements, units of measurements, precision and accuracy, classification of maps, map scale, conventional symbols, topographic maps, maps layout, survey of India map numbering system.

Definition of Surveying :

Surveying is the art of determining the relative positions of various points on the surface of the earth by taking various measurements.

Surveying is the art of determining the relative positions of points on, above ^(or) beneath the surface of the earth by means of direct ^(or) indirect measurements of distance, direction and elevation. It also includes the art of establishing points by predetermined angular & linear measurements. The application of surveying requires skill as well as the knowledge of Mathematics, physics, and to some extent, astronomy.

Object of survey

The primary object of a survey is the preparation of a plan or map. The results of surveys when plotted and drawn on paper constitute a plan.

A plan is therefore the representation to some scale, of the ground and the objects upon it as projected on a horizontal plane which is represented by the plane of the paper on which the plan is drawn. The representation is called a map, if the scale is small, while it is called a plan, if the scale is large, Eg: A map of India, a plan of an estate ^(or) a building.

Head & Head of Civil Engg. Dep
 B I E T Davanagere

On a Plan, horizontal distances only are shown. Sometimes however, vertical distances are also represented approximately by means of contour lines, and other systems. Vertical distances are correctly shown by means of vertical sections called briefly sections.

Classification of Surveying

1. Primary Classification:

Surveying is primarily classified as follows.

(a) Geodatic surveying and.

(b) Plane surveying.

In geodatic surveying, the curvature of the earth is taken into consideration. The line joining any two points is considered as a curved line. Geodatic surveying is conducted by the "Survey Department of India" and is carried out over an area exceeding 250km^2 .

In plane surveying, the curvature of the earth is not taken into consideration. The line joining any two points is considered as a straight line. Plane surveying is conducted by state agencies like Irrigation department, Highway department etc. Plane surveying is done on an area of less than 250km^2 .

All geodatic surveys include work of higher magnitude and high degree of precision.

The objective of geodatic survey is to determine the precise position on the surface of the earth, of a system of widely distant points which form control stations to which surveys of less precision may be referred.

Objectives and Importance of Surveying

Objectives:

1. Collect and record data on the relative positions of points on the surface of the earth.
2. Compute areas and volumes using this data, required for various purposes.
3. To prepare the plans and maps required for various activities.

Plan: A Plan may be defined as the graphical representation of the features on, near or below the surface of the earth as projected on a horizontal plane to a suitable scale.

- * If the area to be represented is small, large scale can be used. Such representations are called plans.

Ex: Boundary of building 1: 100.

Map: A map is a symbolic depiction emphasizing distribution of earth's surface on a definite scale with annotation [note added to a text, book, drawing etc.] as a comment or explanation.

- * If the area represented is large, small scale can be used. Such representations are called maps.

Ex: Boundary of country 1: 1000.

Importance:

1. To prepare a Topographical map which shows hills, valleys, villages, towns, forests etc of a country.
2. To prepare a cadastral map showing the boundaries of fields, houses & other properties.
3. To prepare an Engineering map which shows the details of work such as roads, railways, irrigation canals etc.
4. To prepare a geological map showing areas of underground resources.
5. To prepare Route map - climatic map etc.

Surveying measurements and errors

There are two kinds of measurements used in plane surveying

i.e ① Linear and ② Angular

Linear measurements may be further sub-divided into

Horizontal distances & vertical distances, similarly angular measurements may be horizontal angles & vertical angles.

In surveying all measurements of distances are horizontal.

It may be remembered that the distance b/w any two ~~map~~ points on a plan (or) map is always the horizontal distance b/w them irrespective of their elevation.

2] Secondary classification:

1. Based on the Instruments used.
 - a) chain surveying.
 - b) compass surveying
 - c) Plane table surveying
 - d) Theodolite surveying
 - e) Tacheometric surveying etc.
2. Based on the methods adopted. **[Employed]**
 - a) Triangulation surveying.
 - b) Traverse surveying etc.
3. Based on object of surveying
 1. Engineering survey.
 2. military survey.
 3. Mine survey.
 4. geological survey.
 5. Archaeological survey.
4. Based on nature of field surveying
 - a) Land surveying
 - b) Marine surveying.
 - c) Astronomical surveying.

Further, land surveying is ~~not~~ classified as follows.

1. Topographical surveying, which is conducted to determine the natural features of a country such as rivers, streams, lakes, hills and forests as well as Man-made features like roads, railways, towns, villages and canals.
2. Cadastral Surveys: which is conducted to determine the boundaries of municipalities, states, etc. The surveys made to mark properties of individuals also come under this category.
3. City surveys: which is conducted to locate the streets, water supply and sanitary systems etc.

2. Methods adopted:

a) Triangulation: In this method control points are established through a network of triangles.

b) Traversing: In this method establishing control points consist of a series of connected points establishing through linear and angular measurements. If last line meets the starting point it is called as closed traverse. If it does not meet, it is known as open traverse.

3. Based on the object of surveying:

a) Engineering survey: The objective of this type of surveying is to collect data for designing roads, railways, irrigation, water supply and ~~sea~~ sewage disposal project. These surveys may be further subdivided into.

i) Reconnaissance survey for determining feasibility and estimation of the scheme.

ii) Preliminary survey for collecting more information to estimate the cost of the project. Selected and.

iii) Location of survey to set out the work on the ground.

b) Military survey: This survey is meant for working out points of strategic importance.

c) Mine survey: This is used for exploring mineral wealth.

a) Geological survey: This survey is for finding different strata in the earth's crust.

c) Archaeological survey: This survey is for unearthing relics of antiquity.

Based on nature of Field survey.

i) Marine (or) Hydrographic surveys:

The survey conducted to find depth of water at various points in bodies of water like sea, river and lakes fall under this category of surveying.

Finding depths of water at specified points is known as sounding.

2] Astronomical surveys:

Observations made to heavenly bodies like Sun and stars to locate absolute positions of points on the earth and for the purpose of calculating local times is known as astronomical surveys.

Applications of surveying:

Some of the important applications of surveying are listed below.

1. Astronomical survey helps in the study of astronomical movements of planets and for calculating local and standard times.
2. Maps prepared for countries, states and districts, etc. avoid disputes.
3. Plans prepared record the property boundaries of private, public and government which help in avoiding unnecessary controversies.
4. Topographical maps showing natural features like rivers, streams, hills, forests help in planning irrigation projects and flood control measures.
5. Road maps help travellers and tourists to their programmes.
6. Marine and hydrographic surveys help in planning navigation routes and harbours.
7. Military surveys help in strategic planning.
8. For exploring mineral wealth mine surveys are required.
9. Geological surveys are necessary for determining different strata in the earth's crust so that proper location is found for reservoirs.
10. Archaeological surveys are required for unearthing relics of antiquity.

Basic Principles of Surveying:

The Two fundamental principles upon which various surveying methods are based are.

1. TO WORK FROM WHOLE TO THE PART. AND.
2. TO LOCATE A POINT BY AT LEAST TWO MEASUREMENTS.

1 TO WORK FROM WHOLE TO THE PART:-

The main idea of this principle is to localise the errors and to prevent their accumulation. On the contrary, if we work from part to the whole, the errors accumulate and expand to a greater magnitude.

This principle is explained in the following example.

Let a line AB is to be measured with a chain. Since the length of the chain is smaller than the distance to be measured, the process of measurement is done in parts. Let C, D, E, etc. are ranged taking the points A and B as reference. In case any point say D is established out of line AB as D', only the distance CD and DE will be erroneous as CD' and D'E. But all other distances are correct. (Ref. Fig. 1a)

In the other method, (working from part to whole), a part say AC of the whole distance AB to be measured, is fixed by locating a point C as C'. Now if the remaining points D', E', etc. taking A and C' as reference, the error at the end will be of higher magnitude. (Ref. Fig. 1b)

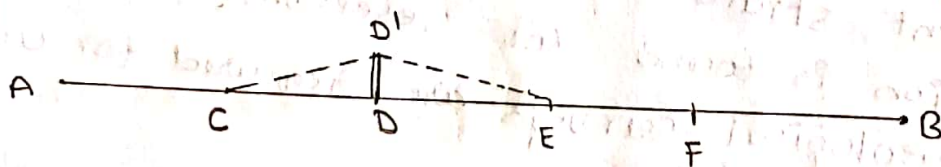


Fig. 1-a

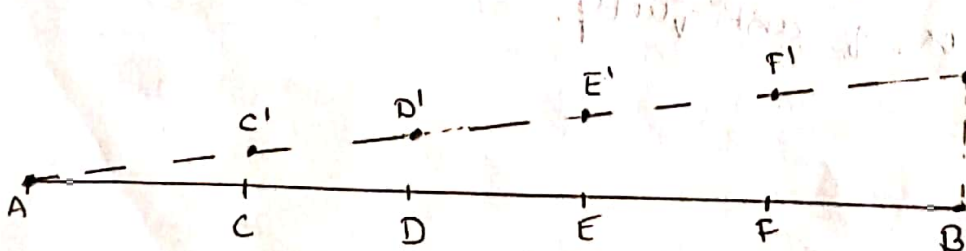


Fig. 1-b

Error of higher magnitude.

2] Location of a point by two observations:

The relative positions of points are located by measurement from atleast two points of reference, whose positions must be known.

For Example: In Figures 2a, 2b, 2c and 2d, A and B are the two control points, whose positions are already known. The position of point C, can be obtained by any one of the following methods.

- a) By measuring a distance say BC and an angle say α (Ref Fig. 2a)
- b) By measuring two distances say AC and BC (Ref Fig. 2b)
- c) By measuring two angles say α_1 and α_2 (Ref Fig. 2c)
- d) By dropping perpendicular from A on line AB and measuring two distances like AD and CD (or) BD and CD (Ref. fig 2d)

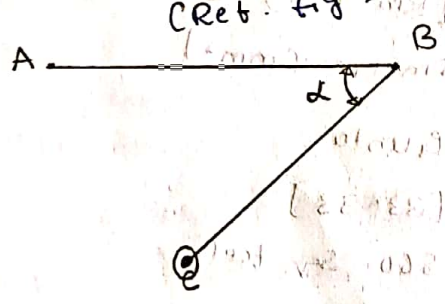


Fig. 2a

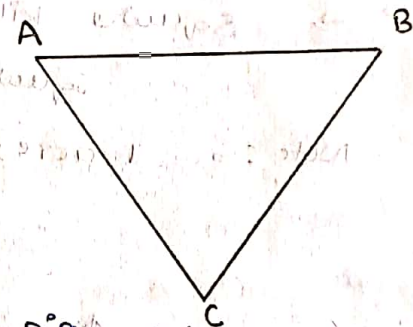


Fig. 2b

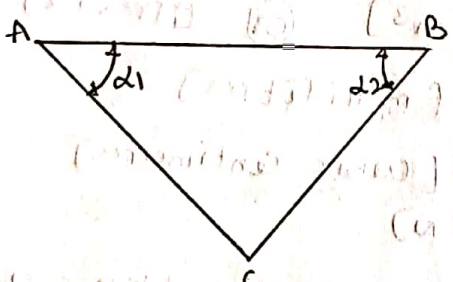


Fig. 2c

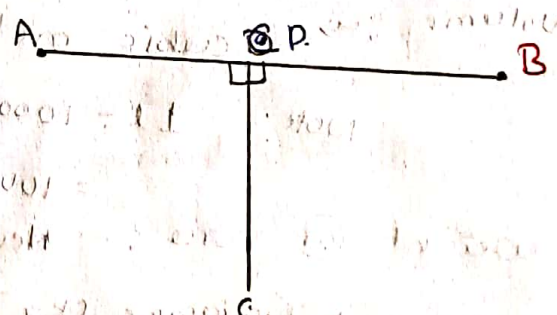


Fig. 2d

Units of Measurements :

In 1956 according to standards of weights and measurement Act.

There are four kinds of measurements used in plane surveying.

1. Horizontal distance.
2. Vertical distance.
3. Horizontal angle.
4. Vertical angle.

Linear measure:

According to the standards of weights and measures act (India), 1956 the unit of measurements of distance is metres & centimetres.

1. Length : \rightarrow metre [m] $\text{\textcircled{or}}$ kilometre [km] $\text{\textcircled{or}}$ millimetre [mm]

Note: $1\text{ m} = 3.2808\text{ feet}$ [3.3 feet approx]

2. Area : \rightarrow Square kilometre [km²] $\text{\textcircled{or}}$ Square metre [m²] or Square millimetre [mm²]

Note: $1\text{ acre} = 40\text{ buntas}$
 $= 40 \times [33 \times 33]$
 $= 43,560\text{ sq. feet}$

3. Volume : \rightarrow cubic metres [m³] $\text{\textcircled{or}}$ litres [l]

Note: $1\text{ l} = 1000\text{ ml}$ [millilitres]
 $= 1000\text{ cc}$ [cubic centimetres]

Weight $\text{\textcircled{or}}$ Force : - Newton [N]

Mass : kilogramme [kg]

Note: $1\text{ kg} = 9.81\text{ N}$

Angular measure: An angle is the difference in direction of two intersecting lines. The radian is the unit of plane angle. The radian is the angle b/w two radii of a circle which cuts off on the circumference of an arc equal in length to the radius. There are three popular systems of angular measurement.

Angular measure: Radian (rad) (or) degree ($^{\circ}$)

a) Sexagesimal system.

- 1 circumference = 360° (degrees of arc)
2. 1 degree = $60'$ (minutes of arc)
3. 1 minute = $60''$ (seconds of arc)

b) Centesimal system.

- 1 circumference = 400g (grads)
- 1 grad = 100^c (centigrads)
- 1 centigrad = 100^{cc} (centi-centigrads)

c) Hours system

- 1 circumference = 24^h (hours)
- 1 hour = 60^m (minutes of time)
- 1 minute = 60^s (seconds of time)

Errors:

Error is the difference b/w the measured quantity and its true value.

$$\text{Error} = \text{measured value} - \text{True value.}$$

Depending upon the magnitude of measured value, compared to its true value, an error may be positive or negative.

Sources of errors:

1. Instrumental: Error may arise due to imperfection or faculty adjustment of the instrument with which measurement is taken.

For Example: A tape may be too long, (or) an angle measuring instrument may be out of adjustment.
Such errors are known as Instrumental errors.

2) Personal error: Error may also arise due to ~~looseness~~ imperfection of human sight in observation & of touch in manipulating instrument.

For Examples: An error may be there in taking the level reading or reading an angle on the circle of a Theodolite. Such errors are known as Personal errors.

3. Natural Errors:

Error may also be due to variations in natural phenomena such as temperature, humidity, gravity, wind, refraction and magnetic declination. If they are not properly observed while taking measurements, the results will be incorrect.

For Example: A tape may be 20m at 20°C. but its length will change if the field temperature is different.

Types of errors: [Kinds of errors]

Errors have been classified into the following three types.

1. Mistake.
2. Systematic error.
3. Accidental error.

① Mistake: Mistakes are the errors due to carelessness of the observer. They may be due to wrong reading or recording of the observations. These errors are very large and can be easily detected by the following field procedures.

- a) Carefully targeting objects before taking reading.
- b) Taking multiple scale readings.
- c) Recorder loudly announcing the readings so that reader hears what he records.
- d) Taking additional readings for checking.

② Systematic error:

The errors which are systematic or follow some pattern are termed as systematic errors. Such errors are always according to some deterministic system and can be expressed by a functional relationship.

Measurement of a distance by a too short tape and expansion of a steel tape with respect to temperature are the example of systematic errors. Such errors can be computed using certain mathematical relationships and the measurement can be corrected.

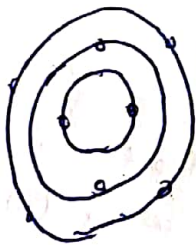
③ Accidental errors:

After the measurements are collected for known systematic errors, if still some error exists, it is accidental error. Accidental errors do not have any functional relationship and have random behaviour and hence are also known as "Random errors". These errors are unpredictable in magnitude & algebraic sign. Random errors can be corrected based on probability models.

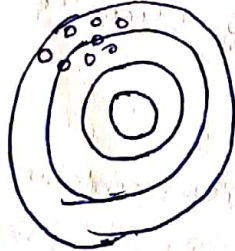
Accuracy and Precise

• Accuracy: It is defined as correctness / degree of perfectness in reaching an intended target.
 In surveying intended target is the true value of measurement.
 Intended accuracy is the maximum permissible error.

• Precise: It means being careful about details and accuracy. Hence precision is the degree of perfection used in instruments and the methods of observation and calculation.



a) Accurate.



b) Precise

Precision: It is the degree of closeness (or) confirmity of repeated measurements of the same quantity to each other.

Accuracy: It is the degree of closeness (or) confirmity of a measurement to its true value.

The difference b/w accuracy & precision is best illustrated in fig. i.e. results of a shooting competition b/w contestants A, B, C & D. The shooting results indicate.

- ① contestant A is accurate but not precise.
- ② contestant B is inaccurate but not precise.
- ③ contestant C is neither accurate nor precise. &
- ④ contestant D, the winner, is both accurate and precise.

MAP and classification

A map is a graphical representation of the earth's surface as projected on a horizontal plane. It is prepared to a small scale. (ie very large actual distance is represented by a very small line segment). Hence the map can show the area as a whole and cannot reveal the details of the features. on a map the topography of the terrain is depicted by colour or hatching. Dimensions are not shown on the map.

Maps are classified as follows.

1. Physical maps: Showing various areas.

Ex: world map - Showing continents & countries.
country map. Showing districts and important places. State maps, city maps etc.

2. Topographical features:

Showing the details of topographical features like hills, valleys, etc.

3. Route maps: - Showing details of communication routes like roads, railways etc.

4. Geological maps: Showing areas of underground resources.

5. Archeological maps: Showing places of ancient relics.

6. climatic maps: Showing climatic details etc.

Plan is also a graphical representation of Particular feature as projected on a horizontal plane. It is prepared to a large scale compared to a map. Plan reveals the details of a Particular feature. It shows the dimensions of the features.

Ex: Plan of a building

Constant A



Accurate
imprecise

Constant B



Inaccurate
Precise

Constant C



Inaccurate
Imprecise

Constant D



Accurate
Precise

SCALE: It is defined as the ratio of the distance b/w two points on a map to the corresponding distance on the ground. Selection of a scale depends on the size of the area to be surveyed, purpose of survey and required precision in plotting.

* Maps are generally classified as large scale when the scale is greater than $1\text{cm} = 10\text{m}$, as intermediate scale when the scale is b/w $1\text{cm} = 10\text{m}$ & $1\text{cm} = 100\text{m}$, and as small scale when the scale is less than $1\text{cm} = 100\text{m}$.

Representation of Scale:

1. A scale can be represented numerically or graphically. For example $1\text{cm} = 50\text{m}$. According to this scale a specified distance on the map [i.e. 1cm] representing the corresponding distance on ground [i.e. 50m].
2. The other way to indicate the scale by a ratio known as Representative fraction, abbreviated as R.F. For the scale $1\text{cm} = 50\text{m}$, $R.F = \frac{1\text{cm}}{(50\text{m} \times 100)\text{cm}} = \frac{1}{5000}$ i.e. $1:5000$

Scales for different types of surveys.

Purpose of Survey	Scale	R. F.
Building sites	$1\text{cm} = 10\text{m}$ or less	$1:100$ or $\frac{1}{100}$ or less
Town planning, reservoir survey etc.	$1\text{cm} = 50\text{m}$ to 100m	$\frac{1}{500}$ to $\frac{1}{1000}$
Route surveys	$1\text{cm} = 100\text{m}$	$\frac{1}{1000}$
Land surveys	$1\text{cm} = 50\text{m}$ to 200m	$\frac{1}{500}$ to $\frac{1}{2000}$
topographical surveys	$1\text{cm} = 0.25\text{km}$ to 2.5km	$\frac{1}{25,000}$ to $\frac{1}{2,50,000}$
geographic surveys	$1\text{cm} = 5\text{km}$ to 10km	$\frac{1}{500,000}$ to $\frac{1}{1,00,00,000}$

* If R.F for a Scale is 1:50 & max distance to be measured using the scale is 6m, then to construct a plain scale, steps to be followed are.

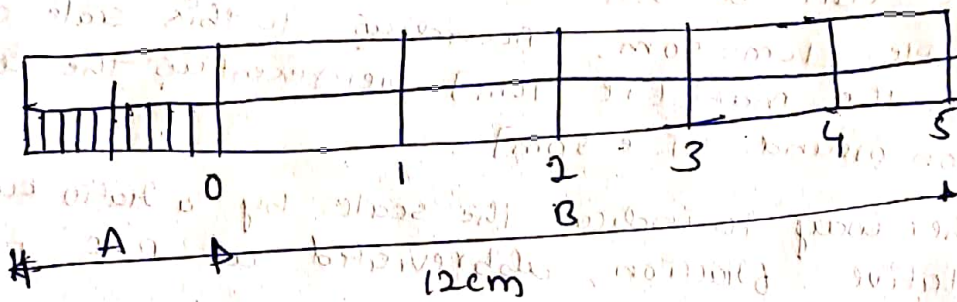
50 units on the ground = 1 unit on the map.

6m on the ground = $\frac{6}{50}$ m on the map = 12cm on the map.

Draw a line of 12cm, & divide it equally into 6 parts.

The first part A on the left side is further divided into 10 equal parts to read $\frac{1}{10}$ m.

R.F = 1/50



1. SURVEY OF INDIA

1.1 Introduction

Survey of India is the National Survey and Mapping Organization of our country. It was established in 1767. Its responsibilities are as follows:

- a) All geodetic control (Horizontal and vertical) and geodetic surveys (including tide predictions for 40 ports in the Indian Ocean, Arabian Sea and Bay of Bengal, in the region from Suez to Singapore)) and allied geophysical surveys.
- b) All topographical control surveys and mapping within India.
- c) Mapping and productions of geographical maps and aeronautical charts.
- d) Surveys for development projects.
- e) Survey of forests, cantonments, large scale city surveys, guide maps, etc.
- f) Survey and mapping of special maps, eg. Riverain areas and geographical explorations authorised by the Government of India.
- g) Spellings of geographical names.
- h) Demarcation of the external boundaries of the Republic of India, their depiction on maps published in the country and also advice on the demarcation of inter-state boundaries.
- i) Training of officers and staff required for the department and state and trainees from Central Government Departments and State and trainees from foreign countries as are sponsored by the Government of India.
- j) Research and development in cartography, printing, geodesy, photogrammetry, topographical surveys and indigenisation.
- k) Co-ordination and control in providing photographic cover over the whole of the country.

1.2 Types of Survey of India Maps

Topographical Maps

These are the maps that are prepared on sufficiently large scale to enable individual topographical details to be identified on the ground by their position and shapes. The scales of topographical maps are 1:25,000, 1:50,000, 1:250,000.

Geographical Maps

These are the maps prepared on scales smaller than 1:250,000 in which details and features of ground are generalised. The following are some of the geographical maps published by Survey of India.

- 1) 1:1M India and Adjacent Countries Series.
- 2) 1:1M Carte International du monde (International Maps of the world)
- 3) 1:1M Aeronautical maps.
- 4) 1:1M State Maps.
- 5) 1:2M South Asian Series.
- 6) Wall Map of India and Adjacent countries on Scales 1" = 40 miles; 1:2.5M; 1:4M; 1:8M; 1:16M.

Special Maps

These are prepared for popularisation drives such as Tourist Maps, Antique maps, Discover India Series. State Map Series are also available on 1:1 M scale.

Special maps also include:

- 1:3.5M Railway Map of India
- 1:2.5M Road Map of India
- 1:25,000, 1:50,000 Forest maps
- 1:10,000, 1:20,000, 1:25,000 Guide Maps

Plastic Relief Maps:

Survey of India also has Plastic Relief Maps of India Physical on 1:15M
India Political on 1:15M
Route Map from Rishikesh to Badrinath on 1:250,000
District Planning Map Series: on 1:250,000 scale
Trekking maps are also available on scale 1:250,000. State Map Series in local languages are also in progress.

2. Maps

2.1 Definition

A map is a selective, symbolised, generalised and planimetric picture of spatial distribution of earth's surface on a definite scale with annotation.

2.2 Fundamental characteristics of map

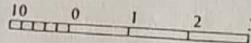
The above definition of a map leads us to some fundamental characteristics of map which are as below.

- a) Every map should have reference system.
- b) Every map is made on a certain projection.
- c) Every map is drawn to a definite scale.
- d) A map has to be selective in showing details.
- e) Certain feature / information is emphasised.
- f) Every map is generalised.
- g) Every map uses symbols.
- h) Maps are lettered, titled and labelled.

2.3 Scale

Scale of a map is the ratio of distance on the map to the actual distance on the ground. To show features to varying degree of details, maps are prepared on different scale. Scales may be expressed in three different ways.

- i) Representative Fraction (R.F.): 1 : 50,000
- ii) Comparative statement : 1 cm = 50 Km
- iii) Graphical method. :



2.4 Generalisation

The smaller the scale of map, greater the degree of generalisation. It consists of the following processes – selection, simplification, omission, aggregation, exaggeration, symbolisation and displacement. While doing generalisation, the basic character of the terrain is retained. It is to a large extent a subjective exercise.

2.5 Emphasis

Very often certain features and information which are important and necessary with the special purpose are emphasised on the map and other features are kept subdued or thinned down to facilitate map reading.

2.6 Semiology

Semiology is the study of signs or symbols. A symbol is any drawn or constructed image used as a means of communication. The symbol on a map consists of points, lines or areas. The symbols can have different size, form and colour. The symbol contains information individually and can also present information collectively. The graphic variation distinguishes one symbol from the other. These graphic variations have to be employed in relation to the information represented.

Symbol Types:

Symbols can be classified into point, line and area symbols.

i) Point symbols:

These are used to indicate the location, identity or other characteristics of features of small territorial extent to the map scale. A city will be indicated by a point symbol on 1:1M, but this would never be the case at a scale 1:1,000.

Example: Hut, Tube well, Mosque.

Line symbols:


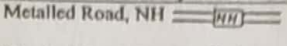


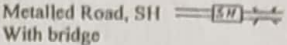


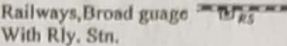


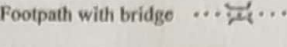


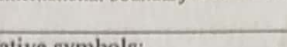

These are used where the feature to be represented as a linear characteristic.

River, Road and railway.

Area symbols:

These are used to represent features of considerable areal extent in relation to scale of map.

villages, tanks, cultivation lands.

Point Symbol	Linear Information/Symbol	Areal Symbol	Textual Information
Temple 	Metalled Road, NH 	Towns or Villages 	Name CHENNAI BANGALORE Heights 1510 .3r
Mosque 	Metalled Road, SH With bridge 	Tanks: Perennial, dry 	Descriptive Open Scrub Remarks :
Church 	Railways, Broad gauge With Rly. Stn. 	Orchard or Garden 	Locality: Bommanahalli
Tree 	Footpath with bridge 	Camping ground 	Admn. Names: ANEKAL
Chimney 	International boundary 	Vine on trellies 	

Qualitative and Quantitative symbols:

Qualitative symbols deal with the quality. They indicate the identity or describe the nature of the feature.

Quantitative symbols indicate the quantity of the feature or give the amount of feature.

Both these qualitative and quantitative symbols can take the form of point, line and area symbols.

Representation of Details

Symbols / conventional signs for all details suitable for our topo maps have been standardised and printed as a table on our map. It would be readily apparent that conventional symbols represent only the qualitative aspect of the feature i.e. A double line road whose width is 0.60 mm on the 1:50,000 map does not mean that the road is actually $0.60 \times 50 = 30$ m wide on the ground. The road is just represented conventionally. If it were to be represented to its true dimension, then the symbol would be thinner and insignificant. But in large scale, where it may be feasible to survey each edge of the road separately it would be shown as such. Hence the need of having different symbols for different scale.

2.7 Lettering

All information to be supplied through map cannot be rendered through graphic alone. One has to use texts and lettering to describe names not feature i.e. Village, towns, rivers, forests, and descriptive remarks, values of contour lines, heights, distance stone number etc. Border information, marginal informations, titles, symbols tables scale etc. use text. Texts are available on different fonts, sizes and styles which are to be planned before entering on a map. Texts add beauty and meaning to maps and thus form an important component.

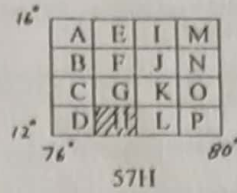
2.8 Numbering

	48°	52°	56°	60°	64°	68°	72°	76°	80°	84°	88°	92°	96°	100°	104°	108°	112°	114°
44°	1	8	15	22	28	32	37	42	51	60	69	75	80	89	98	107	115	123
36°	2	9	16	23	29	33	38	43	52	61	70	76	81	90	99	108	116	124
32°	3	10	17	24	30	34	39	44	53	62	71	77	82	91	100	109	117	125
28°	4	11	18	25	31	35	40	45	54	63	72	78	83	92	101	110	118	126
24°	5	12	19	26	36	41	46	55	64	73	79	84	93	102	111	119	127	
20°	6	13	20	27			47	56	65	74		85	94	103	112	120		
16°	7	14	21				48	57	66			86	95	104	113	121		
12°							49	58	67			87	96	105	114	122		
8°							50	59	68			88	97	106				
4°																		

The India and adjacent countries map is bounded by 4° to 40° of latitude and 44° to 124° of longitude. The area covered by the above map has been divided into 4° belt of latitude and 4° of longitude and each square is serially numbered starting from NW corner to down South and to Eastwards. These sheets are known as 1:1 M or Million sheets.

For example, the sheet covering an area bounded by 12° to 16° of latitude and 76° to 80° of longitude is 57.

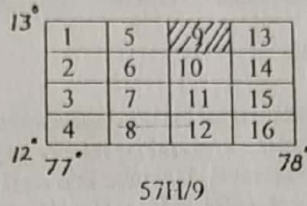
The 1:1 M sheets is further divided into 16 equal parts of 1° latitude X 1° longitude. This sheet is also known as degree sheet or 1:250,000 sheet. Each of these sheets is numbered from A to P along with the serial number of 1:1 M sheet. Thus 57H sheet covers an area of 12° to 13° of latitude and 77° to 78° of longitude.



1: 50,000 Scale Sheet:

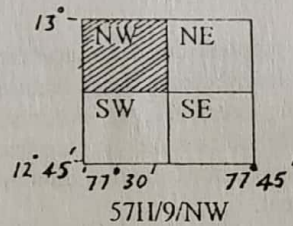
A degree sheet is again subdivided into 16 equal parts each of 15' latitude X 15' longitude in extent. These sheets are numbered from 1 to 16. Thus the sheet on 1:50,000 scale forming a part of 57H will be numbered as 57H/1, 57H/2, 57H/3 and so on.

Example: Sheet shown by hachures will be numbered as 57H/9.



1:25,000 Scale Sheet:

1:50,000 scale sheets are further subdivided into 4 equal parts, each of 7½' latitude X 7½' longitude. These sheets are numbered as 57H/NW, 57H/NE etc. as shown below. The scale of these sheets is 1:25,000.



International Numbering System (CIM series):

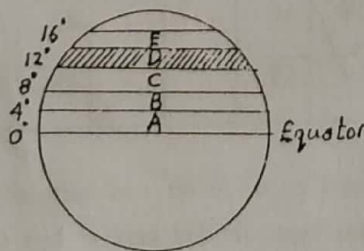
Each sheet covers an area from 4° latitude X 6° of longitude upto 60° latitude and beyond 60° latitude, it covers an area of 4° of latitude X 12° of longitude.

In numbering these sheets, the belts of 4° latitude N and S of equator are designated by letter A to X prefixing N or S, as the area lies N or S of Equator. The longitude belt of 6° reconns from the international date line (180° E or W of Greenwich) and proceeding Eastward numbering from 1 to 60.

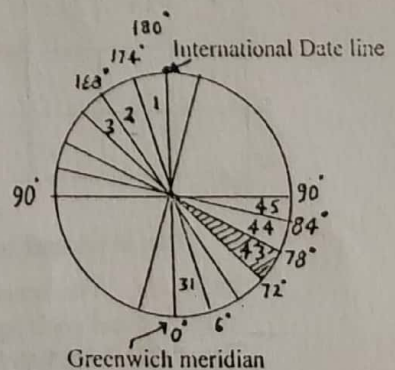
Thus the sheet number bounded by 12° and 16° of latitude and 72° & 78° of longitude in Northern Hemisphere will be ND : 43

Each international sheet has 24 sheets as its components. The sheet no. between latitude 12° & 13° and longitude 77° & 78° E of Greenwich is ND 43X.

LATITUDE



LONGITUDE



Measurement of Horizontal distance:

* Tapes and types:

The following are the different types of tapes.

1. Cloth (or) Linen tape
2. Metallic tape.
3. Steel tape.
4. Invar tape.

Raghu M.E.
Assistant Professor
Civil Department
B.T.E.T
Davangere.

1. Cloth (or) Linen tape:

Cloth tapes ~~tapes~~ of closely woven linen, (or) synthetic materials and is varnished to resist moisture, are light and flexible and may be used for taking comparatively rough and subsidiary measurements such as offsets.

A cloth tape is commonly available in lengths of 10m, 20m, 25m & 30m and in 33 feet, 50 feet, 66 ft and 100 feet.

The end of the tape is provided with small brass ring whose length is included in the total length of the tape.

A cloth tape is rarely used for making accurate measurements, because of the following reasons.

- ① It is easily affected by moisture (or) dampness and thus shrinks.
- ② Its length gets altered by stretching.
- ③ It is likely to twist and tangle, and.
- ④ It is not strong.

Before winding up the tape in the coil, it should be clean and dried.

Metallic tape: A metallic tape is made of varnished strip of water proof linen interwoven with small brass, copper (or) bronze wires & does not stretch as easily as cloth tape.

Since metallic tapes are light and flexible and are not easily broken, they are particularly useful in cross sectioning and in some methods of topography. They are commonly used for small survey work. This tape is available in lengths of 15, 20, 30 m. & 50 m lengths are supplied in a metal or leather case fitted with a winding device.

3. Steel tape: This is made of steel ribbon of width varying from 6 to 16 mm. It is graduated in metres, decimetres and centimetres. It is commonly available in lengths of 10, 15, 20, 30 & 50 m. It is generally used for standardising chain and for measurements in constructional work.

4. Invar tape: Invar tape is made of an alloy of steel (64%) and nickel (36%). Its thermal coefficient is very low ($0.122 \times 10^{-6} / ^\circ\text{C}$). Hence it is not affected by change of temperature. It is available in lengths of 30 m, 50 m & 100 m & in a width of 6 mm. It is used at places where maximum precision is required and generally used in triangulation survey conducted by "the survey Dept of India".

Ranging a line:

The process of locating intermediate points on a straight line b/w two end points in the field is known as "Ranging". Ranging is done prior to chaining.

Ranging is of two kinds, namely

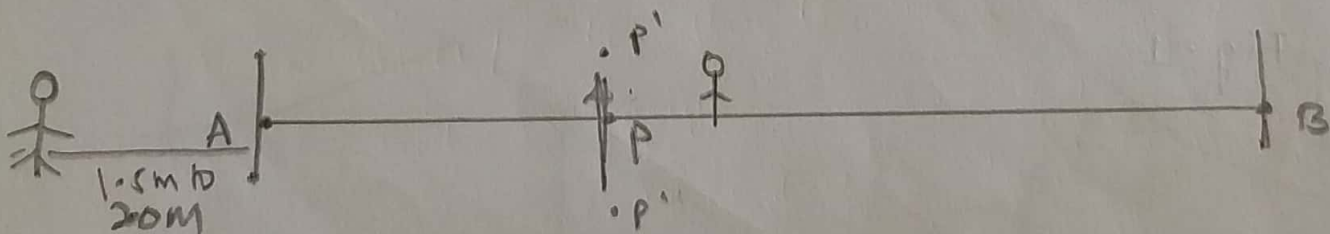
1. Direct ranging.
2. Indirect ranging.

1. Direct ranging:

When intermediate ranging rods are fixed on a straight line by direct observations from end stations, the process is known as "direct ranging". Direct ranging is possible when the end stations are intervisible. Direct ranging can be done either by "eye" or by using "line ranger".

a) Ranging by Eye:

In Fig. 1 A and B are two end stations of a chain line, where two ranging rods are already fixed. The surveyor stands about 1.5-2m behind ranging rod at A by looking towards the line AB. He directs the assistant, holding the ranging rod to move to the left or right until the ranging rod comes in the line AB. The ranging rod is fixed at the point so obtained. Say P. The ranging will be perfect. When the three ranging rods coincide and appear as a single rod. The same procedure is followed to locate the remaining points.



(b) Rangier by line Rangier :

The line Rangier consists of two right angled isosceles triangular prisms, placed one above the other as shown in fig. 1. The reflecting surfaces of the two prisms are normal to each other. It is a handy reflecting instrument, used for locating intermediate points on a straight line.

Let a points P is to be fixed in line b/w the rangier rods. A and B. The observer holding the line rangier at the eye level stands nearly at P and looks through the line rangier. The observer sees the images of two rangier rods in the upper and lower prisms. If the two images appear separate then, the observer is not in the line AB. He then moves forward and backward till the two images appear at one line (Fig 1.5) The required point P is then vertically b/w below the centre of instrument.

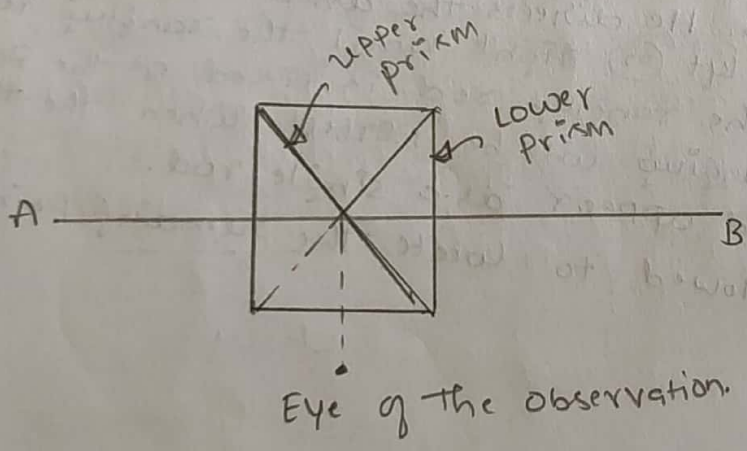
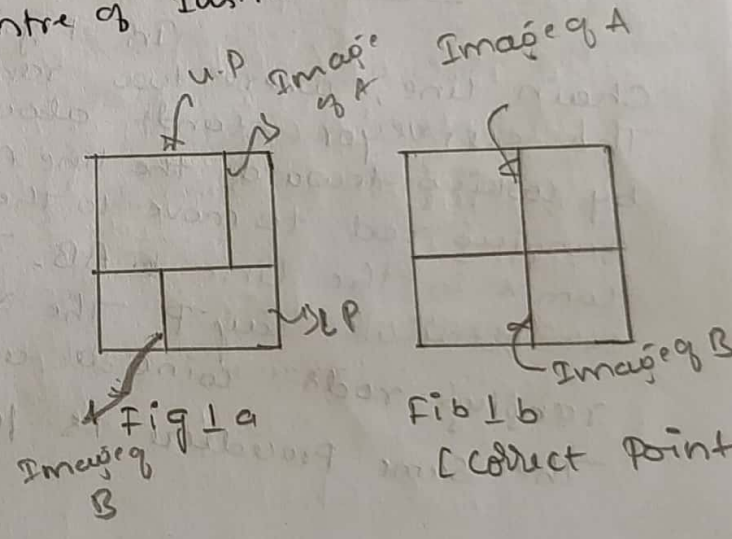


Fig. 1.



(2)

In Direct ranging : [OR Reciprocal Ranging]

When the two end stations are not intervisible due to a high ground b/w them, intermediate points are located on the line by indirect method. This method is known as "Indirect ranging" or "Reciprocal Ranging".

The following procedure is adopted for Indirect ranging.

Let A and B be the end stations, which are not intervisible due to a high ground b/w them. (Ref. following fig)

Two chain men take up positions at R_1 and S_1 , with ranging rods in their hands. The chainman at R_1 stands with his face towards B, so that he can see the ranging rods at S_1 and B.

Again, the chainman at S_1 stands with his face towards

A, so that he can see the ranging rods at R_1 and A.

The chainman at R_1 directs the chainman at S_1 to come to the position S_2 , so that R_1, S_2 and B are in the same straight line. Now the chainman at S_2 directs the chainman at R_1 to move to the position R_2 , so that S_2, R_2 and A are in the same straight line. By directing each other alternately in this manner, they change their positions every time until they finally come to the positions R and S, which are in the straight line AB.

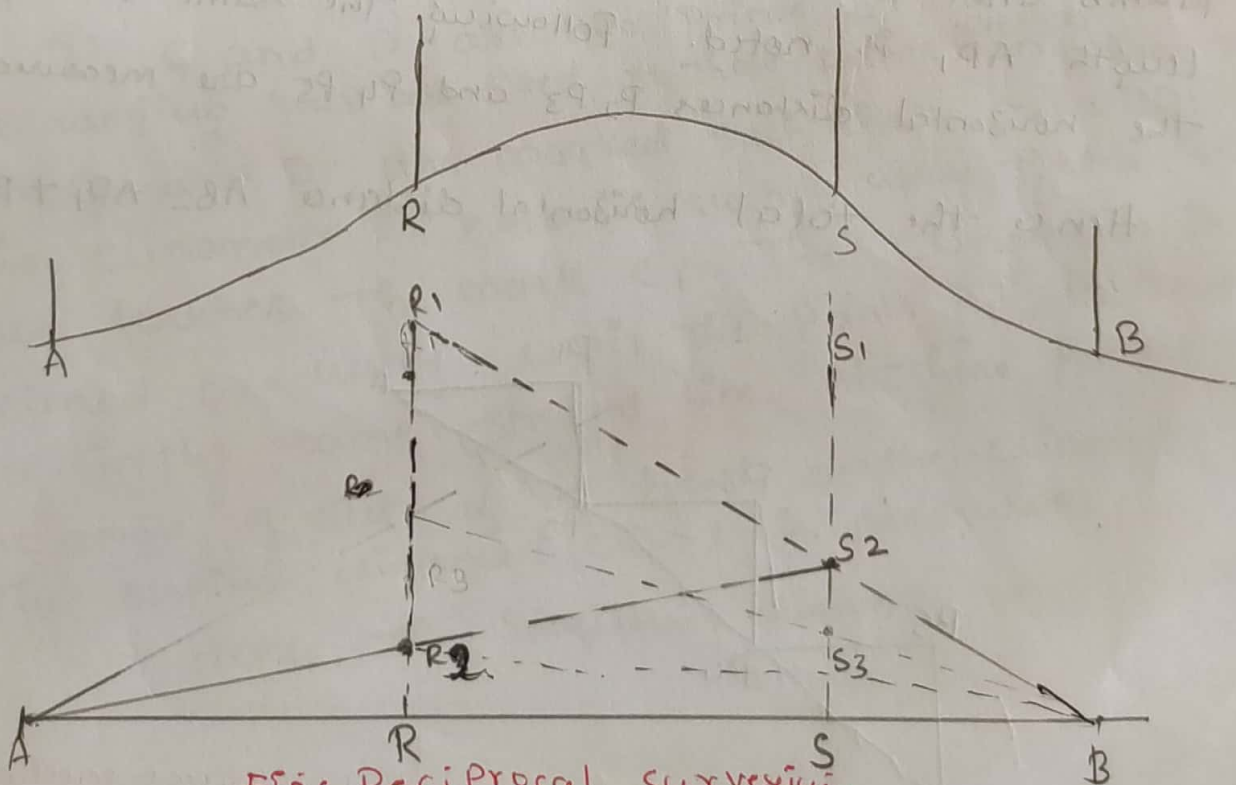


Fig: Reciprocal Surveying.

Oral & Head of Civil Engg. Dep
B. I. E. T. Davangere.

② Measurement of Distances over sloping ground:

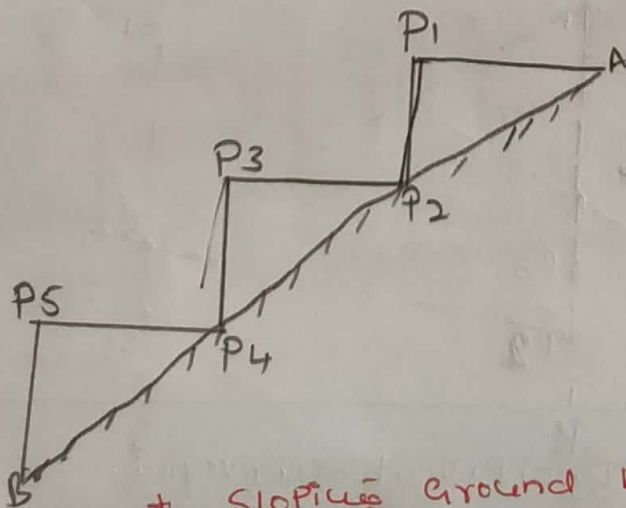
Horizontal distances are required in surveying. Hence in chaining along a sloping ground, the horizontal distance b/w two stations are measured carefully by applying some convenient methods. The following methods are generally adopted.

- a) Direct method.
- b) Indirect method.

a) Direct method:

This method is adopted, when the slope is very steep. In this method, the sloping ground is divided into a number of horizontal and vertical strips like steps. Hence this method is also known as the stepping method. The lengths of the horizontal positions are measured and added to get the total horizontal distance. The procedure of measuring horizontal distance along the sloping ground is as follows (Ref. fig). The follower holds the zero end of the tape at A. The leader selects a suitable length AP_1 so that AP_1 is just horizontal. The horizontality is maintained by "eye estimation" (a). Tri-square. The point P_2 is marked on the ground by plumb line bob so that P_1 is just over P_2 . The horizontal length AP_1 is noted. Following the same procedure the horizontal distances P_2P_3 and P_4P_5 are measured.

Hence the total horizontal distance $AB = AP_1 + P_2P_3 + P_4P_5$.



b) Indirect Method:

When the slope of the ground surface is long and gentle, the stepping method is not suitable. In such a case, the horizontal distance may be obtained by the following process.

- 1] By measuring slope with clinometer
- 2] By applying hypotenusal allowance and.
- 3] By knowing difference in level b/w points.

1] Measuring slope with clinometer

A clinometer is a graduated semicircular protractor.

It consists of two pins P_1 and P_2 [Ref fig] for sighting the object.

A plumb bob is suspended from point O. When the "diametrical axis" is just horizontal, the thread of plumb bob passes through O. When the "diametrical axis" is tilted, the thread remains vertical, but passes through a graduation on the arc which shows the angle of slope.

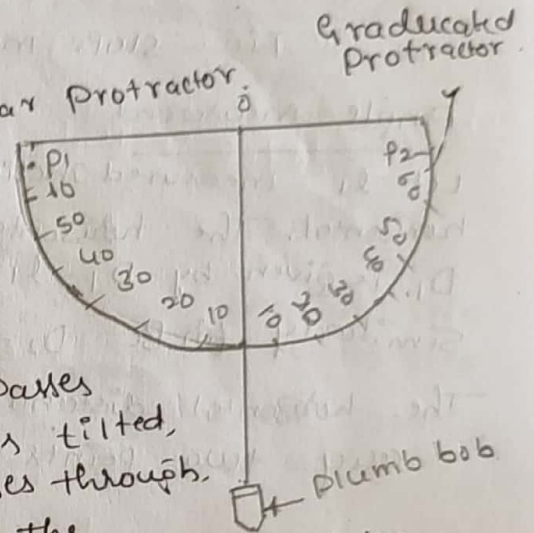


Fig: Clinometer

If G and D are two points on the sloping ground, two ranging rods are fixed at these points. (Ref fig 2) rods G_1 and D_1 are marked such that $CC_1 = DD_1$. The clinometer is held in such a way that its centre, just touches the mark C_1 . The clinometer is then inclined gradually until the points P_1 , P_2 and D_1 are in the same straight line. At this position, the angle of slope α is read on the clinometer. The sloping distance $CD = l$ is measured. Hence, the required distance $= CD' = l \cos \alpha$.

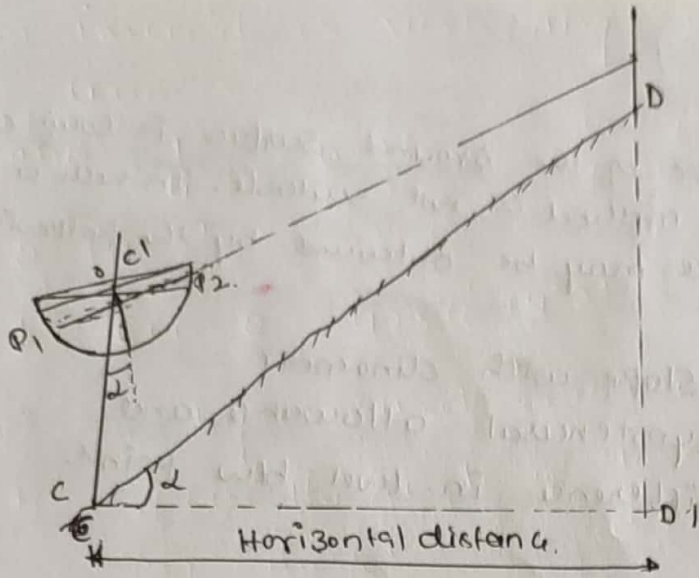
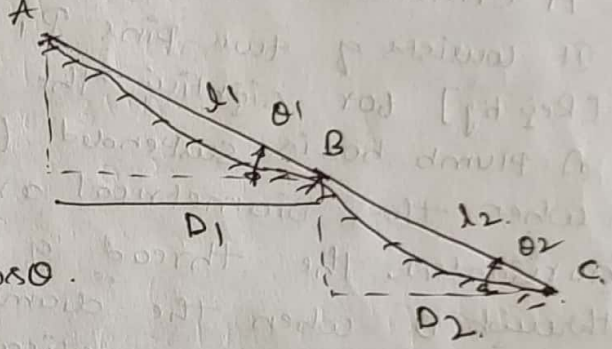


Fig: slope measurement with clinometer.

Angle measured

Let l_1 = measured inclined distance blw AB and θ_1 = slope of AB with horizontal. The horizontal distance D_1 is given by $D_1 = l_1 \cos \theta_1$.
Similarly for BC $D_2 = l_2 \cos \theta_2$.



The horizontal distance blw any two points = $\sum l \cos \theta$.

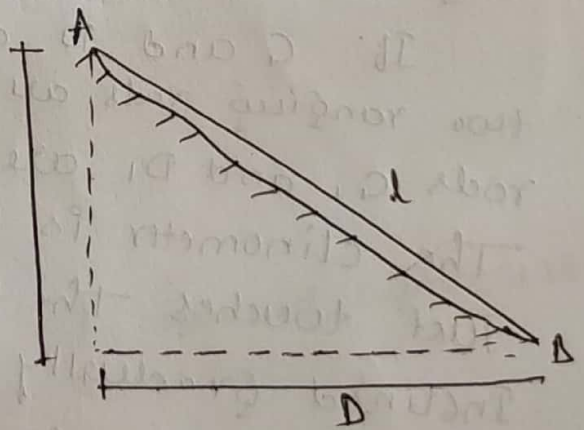
Method 2. Difference in level measurement:

Some In this method, the sloping distance l and difference in levels h are measured [Ref fig]

Then the horizontal distance are given by

$$D = AB = \sqrt{l^2 - h^2}$$

$$D = \sqrt{l^2 - h^2}$$



Method 3 Hypotenusal allowance:

In this method, the slope of the ground is first measured with clinometer in fig.

Let $AB = AB' = 20m = 100 \text{ Links}$

$AC = AB \sec \theta = 100 \sec \theta$

$B'C = AC - AB'$

$= 100 \sec \theta - 100$

$= 100 (\sec \theta - 1) \text{ Links}$

$B'C = 100 (\sec \theta - 1) \text{ Links}$

The amount $100 (\sec \theta - 1)$ is called "Hypotenusal allowance".

While chaining along the slope, one chain would be actually located at B' .

But the arrow is placed at C , after making hypotenusal allowance. The next chain will start from C . The same principle is followed until the end of the line is reached.

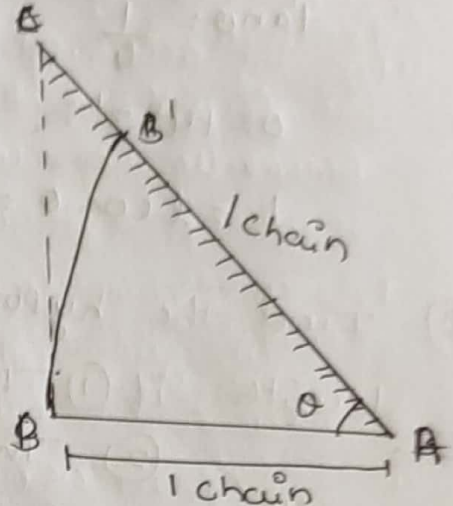


Fig: Hypotenusal allowance.

$\sec \theta = \frac{AC}{AB}$

$AC = AB \cdot \sec \theta$

$AC = 100 \cdot \sec \theta$

- Problem 1. The distance b/w the points measured along a slope is 428m. Find the horizontal distance b/w them if
- The angle of slope b/w the points is 8° ,
 - The difference in level is 62m.
 - The slope is 1 in 4.

Q. Let (a)

$D = \text{horizontal length}$ $l = \text{measured length} = 428m$

$D = l \cos \theta = 428 \cos 8^\circ$

$D = 423.834M$

(b)

$D = \sqrt{l^2 - h^2}$

$D = \sqrt{428^2 - 62^2}$

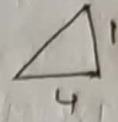
$D = 423.48M$

c) For unit is vertically, horizontal distance is 4 units

$$\tan \theta = \frac{1}{4} = 0.25$$

$$\theta = 14^\circ 2'$$

$$L = l \cos \theta = 428 \cos 14^\circ 2' = 415.22 \text{ m}$$



② Find the hypotenusal allowance per chain of 20m length if ① The angle of slope is 10° ② The ground fixed by 4m in one chain length

Sol

① Hypotenusal allowance = $100 [\sec \theta - 1]$ links
 $= 100 [\sec 10^\circ - 1]$
 $= 1.54$ links
 $= 0.31 \text{ m}$

$$\tan \theta = \frac{4}{20} = \frac{1}{5} = 0.2$$

$$\theta = 11^\circ 19'$$

② Hypotenusal allowance = $100 [\sec 11^\circ 19' - 1]$ links
 $= 1.987$ links.
 $= 0.4 \text{ m}$

Tape Corrections

Accurate measurements of distance is made by means of a steel tape of 30m or 50m or 100m length. Depending upon the accuracy required in the measurement, certain corrections are applied to the measured distance.

The following corrections are applied to the measured length of a line to obtain its true length.

1. Correction for absolute length.
2. Correction for temperature.
3. Correction for pull or tension.
4. Correction for sag.
5. Correction for slope.
6. Correction for alignment.
7. Correction for sea level.
8. Correction to measurement in vertical plane.

Correction for absolute length (C_a):

If the actual length of the tape or wire is not equal to its nominal or designated length, a correction will have to be applied to the measured length of the line.

If the actual length of the tape is greater than the nominal and the correction will be additive.

If the actual length of the tape is lesser than the nominal length, the measured distance will be too great and the correction will be subtractive.

$$C_a = \frac{L \cdot c}{l}$$

C_a = correction for absolute length.

L = measured length of the line

c = correction per tape length.

l = designated length of the tape.

C_a will be of the same sign as that of c

② Correction for Temperature:

If the temperature in the field is more than the temperature at which the tape was standardised, the length of the tape increases, measured distance become less, and the correction is therefore additive. Similarly, if the temperature is less, the length of the tape decreases, measured distance becomes more & the correction is negative.

The C_t temperature correction is given by

$$C_t = \alpha [T_m - T_0] L$$

α = Thermal coefficient of thermal expansion.
 T_m = Mean temperature in the field during measurement.
 T_0 = Temperature during standardisation of the tape.
 L = measured length

$$\alpha = 11.4 \times 10^{-6} / ^\circ\text{C} \text{ for steel tape}$$

$$\alpha = 6.3 \times 10^{-6} / ^\circ\text{C} \text{ for invar tape}$$

$$C_t (\text{brass}) = \frac{\alpha_b [L_s - L_b]}{\alpha_b - \alpha_s}$$

$$C_t (\text{steel}) = \frac{\alpha_s [L_s - L_b]}{\alpha_b - \alpha_s}$$

Tadlerin's method.

sign C_t is positive when $T > T_0$ (Error +ve)
 negative $T < T_0$ (Error -ve)

③ Correction for Pull or Tension:

If the pull applied during measurement is more than the pull at which the tape was standardised, the length of tape increases, measured distance become less, and the correction is positive. Similarly, if the pull is less, the length of the tape decreases, measured distance become more and the correction is negative.

$$C_p = \frac{[P - P_0] L}{AE}$$

Sign C_p is positive when $P > P_0$ and negative when $P < P_0$

P = Pull applied during measurement (N)

P_0 = Standard Pull (N)

L = Measured length (m)

A = Cross-sectional area of the tape (cm²)

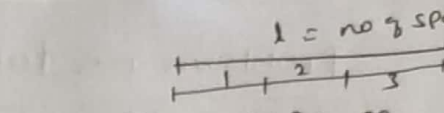
E = Young's modulus of elasticity (N/mm²)

4. Correction for sag (C_s)

$$C_s = \frac{l(w^2)}{24n^2p^2}$$

Sign = Always negative.

$l =$ length of tape, m
 $w =$ weight of tape, N
 $n =$ Number of spans in one length of tape
 $p =$ Pull applied during measurement, N

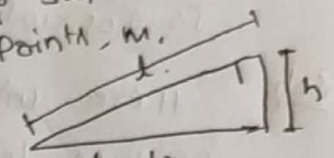


5. Correction for slope (C_g) Correction for gradient (C_g)

$$C_g = \frac{h^2}{2l}$$

Sign = Always negative

$h =$ difference in level b/w two consecutive points, m.
 $l =$ length measured along slope b/w above consecutive points, m.

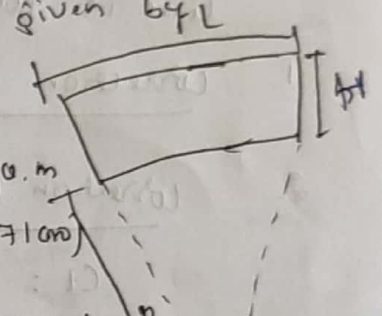


6. Reduction to Mean sea level (MSL) (C_R)

In geodesy, all horizontal distances must be reduced to equivalent distances at MSL. The correction is given by

$$C_R = \frac{H}{R} \cdot L$$

$H =$ elevation of ground wrt. m.s.l. m
 $L =$ Corrected measured distance, m
 $R =$ Radius of earth, m (6371 km)



Sign = always negative.

Note: Normal tension: This is the pull (P_0) Tension applied to the tape during measurement, which neutralises the effect of sag.

Pull correction = Sag correction

$$\left[\frac{P - P_0}{AE} \right] L' = \frac{l(w^2)}{24n^2p^2}$$

For tape length $l' = l$

$$\left[\frac{P - P_0}{AE} \right] l = \frac{l(w^2)}{24n^2p^2}$$

The value of P can be obtained by trial & error.

Problems on tape corrections

1. A 30m steel tape was standardized at 25°C on the flat under a pull of 60N. The length of a survey line was measured to be 111m long, with this tape at an average temperature of 36°C and a pull of 90N. The tape was supported above the ground each time it was used. Find the correct length of the survey line. The cross-sectional area of the tape is 3.6 mm². Unit weight of tape material is 7.7 × 10⁻⁵ N/mm³. Young's modulus of tape material is 2.05 × 10⁵ N/mm². Coefficient of linear expansion is 11.6 × 10⁻⁶ /°C.

Sol

Here corrections are applied per tape length and net correction per tape length is obtained. Then the corrected length of survey line is found.

1. Correction for absolute length (Ca = 0) (Neither tape is too short nor too long)

2. Correction for temperature (Ct)

$$C_t = \alpha [T - T_0] L'$$

$$C_t = 11.6 \times 10^{-6} [36 - 25] 30$$

$$C_t = 0.003828 \text{ m} \quad (+ve)$$

Hence: $\alpha = 11.6 \times 10^{-6} / ^\circ\text{C}$
 $T = 36^\circ\text{C}$
 $T_0 = 25^\circ\text{C}$
 $L' = \text{tape length} = L = 30\text{m}$

3. Correction for pull (Cp)

$$C_p = \frac{[P - P_0] \times L'}{AE}$$

$$C_p = \frac{[90 - 60] \times 30}{3.6 \times 2.05 \times 10^5}$$

$$C_p = 0.001220 \text{ m} \quad (+ve)$$

Here $P = 90\text{N}$, $P_0 = 60\text{N}$, $A = 3.6\text{mm}^2$
 $E = 2.05 \times 10^5 \text{ N/mm}^2$, & $L' = L = 30\text{m}$

4. Correction for sag (Cs)

$$C_s = \frac{l [W]^2}{24n^2 P^2}$$

$n = 1$ $P = 90\text{N}$

$$C_s = \frac{30 [8.316]^2}{24 \times 1^2 \times 90^2} = 0.01067 \text{ m} \quad (-ve)$$

$$C_s = 0.01067 \text{ m}$$

$$l = L' = 30\text{m}$$

$$W = \text{wt of tape, N}$$

$$= \gamma \times A \times l$$

$$= 7.7 \times 10^{-5} \times 3.6 \times 30 \times 10^3$$

$$W = 8.316 \text{ N}$$

$$= \text{N/mm}^3 \times \text{mm}^2 \times \text{mm}$$

$$= \text{N}$$

4. Correction for sag (C_s)

$$C_s = \frac{l(w^2)}{24n^2p^2}$$

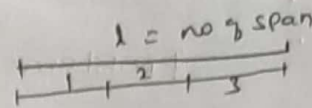
Sign = Always negative.

l = length of tape, m

w = weight of tape, N

n = Number of spans in one length of tape

p = Pull applied during measurement, N



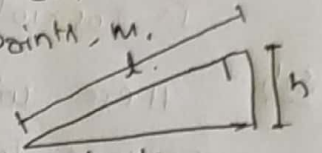
5. Correction for slope (C_g) Correction for gradient (C_g)

$$C_g = \frac{h^2}{2l}$$

Sign = Always negative

h = difference in level b/w two consecutive points, m.

l = length measured along slope b/w above consecutive points, m.



6) Reduction to Mean sea level (MSL) (C_R)

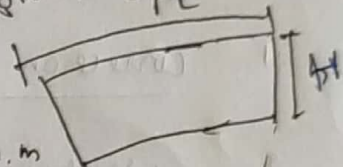
In geodesy, all horizontal distances must be reduced to equivalent distances at MSL. The correction is given by

$$C_R = \frac{H}{R} \cdot L$$

H = elevation of ground wrt. M.S.L. m

L = Corrected measured distance, m

R = Radius of earth, m (6371000)



Sign = always negative.

Note: Normal tension: This is the pull (P_0) tension applied to the tape during measurement, which neutralises the effect of sag.

Pull correction = Sag correction

$$\left[\frac{P - P_0}{AE} \right] L = \frac{l(w^2)}{24n^2p^2}$$

For tape length $l = L$

$$\left[\frac{P - P_0}{AE} \right] L = \frac{l(w^2)}{24n^2p^2}$$

The value of P can be obtained by trial & error.

∴ Net correction for tape, length of 30m =

$$= 0.003828 + 0.001220 - 0.01067$$

$$= -0.005622 \text{ m}$$

$$= 0.005622 \text{ m (-ve)}$$

For 30m - correction is 0.005622m

For 1111m - correction is $\frac{0.005622}{30} \times 1111 = 0.2082 \text{ m (-ve)}$

∴ corrected length of line = $1111 - 0.2082$
 $= 1110.7918 \text{ m}$

② A 20m steel tape was standardised on flat ground at a temperature of 20°C under a pull of 150N. The tape was used as catenary at a temperature of 30°C and under a pull of 100N. The cross-sectional area of tape is 2mm², and its total weight is 4N. The Young's modulus and coefficient of linear expansion of steel are 210GPa and 11 × 10⁻⁶/°C. Find the correct horizontal distance.

$L = 20 \text{ m}$ $A = 2 \text{ mm}^2$
 $T_0 = 20^\circ \text{C}$ $W = 4 \text{ N}$
 $P_0 = 150 \text{ N}$ $E = 2.1 \times 10^5 \text{ N/mm}^2$
 $T = 30^\circ \text{C}$ $\alpha = 11 \times 10^{-6} / ^\circ \text{C}$
 $P = 100 \text{ N}$

① $C_T = \alpha [T - T_0] L' = \text{Temperature}$
 $= 11 \times 10^{-6} [30 - 20] 20$
 $C_T = 0.0022 \text{ m (+ve)}$

2. $C_P = \left[\frac{P - P_0}{AE} \right] L' = \left[\frac{100 - 150}{(2 \times 2.1 \times 10^5)} \right] \times 20$
 $C_P = 0.00238 \text{ m (-ve)}$

③ $C_S = \text{Correction for sag}$
 $C_S = \frac{L(W^2)}{24n^2 P^2} = \frac{20(4^2)}{24 \times 1^2 \times 100^2}$
 $C_S = 0.00133 \text{ m (+ve)}$

∴ Net correction = $+0.0022 - 0.00238 + 0.00133$

$N_c = -0.00151 \text{ m}$

Corrected length of distance = $20 - 0.00151 = 19.99849 \text{ m}$

③ A steel tape is 30m long at 18°C. When laid horizontally on the ground, its sectional area is 2mm². Its weight is 12.36N and coefficient of expansion is 35 × 10⁻⁷ / °C. The tape is stretched over three supports at the same level and at equal intervals. Calculate the actual length. When the temperature and pull applied during measurements are 25°C and 400N. Assume E = 1.77 × 10⁵ N/mm².

\Rightarrow Sol $L' = 30$ $T_0 = 18$ $T = 25^\circ\text{C}$ $A = 2\text{mm}^2$ $w = 12.36\text{N}$
 $\alpha = 35 \times 10^{-7} / ^\circ\text{C}$ $n = 2$ $P = 400$ $P_0 = 0$

1. Correction for temperature $C_t = \alpha [T - T_0] L'$

$$C_t = 35 \times 10^{-7} [25 - 18] 30$$

$$C_t = 0.000735\text{m (+ve)}$$

2. Correction for pull $C_p = \left[\frac{P - P_0}{AE} \right] L'$

$$= \left[\frac{400 - 0}{2 \times 1.77 \times 10^5} \right] \times 30$$

$$C_p = 0.033898\text{m (+ve)}$$

3. Correction for sag $C_s = \frac{L(w^2)}{24n^2P^2}$

$$C_s = \frac{30 \times 12.36^2}{24 \times 2^2 \times 400^2}$$

$$C_s = 0.000298\text{m (-ve)}$$

\therefore Net correction = $C_N = 0.000735 + 0.033898 - 0.000298$

$$C_N = 0.034335\text{m (+ve)}$$

Actual length = $L = 30 + C_N = 30 + 0.034335$

$$L = 30.034335\text{m}$$

4. A nominal distance of 30m was set out with a steel tape from a mark on the top of one peg to a mark on the top of another peg. The tape was in catenary under a pull of 160N and at a temperature of 32°C. The top of one peg was 0.532m above the top of the other. Determine the horizontal distance b/w the marks on the two pegs.

The tape was standardised in catenary under a pull of 130N and at a temperature of 27°C. Mass of tape = 0.022 kg/m
 Cross sectional area = 3.15 mm², Co-efficient of linear expansion = $9 \times 10^{-7} / ^\circ\text{C}$ and Young's modulus = $1.5 \times 10^5 \text{ N/mm}^2$

Sol

As the tape has been standardised in catenary, the true length of the tape on the flat is obtained by adding "sag correction" to the catenary length.

$$\text{True length of tape} = 30 + \frac{l(w^2)}{24n^2p^2}$$

$$= 30 + \frac{30(6.48^2)}{24 \times 12 \times 130^2}$$

$$= 30 + 0.0031$$

Here $l = 30\text{m}$,
 $w = 0.022 \times 9.81 \times 30$
 $w = 6.48\text{N}$
 $p = 130$

$$L' = 30.0031\text{m}$$

Corrections to measured length [to 30.0031 and not 30m]

1. $C_t = \alpha [T - T_0] L' = 9 \times 10^{-7} [32 - 27] \times 30.0031$
 $C_t = 0.000135\text{m}$ +ve

2. $C_p = \left[\frac{P - P_0}{AE} \right] L' = \left[\frac{160 - 130}{3.15 \times 1.5 \times 10^5} \right] 30.0031$
 $C_p = 0.001905\text{m}$ +ve

3. $C_s = \frac{l(w^2)}{24n^2p^2} = \frac{30.0031 \times 6.48^2}{24 \times 12 \times 160^2}$
 $C_s = 0.002051\text{m}$ (-ve)

4. $C_g = \frac{h^2}{2L} = \frac{0.532^2}{2 \times 30.0031} = 0.004717\text{m}$ (-ve)

$$\text{Net correction} = 0.000135 + 0.001905 - 0.002051 - 0.004717$$

$$= -0.004728 \text{ m}$$

$$\text{Correct distance b/w the marks} = 20.0031 - 0.004728$$

$$= \underline{29.998372 \text{ m}}$$

⑤ A line 2 km long is measured with a tape of length 50 m, which is standardised under no pull at 15°C. The tape in section is 3 mm wide and 1.25 mm thick. In one-half the line is measured at a temperature of 20°C. The other half at 26°C & the tape is stretched with a pull 215.82 N, find the corrected total length using the following data.

$$\text{Coefficient of linear expansion} = 12 \times 10^{-6} / ^\circ\text{C}$$

$$\text{Weight of } 1 \text{ m}^3 \text{ of tape material} = 76.03 \text{ kN}$$

$$\text{Modulus of elasticity of tape material} = 2.07 \times 10^5 \text{ N/mm}^2$$

Sub First half

$$C_t = 12 \times 10^{-6} [20 - 15] 50 = 0.003 \text{ m (+ve)}$$

$$C_p = \frac{[215.82 - 0] \times 50}{(3 \times 1.25)(2.07 \times 10^5)} = 0.0139014 \text{ m (+ve)}$$

$$C_s = \frac{1}{24n^2 p^2} = 50$$

$$C_s = \frac{50 \times 14.235^2}{24 \times 12 \times 215.82^2}$$

$$C_s = 0.009095 \text{ m (-ve)}$$

$$\text{Net} = 0.003 + 0.0139014 - 0.009095$$

$$\text{Net} = \underline{0.007613 \text{ m}}$$

Correction for 1000 m

$$\text{True length} = \frac{0.007613}{50} \times 1000$$

$$\text{True length} = 0.1526$$

$$\text{True length} = 1000 + 0.1526$$

$$\text{TL} = \underline{1000.1526 \text{ m}}$$

First half

$$L = 12 \times 10^{-6}$$

$$T_m = 20$$

$$T_0 = 15$$

$$L = 50$$

$$P = 215.82$$

$$P_0 = 0$$

$$W = \gamma \times A \times L \times L$$

$$= 76.03 \times 10^3 \times 3 \times 1.25 \times 10^{-6} \times 50$$

$$W = \underline{14.255 \text{ N}}$$

$$A = 3 \times 1.25$$

$$E = 2.07 \times 10^5$$

Second half :

$$Ct = 12 \times 10^6 (26-15) \times 50 = 0.0066 \text{ m}$$

$$Cp = 0.013708 \text{ m (+ve)}$$

$$Cs = 0.009095 \text{ m (-ve)}$$

$$\text{Net} = 0.0066 + 0.013708 - 0.009095$$

$$\boxed{\text{Net} = + 0.011213 \text{ m}}$$

Correction for 1000m

$$\text{True length} = \frac{0.011213}{50} \times 1000$$

$$\boxed{\text{True length} = 0.22426}$$

$$\boxed{\text{TL} = 1000 \cdot 22426 \text{ m}}$$

$$\approx 1000 \cdot 1526 + 1000 \cdot 22426$$

$$\text{Total length} = 2000 \cdot 37686 \text{ m}$$

6) The corrected measured length of a base is 16453-15346 m. Its mean elevation is 874.5 m above mean sea level. Find the length of the base line reduced to MSL. Assume the mean radius of earth as 6371 km.

Correction to reduce the distance to MSL

$$Cr = \frac{h \times l}{R}$$

$$= \frac{874.5}{6371 \times 10^3} \times 16453.15346 = 2.25840 \text{ m (-ve)}$$

$$\text{length reduced to MSL} = 16453.15346 - 2.25840 \\ = \underline{16450.89506 \text{ m}}$$

Electronic Distance measurement

A total station is a combination of an "electronic theodolite" and

Electronic Distance Meter (EDM). The electronic theodolite, which measures the horizontal and vertical angles, works with electronic speed and efficiency.

The EDM measures the distance. A total station, when aimed at an appropriate target measures the following three parameters.

- i) Horizontal angle with respect to north or any reference.
- ii) Vertical angle with respect to vertical (plumb) called "Zenith angle" and
- iii) Sloped distance between instrument and target.

All other data, like horizontal distance, vertical distance (REDUCED LEVELS), coordinates (Easting and Northing) are derived from the above three fundamental parameters.

Features of Total Station:

1. Angle measurement with an electronic theodolite.
2. Distance measurement with EDM. Total station uses coaxial optics in which EDM transmitter and receiver are combined with theodolite telescope. Total station measures the slope distance.
3. Control panel: Total station is actuated through its control panel. It consists of key board and multiple line Liquid Crystal Display (LCD). There are two control panels, one on each face of electronic theodolite to make them easier to use. Key board incorporates multiple multi-function keys to carry out specific tasks.
4. Power supply: Rechargeable Nickel-Cadmium batteries are used for power supply.
5. Retro-reflector: A special form of reflector known as "corner cube prism", which is mounted on a pole is used as a target.
6. On board software: A micro-processor is programmed to perform many calculations like
 - i) Horizontal distances
 - ii) Vertical distances (Reduced levels)
 - iii) Coordinates (Northing, Easting etc).

All data recorded can be down loaded to a computer and required plotting details can be performed using a software.

→ Advantages of total stations over conventional instruments:

- i) Measurement of distances with chain and tape are eliminated.
- ii) Measurement of bearings, ^(P.C) ~~distances~~, calculation of coordinates like northing, Easting etc are eliminated.
- iii) Recording ^{staff} readings using level and reduction of levels are eliminated.
- iv) Reading Verniers of theodolite, recording and averaging of horizontal and vertical angles are all eliminated.
- v) Variations in results due to a variation in atmospheric conditions like temperature, pressure etc are eliminated. This is because the values obtained with total stations are automatically corrected through sensors.
- vi) Manual plotting works are eliminated.

Applications of total stations:

- i) Traverse Survey
- ii) Topography reduction. (RLs & contour mapping)
- iii) Remote object elevation
- iv) Distance between remote points.
- v) Setting out works
- vi) Transfer of data to computer.
- vii) Transfer of computer file to the data recorder of total station. etc.

$$\begin{array}{r} 1.225 \\ 055 \\ \hline 1.380 \end{array} \quad \begin{array}{l} (92) \\ a_2 = 135 \end{array}$$

Terms:

Main Stations: These are the chain stations selected along the boundary. The line joining the main stations are called "main survey lines". These stations are denoted by Δ with letters A, B, ...

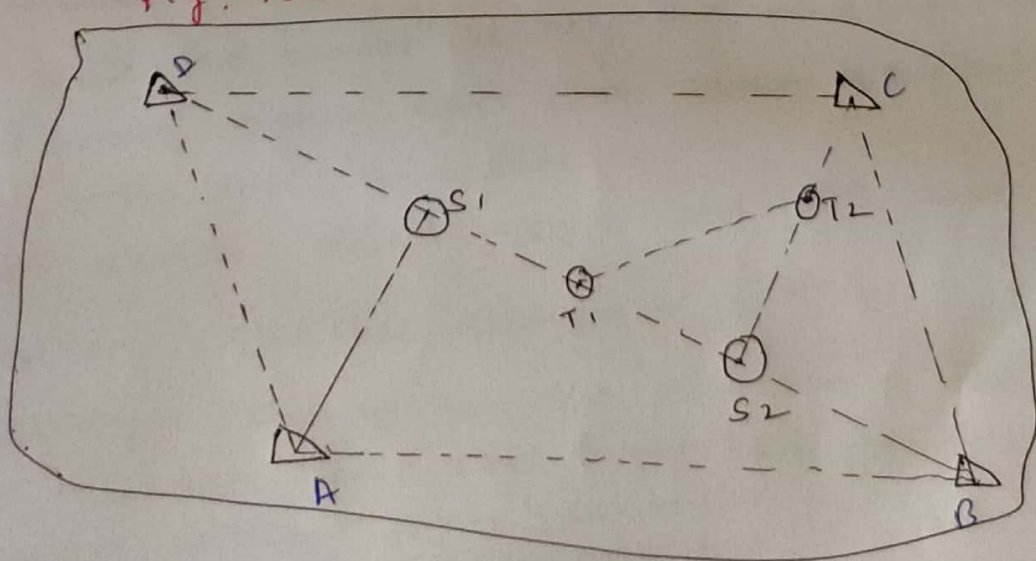
Subsidiary Stations: These are the stations selected on the main lines. The line joining the main stations and subsidiary stations is called "subsidiary line". These are denoted by \odot with letters S_1, S_2, \dots

Tie Line: It is a line connecting subsidiary stations to get the direction of the sides of the triangle. These are also used to locate the interior details. Tie stations are denoted by \odot with letter T_1, T_2, \dots

Check line: It is a line selected to check the accuracy of the Δ . The field measurement and scaled distance are compared to check the accuracy.

Base line: The longest line in the network of triangles is called "Base line".

Fig: Network of Δ s in chain surveying



A, B, C and D - Main stations

AB, BC, CD & DA - Main survey lines

S_1 & S_2 - Subsidiary stations

DS₁ & BS₂ - Subsidiary lines

T₁ & T₂ - Tie stations

T₁, T₂ - Tie line (Also used as Check line)

AC - Base line

Field Book. :

The note book in which measurements are noted is known as "Field book". The field book of size 200mm x 120mm, and opens length wise. which can be carried ~~out~~ in the pocket.

There are two forms of the book
 1) single line, and 2) double line.

In the field book, two red lines 15mm apart are drawn through the middle of each page. This column represents the chain line and the chainages are written in it. The objects are recorded with sketches to the left of this column. The reading is started from the last page and continued towards the first. The main stations are marked by Δ and subsidiary \odot tie stations by \odot .

The entry on a page of field book is shown below

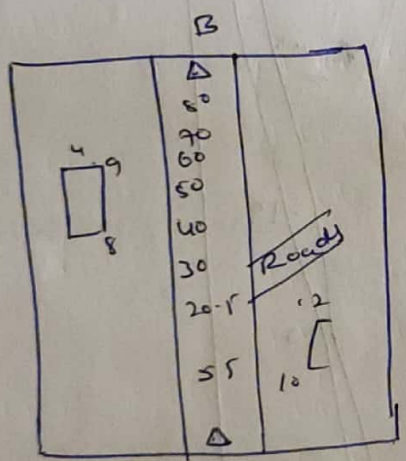


Fig. Sample of Field book page.

Precautions to be taken while entering the field book.

- * All measurements should be noted as soon as they are taken
- * Each chain line should be recorded on a separate page. The recording should start from bottom of one page and each on the top of another.
- * Index sketch, object sketch and notes should be clear.
- * Reference sketches should be given.
- * Surveyor should take the direction of chaining so that the left-hand and right-hand objects can be recorded without any confusion.
- * Over-writing should be avoided.

1. Open out a page of field book and enter the following readings

(a) Chainage of line AB is 95.5m.

(b) The offsets to the pond at the left of the chain line are as follows

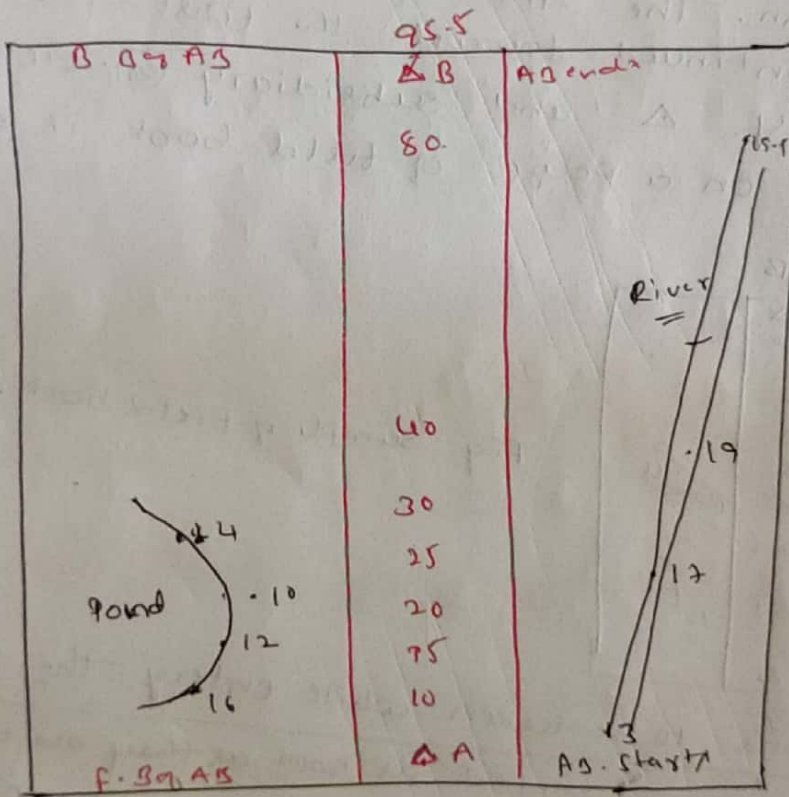
Chainage 10, 15, 20, 25, 30m

offsets 16, 12, 10, 14, 20m

(c) The offsets to the river at the right of chain line are as follows

Chainage 5, 25, 40, 80


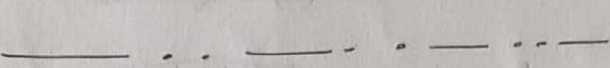
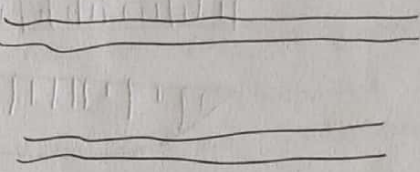

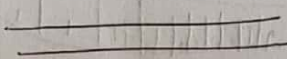
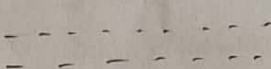
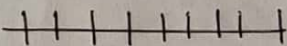
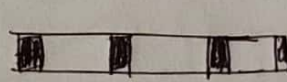
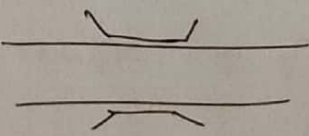
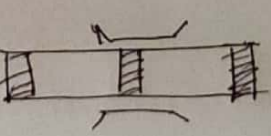

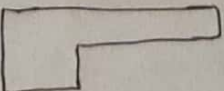
offsets 13, 17, 19, 15m



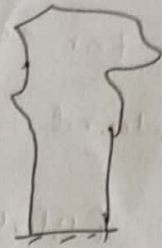
Conventional Symbols:

In a map, the objects are shown by symbols and not by names. Hence the surveyor should know the standard conventional symbols for some common objects.

Following are some of standard conventional symbols.

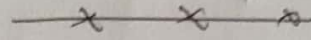
1. North line  (Black)
2. chain line  (Red)
3. River or stream  Blue (Prussian)
4. Pond  Blue (Prussian)
5. Road
 1.  metalled Road (Burnt sienna)
 2.  unmetalled Road (- - - -)
6. Railway line
 - i)  Single line (Black)
 - ii)  Double line (Black)
7. Bridge
 - (1)  Road bridge (Black)
 - (2)  Railway bridge (Black)
8. Cultivated land  Green
9. Buildings  Crimson lake

11. Tree



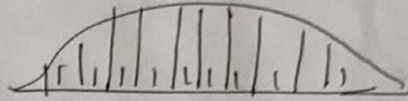
Green

12. wire Fencing

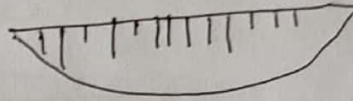


Black

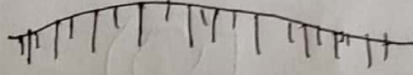
13. Embankment



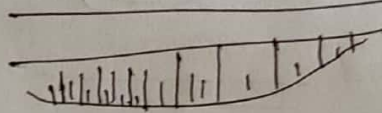
Black



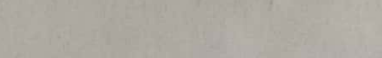
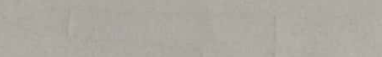
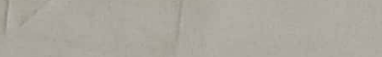
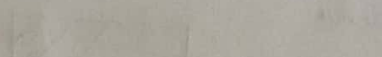
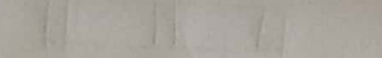
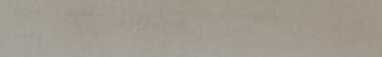
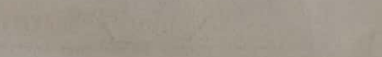
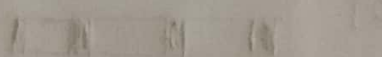
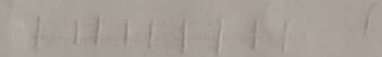
14. cutting



Black



Black



Obstacles in chaining may be grouped into

Three types

1. Obstacles to ranging [chaining free vision obstructed]
2. Obstacles to chaining [chaining obstructed - vision free]
3. Obstacles to both ranging and chaining.

① Obstacles to Ranging:

There are two types of such obstacles.

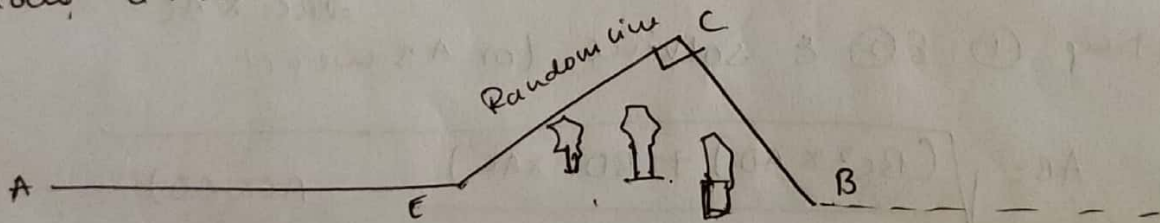
1. Both ends of the line may be visible from intermediate points.

Examples: such obstacles are intervening hills or valleys.
These obstacles to ranging can be overcome by resorting to reciprocal ranging.

2. Both ends of the line may not be visible from intermediate points on the line.

Ex: Jungles.

This obstacle to chaining can be overcome by measuring along a random line as shown in fig.



$$\text{obstructed length } EB = \sqrt{EC^2 + CB^2}$$

② Obstacles to Chaining:

- (a) When it is possible to chain round the obstacle

Ex: a Pond, etc.

- (b) When it is not possible to chain round the obstacle.

Ex: a River.

Method (b) Select two points A and B on either side. Set out equal perpendiculars AC and BD. Measure C.D.

Then $CD = AB$ [fig A]

Method 2: Set out AC perpendicular to the Chain line. Measure AC and BC. [Ref fig B]. The length AB is calculated from the relation

$$AB = \sqrt{BC^2 - AC^2}$$

Method 3: By optical square (or) cross staff. find a point C which subtends 90° with A and B. Measure AC and BC. [fig c]. The length AB is calculated from the relation

$$AB = \sqrt{AC^2 + BC^2}$$

Method 4: Selected two points C and D to both sides of A and in the same line. Measure AC, AD, BC and BD. [fig D]. Let angle BCD be equal to θ .

From ΔBCD , $BD^2 = BC^2 + CD^2 - 2BC \times CD \cos \theta$

$$\cos \theta = \frac{BC^2 + CD^2 - BD^2}{2BC \times CD} \rightarrow \textcircled{1}$$

Similarly from ΔBCA , $\cos \theta = \frac{BC^2 + AC^2 - AB^2}{2BC \times AC} \rightarrow \textcircled{2}$

Equating $\textcircled{1}$ & $\textcircled{2}$ & solving for AB we get

$$AB = \sqrt{\frac{(BC^2 \times AD) + (BD^2 \times AC)}{CD} - AC \times AD}$$

Method 5: Select any point E and range C in line with AE, making $AE = EC$, Range D in line with BE and make $BE = ED$. Measure CD. Then $AB = CD$ [Ref E]

Method 6: Select any suitable point E and measure AE and BE. Mark C and D on AE and BE such that

$$CE = \frac{AE}{n} \quad \& \quad DE = \frac{BE}{n} \quad \text{Measure CD. Then}$$

$$AB = n \cdot CD \quad [\text{fig 6}]$$

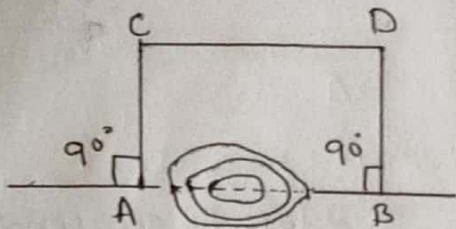


Fig (A)

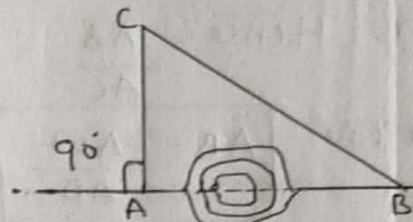


Fig (B)

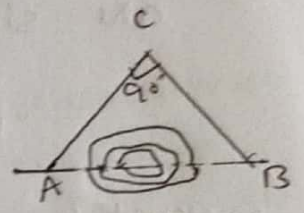


Fig (C)

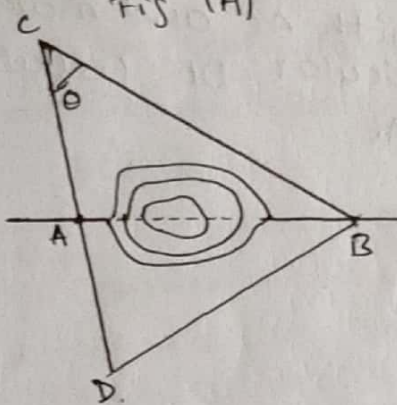


Fig (D)

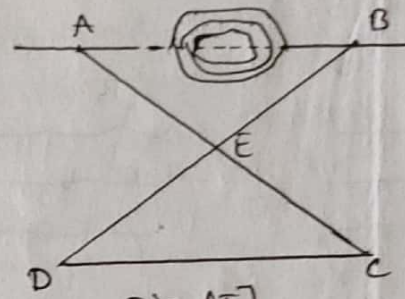


Fig (E)

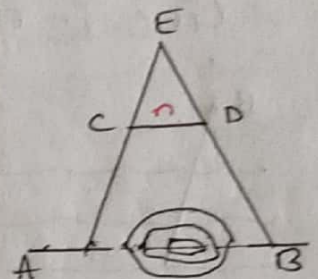


Fig (F)

Case: II.

Method (a)

Select Point B on one side and A E c on the other side. Erect AD and CE as perpendiculars to AB and range B-D and E in one line. Measure AC, AD and CE (Fig. 1). If a line DF is drawn parallel to AB, cutting CE in F Perpendicularly, then triangles ABD and FDE will be similar.

$$\frac{AB}{AD} = \frac{DF}{FE}$$

$$FE = CE - CF = CE - AD, \text{ and } DF = AC,$$

$$\frac{AB}{AD} = \frac{AC}{CE - AD}$$

From which

$$AB = \frac{AC \times AD}{CE - AD}$$

Method (b)

Erect a perpendicular AC and bisect it at D. Erect perpendicular CE at C and range E in the line with BD. Measure CE [Fig 2] Then AB = CE.

Method (c)

Erect a perpendicular AC at A and choose any convenient point G. with help of an optical square. fix a point D on the chain line in such a way that BCD is a right angled triangle. fig 3. Measure AC and AD, Triangle ABC & DAC

are similar. Hence $\frac{AB}{AC} = \frac{AC}{AD}$

Therefore $AB = \frac{AC^2}{AD}$

Method 4 Fix point C in such a way that it subtends 90° with AB. Range D in the line with AC and make $AD=AC$, at D erect a perpendicular DE to cut the line in E [fig 4] Then $AB=AE$

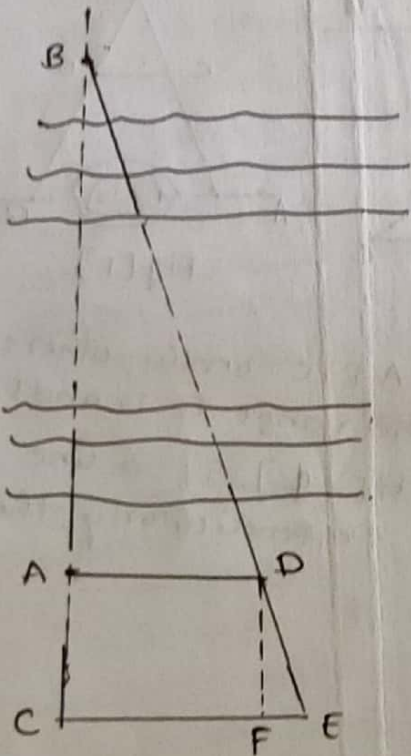


fig: 1.

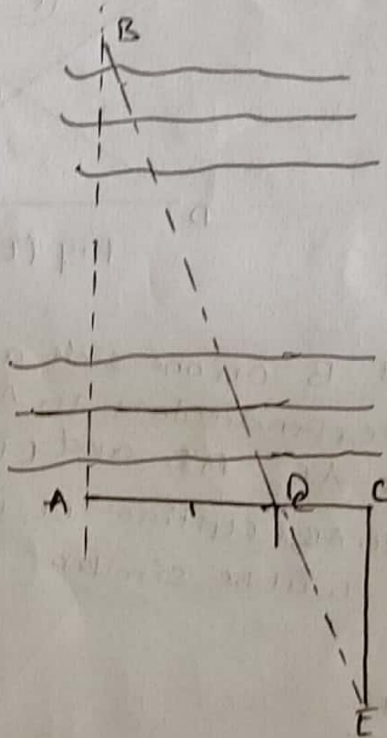


fig: 2

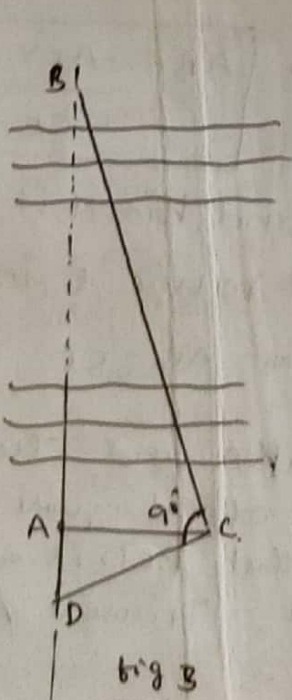


fig: 3

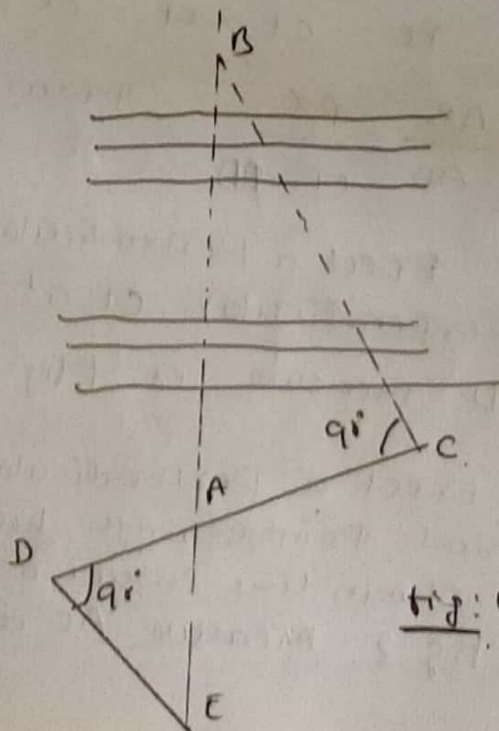


fig: 4

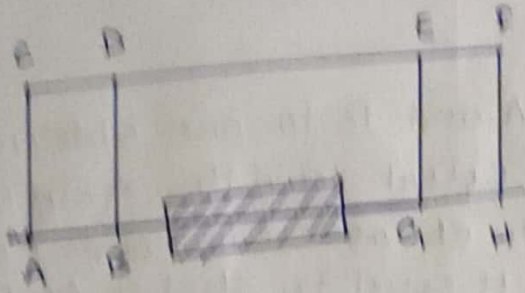


Fig (a)

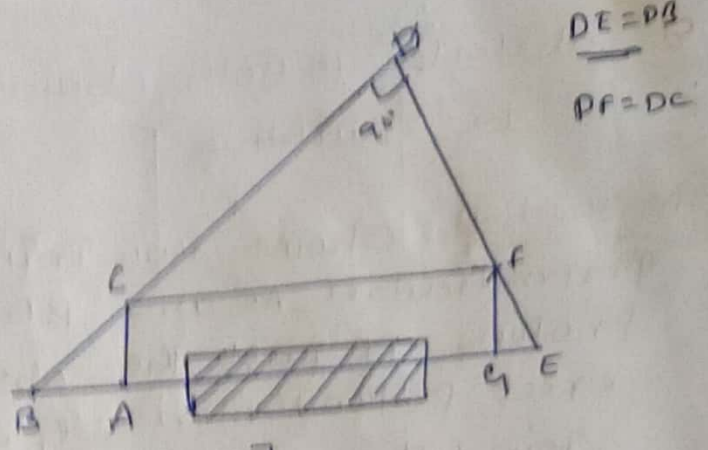


Fig (b)

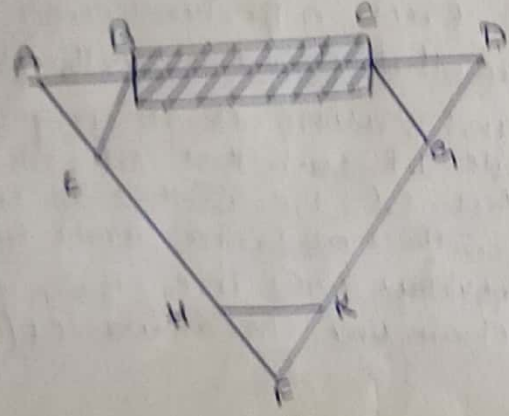


Fig (c)

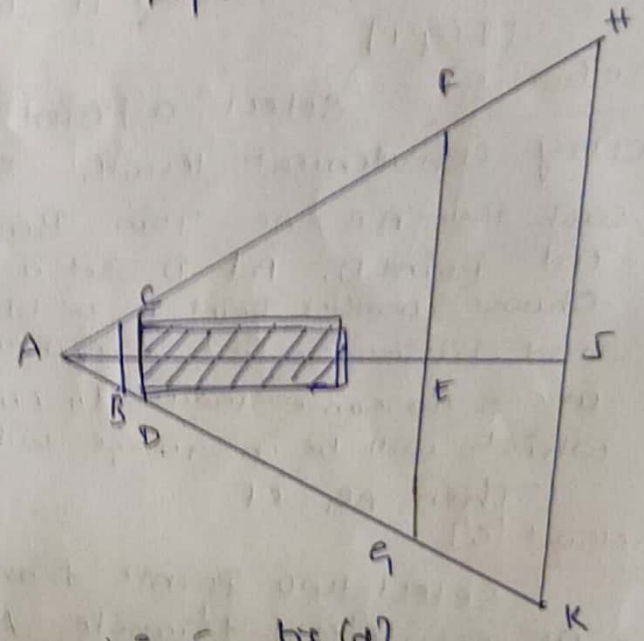


Fig (d)

Obstacles to chaining

Problems on obstacles

1. In chaining Past a Pond, Stations A and D on the main line were taken on the opposite sides of the Pond. The two lines DB and DC measuring 250m and 300m were laid down to the left and right of the line AD. The points A, B and C are on the same line. AB and AC are measured and are found to be equal to 120m and 130m. Find the length of line AD.

In $\triangle BCD$,

let $\angle BDC = \theta$.

Then from cosine rule

$$\cos \theta = \frac{BC^2 + BD^2 - CD^2}{2 \times BC \times BD}$$

$$\cos \theta = \frac{(120+130)^2 + 250^2 - 300^2}{2 \times (120+130) \times 250}$$

$$\cos \theta = 0.28 \rightarrow \textcircled{1}$$

From $\triangle ABD$

applying cosine rule

$$\cos \theta = \frac{AB^2 + BD^2 - AD^2}{2 \times AB \times BD} = \frac{120^2 + 250^2 - AD^2}{2 \times 120 \times 250} \rightarrow \textcircled{2}$$

Solving $\textcircled{1}$ & $\textcircled{2}$ we get

$$0.28 = \frac{120^2 + 250^2 - AD^2}{2 \times 120 \times 250}$$

$$\boxed{AD = 245.153\text{m}}$$

- ② Two Stations P and Q on the main survey line were taken on the opposite sides of a Pond. On the right of PQ, a line PR = 210m long was laid down and another line PS = 260m long was laid down on the left of PQ. The points R, Q and S were on the same straight line. The measured lengths of RQ and QS were 85m and 75m respectively. Find the length of PQ.

Δ PSR

SR = 160

$$PR^2 = SR^2 + SP^2 - [2 \times SR \times SP] \cos \theta$$

$$210^2 = 160^2 + 260^2 - [2 \times 160 \times 260] \cos \theta$$

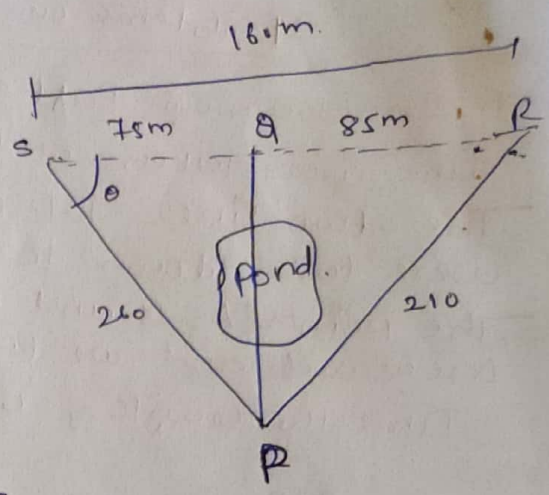
$$\theta = \cos^{-1} \left\{ \frac{160^2 + 260^2 - 210^2}{2 \times 160 \times 260} \right\}$$

$$\theta = 53.83^\circ$$

Δ PSA

$$PA^2 = 260^2 + 75^2 - [2 \times 260 \times 75] \cos 53.83$$

$$PA = 224.07 \text{ m}$$



③ AB is a chain line crossing a lake. A and B are on the opposite sides of the lake. A line AC, 800m long is ranged to the right of AB. Similarly another line AD, 1000m long is ranged to the left of AB such that the points C, B and D are in the same line. The lengths BC and BD are 400m and 600m respectively. If the chainage at A is 1200m, calculate the chainage of B.

Δ ADC

$$AC^2 = CD^2 + AD^2 - 2 \times CD \times AD \cos \theta$$

$$800^2 = 1000^2 + 1000^2 - 2 \times 1000 \times 1000 \cos \theta$$

$$\theta = \cos^{-1} \left\{ \frac{1000^2 + 1000^2 - 800^2}{2 \times 1000 \times 1000} \right\}$$

$$\theta = \cos^{-1}(0.68)$$

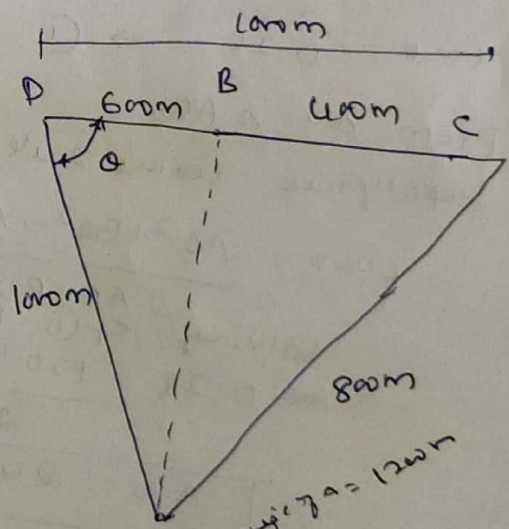
$$\theta = 47.16^\circ$$

Δ ADB

$$AB^2 = AD^2 + DB^2 - 2 \times AD \times DB \cos \theta$$

$$AB^2 = 1000^2 + 600^2 - 2 \times 1000 \times 600 \cos 47.16^\circ$$

$$AB = 737.61 \text{ m}$$



A Chainage = 1200m

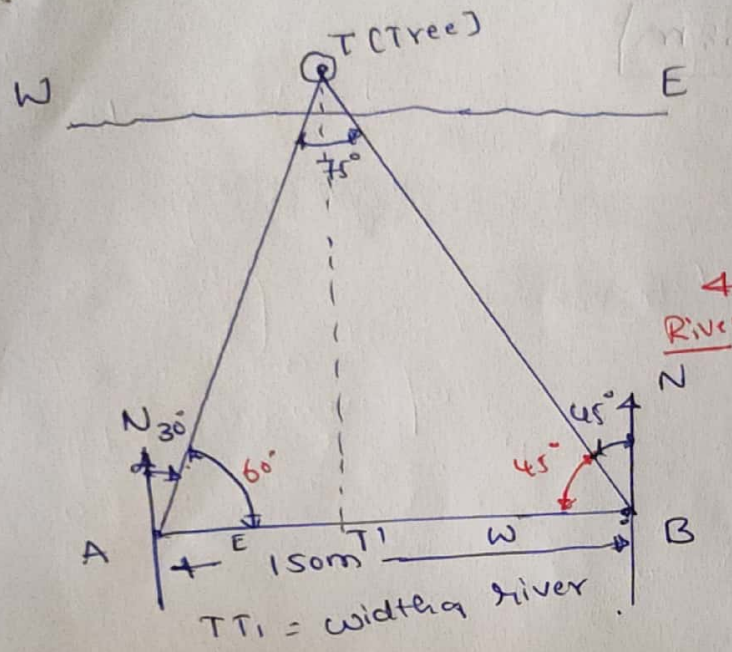
$$AC^2 = AD^2 + CD^2 - 2 \times AD \times CD \cos \theta$$

$$\text{Chainage of B} = \text{chainage of A} + AB$$

$$= 1200 + 737.61$$

$$\text{Chainage of B} = 1937.61 \text{ m}$$

A and B are two points 150m apart on the nearer bank of a river which flows from East to West. The bearings of a tree on the other bank of a river as observed from A and B are $N30^\circ E$ and $N45^\circ W$. Find the width of the river.



$$\hat{A}TB = 180 - 60 - 45$$

$$\hat{A}TB = 75^\circ$$

Sine rule to ΔATB

$$\frac{AT}{\sin 45^\circ} = \frac{150}{\sin 75^\circ} = \frac{BT}{\sin 60^\circ}$$

$$AT = \frac{150 \times \sin 60^\circ}{\sin 75^\circ}$$

$$AT = 109.81 \text{ m}$$

$$BT = \frac{150 \times \sin 60^\circ}{\sin 75^\circ}$$

$$BT = 134.49 \text{ m}$$

ΔATT_1 $TT_1 = AT \sin 60^\circ$

$$TT_1 = 109.81 \sin 60^\circ$$

$$TT_1 = 95.1 \text{ m}$$

ΔBTT_1

$$TT_1 = BT \sin 45^\circ$$

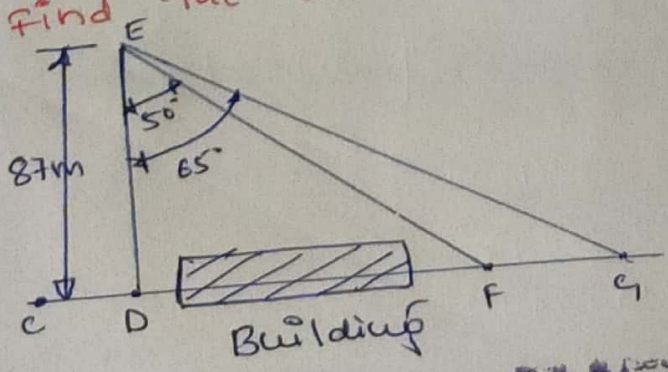
$$TT_1 = 134.49 \sin 45^\circ$$

$$TT_1 = 95.1 \text{ m}$$

$$\sin 60^\circ = \frac{TT_1}{AT}$$

$$\sin 45^\circ = \frac{TT_1}{BT}$$

5) A survey line CD intersects a building. To overcome this obstacle a perpendicular DE, 87m long is set out at D. From E two lines EF and E₁ are set out at angles of 50° and 65° respectively with ED. Find the lengths EF and E₁ such that the points F and E₁ fall on the continuation of CD. Find the obstructed distance DF.



ΔDEF $\cos 50^\circ = \frac{87}{EF}$

$$EF = 135.35 \text{ m}$$

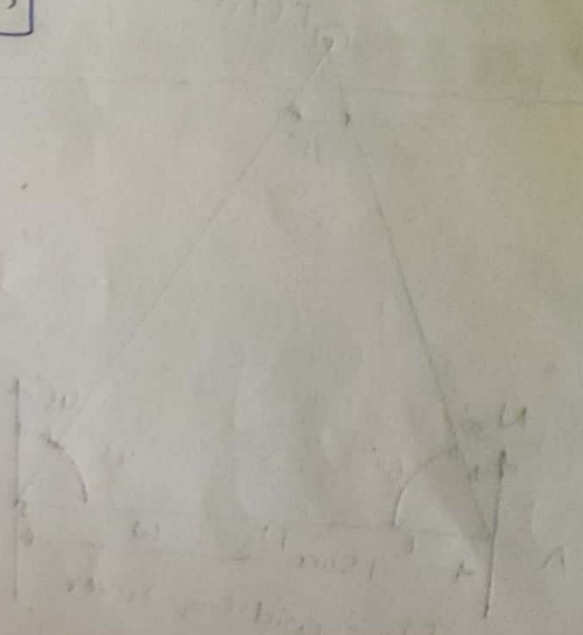
ΔDEE_1 $\cos 65^\circ = \frac{87}{E_1}$

$$E_1 = 205.86 \text{ m}$$

$\Delta^u DEF$

$$\tan 50^\circ = \frac{DF}{87}$$

$$DF = 103.68m$$



PLANE TABLE SURVEYING

This is one of the classifications of surveying in which *Plane table* is used for plotting the plan in the field. In this type of surveying, field observations and plotting of the plan are done simultaneously. It is a rough method of surveying. Hence it is used for small scale and medium scale mapping, where great accuracy is not required.

A *plane table* consists of a drawing board made of well seasoned wood. The size of the board is generally 750 mm x 600 mm. The thickness of the board is about 20 mm. The table is mounted on the *tripod* when required for plane table surveying. An aluminium ring is provided on the underside at the centre of the board. There is a threaded socket in the ring, which receives a screw passing through the head of the aluminium casting fitted to the tripod. The screw is provided with a wing nut at its lower end. The plane table can be set in any direction in the horizontal plane by means of the wing nut.

The accessories required in plane table survey are

- i. Alidade
- ii. Plumbing Fork
- iii. Level tube and
- iv. Trough compass.

An *Alidade* is a straight edge ruler having some sighting device. It is used for sighting the objects and drawing the lines. Two type of alidades namely; Plain alidade and Telescopic alidade are used. *Plain alidade* is a straight edge ruler about 450 mm long, made of metal. One of the edges (Some times both edges) is bevelled and graduated. The beveled edge is also known as 'Fiducial edge'. The alidade is provided with Eye vane at one end and Object vane at the other end. The eye vane is provided with a narrow slit and the object vane is open and carries a thin wire at the centre. The two vanes are hinged to the ruler so that they can be folded down on the ruler, when not in use. The plain alidade is not very accurate and also not suitable for plane table surveying of hilly areas. *Telescopic alidade* consists of a telescope mounted on a column that is fixed to a straight edge ruler of about 380 mm long. Telescope is supported on a horizontal axis resting on standards A vertical arc is attached to the telescope for the measurement of vertical angles. The telescope rotates in the vertical plane and clamped in any position with a clamping screw. Small movements are possible with the Tangent screw. The line of sight is aligned along the fiducial edge of the ruler. The telescope is provided with a Stadia diaphragm which helps in computations of distances. This is designed for greater accuracy and suitable long inclined sights.

A *Plumbing Fork* is a U shaped piece of metal and is used for centring the plane table over a station. The end of the upper arm is pointed and is placed on the drawing paper fixed to the plane table. A plumb bob is attached to the end of the lower arm. The point on the upper arm and the plumb bob are in the same vertical line.

A *Level tube* (or Spirit level) is used to level the plane table. The base of the level tube is flat so that it can be laid on the plane table. Levelling of the plane table is checked by placing the level tube on the drawing board in two positions at right angles to each other. When the bubble of the level tube is at the centre, the table is leveled.

A *Trough compass* is used to orient the plane table with respect to magnetic meridian. It is used for marking the North line on the drawing sheet. It consists of a long narrow rectangular box 80 to 150 mm long and 30 mm wide. It is covered with a glass. Inside the box, at its centre, there is a magnetic needle resting on the pivot. At the extremities of the compass, there are graduated scales with Zero at the centre and marking up to 5° on either side of the Zero line.

The other accessories required include *Drawing Sheet, Drawing Pins, Pencil, Eraser, scale, and Ball head pins*

SETTING UP THE PLANE TABLE

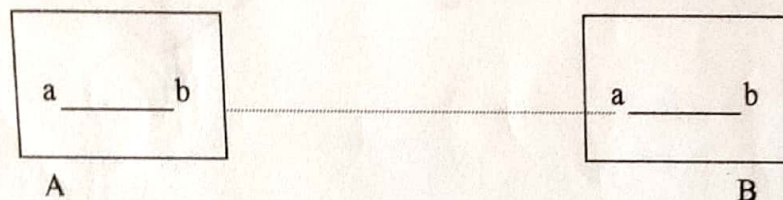
This basically consists of following three operations.

1. *Fixing the Plane Table:* The legs of the tripod should be spread and the shoes of the legs should be pushed firmly in to the ground. The top of the tripod should be at a convenient height so that the surveyor can conveniently work (drawing and sighting) at that height. The board is fixed to the tripod head and the clamp is tightened. The plane table is approximately levelled by moving the legs of the tripod. The levelling is judged by eye.
2. *Centring the Plane Table:* The centring is the process of setting up the plane table over the ground station. A plumbing fork is used for centring. The centring is complete when the pointed end of the fork is at the plotted point and the plumb bob is just above the ground station.
3. *Orientation:* Orientation is the process of aligning the plane table by rotating it in the horizontal plane such that all the plotted lines are parallel to the corresponding lines on the ground. Orientation can be done using trough compass or back sighting or by resection.

Orientation by trough Compass: At the first plane table station, the trough compass is placed on the paper. The plane table is rotated till the needle points to the zero of the scale. A line is drawn parallel to the long edge of

the trough compass to represent the magnetic meridian. To orient the plane table at the subsequent stations, the trough compass is placed on the paper with its edge along the line representing the magnetic meridian. The plane table is then turned till the needle points to the zero of the scale. The plane table is then clamped in that position. This method of orientation is not accurate.

Orientation by back sighting: In this method the plane table is oriented by back sighting the previous station. Let us suppose that the plane table is set up at a station B on the line AB which had been plotted as ab on the paper when the plane table was set up at A (Refer Fig). The alidade is placed along the line ba and the plane table is rotated until the line of sight bisects the ranging rod at A. The plane table is clamped in that orientation



Orientation by resection: (Refer two point problem and three point problem)

METHODS OF PLANE TABLING

The following are the methods of plane tabling.

1. Radiation
2. Intersection
3. Traversing
4. Resection

The first three methods are used for locating the points or details on the paper. The last method is used for orientation and location of the plane table station.

1. Radiation Method: In the radiation method, the points are located by drawing radial lines from the plane table station. The distances of these points from the plane table station are measured and scaled off on the corresponding radial lines to locate the points. (refer figure 1)

Procedure: Let A, B, C, D and E be the points on the ground, which are to be located on the paper by radiation method.

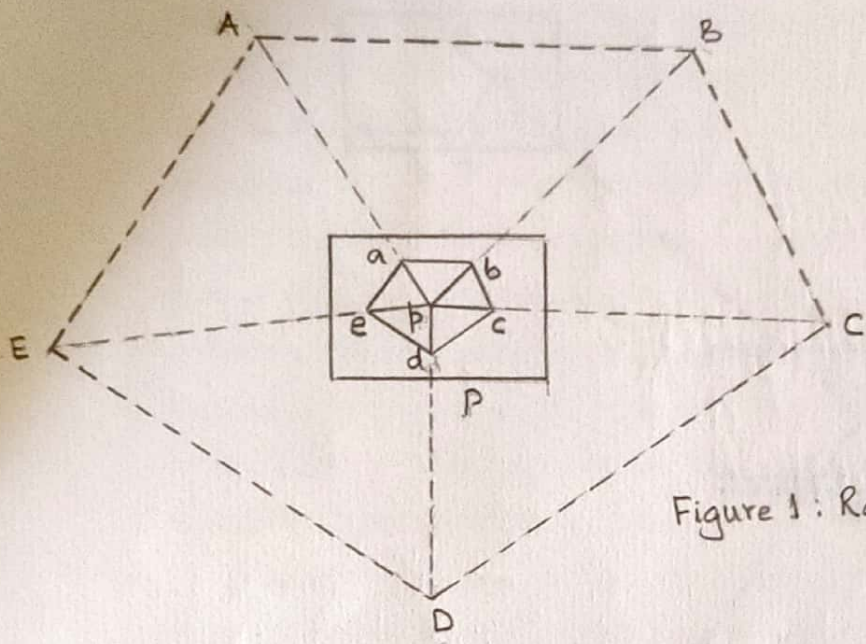


Figure 1 : Radiation

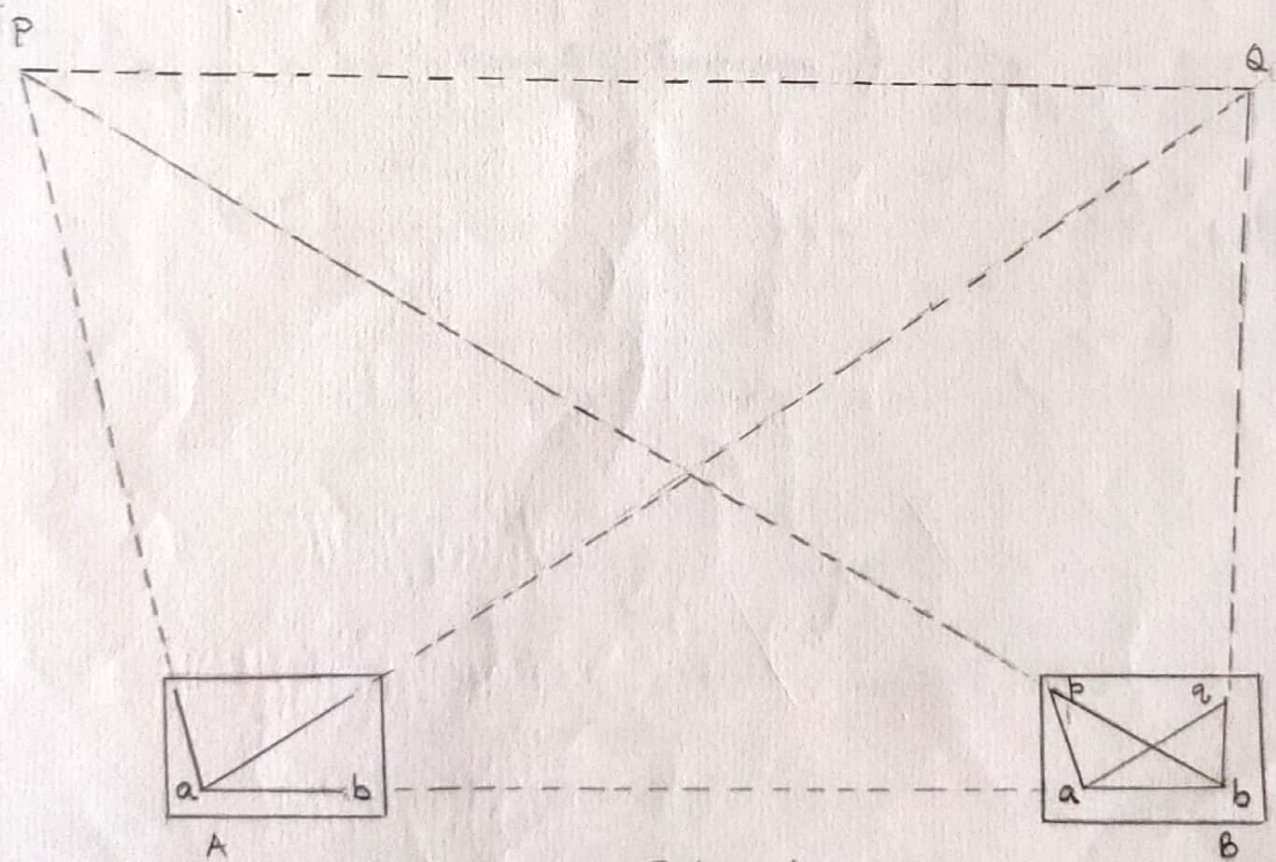


Figure 2 : Intersection.

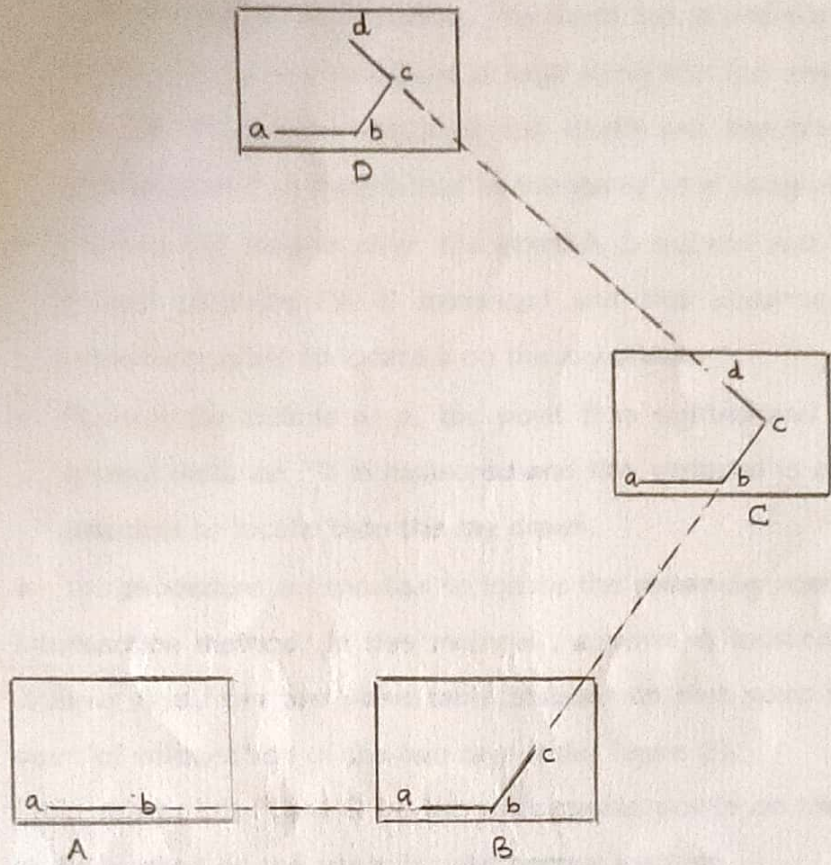


Figure 3 : Traversing

- A convenient plane table station P is selected on the ground so that all the points to be located are within measurable distance. The plane table is set over this station and levelled. The North line is drawn at the top right hand corner. The trough compass is kept along this line and the table is turned so that the needle indicates the North and the table is clamped. The ground point P is transferred to the paper as p using plumbing fork.
- Pivoting the alidade at p, the point A is sighted and a ray is drawn. The ground distance PA is measured and this distance is indicated to a convenient scale to locate a on the ray drawn.
- Pivoting the alidade at p, the point B is sighted and a ray is drawn. The ground distance PB is measured and this distance is indicated to a scale selected to locate b on the ray drawn.
- The procedure is repeated to locate the remaining points c, d and e.

2. Intersection method: In this method, a point is located on the paper by drawing rays from two plane table stations to that point and determining the point of intersection of the two rays (refer figure 2)

Procedure: Let P and Q be the inaccessible points on the ground, which are to be located on the paper by Intersection method.

- Two instrument stations A and B are selected such that AB is approximately parallel to PQ and the triangles PAB & QAB are well conditioned.
- The plane table is set over station A and levelled. The North line is drawn at the top right hand corner. The trough compass is kept along this line and the table is turned so that the needle indicates the North and the table is clamped. The ground point A is transferred to the paper as a using plumbing fork.
- Pivoting the alidade at a, the point P is sighted and a ray is drawn. Pivoting the alidade at a, the point Q is sighted and a ray is drawn. Pivoting the alidade at a, the ranging rod at B is sighted and a ray is drawn. The ground distance AB is measured and marked on the last ray to a convenient scale to mark b.
- The plane table is shifted to the station B and levelled. It is centred over B (b over B) using plumbing fork. It is also oriented by back sighting the ranging rod fixed at A. (For this the alidade is placed on ba and the table is

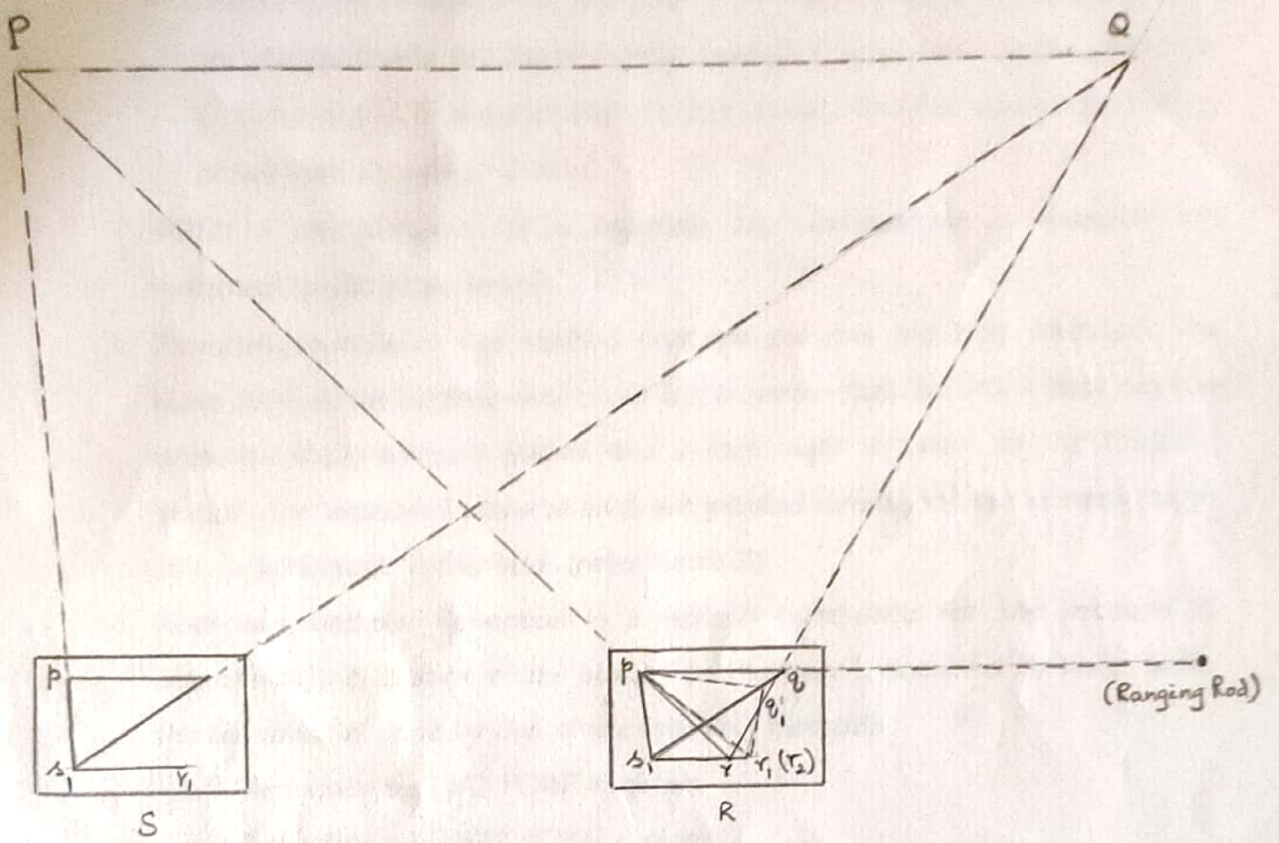


Figure 4. Two-Point Problem

turned to sight the ranging at A) For accurate work both centring and orientation must be perfect and the table must be clamped.

- Pivoting the alidade at b, the point P is sighted and a ray is drawn. This ray intersects the ray drawn from a towards P at p. Pivoting the alidade at b, the point Q is sighted and a ray is drawn. This ray intersects the ray drawn from a towards Q at q.

NOTE: If the distance PQ is required, the distance pq is measured and multiplied by the scale factor.

3. Traversing method: In this method traverse stations are first selected. The plane table is set successively on all the traverse stations and a back sight is taken on the preceding station and a fore sight is taken on the following station. The measured traverse lines are plotted directly on the drawing paper to a suitable scale in the field. (refer figure 3)

4. Resection method: Resection is a general term used for the process of determining the location of the station on the paper, occupied by plane table.

The resection is done by one of the following methods

- i. Resection by TWO POINT Problem
- ii. Resection by THREE POINT problem

Resection by Two Point Problem:

Statement: "Location of plane table station on the paper by means of observations to two well defined points, whose positions have been already plotted"

Procedure: Let P and Q be the two well defined points whose positions have been already plotted as p and q. Let R be the plane table station and it is required to locate its position r on the paper (refer figure 4)

- i. A suitable auxiliary point S is chosen near R so that the angles RPS and RQS are neither too acute nor too obtuse. The plane table is set at S and leveled. It is approximately oriented using the magnetic compass so that the line pq is approximately parallel to PQ. The table is clamped in this position.
- ii. Pivoting the alidade at p, point P is sighted and a ray is drawn through p. Similarly pivoting the alidade at q, point Q is sighted and a ray is drawn through q to intersect the first ray at s_1 . The point s_1 gives the approximate of ground station S as the orientation is approximate. The point s_1 is transferred to the ground using the plumbing fork.

- iii. With the alidade pivoted at s_1 , the station R is sighted and a ray is drawn. The position of r_1 is marked on this ray by estimation.
- iv. The plane table is shifted to R and centred so that r_1 is above R. The table is oriented by back sighting on S.
- v. Pivoting the alidade at p, point P is sighted and a ray is drawn through p to intersect s_1r_1 at r_2 . The point r_2 represents the approximate position of R as orientation is approximate.
- vi. With the alidade pivoted at r_2 the station Q is sighted and a ray is drawn to cut s_1q at q_1 .
- vii. The alidade is placed along pq_1 and a ranging rod is placed at some distance.
- viii. The alidade is placed along pq and the table is turned to sight the ranging rod. The table is clamped in this position. This position of the table indicates the correct oriented position.
- ix. Pivoting the alidade at p, point P is sighted and a ray is drawn through p. Similarly, pivoting the alidade at q, point Q is sighted and a ray is drawn through q to intersect the previous ray at r, which is the true position of plane table station R.

Resection by Three Point Problem:

Statement: "Location of plane table station on the paper by means of observations to three well defined points, whose positions have been already plotted"

Procedure: Let P Q and R be the three well defined points whose positions have been already plotted as p q and r. Let A be the plane table station and it is required to locate its position a on the paper by Bessel's graphical method. (refer figure 5)

- i. The plane table set up at A and leveled.
- ii. The alidade is placed along the line qp. The table is rotated to sight P and clamped. Pivoting the alidade at q, R is sighted and a ray xy is drawn.
- iii. The alidade is placed along the line pq. The table is rotated to sight Q and clamped. Pivoting the alidade at p, R is sighted and a ray is drawn to cut xy at s_1 .
- iv. The alidade is placed along s_1r . The table is turned to sight R. The table is clamped in this position.
- v. Pivoting the alidade at q, the point Q is sighted and a ray is drawn to cut s_1r at s. The point s is the plane table station S on the paper.
- vi. The alidade is placed along sp. This line of sight should bisect P if the work is correct.

NOTE: If the point S lies on the circumscribing circle passing through P , Q and R , the position of s cannot be determined by three point problem. The problem becomes indeterminate, as the rays will intersect at one point irrespective of orientation of plane table.

Advantages of plane table surveying

1. Suitable for plotting small scale maps.
2. Since plotting is done in the field, field book for noting the observations is not required.
3. As the surveyor has full view of the details while plotting, the omission of any detail is avoided.
4. Comparison of actual features in the field and their plotted positions can be done to check the accuracy of the work.
5. Errors in measurements and plotting can be easily detected in the field by check lines.
6. Plane table survey can be adopted even in magnetically disturbed area where the compass survey is not possible.
7. Plane table survey is generally more rapid and less costly
8. Instruments are simple and not much skill is required.

Disadvantages of plane table surveying

1. Not very accurate.
2. Equipment is quite heavy and cumbersome. Surveyor has to carry several accessories.
3. Difficult to plot the plan to a different scale as field data are not taken
4. Plane table survey can be used only in open country where the stations can be sighted.
5. Sufficient practice is required to obtain an accurate plot.
6. Plane table survey is not possible in wet climates (Rainy) and high winds.

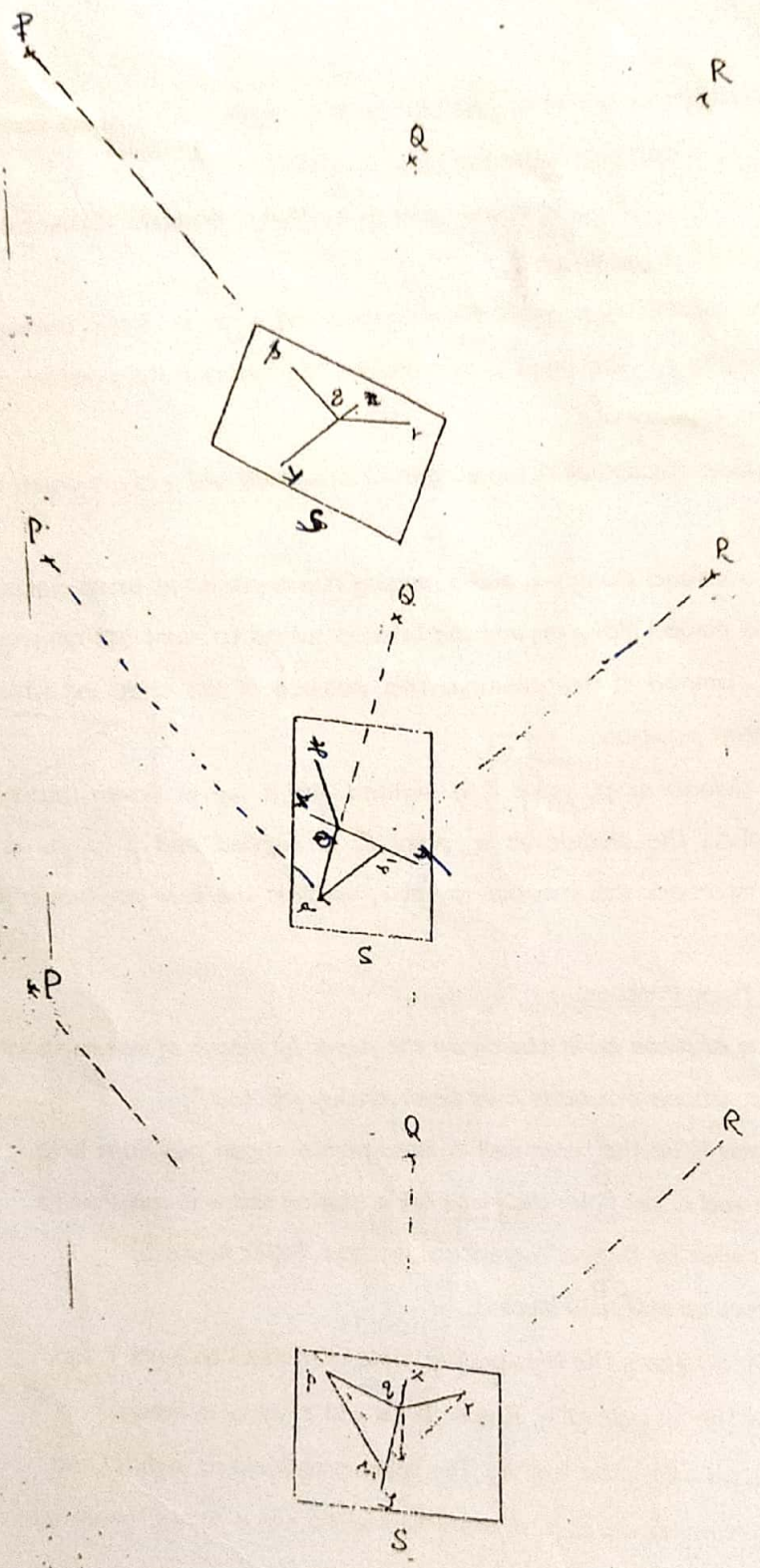


Figure 5: Three Point Pick-up

Errors in plane tabling:

- I Instrumental Errors:-
- i) Surface of the drawing board, not being plane.
 - ii) Surface of the board, not perpendicular to vertical axis.
 - iii) Fiducial edge of the alidade, not being straight
 - iv) Eye Vane and object Vane, not being perpendicular to base of the alidade.

II Sighting and manipulation Errors:-

- i) Non-horizontality of the board.
- ii) Defective Sighting.
- iii) Defective orientation
- iv) Defective centring
- v) movement of board between sights

III Errors of plotting:- Inaccurate Scaling.

Strength of fix: The accuracy with which the plane table station S is fixed in three point problem (P , Q and R) is known as "Strength of fix".

The Strength of fix is "good" when

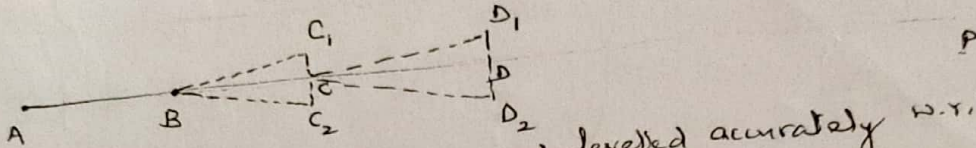
- (i) the plane table station is within the great triangle PQR
- (ii) the plane table station is near the middle station than the other two.
- (iii) one of the two angles subtended at the plane table station is small and the other angle is large.

The strength of fix is poor when

- (i) both the angles subtended at the plane table station are small.
- (ii) the plane table station is near the circumference of circumscribing circle through P , Q and R .

Method 3: When the instrument is not in adjustment: (HA not \perp LOS)

To prolong a straight line AB to P by establishing points C, D, the following steps are adopted.



1. Theodolite is centred over B and levelled accurately w.r.t. plate level. With face left, the point A is sighted exactly and horizontal plate screws are tightened. The telescope is plunged to locate a point C_1 at some convenient distance from B. Now with face right, the point A is sighted exactly and horizontal plate screws are tightened. The telescope is plunged to locate a point C_2 at same distance of BC_1 from B. (If the instrument is in adjustment, C, and C_2 will coincide) The point C in line with AB is the mid-point of C_1C_2 .

2. The instrument is shifted to C and the above ^{step} process is repeated to locate point D.

3. The process is continued until P is established.

Note: The above method is known as "Double-sighting", and is adopted when the instⁿ is in poor adjustment.

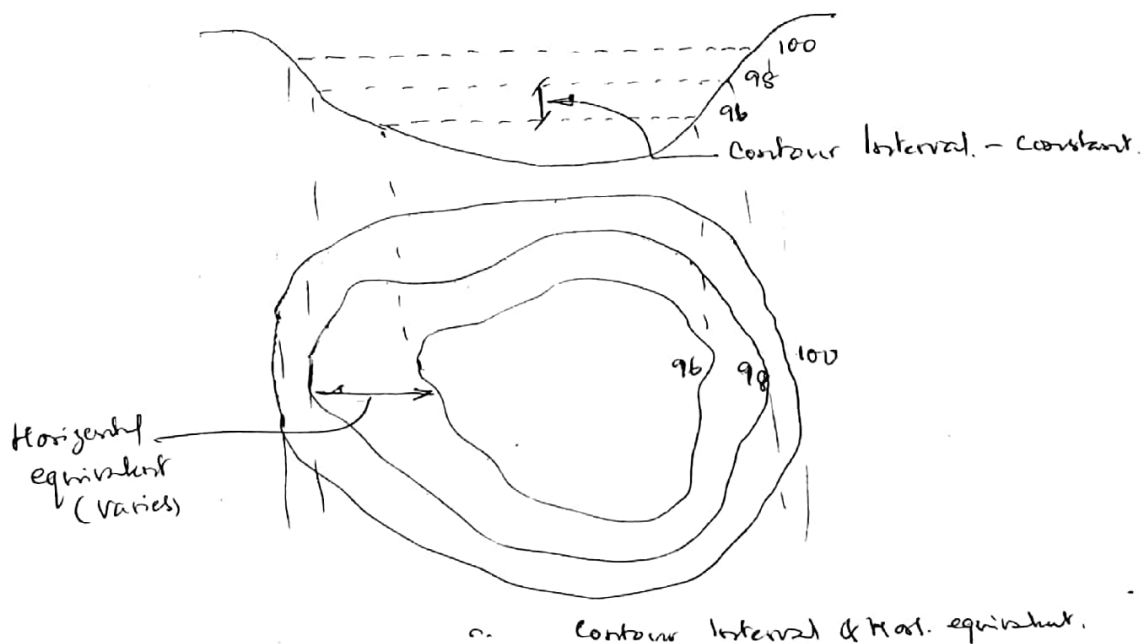
CONTOURING :

A contour is an imaginary line of intersection of a level surface with the ground surface. It can also be defined as the imaginary line joining points of equal elevation. The contours on the ground are represented by the contour lines on the map.

The vertical distance between any two consecutive contours is known as "Contour Interval". (Ref. fig). The contour interval depends upon

- i) Nature of the ground - Contour interval for flat country are generally small. For hilly area, contour interval is large.
- ii) the scale of the map - Contour interval for small-scale map is generally large. For large scale map, contour interval is large.
- iii) the purpose of the survey:- Contour interval for accurate earth work calculations is small.

The horizontal distance between any two consecutive contours is known as "Horizontal equivalent".



Characteristics of Contours:

1. A series of closed contours always indicate a depression or summit. The lower values being inside the loop indicates a depression (Fig 1a) The higher values being inside the loop indicates a summit (Fig 1b)



Fig 1a. Depression

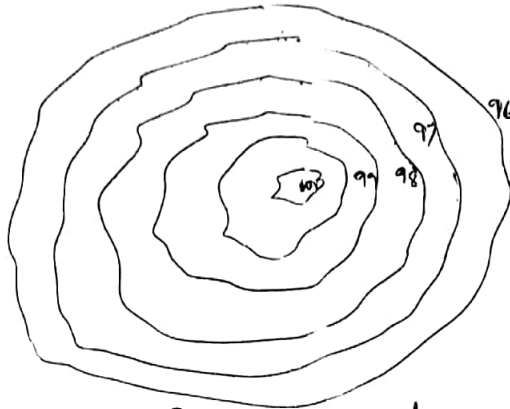


Fig 1b. Summit.

2. The nature of slope of the ground is indicated by the spacing of contours.

- i) closely spaced contours indicate steep slope (Fig 2a)
- ii) widely spaced contours indicate flat slope (Fig 2b)
- iii) Uniform spaced contours indicate Uniform slope (Fig 2c)

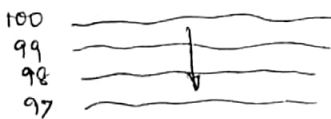


Fig 2a. Steep Slope

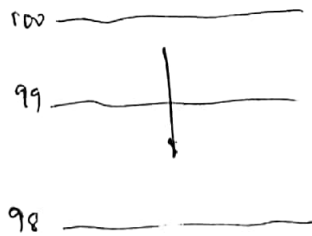


Fig 2b. Flat Slope.

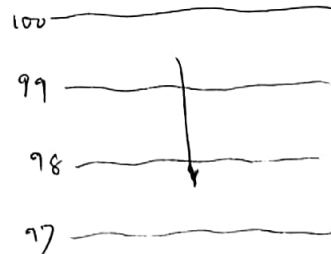


Fig 2c. Uniform Slope.

3. Two contours cannot meet or intersect, but they appear to meet in the case of vertical cliff (Fig 3a) and appear to intersect in the case of overhanging cliff. (Fig 3b)



Fig 3b. Overhanging cliff. Vertical

4. Contour lines always form a closed circuit. But these lines may be within or outside the limits of the map. (Ref. fig 4)

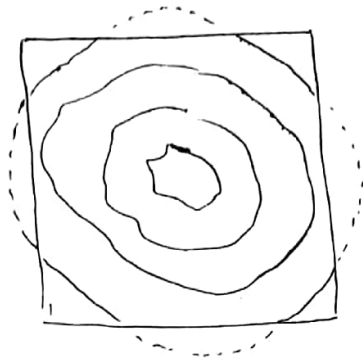


Fig 4. Contour closing within & outside the map.

5. Contours deflect uphill at valley lines and downhill at ridge lines. Contour lines in U-shape cross a ridge (fig 5a) and in V-shape cross a valley (fig 5b) at right angles. The concavity in contour lines is towards higher ground. Contour lines in V-shape cross a valley (fig 5b) at right angles. The concavity in contour lines is towards the lower ground.

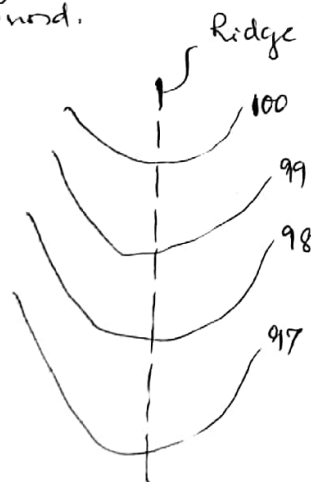


Fig 5a. Ridge line.

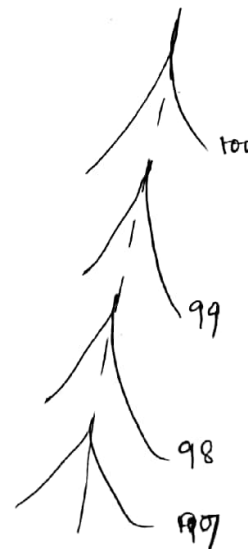


Fig 5b. Valley line.

6. The direction of the steepest slope is along the shortest distance betw the contours. Hence the direction of the steepest slope at a point on a contour is at right angles to the contour. (fig 6)



9. Position between two higher lines & two valley lines constitute a saddle (Fig 7)

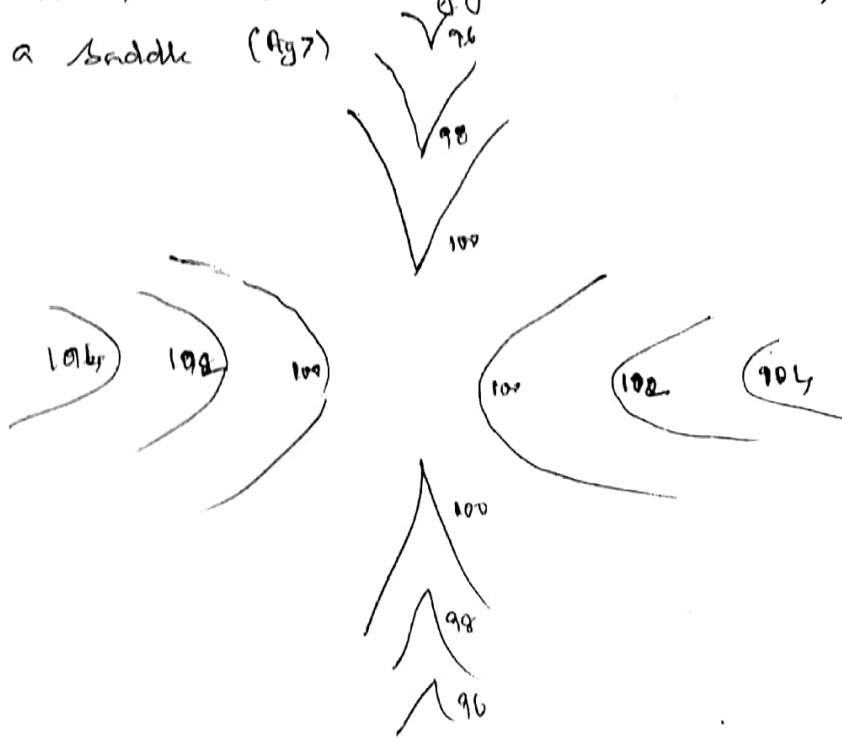


Fig 7. Saddle.

Methods of Contouring

There are two methods of contouring. They are 1) Direct method and

2) Indirect methods.

1) Direct method of contouring: In this method the contours to be plotted are actually located on the ground with a level by marking various points on each contour. These points are then surveyed and plotted on plan. This method is very slow and tedious, but most accurate and is used for contouring small areas and where great accuracy is required.

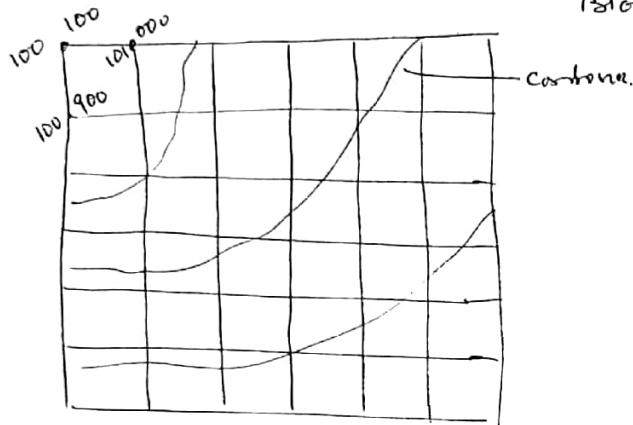
To begin with, fly levels are taken from the nearest permanent bench mark to establish a "Temporary bench mark" near the site of survey. Setting up the level in a commanding position, it is accurately levelled. The HI is determined by taking a BS on the BM. From the known elevation of the contour the staff readings to locate the contour points is obtained by deducting elevation of contour from HI. The point giving the calculated staff reading is located, searched and marked.

(If HI is 106.855 m and the contour to be located is 105 m, the staff reading required to locate the contour point is $106.855 - 105.000 = 1.855$ m) The points so marked on the ground are then located by suitable methods like compass surveying, plane table surveying etc.

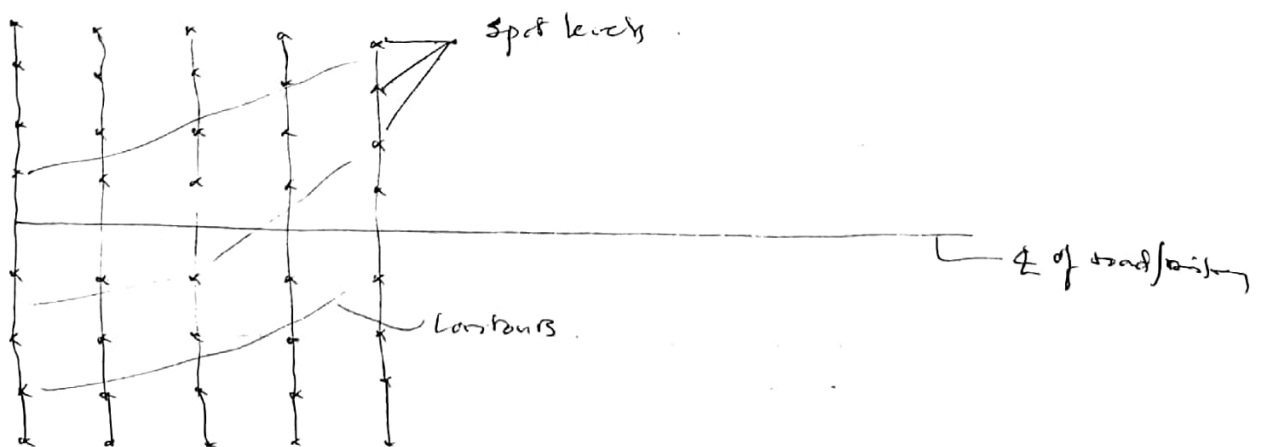
2. Indirect methods of contouring: The indirect methods are cheaper, quicker and less laborious than direct method. In these methods spot levels (Reduced level of points) are taken along a series of lines covering the area to be surveyed. Their positions are then plotted on the map and the contours are then drawn by interpolation. Following are the indirect methods of locating the ground points

i) By Squares: This method is suitable, if the area is not very extensive. In this method, the area is divided into a series of squares and the corner of the squares are marked

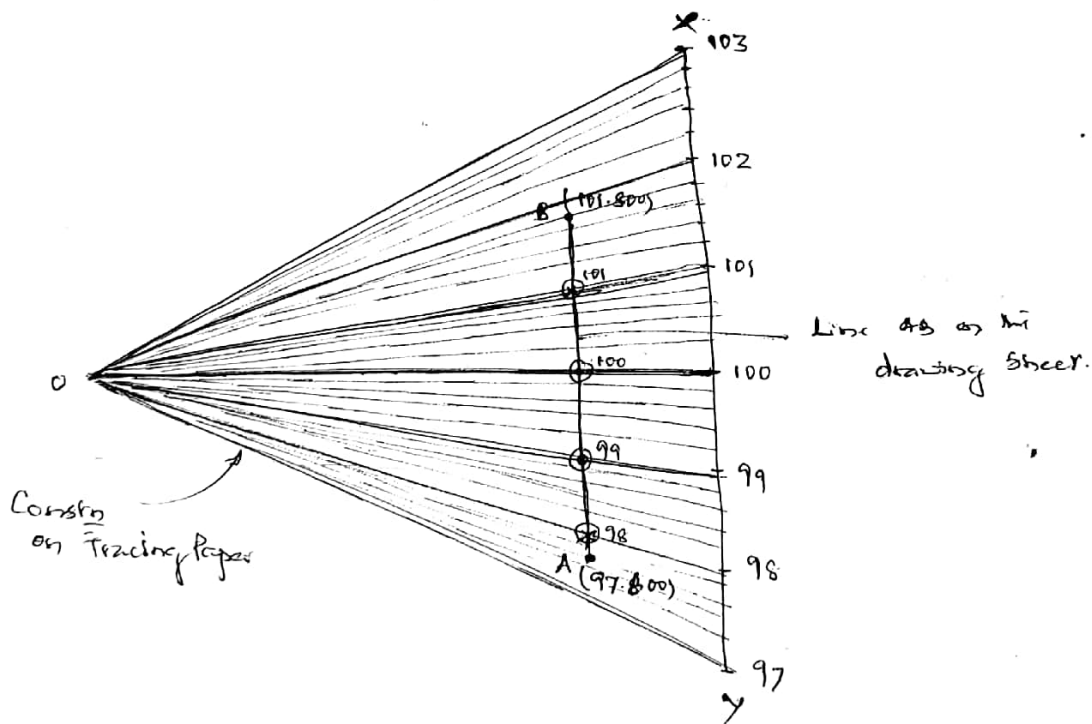
with pegs. The size of the square varies from 5 m to 20 m side, depending upon the nature of ground and contour interval. The elevations of the ground at the corner of the squares are determined with a level. The system of squares is plotted and near each corner its elevation is written. The contour lines are then interpolated (Ref. fig). Some times this method is also called as "Block leveling".



ii) By cross sections: In this method, cross sections are run transverse to the centre line of a road, railway, canal etc. The ~~cross~~ spacing of the cross sections depends upon the character of the terrain, the contour interval and the purpose of the survey. The elevations at the points selected on cross sections are determined. The points selected on the ground are plotted on the plan (map), elevations are written at the points and contours are then interpolated. (Ref. fig)



3) By Graphical method: In this method, a line xy of any convenient length is taken on a tracing paper and divided into several parts, each representing any particular interval (0.2 m in fig). On a line perpendicular to xy at its mid-point, a pole O is selected. The radial lines are drawn for joining the pole O and the divisions made on the line xy . (Ref. fig) Let A and B be the two points with RLs 97.600 m and 101.800 m respectively. To locate the contour points of RLs 98, 99, 100 and 101 between these pts A & B , the tracing paper is arranged in such a way that the point A & B lie simultaneously on radial lines respectively 97.600 m & 101.800 m respectively. The points at which radial lines of 98, 99, 100 & 101 intersect AB may then be picked through.



Interpolation of contours:

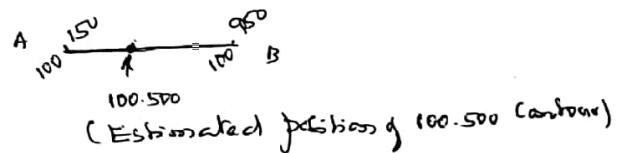
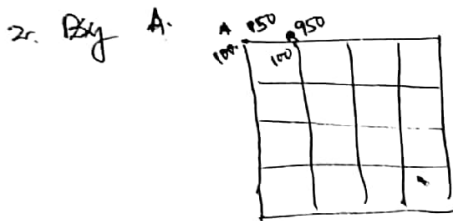
The process of spacing contours proportionately between the plotted ground points established in "indirect methods" is called interpolation of contours.

The various methods of interpolation are as follows.

1. Estimation.
2. Arithmetic calculation &
3. Graphical method.

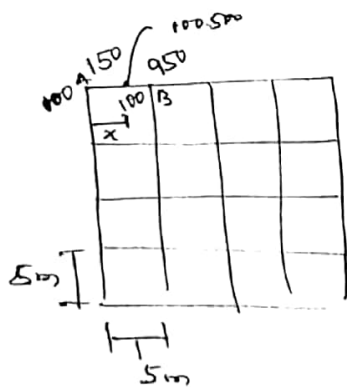
1. By Estimation:

This method is extremely rough and is usually adopted where the scale of the map is small and high accuracy is not required. The positions of the contour points between the points are estimated and contours are drawn through them.



2. By Arithmetic Calculation:

This method is used where high accuracy is required and the scale of the map is of intermediate or large size. The position of required contour is calculated arithmetically and then located (Ref. fully comp).



In fig A with RL 100.150 m and B with RL 100.950 m are the two points at a ground dist of 500. Suppose it is required to locate a point having an RL of 100.500 m between them by arithmetic calculation.

The position of 100.500 m from A is

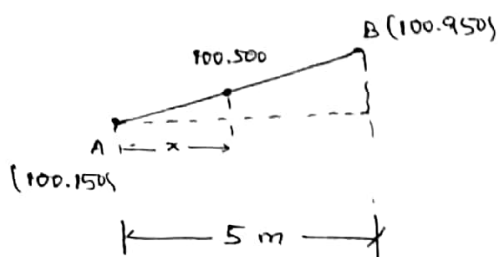
given by

$$x = \left(\frac{100.950 - 100.150}{500} \right) (100.500 - 100.150)$$

$$= \frac{5}{(100.950 - 100.150)} \times (100.500 - 100.150)$$

$$= \underline{2.1875 \text{ m}}$$

This dist is marked from A to scale. The procedure is repeated ...



Grade Contour:

Grade Contour or Contour gradient is a line lying on the ground surface and preserving a constant inclination to the horizontal. If the inclination of such a line is given, its direction from a point may be easily located either on the map or on the ground.

Location of Contour gradient on Ground:

To locate the Contour gradient of inclination 1:100, from a point P, the level is placed at a commanding position and levelled accurately. Staff reading on point A is taken say 1.500 m. The reading on another point B say at a distance of 20 m will be $1.500 + \frac{1}{100} \times 20 = 1.700$ m. Hence to locate B, the Staffman holds 20 m end of chain or tape (0 m being at A) and moves till the reading on the staff is 1.700 m. Following the same procedure, several points along a given contour gradient can be located.

Location of Contour gradient on Contour map:

Let it be required to locate a Contour gradient of inclination of 1 in 25 ^{an upward} on a map ^{from point} where the contour interval is 2 m. from point A. The horizontal equivalent will be equal to $\frac{25}{1} \times 2 = 50$ m. Hence with A as centre and 50 m (to the same scale as that of contour plan) an arc is ^{drawn to} cut the next contour at B. Similarly the points such as C, D, E... B may be obtained and joined by a line. This line represents the contour gradient.

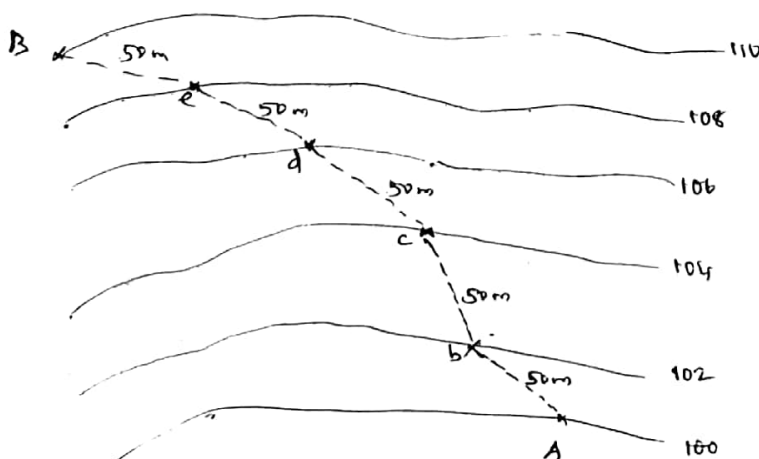


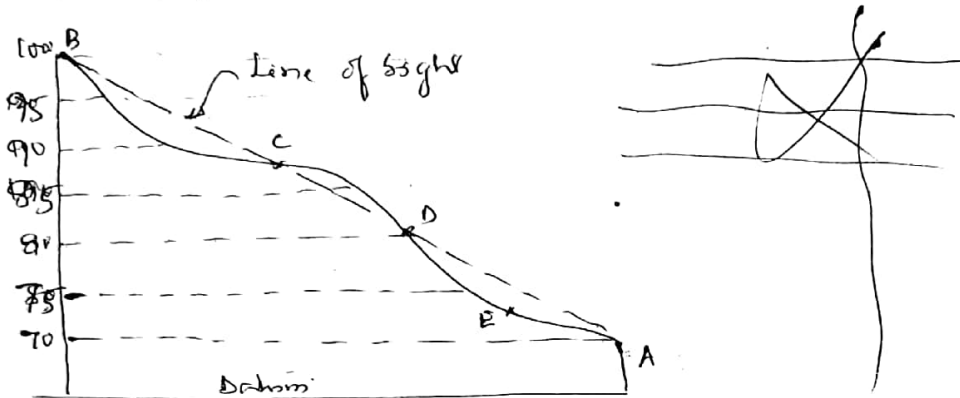
Fig. Contour Gradient (A b c d e B)

Grade Contour:

Grade contour or 'Contour gradient' is a line joining lying

Uses of Contour Maps: (Applications)

1. Determination of Intervisibility: From a contour map it can be ascertained that, whether any two points are intervisible or not. (Ref. fig 1)



The elevations of line of sight at different points are calculated (say at C, D and E). These elevations are compared with the elevation of ground at respective pts. If the elevation of line of sight is more than the elevation of ground pt, there is intervisibility.

As fig A & E are intervisible, whereas A & B are not intervisible.

2. Location of Route
Tracing of Contour gradient: By inspecting a contour map, the most suitable site for a road, railway canal etc can be selected. By following the contour lines, steep gradients, cuttings and fillings etc. may be avoided.

3. Measurement of drainage area: A drainage area for a given point in a stream or river can be defined as the area that forms the source of all water that passes that point. The extent of drainage area on a contour map. The area is found by planimeter.

4. Determination of capacity of reservoir: A contour map is very useful to study the possible location of a dam and the volume of water confined. All the contours are the closed lines within the reservoir area.

The areas A_1, A_2, \dots, A_n betwⁿ successive contour lines can be determined by a planimeter and if h is the contour interval, the capacity of the reservoir can be estimated by the following formulae.

Trapezoidal formula:

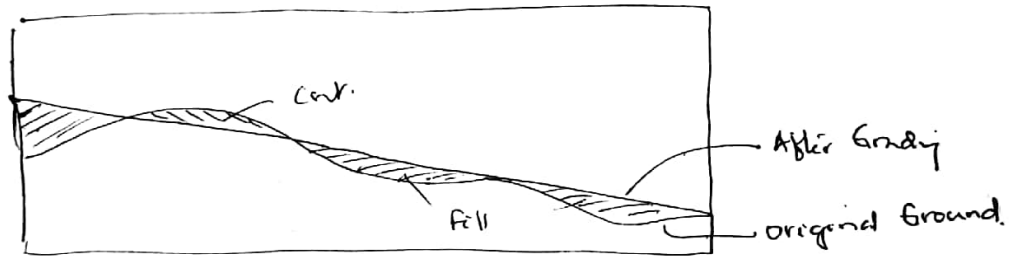
$$\text{Volume} = V = h \left[\frac{A_1 + A_n}{2} + A_2 + A_3 + \dots + A_{n-1} \right]$$

Prismoidal formula:

$$\text{Volume} = V = \frac{h}{3} \left[A_1 + A_n + 4(A_2 + A_4 + \dots + A_{n-2}) + 2(A_3 + A_5 + \dots + A_{n-1}) \right] \quad \left[\text{where } n = \begin{matrix} \text{odd} \\ \text{no} \end{matrix} \right]$$

5 Drawing of sections for earthwork calculations:

From a given contour plan, the section along any given direction can be drawn to know the general shape of the ground. This can be used for earthwork calculations for a given communication line in the direction of earthwork.



Examples:

- The area within the contour lines at the site of a reservoir and face of the proposed dam are as follows.

Contours (m)	300	302	304	306	308	310	312	314	316
Area (m ²)	620	8400	60240	90510	100200	301500	370300	450500	527280
	A_1	A_2	A_3	A_4	A_5	A_6	A_7	A_8	A_9

Taking 300m as the bottom level and 316 as the water level, find the vol of water in the reservoir.

Ans: Tr. Rule: $V = 2 \left[\frac{620 + 527280}{2} + (8400 + \dots + 450500) \right]$

$= 3 \text{ } 291 \text{ } 200 \text{ } m^3 = 2 \text{ } 313 \text{ } 420 \text{ } m^3$

Pr. Rule: $= 3 \text{ } 328 \text{ } 680 \text{ } m^3$

Module 5. Areas and Volumes

General Methods of Determining Areas

The following are the general methods of calculating areas:

① By computations based directly on field measurements.

These include:

(a) By dividing the area into a number of triangles.

(b) By offsets to the base line.

(c) By latitudes and Departures.

① By double meridian distance [DMD method]

② By double parallel distance [DPD method]

(d) By co-ordinates.

② By computation based on measurements scaled from a map.

③ By mechanical method. usually by means of a planimeter.

Areas computed by sub-division into triangles!

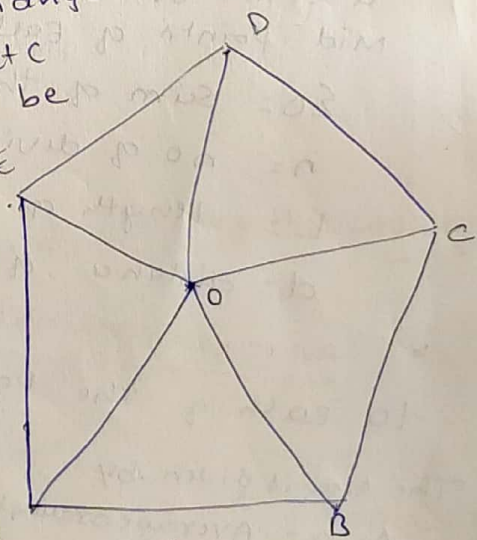
In this method, the area is divided into a no. of triangles & the area of each is calculated. The total area of the tract will then be equal to the sum of areas of individual Δ s.

Fig. 1 shows an area divided into several areas. For field work, a transit may be set up at O and the lengths & directions of each of the lines OA, OB, etc may be measured. The area of each triangle can be computed. In addition the sides AB, BC, etc can also be measured & a check may be applied by calculating the area from the three known sides of a triangle.

Thus if two sides and one included angle of a triangle is measured.

Area of a Δ is given by $= \frac{1}{2} ab \sin C$

When the lengths of the three sides of a Δ are measured.



Heron's formula: $\text{Area} = \sqrt{s(s-a)(s-b)(s-c)}$

$s = \text{half Perimeter} = \frac{1}{2}(a+b+c)$ [Small work]

Area from Offsets to a base line:

(a) Offsets at Regular intervals:

This method is suitable for long narrow strips of land. The offsets are measured from the boundary to the base line (or) a survey line at regular intervals.

The area can be calculated by the following methods:

- + Mid-ordinate Rule.
- + Average - ordinate Rule.
- + Trapezoidal Rule.
- + Simpson's one-third rule.

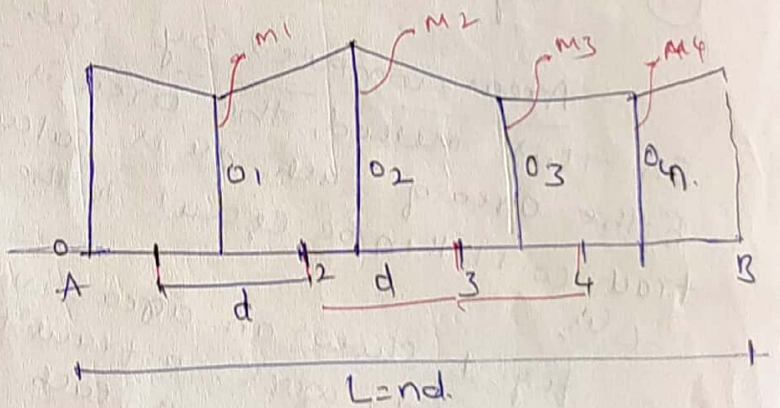
Mid-ordinate Rule: This method is used with the assumption that the boundaries b/w the extremities of the ordinates (or offsets) are straight lines. The base line is divided into a number of divisions & ordinates are measured at the mid-points of each division.

Area = $A = \text{Average ordinate} \times \text{length of base}$

$$= \frac{O_1 + O_2 + O_3 + \dots + O_n}{n} L$$

$$= \left[\frac{O_1 + O_2 + O_3 + \dots + O_n}{n} \right] d$$

$$= d \Sigma O$$



Where O_1, O_2, \dots, O_n

are the ordinates at the mid-points of each division

ΣO = Sum of the mid-ordinates

n = no of divisions

L = length of base line = nd

d = distance of each division

$A = d \Sigma m$

$A = d \Sigma O$

Average Ordinate Rule: The offsets are measured to each of the points of the division of the base line ($\frac{\Sigma O}{n}$)

$A = L \left[\frac{\Sigma O}{n} \right]$

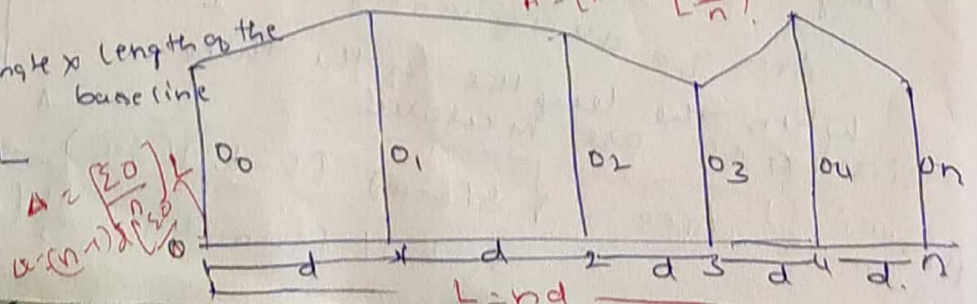
$A = [n-1]d \left[\frac{\Sigma O}{n} \right]$

The Area is given by

$A = \Delta = \text{Average ordinate} \times \text{length of the base line}$

$$\Delta = \left[\frac{O_0 + O_1 + O_2 + \dots + O_n}{n+1} \right] L$$

$$= \frac{L}{(n+1)} \Sigma O$$



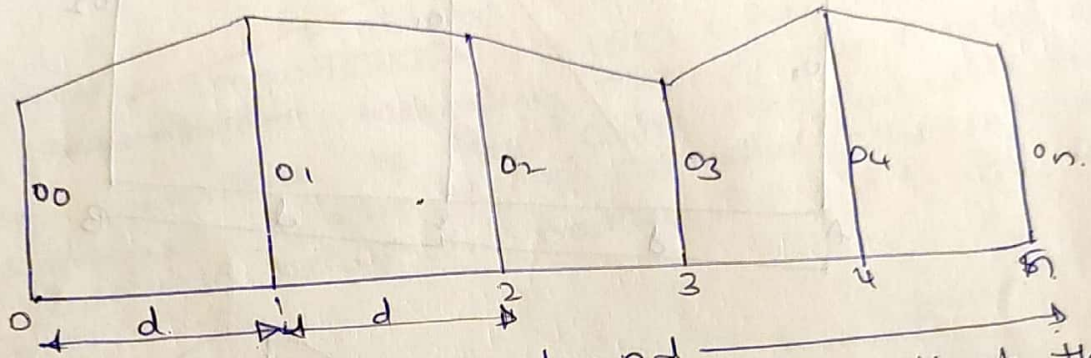
Where

O_0 = ordinate at one end of the base.

O_n = ordinate at the other end of the base divided into n equal divisions.

$O_1 \dots O_2 \dots$ = ordinates at the end of each division.

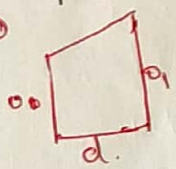
③ Trapezoidal Rule ?



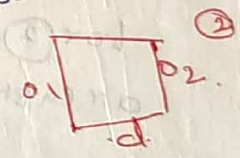
This rule is based on the assumption that the figures are trapezoids.

The rule is more accurate than the previous two rules which are approximate rule versions of the trapezoidal rule.

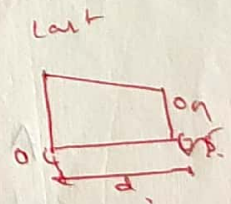
① The Area of a ^{first} trapezoid is given by $A_1 = \frac{O_0 + O_1}{2} \cdot d$.



Similarly, the area of the second trapezoid is given by $A_2 = \frac{O_1 + O_2}{2} \cdot d$.



The Area of the last trapezoid (nth) is given by $A_n = \frac{O_{n-1} + O_n}{2} \cdot d$.



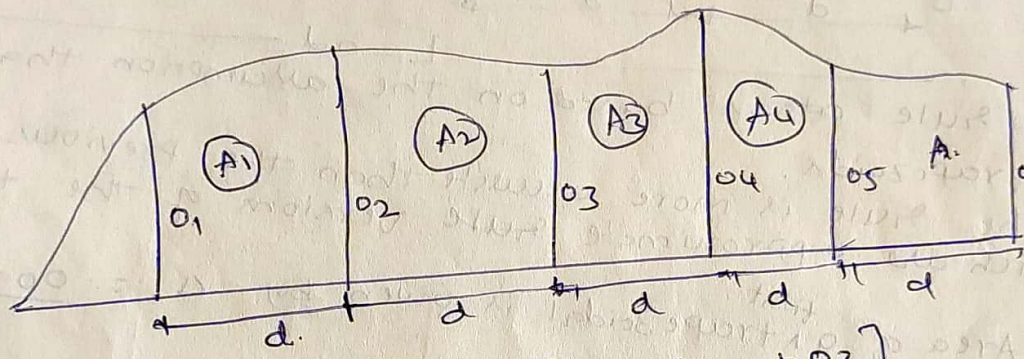
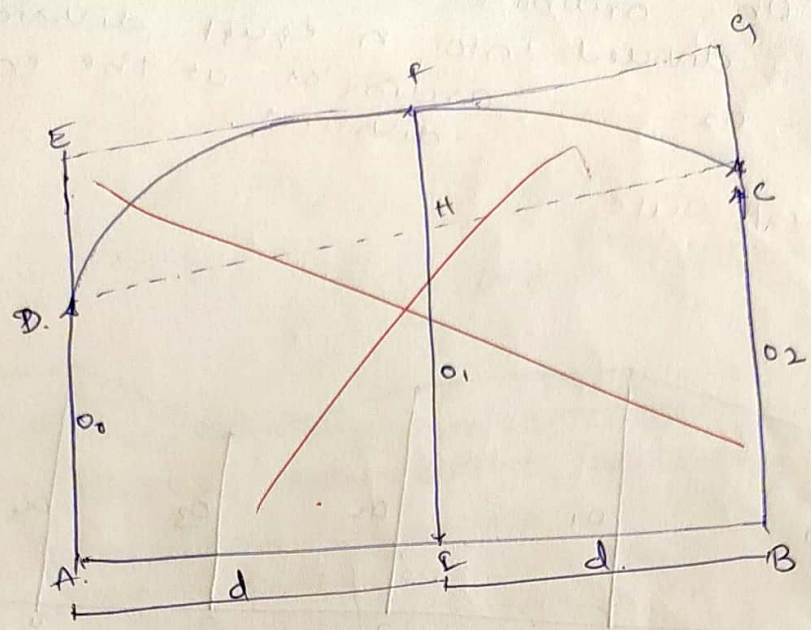
Hence the total area of the figure is given by

$$A = \frac{O_0 + O_n}{2} \cdot d + \frac{O_1 + O_2}{2} \cdot d + \dots + \frac{O_{n-1} + O_n}{2} \cdot d$$

$$A = \left[\frac{O_0 + O_n}{2} + O_1 + O_2 + \dots + O_{n-1} \right] \cdot d$$

4

Simpson's one third rule.



for 2 area strips

$$[A_1 + A_2] = \frac{d}{3} [o_1 + 4o_2 + o_3]$$

$$[A_3 + A_4] = \frac{d}{3} [o_3 + 4o_4 + o_5]$$

AT = A1 + A2 + ...

$$AT = \frac{d}{3} [[o_1 + o_n] + 4[o_2 + o_4 + o_6 + \dots + o_{n-1}] + 2[o_3 + o_5 + \dots + o_{n-2}]]$$

Note: Simpson's rule can only ^{odd} applied when no of ^{even} objects are in odd or no area strips should be even.
 + Simpson's rule is more accurate for irregular shape.

AREAS AND VOLUMES:

- AREA: Units: i) km^2
 ii) Acre (a) $1 \text{ Acre} = (10)^2 \text{ m}^2$ ie $1 \text{ a} = 100 \text{ m}^2$
 iii) Hectare (ha) $1 \text{ ha} = (100)^2 \text{ m}^2$ ie $1 \text{ ha} = 10\,000 \text{ m}^2$
 iv) km^2 $1 \text{ km}^2 = (1000)^2 \text{ m}^2$ ie $1 \text{ km}^2 = 1\,000\,000 \text{ m}^2$

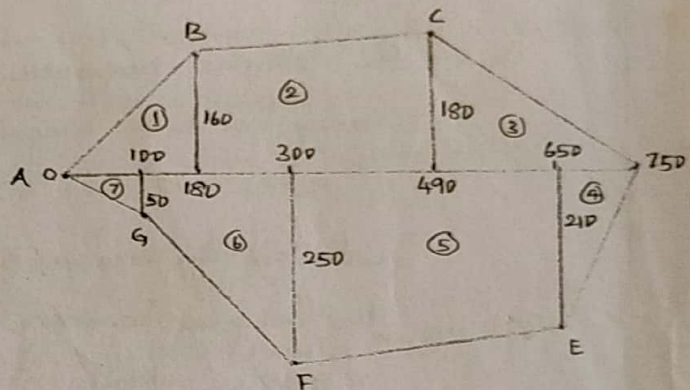
Commonly adopted units are m^2 and hectare.

I. Area from Cross Staff Survey:

Ex: Plot the following cross staff survey of a field ABCDEFG and calculate its area.

	750	D
	650	210E
C 180	490	
	300	250F
B 160	180	
	100	50G
	0	A

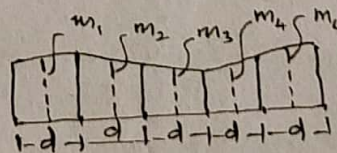
Soln:



$$\begin{aligned}
 A_1 &= \frac{1}{2} (180)(160) &= 14\,400 \\
 A_2 &= \frac{1}{2} (490-180)(160+180) &= 52\,700 \\
 A_3 &= \frac{1}{2} (750-490)(180) &= 23\,400 \\
 A_4 &= \frac{1}{2} \times (750-650)(210) &= 10\,500 \\
 A_5 &= \frac{1}{2} \times (650-300)(210+250) &= 80\,500 \\
 A_6 &= \frac{1}{2} \times (300-100)(250+50) &= 30\,000 \\
 A_7 &= \frac{1}{2} \times (100)(50) &= 2\,500 \\
 \therefore \text{Total Area} = A &= \underline{214\,000 \text{ m}^2 \text{ Ans.}}
 \end{aligned}$$

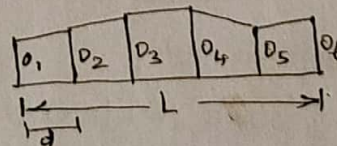
II Area from Ordinates:

1. Mid-ordinate rule:



$$A = d \sum m$$

2. Average ordinate rule:



$$A = L \left[\frac{\sum O}{n} \right] = (n-1)d \left[\frac{\sum O}{n} \right]$$

$n = \text{no of ordinates}$

3. Trapezoidal rule: $A = d \left[\frac{O_1 + O_n}{2} + O_2 + O_3 + \dots + O_{n-1} \right]$

4. Simpson's One-third rule (Parabolic rule): $A = \frac{d}{3} \left[(O_1 + O_n) + 4(O_2 + O_4 + \dots + O_{n-1}) + 2(O_3 + O_5 + \dots + O_{n-2}) \right]$

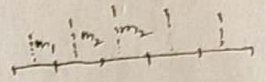
(Accurate)
 $>$ or $<$ T.R

* Applicable only when there are odd no of ordinates (or even no of segments)

Ex. 1. Offsets were taken from a chain line to a curved boundary. The chain line was 50 m long and was divided into 5 sections. The offsets taken to the middle of each section at 5 m, 15 m, 25 m, 35 m and 45 m were found to be 5.4 m, 6.8 m, 8.4 m, 7.5 m and 7.2 m respectively. Calculate the area between the chain line and the boundary using the mid-ordinate rule.

Fig.

Soln: $A = d(\Sigma o) - \text{mid ordinate rule.}$
 $= 10[5.4 + 6.8 + 8.4 + 7.5 + 7.2] = \underline{353 \text{ m}^2} \text{ Ans}$



Ex. 2: The following perpendicular offsets were taken at 10 m intervals from a survey line to an irregular boundary line.

3.82, 4.37, 6.82, 5.26, 7.59, 8.90, 9.52, 8.42 and 6.43 m.

Calculate the area in Sq.m enclosed between the survey line, the irregular boundary line and the first and last offsets by

- i) average ordinate rule
- ii) Trapezoidal rule and
- iii) Simpson's rule.

Soln: no. of observation of ordinates = $n = 9$ No. of Segments = 8 $\therefore L = 8 \times 10 = 80 \text{ m}$

i) Average ordinate rule:

$$A = L \left[\frac{\Sigma o}{n} \right] = 80 \left[\frac{3.82 + 4.37 + 6.82 + 5.26 + 7.59 + 8.90 + 9.52 + 8.42 + 6.43}{9} \right]$$

$$= 80[6.792] = \underline{543.38 \text{ m}^2} \text{ Ans.}$$

ii) Trapezoidal rule:

$$A = d \left[\frac{o_1 + o_n}{2} + o_2 + o_3 + \dots + o_{n-1} \right]$$

$$= 10 \left[\frac{3.82 + 6.43}{2} + (4.37 + 6.82 + 5.26 + 7.59 + 8.90 + 9.52 + 8.42) \right]$$

$$= \underline{560.05 \text{ m}^2} \text{ Ans.}$$

iii) Simpson's rule:

$$A = \frac{d}{3} \left[(o_1 + o_n) + 4(o_2 + o_4 + \dots + o_{n-1}) + 2(o_3 + o_5 + \dots + o_{n-2}) \right]$$

$$= \frac{10}{3} \left[(3.82 + 6.43) + 4(4.37 + 5.26 + 8.90 + 8.42) + 2(6.82 + 7.59 + 9.52) \right]$$

$$= \frac{10}{3} \left[(10.25) + (107.8) + 2(47.86) \right]$$

$$= \underline{553.03 \text{ m}^2} \text{ Ans.}$$

3) A series of offsets were taken from a chain line to a curved boundary line at intervals of 15 m in the following order.

0, 2.65, 3.80, 3.75, 4.65, 3.60, 4.95 and 5.85 m.

Compute the area between the chain line, the curved boundary and the end offsets by Simpson's rule.

Soln: Here the Simpson's rule cannot be applied directly since the number of ordinates is "EVEN". However the area between the first and seventh offsets may be calculated by Simpson's rule and the area enclosed between the seventh and last offsets may be found by the trapezoidal rule.

Then $A = A_1$ (Area by Simpson's rule) + A_2 (Area by trapezoidal rule)

$$\text{Here } A_1 = \frac{d}{3} [O_1 + O_7 + 4(O_2 + O_4 + O_6) + 2(O_3 + O_5)]$$

$$= \frac{15}{3} [(0 + 4.95) + 4(2.65 + 3.75 + 3.6) + 2(3.80 + 4.65)] = 309.25 \text{ m}^2$$

$$= 81.00 \text{ m}^2$$

$$\& A_2 = \frac{d}{2} [O_7 + O_8] = 15 \left[\frac{4.95 + 5.85}{2} \right]$$

$$\therefore A = 309.25 + 81.00 = \underline{\underline{390.25 \text{ m}^2 \text{ Ans.}}}$$

4) The following perpendicular offsets were taken from a chain line to an irregular boundary.

	0	10	25	42	60	75
Chainage, m.						
offset m	15.5	26.2	31.8	25.6	29	31.5

Calculate the area between the chain line, the boundary and the end offsets.

Soln: In this case, the area of each trapezoid is calculated separately and then added together to get the total area.

$$\text{Area of first trapezoid: } A_1 = d \left[\frac{O_1 + O_2}{2} \right] = (10-0) \left\{ \frac{15.5 + 26.2}{2} \right\} = 208.5 \text{ m}^2$$

$$A_2 = (25-10) \left\{ \frac{26.2 + 31.8}{2} \right\} = 435.0 \text{ m}^2$$

$$A_3 = (42-25) \left\{ \frac{31.8 + 25.6}{2} \right\} = 487.9 \text{ m}^2$$

$$A_4 = (60-42) \left\{ \frac{25.6 + 29}{2} \right\} = 491.4 \text{ m}^2$$

$$A_5 = (75-60) \left\{ \frac{29 + 31.5}{2} \right\} = 453.8 \text{ m}^2$$

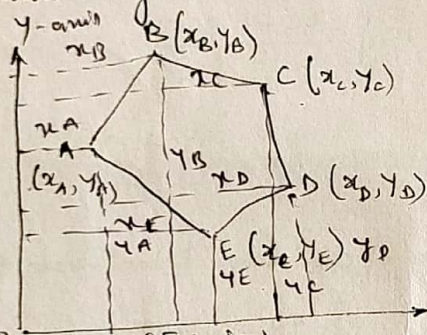
$$\text{(Total) area} = A = \underline{\underline{2076.6 \text{ m}^2 \text{ Ans.}}}$$

Comparison of rules:

1. The results obtained by using Simpson's rule are more accurate and hence used, where great accuracy is required.
2. The results obtained using Simpson's rule are "greater or less" than those obtained by using the trapezoidal rule depending on the curve of the boundary is concave or convex towards the base line.
3. For the application of the Trapezoidal and Simpson's rules, the interval between the successive ordinates must be uniform, throughout the length of the base line.

III Area from Coordinates:

* Coordinates of Points of a closed traverse with respect to a common origin is known as "Independent coordinates".



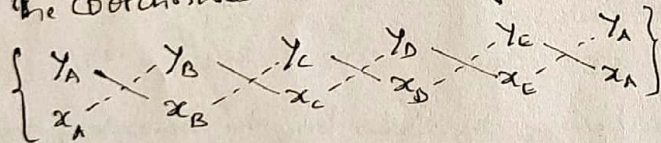
Double Area = $(\Sigma P - \Sigma Q)$

Area = $\frac{1}{2} (\Sigma P - \Sigma Q)$

The co-ordinates of stations A, B, C, D & E are $(x_A, y_A), (x_B, y_B), (x_C, y_C), (x_D, y_D), (x_E, y_E)$

To find the area (Ret. fig),

The coordinates are arranged in the form of determinants as follows:



Then $A = \frac{1}{2} (\Sigma P - \Sigma Q)$

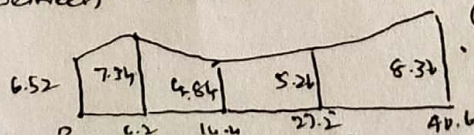
Where $\Sigma P = (y_A x_B + y_B x_C + y_C x_D + y_D x_E + y_E x_A)$

and $\Sigma Q = (x_A y_B + x_B y_C + x_C y_D + x_D y_E + x_E y_A)$

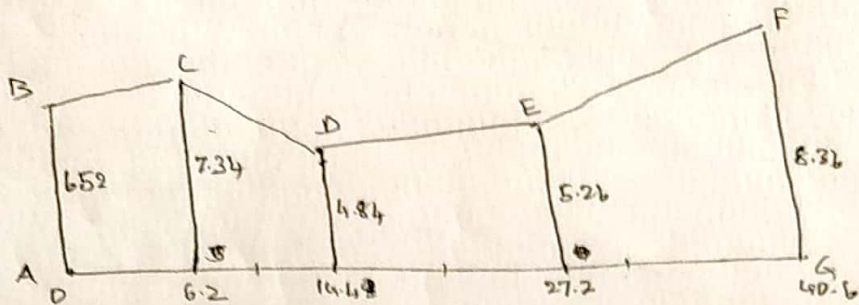
Ex: 1) The following perpendicular offsets were taken from a chain line to a hedge (boundary)

Chainage, m.	0	6.2	14.4	27.2	40.6
offset, m.	6.52	7.34	4.84	5.26	8.36

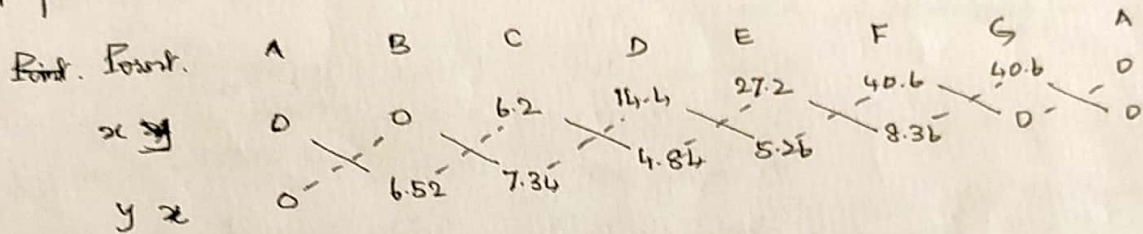
Calculate the enclosed area between chain line and hedge by the coordinate method.



Soln:



Taking A (Point corresponding to 0-chainage) as origin, the coordinates of points are as follows



$$\Sigma P = [(0 \times 6.52) + (0 \times 7.34) + (6.2 \times 4.84) + (14.4 \times 5.26) + (27.2 \times 8.36) + (40.6 \times 0) + (40.6 \times 0)]$$

$$= 833.144 \text{ m}^2$$

$$\Sigma Q = [(0 \times 0) + (6.52 \times 6.2) + (7.34 \times 14.4) + (4.84 \times 27.2) + (5.26 \times 40.6) + (8.36 \times 40.6) + (0 \times 0)]$$

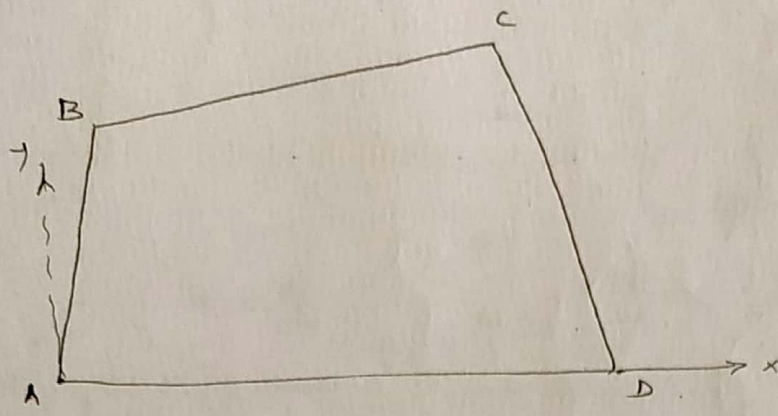
$$= 790.316 \text{ m}^2 \quad \text{②}$$

$$\therefore A = \frac{1}{2} [\Sigma P - \Sigma Q] = \frac{1}{2} [833.144 - 790.316] = \frac{42.828}{2} = 21.414 \text{ m}^2 \text{ Ans.}$$

2) The following table gives the corrected latitudes and departures (in metres) of the sides of a closed traverse ABCD. Compute its area by coordinates method.

Side.	Latitude		Departure		N	E
	N	S	E	W		
AB	+108	-	+4	-	108	4
BC	+15	-	+249	-	253	123
CD	-	-123	+4	-	257	0
DA	0	-	-	-257	0	0

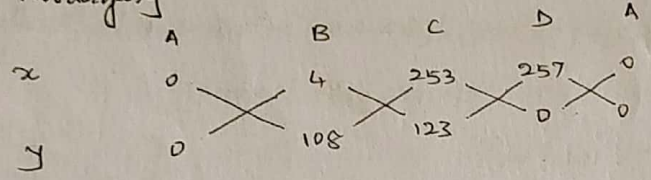
Soln:



(Assumed Origin)

Coordinates of	x	y		
A	0	0		
B	4	108	(0+4)	(0+108)
C	253	123	(4+249)	(108+15)
D	257	0	(253+4)	(123-123)

Arranging these coordinates in determinant form.



$$\sum P = [(0 \times 108) + (4 \times 123) + (253 \times 0) + (257 \times 0)] = 492 \text{ m}^2$$

$$\sum Q = [(0 \times 4) + (108 \times 253) + (123 \times 257) + (0 \times 0)] = 58935 \text{ m}^2$$

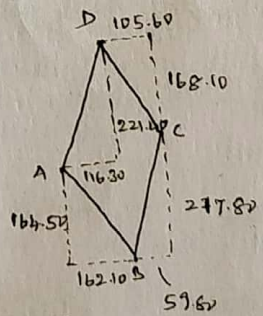
$$\therefore A = \frac{1}{2} [\sum P - \sum Q] = \frac{1}{2} [492 - 58935] = -29221.5 \text{ m}^2$$

$$\therefore A = 29221.5 \text{ Sq. m. (Ans)}$$

Ex-3) The latitudes and Departures of the lines of a closed traverse ABCDA are given. Compute the area by independent co-ordinate method.

Line	Latitude	Departure
AB	-164.50	+162.10
BC	+217.80	+59.80
CD	+168.10	-105.60
DA	-221.40	-116.30

Soln:



Co-ordinates. (Assumed origin at A)

Point	A	B	C	D	A
y	0	-164.50	+53.3	+221.4	0
x	0	+162.10	+221.90	+116.30	0

$$\sum P = [(0 \times 162.10) + (-164.50 \times 221.90) + (53.3 \times 116.30) + (221.4 \times 0)] = -30303.76 \text{ m}^2$$

$$\sum Q = [0 - 36502.6 + 6198.9 + 0] = -29903.7 \text{ m}^2$$

$$\therefore A = \frac{1}{2} [(0 \times -164.50) + (+162.10 \times 53.3) + (221.90 \times 221.4) + (116.30 \times 0)] = 29903.7 \text{ m}^2$$

4) The latitudes and departures of the lines of a closed traverse PQRS are given. Compute the area by coordinates method.

Line	Latitude	Departure
PQ	+ 225.28	227.26
QR	- 139.61	417.26
RS	- 336.90	-196.47
SP	+ 251.23	-448.05

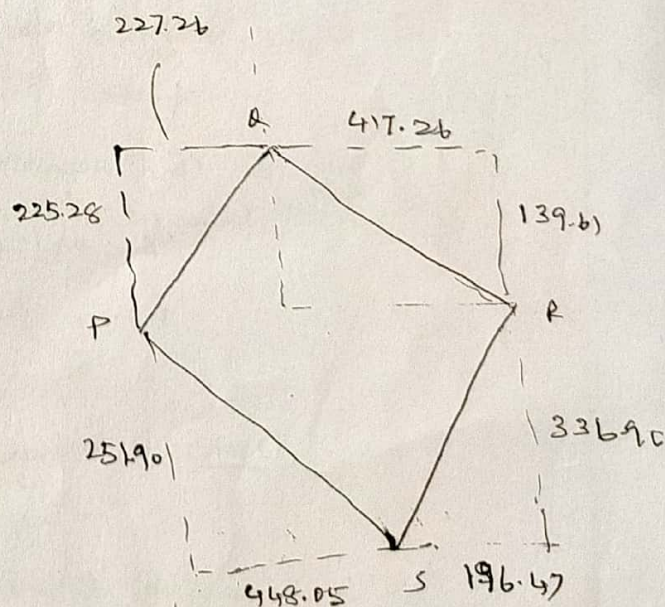
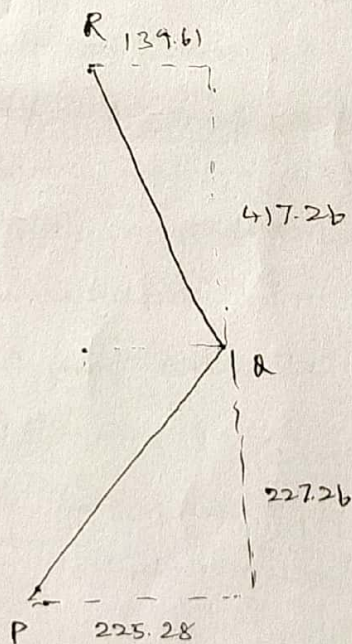
Solution:

	P	Q	R	S	P
Latitude (y)	0	225.28	85.67	-251.23	0
Departure (x)	0	227.26	644.52	448.05	0

$$\Sigma P = [0 + (225.28 \times 644.52) + (85.67 \times 448.05) + 0] = 183,582 \text{ m}^2$$

$$\Sigma R = [0 + (227.26 \times 85.67) + (644.52 \times -251.23) + 0] = -142,453 \text{ m}^2$$

$$A = \frac{1}{2} [\Sigma P - \Sigma R] = \frac{1}{2} [183,582 - (-142,453)] = 163,017.5 \text{ m}^2 = 16.30175 \text{ ha}$$



VOLUME:

If $A_1, A_2, A_3, \dots, A_n$ are areas of cross sections at an interval of 'd' then the volume may be calculated either by "Trapezoidal rule" or "Prismoidal rule".

i) Trapezoidal rule:

$$V = d \left[\frac{A_1 + A_n}{2} + A_2 + A_3 + \dots + A_{n-1} \right]$$

ii) Prismoidal rule (Also known as Simpson's rule for Volume)

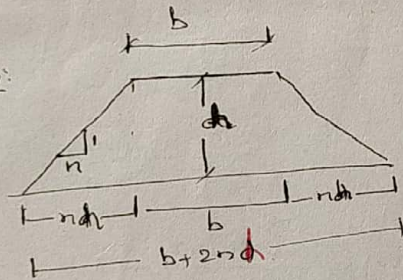
$$V = \frac{d}{8} \left[(A_1 + A_n) + 4(A_2 + A_4 + \dots + A_{n-1}) + 2(A_3 + A_5 + \dots + A_{n-2}) \right]$$

Note: Method is applicable when there odd no of areas. If n is an even, the prismoidal formula is applied upto (n-1) areas and trapezoidal rule is applied for betw (n-1) and n areas.

Examples:

(1) A railway embankment is 10 m wide with side slopes 1.5:1. Assuming the ground to be level in a direction transverse to the centre line, calculate the volume contained in a length of 120 m, the centre heights at 20 m intervals are 2.2, 3.7, 3.8, 4.0, 3.8, 2.8, and 2.5 m.

Soln:



$$\text{Area} = \frac{1}{2} (b + b + 2nd) \cdot d = (b + nd)d = (b + nh)h$$

Given. $b = 10 \text{ m}$; $n = 1.5$; $d = 2.2, 3.7, 3.8, 4.0, 3.8, 2.8$ and 2.5 m .

Area of c/s at 0 m chainage = A_1	$= (10 + 1.5 \times 2.2) \times 2.2 = 29.26 \text{ m}^2$
" " " 20 m chainage = A_2	$= (10 + 1.5 \times 3.7) \times 3.7 = 57.54 \text{ m}^2$
" " " 40 m = A_3	$= (10 + 1.5 \times 3.8) \times 3.8 = 59.66 \text{ m}^2$
" " " 60 m = A_4	$= (10 + 1.5 \times 4.0) \times 4.0 = 64.00 \text{ m}^2$
" " " 80 m = A_5	$= (10 + 1.5 \times 3.8) \times 3.8 = 59.66 \text{ m}^2$
" " " 100 m = A_6	$= (10 + 1.5 \times 2.8) \times 2.8 = 39.76 \text{ m}^2$
" " " 120 m = A_7	$= (10 + 1.5 \times 2.5) \times 2.5 = 34.38 \text{ m}^2$

Volume i) By Trapezoidal formula:

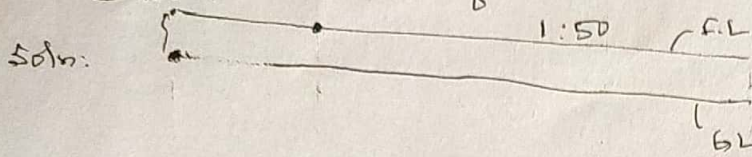
$$V = d \left[\frac{(A_1 + A_7)}{2} + (A_2 + A_3 + \dots + A_6) \right] = 20 \left[\frac{29.26 + 34.38}{2} + (57.54 + 59.66 + 64.00 + 59.66 + 39.76) \right] = 6248.8 \text{ m}^3 \text{ Ans.}$$

ii) By Prismoidal formula:

$$V = \frac{d}{8} \left[(A_1 + A_7) + 4(A_2 + A_4 + A_6) + 2(A_3 + A_5) \right]$$

2) A road embankment is 30 m wide at the top with side slopes 2:1. The ground levels at 100 m intervals along a line AB are as follows.

170.30 (A), 169.10, 168.50, 168.10, 166.50 (B). The formation level at A is 178.90 m with a uniform falling gradient of 1 in 50 from A to B. Determine the Volume of earthwork. Assume ground to be level in cross section.



Scale: 1:5000 (H)
1:1000 (V)

Dist: 166.000

Dist	0	100	200	300	400
Depth of fill, (h)	8.1	7.3	5.9	4.3	3.9
FL	178.40	176.40	174.40	172.40	170.40
GL	170.30	169.10	168.50	168.10	166.50
Ch	A	100	200	300	B

Gradient
1:50
for 100m - 2m fall

$$A_1 = (30 + 2 \times 8.1) 8.1 = 374.22 \text{ m}^2$$

$$A_2 = (30 + 2 \times 7.3) 7.3 = 325.58 \text{ m}^2$$

$$A_3 = (30 + 2 \times 5.9) 5.9 = 246.62 \text{ m}^2$$

$$A_4 = (30 + 2 \times 4.3) 4.3 = 165.98 \text{ m}^2$$

$$A_5 = (30 + 2 \times 3.9) 3.9 = 147.42 \text{ m}^2$$

Volume: i) Trapezoidal rule: $A = 100 \left[\frac{374.22 + 147.42}{2} + 325.58 + 246.62 + 165.98 \right]$
 $= 99900 \text{ sq. m}^3 = 99900 \text{ cu. m}$

ii) Prismatical rule: $A = \frac{100}{3} [374.22 + 147.42 + 4(325.58 + 165.98) + 2(246.62)]$
 $= 99370.7 \text{ sq. m}^3 = 99370.7 \text{ cu. m}$

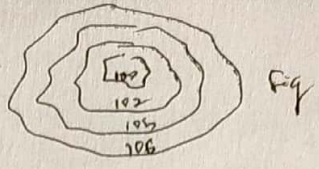
3) (Assume road) A railway embankment 400 m long is 12 m wide at the formation level and has the side slope 2 to 1. The ground levels at every 100 m along the centre line are as follows

Distance, m	0	100	200	300	400
RL, m	204.8	206.2	207.5	207.2	208.3

The formation level at zero chainage is 207 m and the embankment has a rising gradient of 1 in 100. The ground is level across the centre line. Calculate the Volume of earthwork.

Ans: i) Trapezoidal: 14137 m^3

Capacity of Reservoirs:



The capacity of reservoir is calculated from contour plans. As shown in fig, a no of contour lines are available at a selected contour interval. The area within a contour line is measured using a planimeter. Such measured areas are then used to calculate the volume of water that can be stored in the reservoir using either trapezoidal or prismatic formula.

Ex.: Find the Capacity of a reservoir from the contour data given below. The plan is drawn to a scale of 1:4000 (1cm = 40m)

Contour, m	260	258	256	254	252	250	248	246	244	242	240
Area, cm ²	400	367.5	327.5	310	277.5	243.75	205	172.5	147.5	115	0

Soln: Contour Interval = d = 2 m.

Area $A_1 = 400 \times 40^2 = 640\,000\text{ m}^2$; $A_2 = 367.5 \times 40^2 = 588\,000\text{ m}^2$
 $A_3 = 327.5 \times 40^2 = 524\,000\text{ m}^2$; $A_4 = 310 \times 40^2 = 496\,000\text{ m}^2$
 $A_5 = 277.5 \times 40^2 = 444\,000\text{ m}^2$; $A_6 = 243.75 \times 40^2 = 390\,000\text{ m}^2$
 $A_7 = 205 \times 40^2 = 328\,000\text{ m}^2$; $A_8 = 172.5 \times 40^2 = 284\,000\text{ m}^2$
 $A_9 = 147.5 \times 40^2 = 236\,000\text{ m}^2$; $A_{10} = 115 \times 40^2 = 184\,000\text{ m}^2$
 $A_{11} = 0$

Capacity = Volume: i) Trapezoidal Formula

$$V = d \left[\frac{A_1 + A_n}{2} + (A_2 + A_3 + A_4 + \dots + A_{n-1}) \right]$$

$$= 2 \times 1000 \left[\frac{640 + 0}{2} + (588 + 524 + 496 + 444 + 390 + 328 + 284 + 236 + 184) \right]$$

$$= 7588 \times 1000\text{ m}^3 \text{ Ans}$$

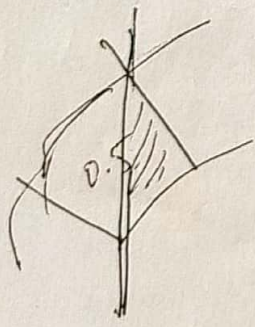
ii) Prismatic formula

$$V = \frac{d}{3} \left[(A_1 + A_n) + 4(A_2 + A_4 + \dots + A_{n-1}) + 2(A_3 + A_5 + \dots + A_{n-2}) \right]$$

$$= \frac{2}{3} \times 1000 \left[(640 + 0) + 4(588 + 496 + 390 + 284 + 184) + 2(524 + 444 + 328 + 236) \right]$$

$$= \frac{2}{3} \times 1000 \left[640 + 7768 + 3064 \right]$$

$$= 7648 \times 1000\text{ m}^3 \text{ Ans.}$$



V =

Volume:

Trapezoidal formula:

$$\text{Total volume} = d \left[\frac{A_1 + A_n}{2} + A_2 + A_3 + \dots + A_{n-1} \right]$$

one third Simpson's rule (or) Prismatic formula.

$$V = \frac{d}{3} \left[(A_1 + A_n) + 4(A_2 + A_4 + \dots + A_{n-1}) + 2(A_3 + A_5 + \dots + A_{n-2}) \right]$$

Problems
 * A railway embankment is 10m wide with side slopes 1.5 to 1. Assuming the ground to be level in a direction transverse to the centre line, calculate the volume contained in a length of 120 metres. The centre heights at 20m intervals being in metres 2.2, 3.7, 3.8, 4.0, 3.8, 2.8, 2.5.

Soln
 For level section
 The area is given by

$$A = \frac{1}{2} [b + b + nh + nh] h$$

$$A = \frac{1}{2} [2b + 2nh] h$$

$$A = \frac{1}{2} \times 2 [b + nh] h$$

$$A = [b + nh] h$$

side slope is 1.5:1

n = 1.5, b = 10

The areas under at different sections will be as follows.

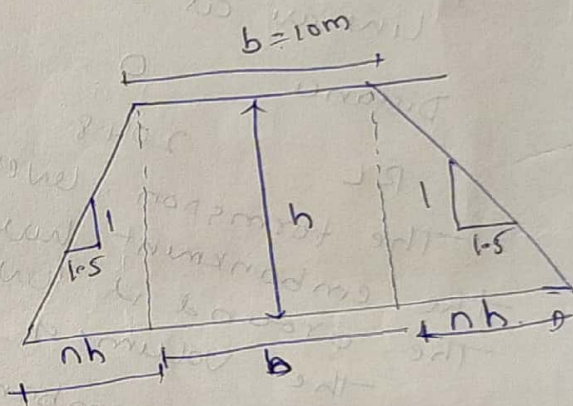
- $A_1 = [10 + 1.5 \times 2.2] 2.2 = 29.26 \text{ m}^2$
- $A_2 = [10 + 1.5 \times 3.7] 3.7 = 57.54 \text{ m}^2$
- $A_3 = [10 + 1.5 \times 3.8] 3.8 = 59.66 \text{ m}^2$
- $A_4 = [10 + 1.5 \times 4.0] 4.0 = 64.00 \text{ m}^2$
- $A_5 = [10 + 1.5 \times 3.8] 3.8 = 59.66 \text{ m}^2$
- $A_6 = [10 + 1.5 \times 2.8] 2.8 = 39.76 \text{ m}^2$
- $A_7 = [10 + 1.5 \times 2.5] 2.5 = 34.37 \text{ m}^2$

Volume by trapezoidal rule is given by

$$V = d \left[\frac{A_1 + A_n}{2} + A_2 + A_3 + \dots + A_{n-1} \right]$$

$$V = 20 \left[\frac{29.26 + 34.37}{2} + 57.54 + 59.66 + 64 + 59.66 + 39.76 \right]$$

$$\boxed{V = 6258.9 \text{ m}^3}$$



Volume of Prismatic rule is given by

$$V = \frac{d}{3} [(A_1 + A_7) + 4(A_2 + A_4 + A_6) + 2(A_3 + A_5)]$$

$$V = \frac{20}{3} [(29.26 + 34.37) + 4(57.54 + 64 + 39.76) + 2(59.66 + 59.66)]$$

$$V = 6316.5 \text{ m}^3$$

② A railway embankment 400m long is 12m wide at the formation level and has the side slope of 2 to 1. The ground level at every 100m along the centre line are as under

Distance	0	100	200	300	400
RL	204.8	206.2	207.5	207.2	208.3

The formation level at every 100m chainage is 207.00 and the embankment has a raising gradient of 1 in 100. The ground level across the centre line. calculate the volume of earthwork.

Soln

Since the embankment level is to have a raising gradient of 1 in 100 the formation level at every section can be easily calculated as follows.

Distance	Ground (RL)	Formation level	Depth of filling (h)
0	204.8	207.00	2.2
100	206.2	208.00	1.8
200	207.5	209.00	1.5
300	207.2	210.00	2.8
400	208.3	211.00	2.7

Area of the section is given by $A = (b + nh)h$
 where $b = 12$, $n = 2$, $h =$

$$A_1 = [12 + 2 \times 2.2] 2.2 = 36.08 \text{ m}^2$$

$$A_2 = [12 + 2 \times 1.8] 1.8 = 28.06 \text{ m}^2$$

$$A_3 = [12 + 2 \times 1.5] 1.5 = 22.50 \text{ m}^2$$

$$A_4 = [12 + 2 \times 2.8] 2.8 = 49.28 \text{ m}^2$$

$$A_5 = [12 + 2 \times 2.7] 2.7 = 46.98 \text{ m}^2$$

Trapezoidal rule

$$V = d \left[\frac{A_1 + A_n}{2} + A_2 + A_3 + \dots + A_{n-1} \right]$$

$$V = 400 \left[\frac{36.08 + 46.98}{2} + 28.06 + 22.50 + 49.28 \right]$$

$$V = 14.137 \text{ m}^3$$

Volume of Prismoidal rule.

$$V = \frac{d}{3} \left[(A_1 + A_n) + 4(A_2 + A_4 + \dots + A_{n-1}) + 2(A_3 + A_5 + \dots + A_{n-2}) \right]$$

$$V = \frac{400}{3} \left[(36.08 + 46.98) + 4(28.06 + 49.28) + 2(22.50) \right]$$

$$V = 14.581 \text{ m}^3$$

Trapezoidal rule - volume

$$V = d \left[\frac{A_1 + A_5}{2} + A_2 + A_3 + A_4 \right]$$

$$V = 400 \left[\frac{36.08 + 46.98}{2} + 28.06 + 22.50 + 49.28 \right]$$

$$V = 14.137 \text{ m}^3$$

Volume of prismoidal rule.

$$V = \frac{d}{3} \left[(A_1 + A_5) + 4(A_2 + A_4) + 2(A_3) \right]$$

$$V = \frac{400}{3} \left[(36.08 + 46.98) + 4(28.06 + 49.28) + 2(22.50) \right]$$

$$V = 14.581 \text{ m}^3$$

Digital Planimeter: This is an improvement over the conventional planimeter. It is a micro-processor based instrument which has sensors to determine the length of a line or area covered by line.

Features: (i) Control panel: This has a display panel which displays the length or area. It has no. of keys. Keys help in setting units, vertical scale, & horizontal scale independently. Summation key, memory store key, memory recall key etc are also available.

ii) Roller: Wheel is used to provide stable and precise measurement.

iii) Tracer arm: With tracing point is used to trace the given length of line or area. A magnifying lens may be provided over the tracing point in the arm, for clearer view of line to be traced.

iv) mode switch: This helps in shifting from "point" mode to the "continuous" mode.

The digital planimeter gets power supply from "Nickel-Cadmium" Cell (rechargeable).

Procedure: i) The power is switched on. ii) With the help of keys, units, vertical scale, & horizontal scale are set. iii) The tracer point ^{is placed} on the marked point and the "start switch" is pressed. iv) The tracer point is carefully moved over the boundary till it returns to the starting point. v) The end key is pressed to get the display of the area. vi) The instrument is switched off.

Module: 3

LEVELLING:

Levelling may be defined as the art of determining the relative heights or elevations of points or objects on the earth's surface. It deals with the measurements in a vertical plane.

DEFINITIONS:

1. Level Surface: Any surface parallel to mean spheroidal surface of earth is said to be a level surface. Since the earth is assumed to be spherical, a level surface is regarded as a curved surface. Water surface of a still lake is considered to be a level surface.

A "level line" is a line lying in a level surface. It is normal to plumb line at all points. (Fig 1)

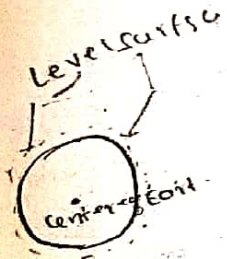
2. Horizontal plane: Any plane tangential to the level surface at a point is known as horizontal plane.

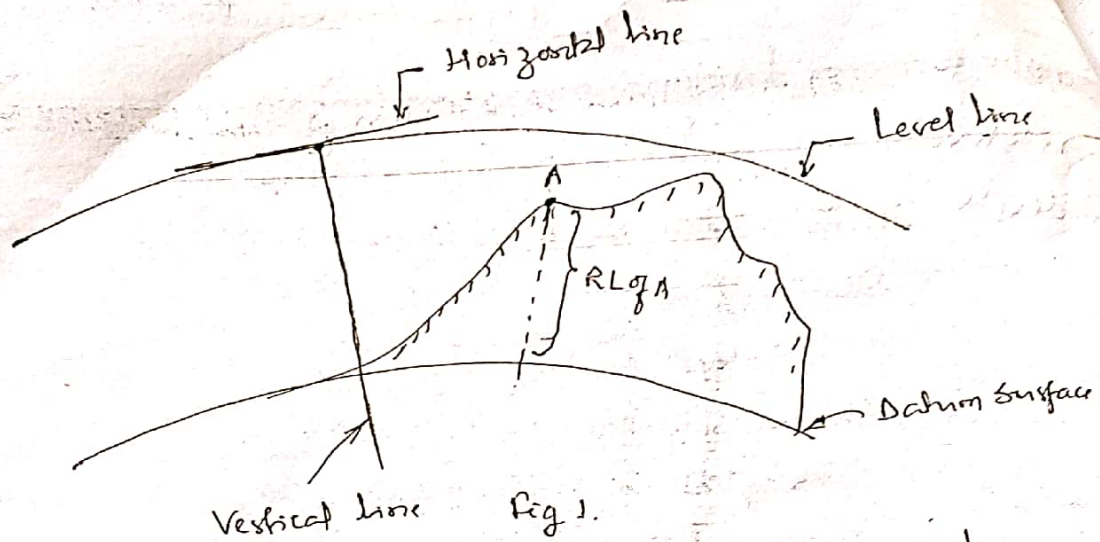
A "horizontal line" is any line lying in a horizontal plane. At any point, the horizontal line is perpendicular to the plumb line (Fig 1)

3. Vertical Plane: The direction indicated by the plumb line (direction of gravity) is known as the "vertical line". Any plane perpendicular to the vertical line is known as the "vertical plane".

4. Datum Surface or line: This is an imaginary level surface or level line from which the vertical distances of different points are measured. In India, the datum adopted for the "Great Trigonometrical Survey" (GTS) is the "Mean Sea Level" (MSL) at Karachi, Mumbai.

5. Elevation: The elevation of a point is its vertical distance above or below datum. The elevation of a point is plus or minus according as the point is above or below the datum. (Fig 1). It is also known as "reduced level" (R.L.)





6. Bench-mark (BM): It is a fixed reference point of known elevation. (Fig 2)

7. Back Sight (B.S): This is the first reading taken in any setup of instrument, after the levelling has been perfectly done on a point of known elevation. (Fig 2)

8. Fore Sight (F.S): This is the last reading taken in any set up of instrument on a point, whose elevation is to be determined. (Fig 2)

9. Intermediate Sight (I.S): This is any other staff reading between "back sight" and "fore sight". (Fig 2)

10. Change Point (C.P): It is a point indicating shifting of the instrument. It is the staff station on which "fore sight" is taken from one setup of instrument and "back sight" is taken from the next setup of instrument. It is also called as "Turning Point". (T.P) (Fig 2)

11. Line of Collimation: It is an imaginary line passing through the intersection of cross-hairs at the diaphragm and the optical centre of the object glass, and its continuation. It is also called as "line of sight". The ^{horizontal} plane generated by it is called as "Plane of collimation".

12. Height of instrument (H.I) is called "Plane of collimation".

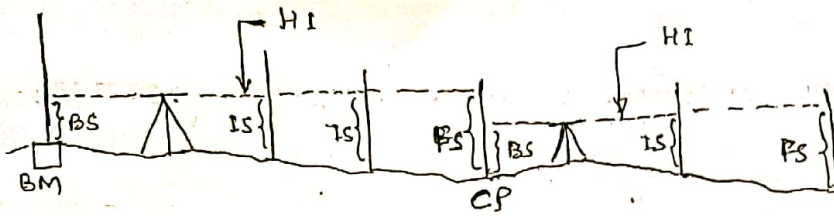


Fig 2

12. Height of Instrument (HI): When the leveling of instrument is properly levelled, the RL of line of collimation is known as "Height of Instr."

Bench Marks: A bench mark is a fixed reference point of known elevation. There are four kinds of bench marks. They are

- i) GTS (Great Trigonometric Survey) bench marks
- ii) Permanent bench marks
- iii) Arbitrary bench marks
- iv) Temporary bench marks

GTS bench marks are the bench marks established with very high precision at intervals over the country by the "Survey of India dept." of India. The values of reduced levels, the relevant positions and the number of bench marks are given in a catalogue published by the Survey of India department. The MSL at ~~Kanchi~~ Mumbai has been taken as the datum.

Permanent bench marks are the bench marks established below GTS bench marks by the govt agencies such as P.W.D, on a clearly defined and permanent points such as top of parapet wall of a bridge or culvert, kilometer stone etc. Their positions are marked on a flat surface by a rectangle (Fig 1). On a vertical surface, such as a wall, they are marked in the form of an arrow and horizontal groove (Fig 2)

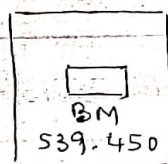


Fig 1



Fig 2

(on Vertical Surface)

Arbitrary bench marks are the bench marks, the Rls of which are assigned arbitrarily.

Temporary bench marks: are the bench marks established at the end of days work. These should be carefully established on a definite and permanent objects.

Leveling Instruments:

The instruments commonly used in leveling are

1. A level
2. Leveling Staff.

1. Level:

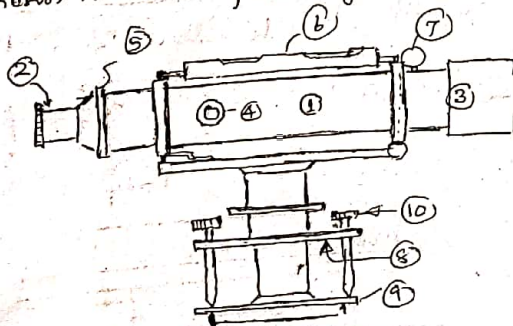
The purpose of a level is to provide a horizontal line of sight. It essentially consists of

- i) a telescope to provide line of sight
- ii) a level tube to make line of sight horizontal.
- iii) a leveling head to bring the bubble to its centre of sun
- iv) a tripod to support the instrument.

There are various types of levels used in levelling. Among them, the commonly used levels are

- i) Dumpy level
- ii) Automatic level
- iii) Telling level

i) Dumpy level The various parts of dumpy level are shown in the following diagram. It is supported on a tripod.



- 1 Telescope
 - 2 Eye Piece
 - 3 objective with ray shade
 - 4 focusing screw
 - 5 Diaphragm
 - 6 Longitudinal bubble
 - 7 Transverse bubble
 - 8 Tribrach
 - 9 Trivet
 - 10 Foot screws
- } Leveling head.

The principal lines or axes of a dumpy level are

- i) Line of Sight:- "Line joining intersection of cross hairs at the diaphragm and optical centre of objective and its continuation".
- ii) Axis of telescope:- "Line joining the optical centres of eyepiece & objective". (Both 1 & 2 are correct)
- iii) Bubble Axis:- "Tangential line to the bubble test tube at its centre".
- iv) Vertical axis:- "Axis about which the instrument rotates in a horizontal plane".

The desired relationships are

- i) Bubble axis should be perpendicular to vertical axis.
- ii) Line of sight should be parallel to bubble axis.

The adjustments done for establishing the desired relationships are called "Permanent adjustments".

Temporary adjustments of a level:

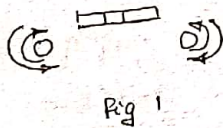
These are the adjustments made at every setup of instruments before taking staff readings. This consists of the following.

1. Setting up the level:

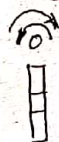
1. Levelling up and
2. Parallax elimination.

1. Setting up the level:
 - i) Fixing the instrument to the tripod
 - ii) Levelling the instrument approximately by leg adjustment.

2. Levelling up:
 - i) Telescope is turned to keep the longitudinal bubble parallel to a pair of foot screws. ^{Fig 1} These two foot screws are turned simultaneously inwards or outwards, till the bubble comes to the centre of its run.



- ii) Telescope is turned through 90° , say clockwise direction so that the ^{bubble axis} line of sight passes over the third foot screw. This third foot screw is turned clockwise or anticlockwise, till the bubble is at the centre of its run.



- iii) Telescope is turned through 90° in anticlockwise direction so that the bubble axis is parallel to the pair of foot screws. These two foot screws

are turned towards or outwards till the bubble is at the centre

iv) Step ii) is repeated.

v) Steps iii) and iv) are repeated till the bubble remains central in these two positions.

vi) From the last position, the telescope is rotated through 180° (or or 180°). If the bubble remains central, it is in permanent adjustment, if not, it needs permanent adjustment.

3. Elimination of Parallax: Parallax is the apparent movement of the image with the movement of eye. This occurs when the image of the object does not fall in the plane of the diaphragm. Parallax is eliminated in two steps

i) Focussing the eye piece: A sheet of white paper is held in front the object glass. Eye-piece is rotated till the cross hairs are seen sharp and distinct.

ii) Focussing the objective: Telescope is turned towards the levelling staff, and the focussing screw is turned till the image appears clear and sharp.

Assignment: ^{other} → Types of levels - brief description of

- i) Wye level
- ii) Cooke's reversible level
- iii) Crutcher's level
- iv) Tilting level
- v) Automatic level.

} From any of the Text books.

Levelling Staff: A levelling staff is a straight rectangular wooden member, graduated into metres and smaller divisions. The purpose of levelling staff is to determine the amount by which the station is above or below the line of sight. There are two types of levelling staves. They are 1. Self reading staff and 2. Target staff.

1. Self reading Staff: The three forms of self reading staff are

i) Solid staff ii) Folding staff and iii) Telescopic staff. (Soprath part)
A solid staff is normally 3m long. The folding staff is made of two pieces, each of 2m. These pieces are hinged at their ends. The telescopic staff is made of 3 pieces, arranged in three telescopic lengths. When fully extended it normally of 4m length. The 4m staff has solid top length of 1.25m sliding into the central box of 1.25m. The central box in turn slides into lower box of 1.5m length. Self reading staff is to be read directly by the instrument man through the telescope.

2. Target Staff: It is 13 feet long and consists of two lengths, held together by means of brass clamping screw. One of the lengths can be slid over the other. The upper piece is of 6' length and the lower piece is of 7' length. It is graduated in feet, tenths, and hundredths and the vernier of the target enable the readings to be taken upto a thousandth part of a foot.

For taking the reading the level man direct the staff man to raise or lower the target till it is bisected by the line of sight. The staff man clamps the target and then takes the reading.

Mean sea level: It is the average height of the sea for all stages of the tides. At any particular place it is derived by averaging the hourly tide heights over a long period of 19 years. In India the mean sea level used is that of Karachi. In all important surveys this is taken as datum. Mumbai

Types of levelling:

1. Simple levelling: When the difference of level between two points is determined by setting the level midway between the points, the process is called 'simple levelling'.

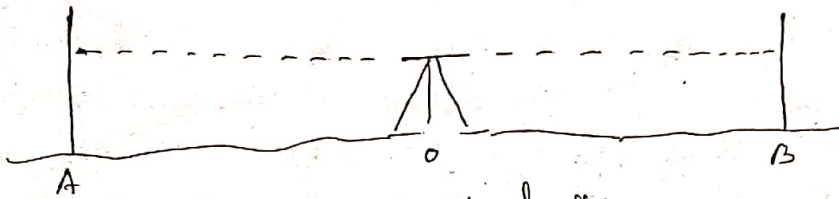


Fig. Simple levelling

2. Differential levelling: Differential levelling is adopted when
 - a) the points are at a great distance
 - b) the difference of elevation between the points is large
 - c) there are obstacles between the points

This method is known as "fly levelling" or "Compound levelling" or "Continuous levelling". In this method, the level is set up at several suitable positions and staff readings are taken at each (Ref. fig)

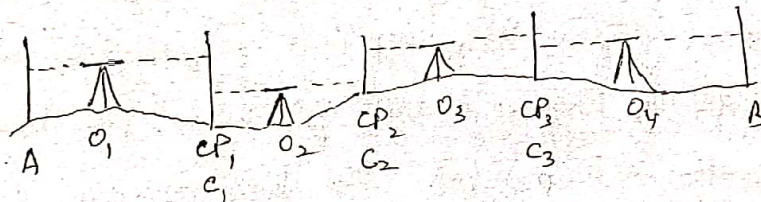


Fig. Differential levelling

3. Fly levelling: When differential levelling is done in order to connect a BM to the starting point of the alignment of any project is called 'fly levelling'.

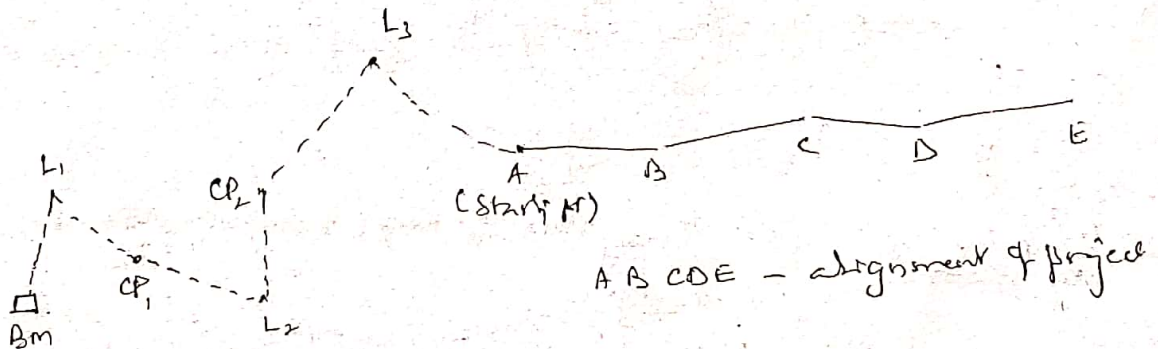


Fig Fly levelling (dotted lines)

... staff held vertically on Q and the

4. Check leveling: The Fly level done at the end of days work to connect the finishing point with the starting point on the particular day is known as 'check leveling'. It is undertaken to check the accuracy of days work.

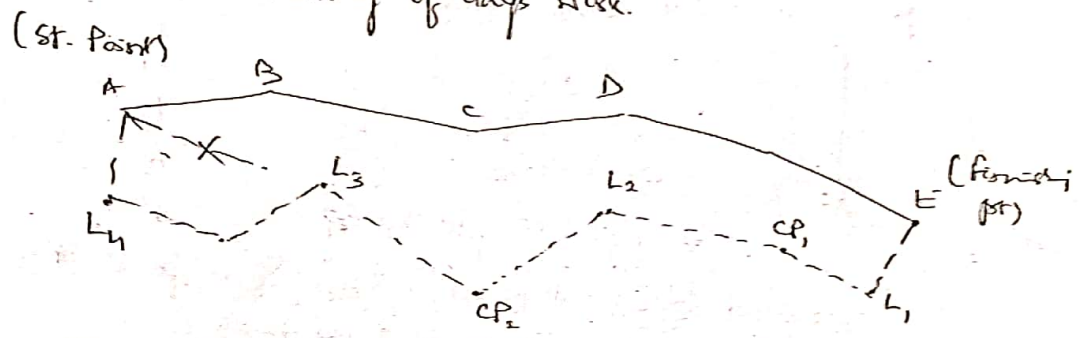


Fig check leveling (dotted line)

5. Profile leveling: It is the operation to determine the elevations of points spaced apart at known distances along a given line, the purpose of this leveling is to obtain the ground profile. This leveling is also called "longitudinal sectioning" or "Scoping" section. Profile surveying is very useful for projects like construction and design of highways, railways, canals, pipe lines etc to determine the cut and fill. The field procedure of profile leveling is indicated in the following fig. (fig 1)

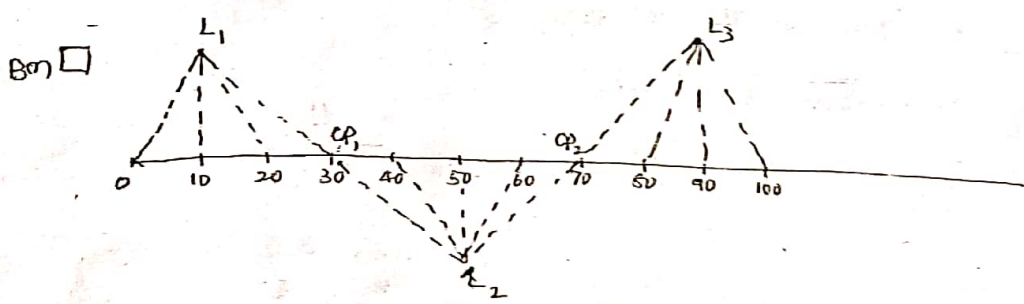
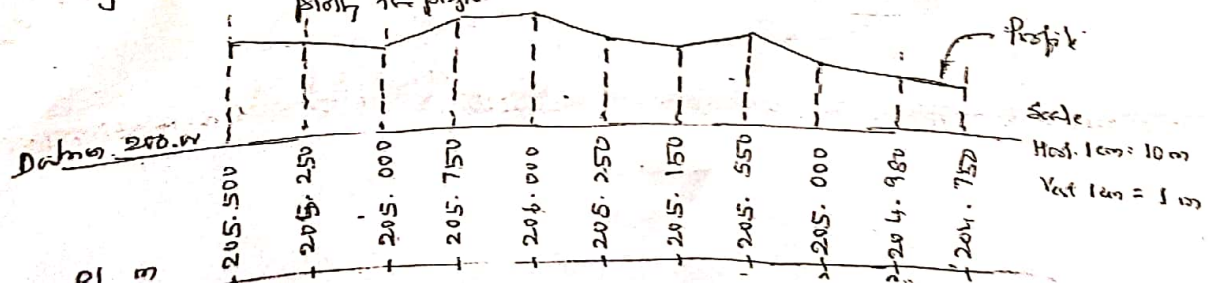


Fig. Plan of Profile leveling (field procedure)

Fig 2. Show the method of plotting the profile



Cross Sectioning: It is the operation of levelling to determine the elevation of the points at right angles on either side of the centre line of a project like highway or railway. This is done to obtain the details of the profile perpendicular to the ϕ . The longitudinal section together with cross sectioning helps in estimating the quantity of earthwork (excavation or filling).

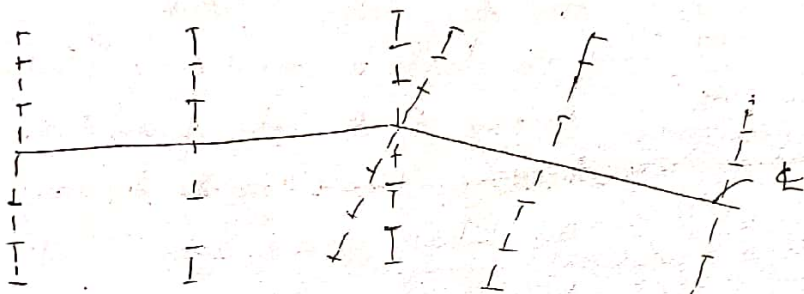
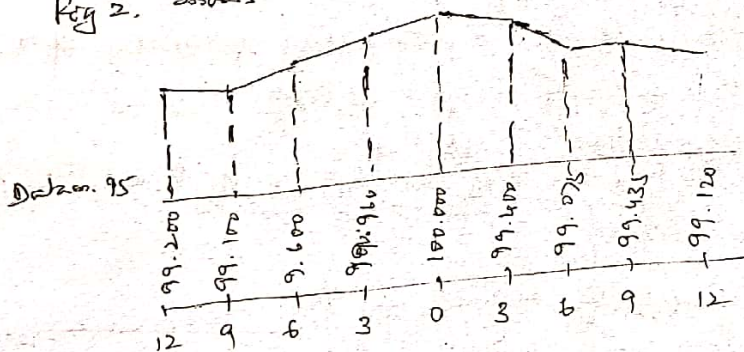


Fig 1. Cross sectioning (field procedure)

Fig 2. Shows the method of plotting.



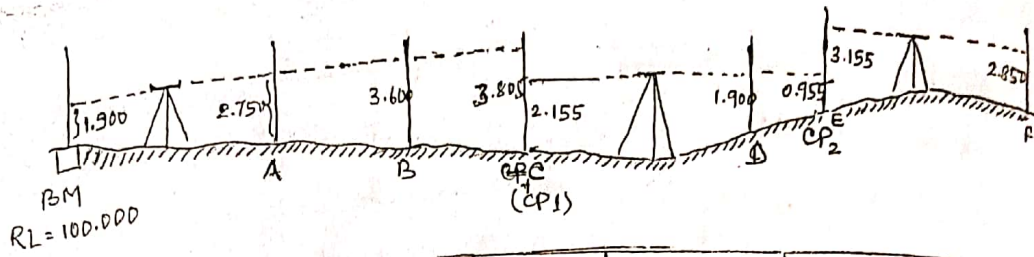
Station	Distance from C.L. (m)
12	12
9	9
6	6
3	3
0	0
3	3
6	6
9	9
12	12

Fig 2. CS Profile

7. Reciprocal levelling: It is the operation of levelling in which the difference in levelling elevation between two points is accurately determined by two sets of reciprocal observations. This is used when the instrument cannot be set up between two points due to an obstruction such as valley, river etc. (Ref. fig)



Method of entering the readings in a page of level book:



B.S	I.S	F.S	H.I or(PC)	R.L	Remarks
1.900				100.000	B.M. (details)
	2.750				A
	3.600				B
2.155		3.805			C - CP ₁
	1.900				D
3.155		0.955			E
		2.850			F

Methods of reducing levels: There are two methods of reducing levels. They are 1. Height of inst. method
2. Rise and fall method.

1. Height of instrument method:

Eqs Used

- i) $HI = RL \text{ of B.M.} + BS$
- ii) $R.L = HI - IS / F.S$

Arithmetic Check :- $\sum B.S - \sum F.S = \text{Last R.L} - \text{First R.L}$

B.S	I.S	F.S	H.I	R.L	Remarks
1.900			101.900	100.000	B.M
	2.750			99.150	A
	3.600			98.300	B
2.155		3.805	100.250	98.095	C - CP ₁
	1.900			98.350	D
3.155		0.955	102.450	99.295	E - CP ₂
		2.850		99.600	F
$\sum 7.210$		$\sum 7.610$			

Arith. Check :- $\sum B.S - \sum F.S = \text{Last R.L} - \text{First R.L}$

$$7.210 - 7.610 = 99.600 - 100.000$$

$$-0.400 = -0.400 \quad \therefore 0.5$$

2 Rise and Fall method:

Eqns Used: 1) First reading - Second reading = +ve Rise
 -ve Fall.
 (Taken from a single setup)

$$ii) R.L = R.L \text{ of Previous Point} + \text{Rise}$$

OR

$$R.L = R.L \text{ of Previous Point} - \text{Fall.}$$

Arithmetic check:

$$\Sigma \text{Rise} - \Sigma \text{Fall} = \Sigma BS - \Sigma FS = \text{Last RL} - \text{First RL}$$

BS	IS	FS	Rise	Fall	R.L	Remarks
1.900					100.000	B.M
	2.750			-0.850	99.150	A
	3.600			-0.850	98.300	B
2.155		3.805		-0.205	98.095	C - CP ₁
	1.900		+0.255		98.350	D
3.155		0.955	+0.945		99.295	E - CP ₂
		2.850	+0.305		99.600	F

$$\Sigma 7.210 \quad \Sigma 7.610 \quad \Sigma 1.505 \quad \Sigma 1.905$$

Arithmetic Check:

$$\Sigma BS - \Sigma FS = \Sigma \text{Rise} - \Sigma \text{Fall} = \text{Last RL} - \text{First RL}$$

$$7.210 - 7.610 = 1.505 - 1.905 = 99.600 - 100.000$$

$$-0.400 = -0.400 = -0.400 \therefore \text{OK.}$$

Comparison between HI method and Rise and Fall method

HI Method. (Collimation method)	Rise & Fall method
1. It is rapid as it involves few calculations	It is laborious involving several calculations
2. There is no check on the RL of intermediate sight points, and hence errors in the calculation of RL of intermediate sight pts cannot be detected.	There is a check on the RL of intermediate sight points and hence no errors in the calculation of RLs
3. Check $\Sigma BS - \Sigma FS = \text{Last RL} - \text{First RL}$	check $\Sigma BS - \Sigma FS = \Sigma \text{Rise} - \Sigma \text{Fall} = \text{Last RL} - \text{First RL}$

Points to be remembered while entering the level books.

1. The first reading of any set up is entered in the BS column, the last reading in the FS column and the other readings in the IS column.
2. A page always starts with a BS reading and finishes with an FS reading.
3. If a page finishes with an IS reading, the reading is entered in the IS and FS columns on that page and brought forward to the next page by entering it in the BS and IS columns.
4. The FS and BS of any change point are entered in the same horizontal line.
5. The HI is entered in the same horizontal line in which the corresponding BS was entered.
6. Important note, bench marks and change points should be clearly described in the remark column.

EXAMPLES:

- ① The following readings were observed successively with a leveling instrument. The instrument was shifted after 5th and 11th readings. Draw a page of level book and determine the RL of various points by Rise and Fall method, if the RL of the point on which first reading was taken was 264.350 m.

(BS)				(FS)	(BS)	
0.485,	1.020,	1.785,	3.395,	3.875,	0.360,	1.305,
			(FS)	(BS)		(FS)
1.785,	2.675,	3.385,	3.885,	1.835,	0.435,	1.705

Soln!

BS	IS	FS	Rise	Fall	RL	Remarks
0.485					264.350	B.M
	1.020			-0.535	263.815	
	1.785			-0.765	263.050	
	3.395			-1.610	261.440	
0.360	?	3.875		-0.480	260.960	CP 1
	1.305			-0.945	260.015	
	1.785			-0.480	259.535	
	2.675			-0.890	258.645	
	3.385			-0.710	257.935	
1.835		3.885		-0.500	257.435	CP 2
	0.435		+1.400		258.835	
		1.705		-1.270	257.565	
Σ	2.680	9.465	1.400	8.185		

Check.

$$\Sigma BS - \Sigma FS = \Sigma Rise - \Sigma Fall = \text{Last RL} - \text{First RL}$$

$$2.680 - 9.465 = 1.400 - 8.185 = 257.565 - 264.350$$

$$-6.785 = -6.785 = -6.785 \therefore \text{OK}$$

2) The following consecutive readings were taken with a level and a 4m levelling staff on a continuously sloping ground at common interval of 30m

0.855, (on A), 1.545, 2.335, 3.115, 3.825, 0.455, 1.380, 2.055,

2.855, 3.455, 0.585, 1.015, 1.850, 2.755, 3.845 (on B)

The RL of A was 380.500m. Make entries in a level page & reduce levels of all the points.

Determine the Gradient of AB

Sols:

B.S	I.S	F.S	H.I	RL	Remarks	Change
0.855			381.355	380.500	A	0
	1.545			379.810		30
	2.335			379.020		60
	3.115			378.240		90
0.455		3.825	377.985	377.530	CP-1	120
	1.380			376.605		150
	2.055			375.930		180
	2.855			375.130		210
0.585		3.455	375.115	374.530	CP-2	240
	1.015			374.100		270
	1.850			373.245		300
	2.755			372.260		330
		3.845		371.270	B	360

Σ 1.895

11.125

Check: $1.895 - 11.125 = 371.270 - 380.500$
 $- 9.230 = - 9.230$

Gradient = $\frac{\text{Diff in level}}{\text{horiz. dist}} = \frac{9.230}{360} = \frac{1}{39}$ i.e. 1 in 39 (Fall gradient)

⑤ During fly levelling the following notes were made.

B.S : 0.620, 2.050, 1.420, 2.630 } The first reading was taken on
 F.S : 2.440, 1.350, 0.530, 2.410 } B.M of RL 250.000. Enter the
 readings and calculate the RLs of various points.

B.S	I.S	F.S	H.I	RL	Remarks
0.620			250.620	250.000	B.M
2.050		2.440	250.230	248.180	CP ₁
1.420		1.350	250.300	248.880	CP ₂
2.630		0.530	252.400	249.770	CP ₃
		2.410		249.990	CP ₄
		6.730			

Σ 6.720

ΣBS - ΣFS = Last RL - First RL

∴ ok

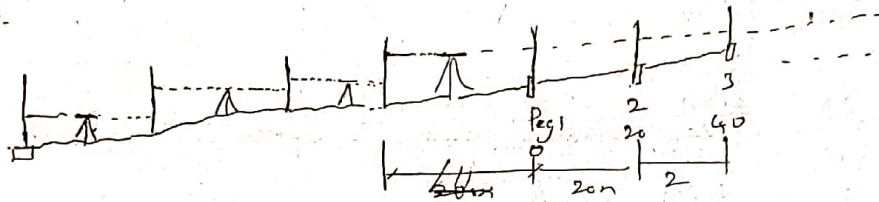
Q. In fly levelling, from a BM of RL 140.605, the following readings were observed.

B.S: 1.545, 2.695, 1.415, 2.925

I.S: 0.575, 1.235, 0.595

From the last position of the instrument, six pegs at 20 m intervals are to be set out on a uniformly rising gradient of 1 in 50, the first peg is to have an RL of 144.000. Find the staff readings and RL of the pegs.

Soln.



B.S	I.S	F.S	HI	RL	Dist	Ch	Remarks
1.545			142.105	140.605			
2.695		0.575	144.270	141.575			
1.415		1.235	144.450	143.035			
2.925		0.595	146.780	143.855			
	2.780			144.000	0	0	Peg 1
	2.380			144.400	20	20	2
	1.980			144.800	20	40	3
	1.580			145.200	20	60	4
	1.180			145.600	20	80	5
		0.780		146.000	20	100	6
Σ 8.580		3.185					

Gradient from Peg 1 to Peg 6 is 1 in 50 (up gradient)

$$\therefore \text{Rise for } 20 \text{ m} = \frac{1}{50} \times 20 = 0.400$$

$$\therefore \text{RL of Peg 2} = \text{RL of Peg 1} + 0.4 = 144.000 + 0.400 = 144.400$$

∴ Check:

$$8.580 - 3.185 = 146.000 - 140.605$$

$$5.395 = 5.395 \therefore \text{OK}$$

⑤ Starting from a point A of elevation 92.5m, levels were taken for a section extending to a point B, the reduced level of which was found to be 98.15m. Check levels were carried back along the shortest route from B to A, the readings being given below. Find the error of closure on the starting pt.

BS	IS	FS	Remarks
1.120	-	-	B
0.740	-	3.050	
1.800	-	2.795	
2.490	-	0.375	
0.730	-	1.235	
1.820	-	3.390	
0.720	-	1.915	
		2.290	A

Sols:

BS	IS	FS	SI	RL	Remarks
1.120			99.270	98.150	B
0.740		3.050	96.960	96.220	
1.800		2.795	95.965	94.165	
2.490		0.375	98.080	95.590	
0.730		1.235	97.575	96.845	
1.820		3.390	96.005	94.185	
0.720		1.915	94.810	94.090	
		2.290		92.520	A

9.420

15.050

-5.630

-5.630

Error of closure. $92.520 - 92.500 = 0.020$

Ex: A page of level book is shown in the following table. Fill in the missing readings and calculate the RL of all points. Apply the usual checks.

Station	BS	IS	FS	Rise	Fall	RL	Remarks
1	2.150					450.000	B.M. - I
2	1.645		? 1.650	0.500		450.500	
3		2.345			? - 0.700	449.800	
4	? 1.425		1.965	? 0.380		450.180	
5	2.050		1.825		(-) 0.400	449.780	
6	? 1.690		? 0.330	? 1.720		451.500	B.M. - II
7	1.690		1.570	0.120		451.620	
8	2.865		2.100		? - 0.410	451.210	
			2.825 ? 2.660	? 0.040		451.250	B.M. - III

3 - FS = Rise or Fall

Soln: Σ 13.515 Σ 12.265 (2.760) 1.510
 $2.150 - ? = +0.500 \therefore ? = 2.150 - 0.500 = 1.650$

RL of 2 = RL of 1 + Rise = $450 + 0.500 = 450.500$

2-3 $1.645 - 2.345 = ? \therefore ? = -0.700$ (Fall)

\therefore RL of 3 = $450.500 - 0.700 = 449.800$

3-4 $2.345 - 1.965 = ? \therefore ? = 0.380$ (Rise)

RL of 4 = $449.800 + 0.380 = 450.180$

4-5 $? - 1.825 = -0.400 \therefore ? = 1.425$

RL of 5 = $450.180 - 0.400 =$

5-6 RL of 6 = RL of 5 + Rise $\therefore ? = \text{RL of 6} - \text{RL of 5}$
 $= 451.500 - 449.780$

$2.050 - ? = 1.720 \therefore ? = 0.330$

6-7 $? - 1.570 = 0.120 \therefore ? = 1.690$

RL of 7 = $451.500 + 0.120 = 451.620$

7-8

Check $1.250 = 1.250 = 1.250 \therefore \text{OK}$

Ex. 8 While constructing a building the bottom of a balcony A was taken as a BM, the R.L of which was 100.000 m. Calculate the R.L of the bottom of the chejja B, given the following data: ^{Enter} ~~Book~~ out the readings in the form of the a page of level book and reduce the levels.

Reading on Inverted Staff on BM (on A) = 1.250 m

Reading on the Peg P on the ground = 0.685 m (chyp phasi)

Reading on the Peg P on the ground = 3.290 m

Reading on Inverted Staff at bottom of chejja (on B) = 1.465 m

Soln:

Station	BS	IS	FS	HI	RL	Remarks
A	-1.250			98.750	100.000	BM
P	3.290		0.685	101.355	98.065	CP
B			-1.465		102.820	Bottom of chejja
	Σ 2.04		-0.780			

$$HI_1 = R.L \text{ of BM} + BS = 100.000 + (-1.250) = 98.750$$

$$R.L \text{ of P} = HI - FS = 98.750 - 0.685 = 98.065$$

$$HI_2 = R.L \text{ of P} + BS = 98.065 + 3.290 = 101.355$$

$$R.L \text{ of B} = HI - FS = 101.355 - (-1.465) = 102.820$$

$$\text{check: } 2.04 - (-0.780) = 102.820 - 100.000$$

$$2.820 = 2.820 \quad \therefore \text{OK}$$

Rise & Fall method:

Stn	BS	IS	FS	Rise	Fall	RL	Remarks
A	-1.250					100.000	BM
P	3.290		0.685		-1.935	98.065	CP
B			-1.465	4.755		102.820	Bottom of chejja
	Σ 2.04		-0.780				

$$\frac{1}{2}B \quad -1.250 - 0.685 = -1.935 \text{ (Fall)}$$

$$R.L \text{ of P} = 100.000 - 1.935 =$$

$$P.B. \quad 3.290 - (-1.465) = +4.755 \text{ (Rise)}$$

$$\text{check: } 2.04 - (-0.780) = 4.755 - 1.935 = 102.820 - 100.000$$

$$2.820 = 2.820 = 2.820$$

SENSITIVENESS OF BUBBLE:

Definition: "Angular Value of one division of bubble tube."

Determination: (Ref. fig)

- (i) Two points are marked at a convenient distance of about D m (say 50 to 100 m)
- (ii) The level is set up at one of the stations. With the bubble in the central position of its run, the staff reading s_1 , held at the other station, is noted.
- (iii) The bubble is now moved out of its centre by n divisions by foot screws. If the value of one division of the bubble tube is l , m , then the distance moved by the bubble is nl , m . In this bubble position, the staff reading s_2 m is noted. The difference in staff reading = staff intercept = error in staff reading = $s = s_2 - s_1$.

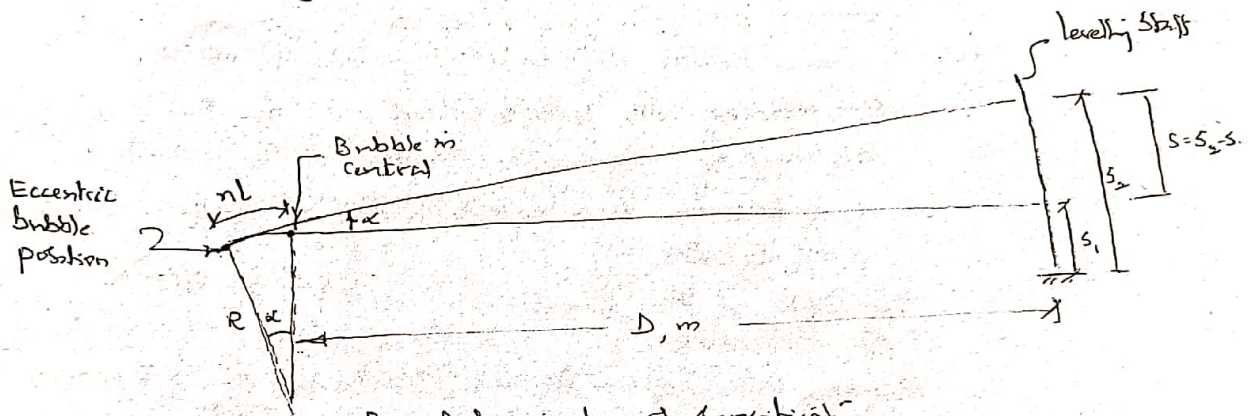


Fig: Determination of Sensitivity

Let α - be the angle with which the bubble is moved out of its centre.
 R - be the radius of curvature of the bubble tube.

$$\text{Arc length } nl = R\alpha \quad \text{or} \quad \boxed{\alpha = \frac{nl}{R}} \quad - (1)$$

In equation (1) if $n=1$, α will be the angular value of one division, which is nothing but the sensitivity of bubble, say α'

$$\text{ie } \alpha' = \frac{1 \times l}{R} \quad \text{or} \quad \alpha = \frac{l}{R}$$

$$\text{or} \quad \alpha \text{ (Seconds)} = \frac{l}{R} \times \left(\frac{180}{\pi} \times 60 \times 60 \right)$$

$$\text{or} \quad \boxed{\alpha \text{ (Seconds)} = \frac{l}{R} \times 206265} \quad - (1a)$$

$$\text{Also from fig, } \tan \alpha = \frac{s}{D}$$

$$\text{Since } \alpha \text{ is very small } \tan \alpha \approx \alpha \quad \therefore \boxed{\alpha = \frac{s}{D}} \quad - (2)$$

Equating (1) and (2)

$$\frac{nl}{R} = \frac{s}{D} \quad \text{or} \quad \boxed{R = \frac{nD}{s}} \quad - (3)$$

Sensitivity of bubble depends upon

- (i) Radius of curvature of tube - Larger the radius, greater will be the sensitivity
- (ii) Diameter of the tube - Larger the diameter, greater will be the sensitivity
- (iii) Length of the bubble - Larger the length, greater will be the sensitivity
- (iv) Viscosity of liquid in the tube - Lesser the viscosity, greater will be sensitivity.

Example:

- 1) The reading taken on a staff, 100 m from the instrument with bubble central was 1.872 m. The bubble is then moved 5 divisions, out of the centre and the staff reading is observed to be 1.906 m. Find the angular value of one division of the bubble and the radius of curvature. Take the length of one division of bubble as 2 mm.

Data:

Soln: Distance between staff and instrument = $D = 100$ m.

Staff reading with bubble central = $S_1 = 1.872$ m.

Staff reading with bubble eccentric = $S_2 = 1.906$ m.

$$\therefore S = \frac{1.906 - 1.872}{1.872} = 0.034 \text{ m}$$

no of divisions moved by staff bubble out of its centre = $n = 5$

$$l = 2 \times 10^{-3} \text{ m}$$

Length of one division

Reqd: α' and R

$$\text{Angular Value of one division} = \text{Sensitivity} = \alpha' = \frac{l}{R} \times 206265 \quad \text{--- (i)}$$

$$\text{Radius of curvature of bubble tube} = R = \frac{n l D}{S} = \frac{5 \times (2 \times 10^{-3}) \times 100}{0.034} = 29.41 \text{ m} \quad \text{Ans}$$

Substituting R value in eqn (i)

$$\alpha' = \frac{2 \times 10^{-3}}{29.41} \times 206265 = 14.03 \quad \text{Ans}$$

- 2) If the bubble tube of a level has a sensitivity of $30''$ per 2 mm division, find the error in staff reading on a vertically held staff at a distance of 150 m, caused by a bubble, 2 divisions out of the centre.

Soln:

Data: $\alpha' = 30''$; $l = 2 \times 10^{-3}$ m; $D = 150$ m; $n = 2$

Reqd: S or R

$$\alpha' = \frac{l}{R} \times 206265 \quad ; \quad 30 = \frac{2 \times 10^{-3}}{R} \times 206265 \quad \therefore R = 13.75 \text{ m}$$

$$R = \frac{n l D}{S} \quad ; \quad 13.75 = \frac{2 \times (2 \times 10^{-3}) \times 150}{S} \quad \therefore S = 0.044 \text{ m} \quad \text{Ans}$$

Curvature and Refraction:

1. CURVATURE CORRECTION: "The vertical distance between the horizontal line of sight and a level line at a particular place is called curvature correction".
 (Ref. fig 1) Curvature correction is applied for long sights. Due to curvature, the objects appear lower than what they really are. Curvature correction is always negative.

The formulae for curvature correction can be derived as follows (Ref. fig 2)

In fig, AB = horizontal distance (as per the horizontal line of sight), then
 AD = level line in level surface. (parallel to mean spheroidal surface)
 AC = DC = Radius of the earth, $\text{km. } (6370) = R$
 BD = C_c = Curvature correction.

From right angled triangle ABC, (right angled at A)

$$(BD + DC)^2 = AB^2 + AC^2$$

$$(C_c + R)^2 = D^2 + R^2$$

$$C_c^2 + 2RC_c + R^2 = D^2 + R^2$$

Since C_c is a very small value, C_c^2 is neglected.

$$\therefore C_c = \frac{D^2}{2R}$$

(km)

$$C_c = \frac{D^2}{2R} \times 1000$$

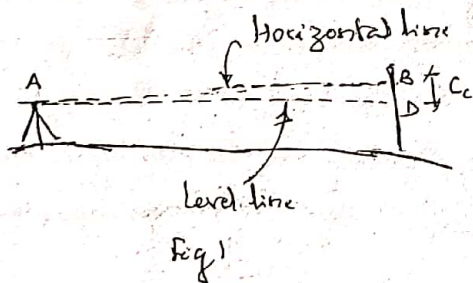
(m)

$$C_c = \frac{D^2}{2 \times 6370} \times 1000$$

(m)

$$\text{or } C_c = 0.0785 D^2$$

Note: C_c is in metre and
 D is in kilometre.



BD = C_c

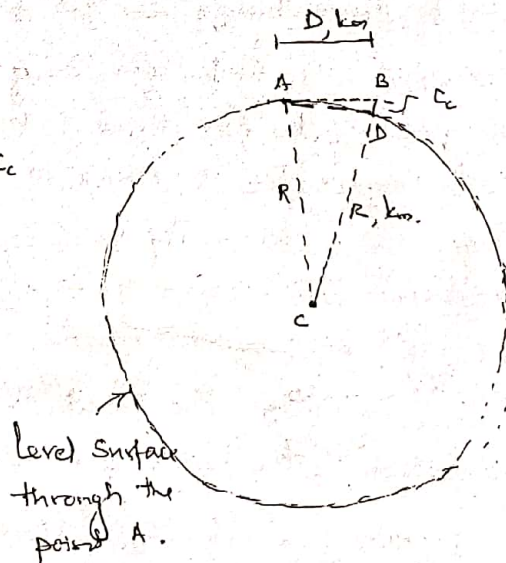


Fig 2.

Level surface through the point A.

3) Find the radius of curvature of the bubble tube if the length of one division is 2mm and angular value of one division is i) $20''$ and ii) $1''$.

Soln: Data: $l = 2 \times 10^{-3}$ m i) $\alpha' = 20''$
ii) $\alpha' = 60''$

Reqd: R

i) $\alpha' = \frac{l}{R} \times 206265$; $20'' = \frac{2 \times 10^{-3}}{R} \times 206265 \therefore R = 20.63$ m Ans

ii) $\alpha' = \frac{l}{R} \times 206265$; $60'' = \frac{2 \times 10^{-3}}{R} \times 206265 \therefore R = 6.88$ m Ans

4) Find the radius of curvature of the bubble tube and the value of each 2mm divisions from the following average reading of the ends of the bubble and a staff, kept 80m at 80m from the instrument.

	I	II
Staff reading:	1.680 m	1.602 m
Eye piece end of bubble	20	10
Object glass end of bubble	10	20

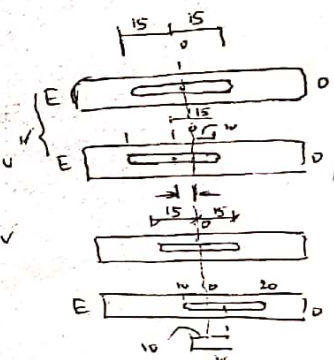
Soln: Case I: Bubble moved out of its centre by $= \frac{20-10}{2} = 5$ div

Case II: Bubble moved out of its centre by $= \frac{20-10}{2} = 5$ div

\therefore Total no of divisions moved by the bubble } $n = 5+5 = 10$

$$R = \frac{n \cdot l \cdot D}{s} = \frac{(10)(2 \times 10^{-3})(80)}{(1.680 - 1.602)} = \frac{(10)(2 \times 10^{-3})(80)}{0.078} = 20.5$$
 m. Ans.

$$\alpha' = \frac{l}{R} \times 206265 = \frac{2 \times 10^{-3}}{20.5} \times 206265 = 20.11''$$
 Ans



5) A three screw dumpy level, set up with the telescope, parallel to two foot screws is sighted on a staff, 100 m away. The line of sight is depressed by manipulating the foot screws until the bubble on the telescope reads 4.1 at the object glass and 14.4 at the eye piece end. The reading on the staff was 0.930 m. By similarly elevating the line of sight, the bubble readings were 12.6 at the object glass and 5.7 at the eye piece end, and the staff reading was 1.025 m.

Determine the sensitivity of the bubble and radius of curvature of the bubble, if the length of one division is 2.5mm.

Soln: $D = 100$ m; $n = \left\{ \left(\frac{14.4 - 4.1}{2} \right) + \left(\frac{12.6 - 5.7}{2} \right) \right\} = 8.6$ divisions
 $s = 1.025 - 0.930 = 0.095$ m; $l = 2.5 \times 10^{-3}$ m; $\alpha' = ?$ and $R = ?$

$$R = \frac{n \cdot l \cdot D}{s} = \frac{(8.6)(2.5 \times 10^{-3})(100)}{0.095} = 22.63$$
 m Ans

$$\alpha' = \frac{l}{R} \times 206265 = \frac{2.5 \times 10^{-3}}{22.63} \times 206265 = 22.78''$$
 Ans.

2. REFRACTION CORRECTIONS: Rays of light are refracted when they pass through layers of air of varying density. Hence, when long sights are taken, the line of sight is refracted towards the earth's surface. The refraction correction is taken as "one-seventh" of curvature correction.

i.e. Refraction Correction = $C_R = \frac{1}{7}$ (Curvature Correction)

$$C_R = \frac{1}{7} C_C$$

$$C_R = \frac{1}{7} (0.0785 C_C)$$

$$\text{or } \boxed{C_R = 0.0112 D^2}$$

Due to refraction, the objects appear higher than what they really are. Refraction correction is always positive.

COMBINED CURVATURE AND REFRACTION: (C_{CR})

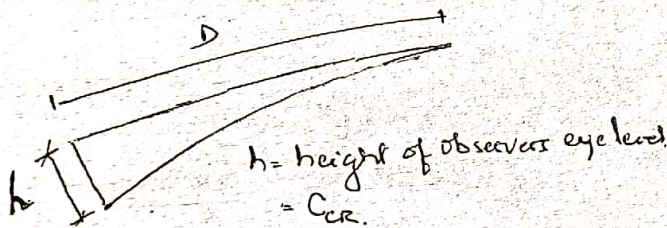
$$C_{CR} = 0.0785 D^2 - 0.0112 D^2$$

$$\therefore \boxed{C_{CR} = 0.0673 D^2}$$

Note. C_{CR} is in metres and D is in kilometres

* C_{CR} is always negative

DISTANCE TO VISIBLE HORIZON: (D)



$$C_{CR} = h = 0.0673 D^2$$

$$\text{or } \boxed{D = \sqrt{\frac{h \text{ (m)}}{0.0673}}}$$

Examples:

- 1) Find the combined correction for curvature and refraction for
i) 100 m, ii) 1 km, iii) 50 km and iv) 100 km

Soln: $C_{CR} = 0.0673 D^2$

C_{CR} is in metres and D is in kilometres

i) $C_{CR} = 0.0673 \left(\frac{100}{1000}\right)^2 = 6.73 \times 10^{-4} \text{ m}$

ii) $C_{CR} = 0.0673 (1)^2 = 0.0673 \text{ m}$

iii) $C_{CR} = 0.0673 (50)^2 = 168.25 \text{ m}$

iv) $C_{CR} = 0.0673 (100)^2 = 673 \text{ m}$

From the above result, it is seen that "curvature and refraction correction may be neglected small lengths of sights but should be considered for long sights."

- 2) In order to find the difference in elevation between two points P and Q, a level was set up upon PQ, 60 m from P and 1280 m from Q. The readings obtained on staffs kept at P and Q were respectively 0.545 m and 3.920 m. Find the true difference in elevation between P and Q.

Soln:

True difference in elevation between P and Q

$$= \text{Corrected staff reading at P} - \text{Corrected staff reading at Q}$$

$$\begin{aligned} \text{Corrected staff reading at P} &= \text{Observed reading} - \text{Combined curvature \& refraction Corred} \\ &= 0.545 - 0.0673 \left(\frac{60}{1000} \right)^2 \\ &= 0.545 - 0.0002 \text{ (Very small)} \\ &= 0.545 \text{ m.} \end{aligned}$$

$$\begin{aligned} \text{Corrected staff reading at Q} &= 3.920 - \left(\frac{1280}{1000} \right)^2 \times 0.0673 \\ &= 3.920 - 0.110 \\ &= 3.810 \text{ m.} \end{aligned}$$

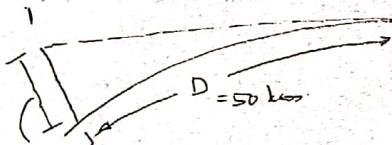
$$\begin{aligned} \therefore \text{True difference in elevation} &= 0.545 - 3.810 = -3.265 \text{ m} \\ &= \underline{3.265 \text{ m}} \text{ (Fall from P to Q)} \end{aligned}$$

- 3) A light house is visible just above the horizon at a certain station at the sea level. The distance between the station and the light house is 50 km. Find the height of the light house.

Soln:

$$h = 0.0673 D^2$$

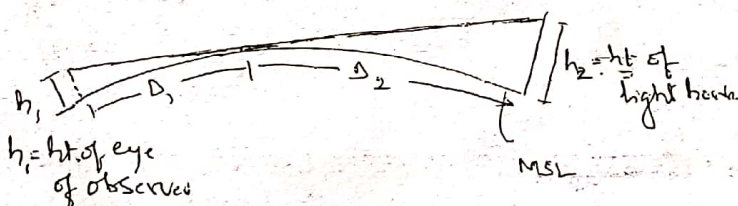
$$h = 0.0673 \times 50^2 = \underline{168.25 \text{ m}} \text{ Ans.}$$



h = height of light house.

- 4) An observer standing on the deck of a ship just sees a lighthouse. The top of the light house is 42 m above the MSL, and the height of observer eye is 6 m above the MSL. Find the distance of the observer from the light house.

Soln:



Distance betw observer & light house

$$= D_1 + D_2$$

$$D_1 = \sqrt{\frac{h_1}{0.0673}} = \sqrt{\frac{6}{0.0673}} = 9.44$$

$$D_2 = \sqrt{\frac{h_2}{0.0673}} = \sqrt{\frac{42}{0.0673}} = 24.9$$

\therefore Dist. betw observer and light house

$$= 9.44 + 24.98$$

$$= \underline{34.42 \text{ km.}}$$

RECIPROCAL LEVELLING:

This is an operation of levelling in which the difference in elevation between two points is accurately determined by two sets of reciprocal observations. Reciprocal levelling eliminates

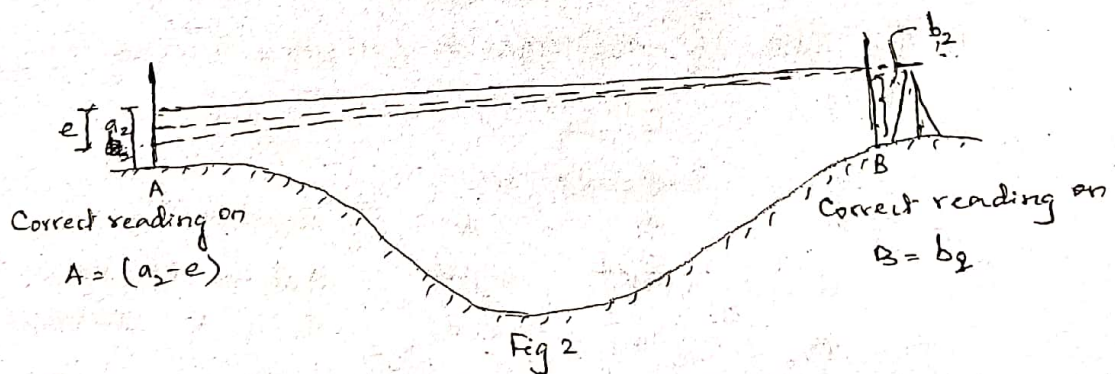
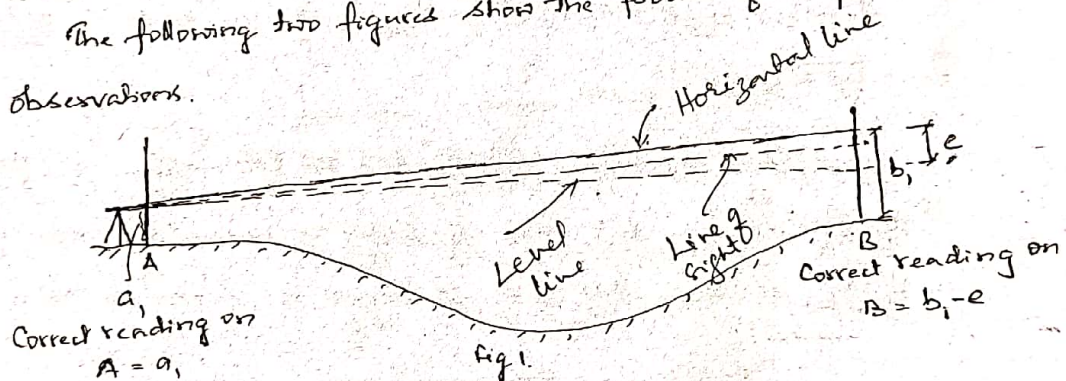
- i) error in instrument adjustment. (Collimation error)
- ii) error due to curvature and refraction.

Let A and B be the two points and observations be made with a level having error in adjustment.

The level is set up at a point near A and the staff readings are taken on A and B with the bubble in central position. Since the level is very near A, no error due to "curvature and refraction" and "collimation" will be induced in the staff reading at A. But there will be an error e in the staff reading at B.

The level is now shifted and set up at a point near B. The staff readings are taken on A and B. Since the level is very near B, no error is induced in the staff reading at B. But there will be an error e in the staff reading at A.

The following two figures show the process of reciprocal levelling with observations.



In Fig 1,

$$\text{True difference in elevation} = h = a_1 - (b_1 - e) \quad \text{--- eqn (1)}$$

In Fig 2,

$$\text{True difference in elevation} = h = (a_2 - e) - b_2 \quad \text{--- eqn (2)}$$

Eqn (1) + Eqn (2)

$$2h = a_1 - b_1 + e + a_2 - e - b_2$$

$$\therefore 2h = (a_1 - b_1) + (a_2 - b_2)$$

or
$$h = \frac{(a_1 - b_1) + (a_2 - b_2)}{2}$$

(Error e being eliminated)

Note: If h is +, there is "rise" from A to B
and if h is -, there is "fall" from A to B.

Eqn (1) - Eqn (2)

$$0 = a_1 - b_1 + e - a_2 + e + b_2$$

$$0 = (a_1 - b_1) + 2e - (a_2 - b_2)$$

$$-\{(a_1 - b_1) - (a_2 - b_2)\} = 2e$$

$$\therefore e = -\left\{\frac{(a_1 - b_1) - (a_2 - b_2)}{2}\right\}$$

(Equation giving magnitude of error)

Let e_L be the error in collimation and

e_{CR} be the error due to "curvature and refraction"

(where $e_{CR} = 0.0673 D^2$; e_{CR} is in m & D is in km)

$$\therefore e = e_L + e_{CR}$$

From this equation the e_L due to collimation is obtained.

If e_L is +, the line of sight is inclined upwards and
if e_L is -, the line of sight is inclined downwards.

Examples:

1) The following notes refer to reciprocal levelling taken with one level.

Inst at	Staff reading on A	Staff reading on B	Remarks
A	1.824	2.748	Distance AB = 1010 m
B	0.928	1.606	RL of A = 126.386 m.

Find a) RL of B

b) Combined correction for curvature and refraction

c) Angular error in the collimation adjustment of instrument.

Soln: Inst. at A : $a_1 = 1.824$ m ; $b_1 = 2.748$ m $\therefore (a_1 - b_1) = -0.924$ m.

Inst at B : $a_2 = 0.928$ m ; $b_2 = 1.606$ m $\therefore (a_2 - b_2) = -0.678$ m.

True difference in elevation between A and B } = $h = \frac{(a_1 - b_1) + (a_2 - b_2)}{2} = \frac{-0.924 + (-0.678)}{2} = -0.801 \text{ m}$

[Negative sign indicates "Fall" from A to B]

$\therefore \text{RL of B} = \text{RL of A} + h = 126.386 + (-0.801) = \underline{125.585 \text{ m}} \text{ Ans.}$

Combined correction for "curvature and refraction"

$e_{CR} = C_{CR} = 0.0673 D^2 = 0.0673 \left(\frac{1010}{1000}\right)^2 = \underline{0.069 \text{ m}} \text{ Ans.}$

Error in collimation:

$e = e_L + e_{CR}$ where $e = -\left\{\frac{(a_1 - b_1) - (a_2 - b_2)}{2}\right\}$
 $= -\left\{\frac{(-0.924) - (-0.678)}{2}\right\} = +0.123 \text{ m.}$

$\therefore 0.123 = e_L + 0.069$

$\therefore e_L = +0.054 \text{ m}$

Since +ve, line of sight is inclined upwards.

Angular error = $\alpha = \tan^{-1}\left\{\frac{e_L}{D}\right\}$
 $= \tan^{-1}\left\{\frac{0.054}{1010}\right\} = \underline{11''} \text{ Ans.}$

2. The following records refer to an operation involving reciprocal leveling

Inst at	Staff reading on P	Staff reading on Q	Remarks	} Read i) RL of Q. ii) e_{CR} iii) α .
P	1.725 m	1.370 m	Dist = PQ = 1200 m	
Q	1.560 m	1.235 m	RL of P = 100.000 m.	

Soln: Inst. at P; $P_1 = 1.725$; $Q_1 = 1.370 \text{ m}$ $\therefore (P_1 - Q_1) = (1.725 - 1.370) = 0.355 \text{ m.}$
 Inst. at Q; $P_2 = 1.560$; $Q_2 = 1.235$ $\therefore (P_2 - Q_2) = (1.560 - 1.235) = 0.325 \text{ m.}$

$\therefore h = \frac{(P_1 - Q_1) + (P_2 - Q_2)}{2} = \frac{(0.355) + (0.325)}{2} = \underline{0.34 \text{ m}} \text{ (Rise from P to Q)}$

$\therefore \text{RL of Q} = \text{RL of P} + h = 100.000 + 0.340 = \underline{100.340 \text{ m.}} \text{ Ans.}$

$e_{CR} = 0.0673 D^2 = 0.0673 \left(\frac{1200}{1000}\right)^2 = \underline{0.097 \text{ m}} \text{ Ans.}$

$e = e_L + e_{CR}$ where $e = -\left\{\frac{(P_1 - Q_1) - (P_2 - Q_2)}{2}\right\} = -\left\{\frac{(0.355) - (0.325)}{2}\right\}$
 $= -0.015 \text{ m.}$

$\therefore 0.015 = e_L + 0.097$ $\therefore e_L = -0.112 \text{ m.}$

Since -ve, line of sight is inclined downwards.

Angular error = $\alpha = \tan^{-1}\left\{\frac{e_L}{D}\right\} = \tan^{-1}\left\{\frac{0.112}{1200}\right\} = \underline{19.25''} \text{ Ans.}$

3) The following reciprocal levels were taken with one level on two points A and B, 1645 m apart.

Level near.	Staff reading on A	Staff reading on B
A	2.165 m	3.810 m
B	0.910 m	2.355 m

Calculate i) the true difference in elevation between A and B
 ii) the error due to refraction, when the collimation error is -0.003 m per 100 m.

Soln: $a_1 = 2.165$ m; $b_1 = 3.810$ m; $(a_1 - b_1) = (2.165 - 3.810) = -1.645$ m.
 $a_2 = 0.910$ m; $b_2 = 2.355$ m; $(a_2 - b_2) = (0.910 - 2.355) = -1.445$ m.

\therefore True difference in elevation: $h = \frac{(a_1 - b_1) + (a_2 - b_2)}{2} = \frac{-1.645 + (-1.445)}{2} = -1.545$ m. Ans.
 (-ve sign indicates fall from A to B)

Total Error = collimation error + (curvature error - Refraction error)

$e = e_L + (e_C - e_R)$ - (1)

$e = -\left\{ \frac{(a_1 - b_1) - (a_2 - b_2)}{2} \right\} = -\left\{ \frac{-1.645 - (-1.445)}{2} \right\} = +0.100$ m.

$e_L = -\left(\frac{0.003}{100}\right) \times 1645 = -0.049$ m

$e_C = 0.0785 D^2 = 0.0785 \left(\frac{1645}{1000}\right)^2 = 0.212$ m.

Substituting the above values in eqn (1)

$+0.100 = -0.049 + (0.212 - e_R)$ $\therefore e_R = 0.063$ m Ans.

4) Two pegs A and B were 750 m apart across a wide river. The following readings were taken with one level.

Level at	Staff reading on A	Staff reading on B
A	1.543 m	2.847 m
B	1.422 m	2.622 m

The error in collimation adjustment of the level was $+0.002$ m per 100 m. Determine the true difference in level betⁿ A & B and refraction error.

Soln: $h = \frac{(1.543 - 2.847) + (1.422 - 2.622)}{2} = \frac{-1.304 + (-1.200)}{2} = -1.252$ m (Fall from A to B)

$e = -\left\{ \frac{(1.543 - 2.847) - (1.422 - 2.622)}{2} \right\} = -\left\{ \frac{-1.304 - (-1.200)}{2} \right\} = +0.052$ m

$e_L = \frac{+0.002}{100} \times 750 = +0.015$ m; $e_C = 0.0785 \times \left(\frac{750}{1000}\right)^2 = 0.044$ m

$+0.052 = +0.015 + (0.044 - e_R)$ $\therefore e_R = 0.007$ m Ans.

5) Q6 W.34 June/July 2011 (10 marks)

Reciprocal levelling was done to determine the difference in elevation between two stations C and D. The following observations were made. Find the difference in elevation and the error due to line of collimation, neglect other errors.

Position of Dumpy level	Staff reading on	
	C	D
C	3.250	2.730
D	2.505	1.950

Soln: $c_1 = 3.250$; $d_1 = 2.730$; $(c_1 - d_1) = (3.250 - 2.730) = 0.52 \text{ m}$

$c_2 = 2.505$; $d_2 = 1.950$; $(c_2 - d_2) = (2.505 - 1.950) = 0.555 \text{ m}$

$\therefore h_s = \frac{0.52 + 0.555}{2} = +0.5375 \text{ m}$ (Rise from C to D)

$e = - \left\{ \frac{0.520 - (0.555)}{2} \right\} = +0.0175 \text{ m}$

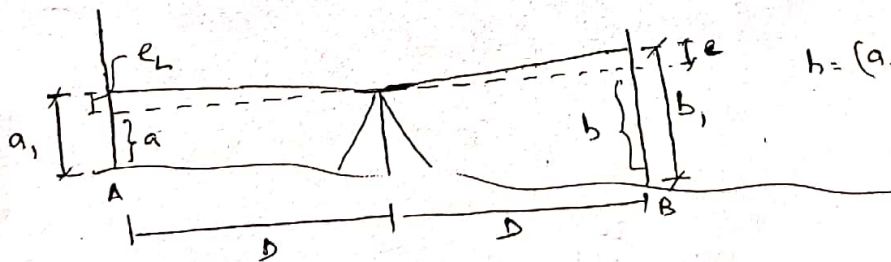
Since other errors are neglected $e = e_L \therefore e_L = +0.0175 \text{ m}$

\therefore The line of sight is inclined upwards.

Balancing or Equalising Back Sight and Fore Sight distances:

The essential condition in levelling is that the line of collimation should be horizontal when staff readings are being taken. The line of sight is horizontal when the bubble is in the centre of its run only when if the line of collimation and the bubble axis are exactly parallel.

To eliminate the error due to non-parallelism of line of collimation and bubble axis, it is necessary to keep the lengths of back sight and foresight equal for accurate work. (Ref. following figs)



$h = (a_1 - e) - (b_1 - e) = (a_1 - b_1)$



$h = (a_2 - e) - (b_2 - e) = (a_2 - b_2)$

The following readings have been taken from a page of an old level book. It is required to reconstruct the page. Fill up the missing quantities & apply the wvvl check.

Station.	B.S	I.S	F.S	Rise	Fall	RL	Remarks
1	3.125					?/124.18	B.M
2	2.265		1.800	1.325		125.505	T.P.
3		2.320			0.055	125.450	
4		1.920		0.400		125.850	
5	1.040		2.655		0.735	125.115	T.P.
6	1.620		3.205		2.165	122.945	TP
7		3.625			2.005	120.945	
8			1.480	2.145		123.090	T.BM.
ΣBS = 28.05		ΣFS = 9.14		ΣRise = 3.87		ΣFall = 4.96	

→ H.I = RL of previous point + B.S.
 RL of previous point = H.I - I.S / F.S

① Rise b/w ① & ② Point = BS - FS

$$1.325 = 3.125 - FS$$

$$FS = 3.125 - 1.325$$

$$FS = 1.8$$

② RL of point ② = 125.505

$$\text{Rise from ① to ②} = 1.325$$

$$\text{Hence RL of point ①} = 125.505 - 1.325 = 124.18 \text{ m}$$

③ Fall from ② to ③ = 0.055

$$\text{I.S on point 3} = 2.320$$

Hence B.S on point = FS - Fall

$$BS - 2.320 = -0.055$$

$$BS = 2.320 - 0.055$$

$$BS = 2.265 \text{ m}$$

④ RL of point ③ = RL of point ② - Fall

$$= 125.505 - 0.055 = 125.450$$

RL of Point 4 = 125.850

Rise from 3 to 4 = 125.850 - 125.450 = 0.400

Now P.S on point 3 = 2.320

Fin. IS point 4 = 2.320 - 0.400 = (2.320 - IS = 0.400)

IS = 1.920

Fall from 4 to 5 = 1.920 - 2.655 = -0.735 (184)

Hence RL of point 5 = 125.85 - 0.735 = 125.115

F.S of point 6 = 3.205

Fall from point 5 to 6 = 2.165

BS = 3.205 - 2.165

BS = ~~2.165~~ 3.205 - 2.165

BS = 1.04

RL of point 6 = RL of point 5 - 2.165

= 125.115 - 2.165

RL of point 6 = ~~122.95~~ Back sight = 1.620

IS of point 7 = 3.625

Fall from 6 to 7 = 1.620 - 3.625 = -2.005

RL of point 7 = RL of 6 - Fall

= 122.950 - 2.005

= 120.945

RL of point 8 = 123.090

Rise from 7 to 8 = 123.090 - 120.945 = 2.145

Hence P.S of point 8 = 3.625 - 2.145 = 1.480

Check

ΣBS - ΣFS = last RL - first RL = Σ Rise - Σ Fall

8.05 - 9.4 = 123.090 - 124.180 = 3.87 - 4.96

- 1.09 = - 1.09 = - 1.09